

High Dynamic Range Images



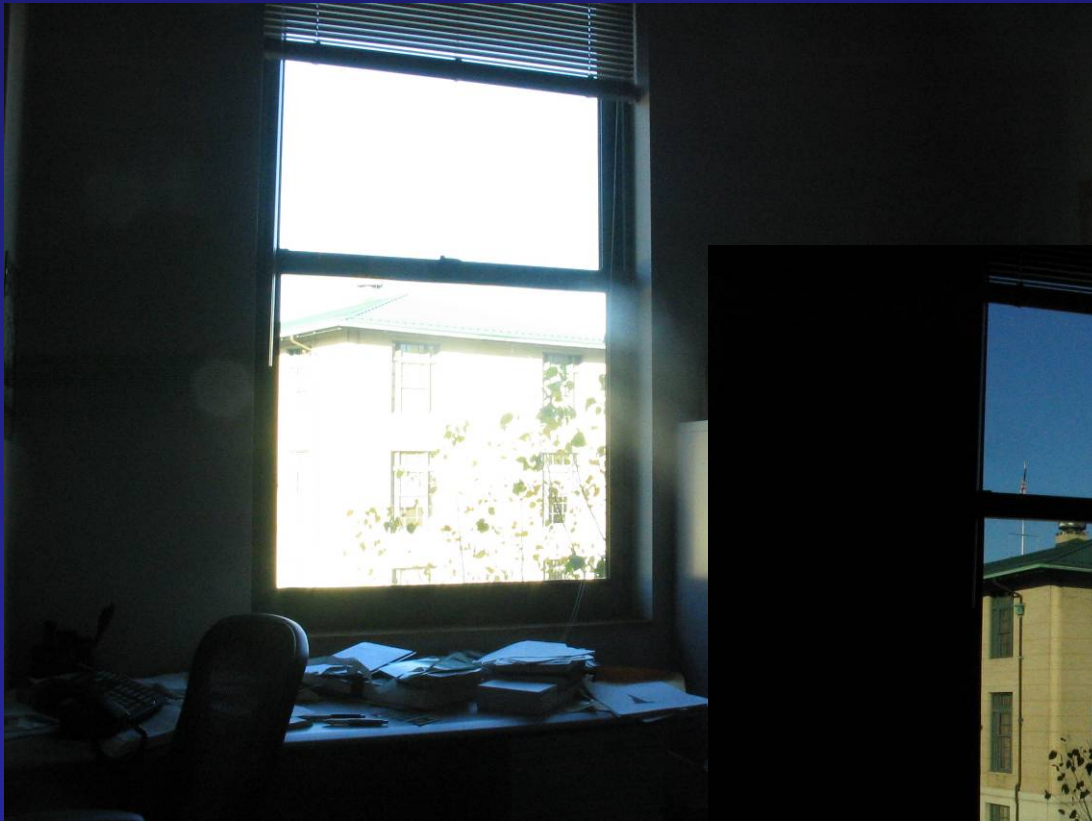
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CS194: Image Manipulation & Computational Photography

*...with a lot of slides
stolen from Paul Debevec*

Alexei Efros, UC Berkeley, Fall 2018

Why HDR?



Problem: Dynamic Range



1



1500



25,000



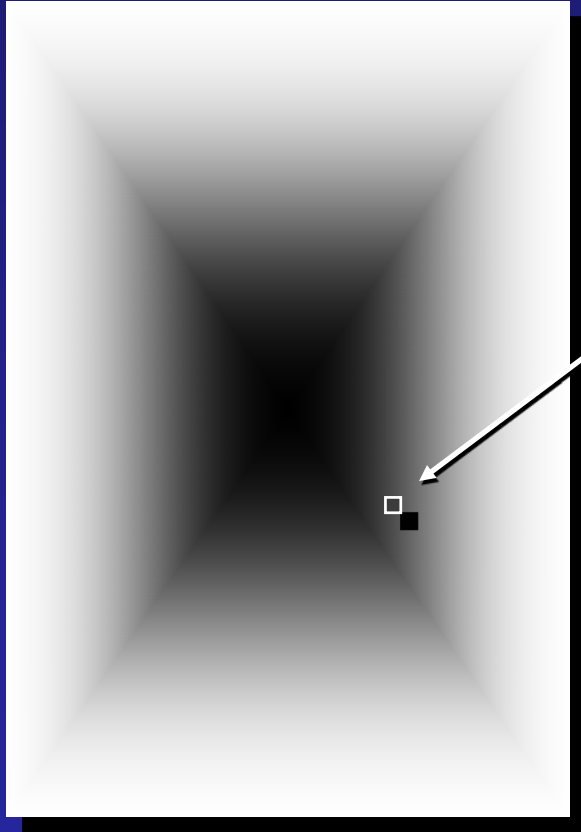
400,000



2,000,000,000

The real world is high dynamic range.

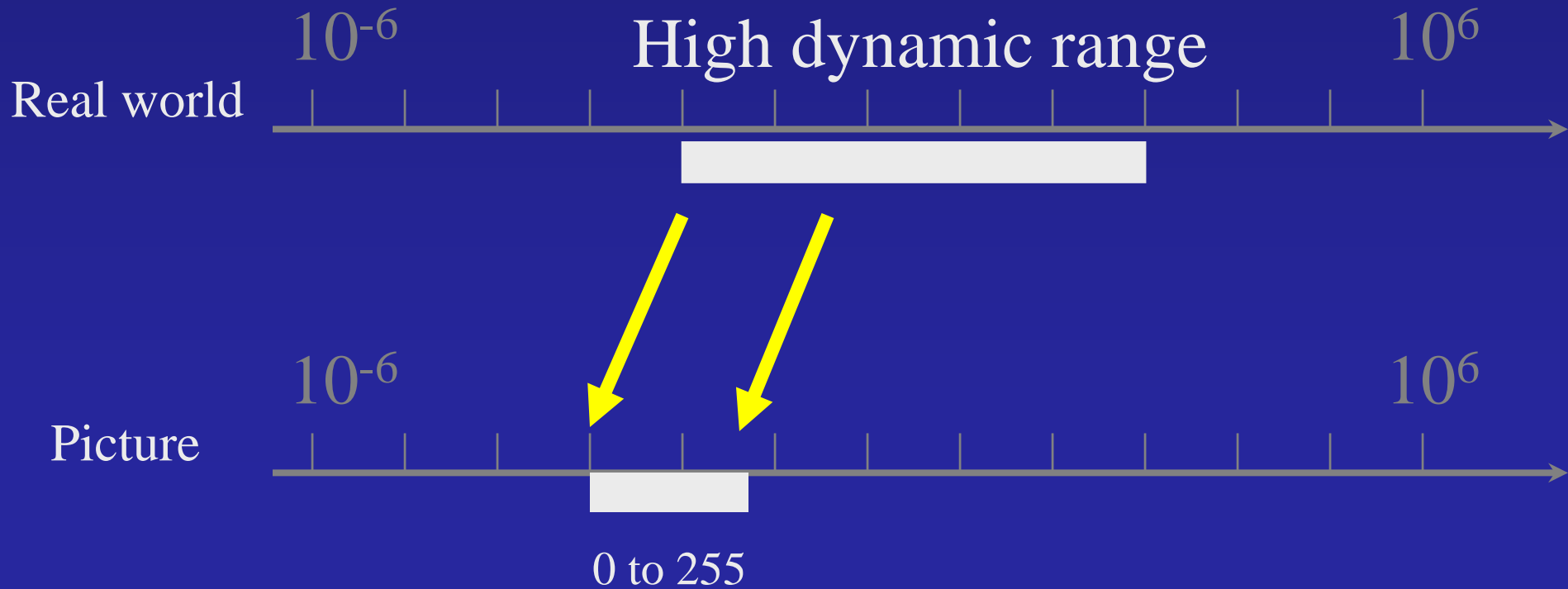
Image



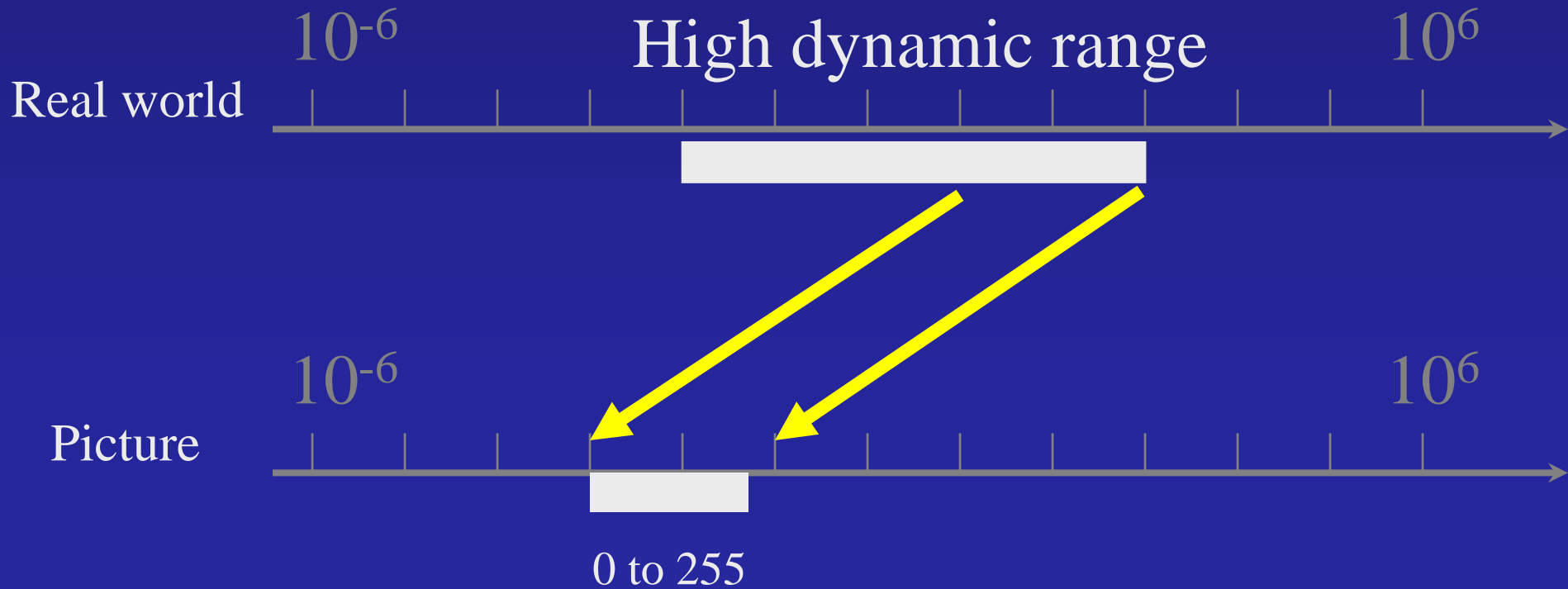
pixel (312, 284) = 42

42 photos?

Long Exposure

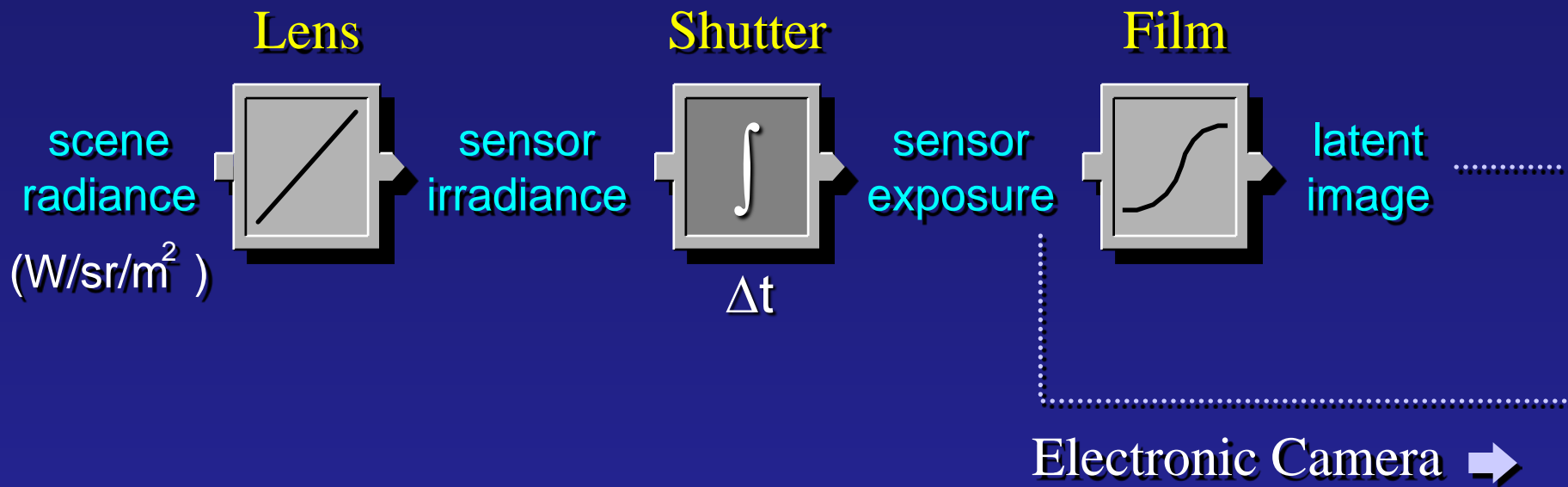


Short Exposure



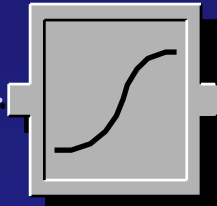
Camera Calibration

- Geometric
 - How pixel **coordinates** relate to **directions** in the world
- Photometric
 - How pixel **values** relate to **radiance** amounts in the world



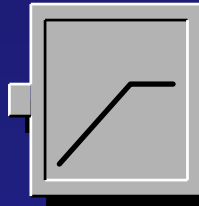
The Image Acquisition Pipeline

Development



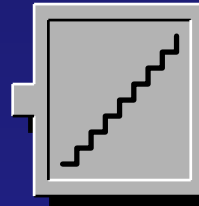
film
density

CCD



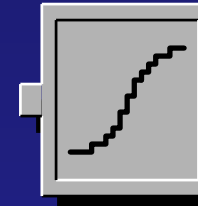
analog
voltages

ADC



digital
values

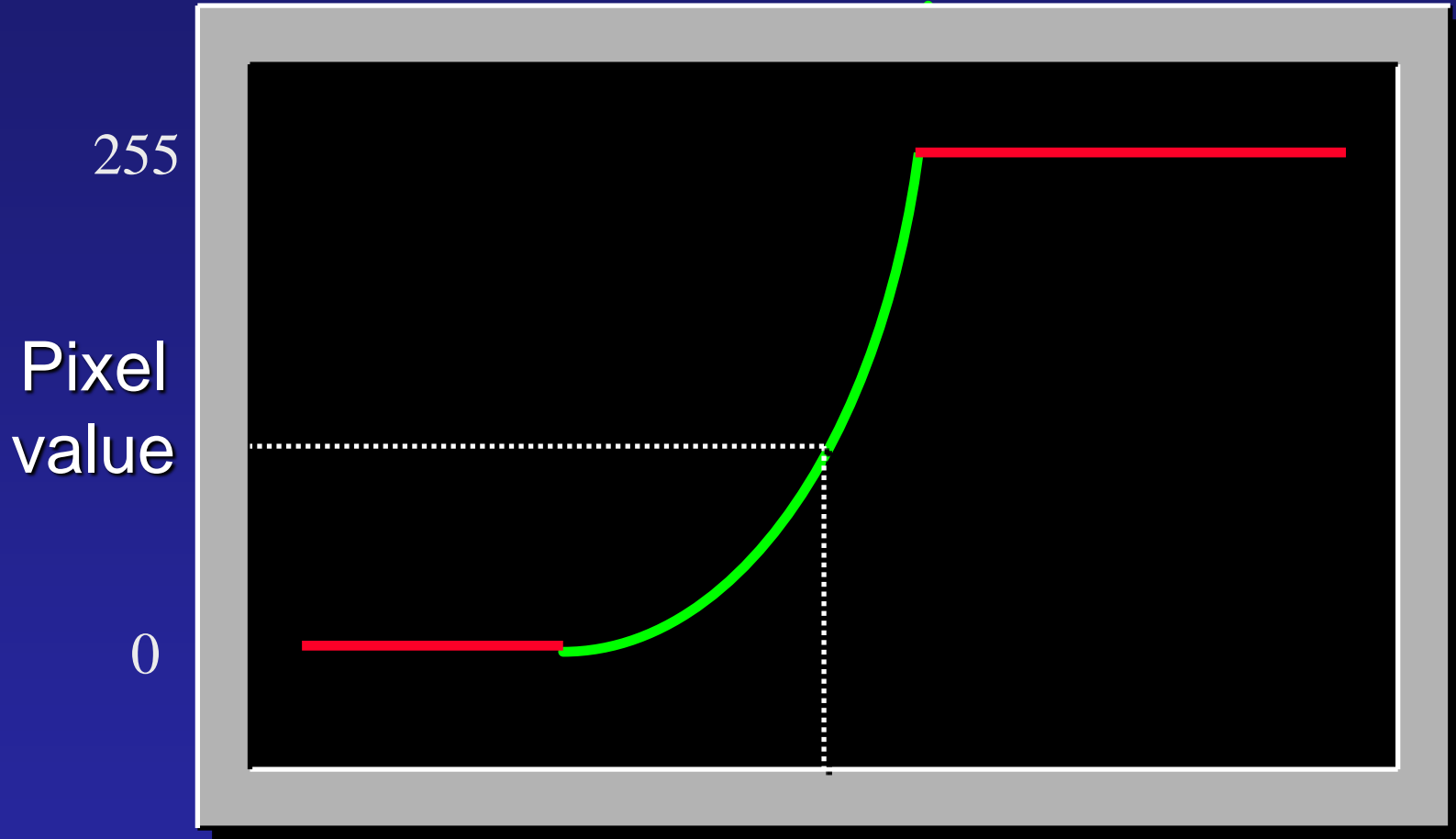
Remapping



pixel
values



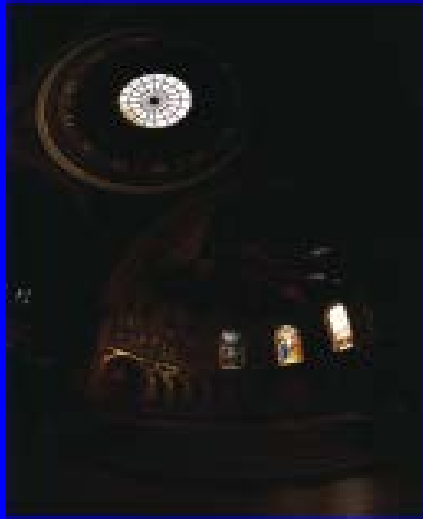
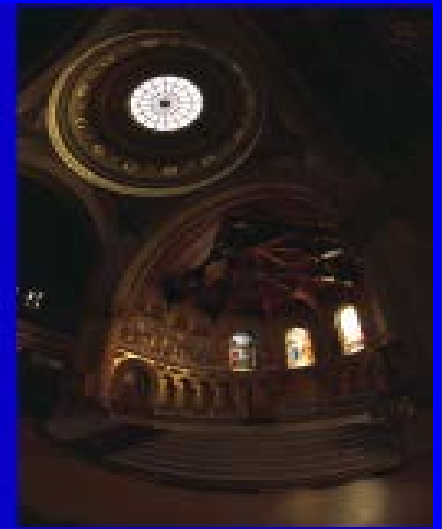
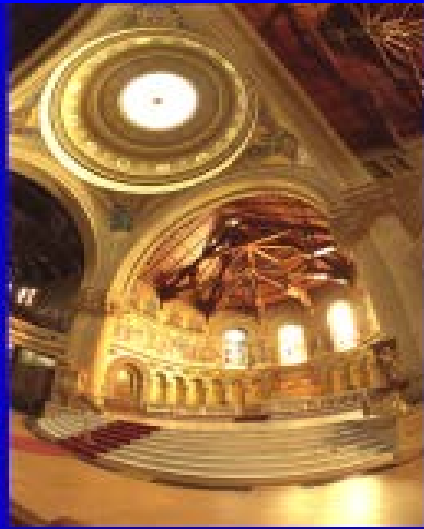
Imaging system response function



$$\log \text{ Exposure} = \log (\text{Radiance} * \Delta t)$$

(CCD photon count)

Varying Exposure



Camera is not a photometer!

- Limited dynamic range
 - ⇒ Perhaps use multiple exposures?
- Unknown, nonlinear response
 - ⇒ Not possible to convert pixel values to radiance
- Solution:
 - Recover response curve from multiple exposures, then reconstruct the *radiance map*

Recovering High Dynamic Range Radiance Maps from Photographs



Paul Debevec
Jitendra Malik



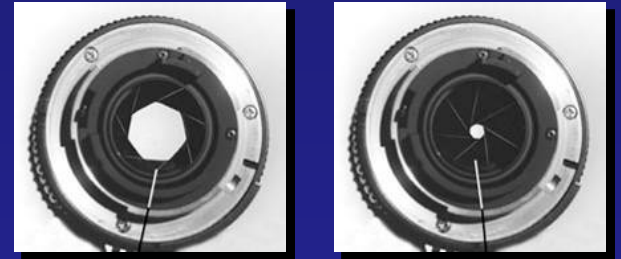
Computer Science Division
University of California at Berkeley

August 1997

Ways to vary exposure

Ways to vary exposure

- Shutter Speed (*)
- F/stop (aperture, iris)
- Neutral Density (ND) Filters



Shutter Speed

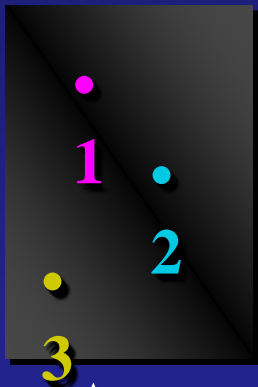
- **Ranges:** Canon D30: 30 to 1/4,000 sec.
- Sony VX2000: 1/4 to 1/10,000 sec.
- **Pros:**
 - Directly varies the exposure
 - Usually accurate and repeatable
- **Issues:**
 - Noise in long exposures

Shutter Speed

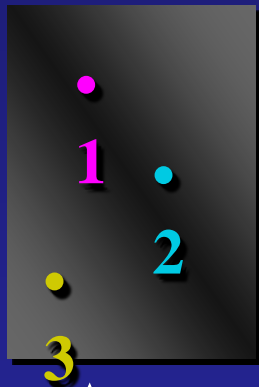
- **Note: shutter times usually obey a power series – each “stop” is a factor of 2**
- **$\frac{1}{4}$, $\frac{1}{8}$, $\frac{1}{15}$, $\frac{1}{30}$, $\frac{1}{60}$, $\frac{1}{125}$, $\frac{1}{250}$, $\frac{1}{500}$, $\frac{1}{1000}$ sec**
- **Usually really is:**
- **$\frac{1}{4}$, $\frac{1}{8}$, $\frac{1}{16}$, $\frac{1}{32}$, $\frac{1}{64}$, $\frac{1}{128}$, $\frac{1}{256}$, $\frac{1}{512}$, $\frac{1}{1024}$ sec**

The Algorithm

Image series



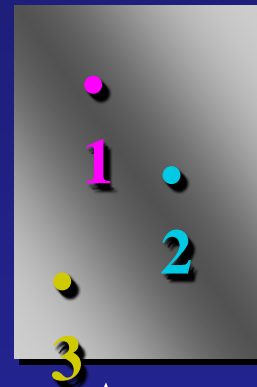
$\Delta t =$
1/64 sec



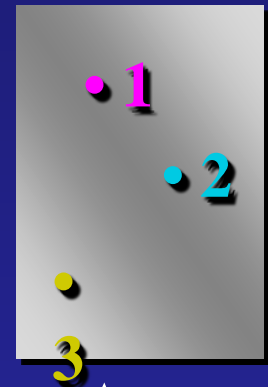
$\Delta t =$
1/16 sec



$\Delta t =$
1/4 sec



$\Delta t =$
1 sec



$\Delta t =$
4 sec

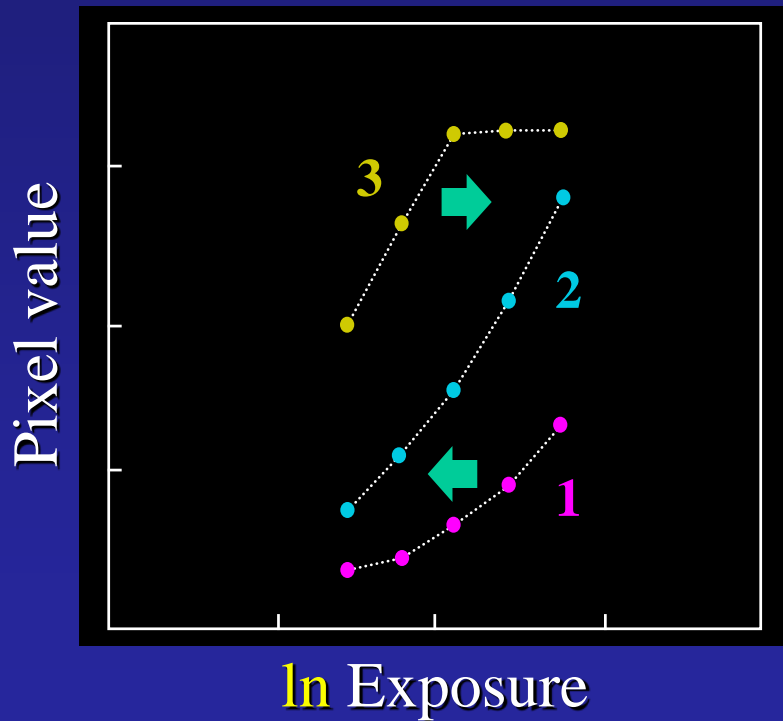
Pixel Value $Z = f(\text{Exposure})$

$\text{Exposure} = \text{Radiance} \cdot \Delta t$

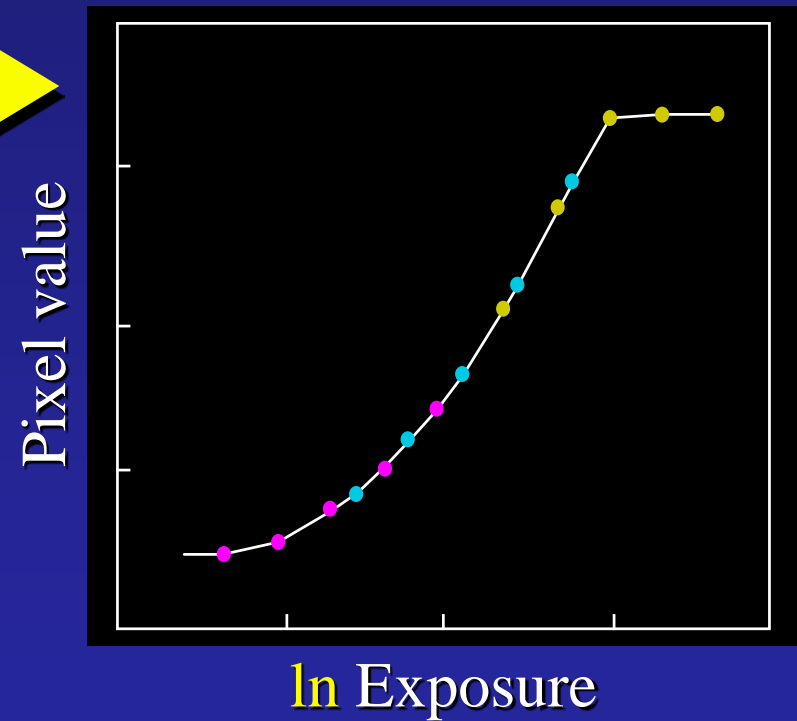
$\log \text{Exposure} = \log \text{Radiance} + \log \Delta t$

Response Curve

Assuming unit radiance
for each pixel



After adjusting radiances to
obtain a smooth response



The Math

- Let $g(z)$ be the *discrete* inverse response function
- For each pixel site i in each image j , want:

$$\ln \text{Radiance}_i + \ln \Delta t_j = g(Z_{ij})$$

- Solve the overdetermined linear system:

$$\sum_{i=1}^N \sum_{j=1}^P \left[\ln \text{Radiance}_i + \ln \Delta t_j - g(Z_{ij}) \right]^2 + \lambda \sum_{z=Z_{\min}}^{Z_{\max}} g''(z)^2$$

fitting term

smoothness term

Matlab Code

```
function [g,lE]=gsolve(Z,B,l,w)

n = 256;
A = zeros(size(Z,1)*size(Z,2)+n+1,n+size(Z,1));
b = zeros(size(A,1),1);

k = 1;                                %% Include the data-fitting equations
for i=1:size(Z,1)
    for j=1:size(Z,2)
        wij = w(Z(i,j)+1);
        A(k,Z(i,j)+1) = wij; A(k,n+i) = -wij; b(k,1) = wij * B(i,j);
        k=k+1;
    end
end

A(k,129) = 1;                          %% Fix the curve by setting its middle value to 1
k=k+1;

for i=1:n-2                             %% Include the smoothness equations
    A(k,i)=l*w(i+1); A(k,i+1)=-2*l*w(i+1); A(k,i+2)=l*w(i+1);
    k=k+1;
end

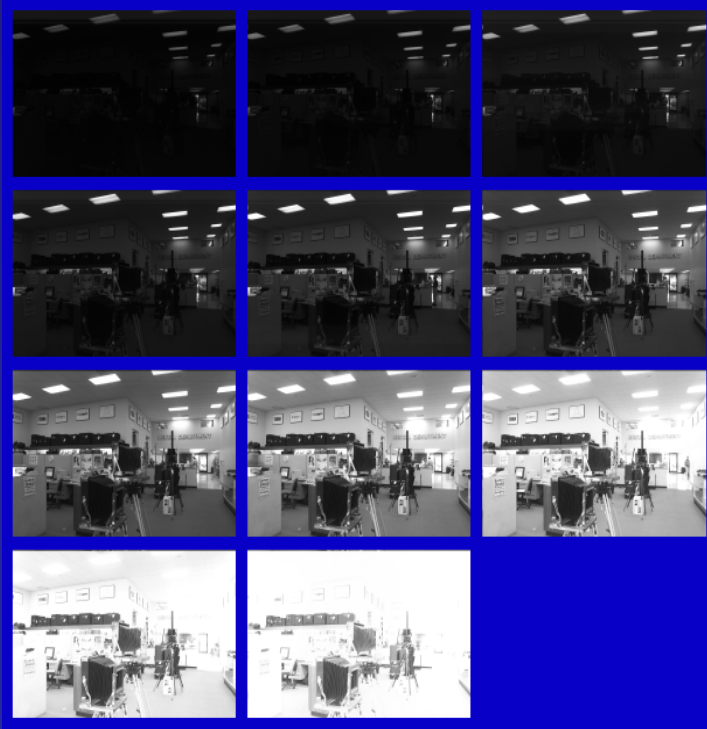
x = A\b;                                %% Solve the system using SVD

g = x(1:n);
lE = x(n+1:size(x,1));
```

Results: Digital Camera

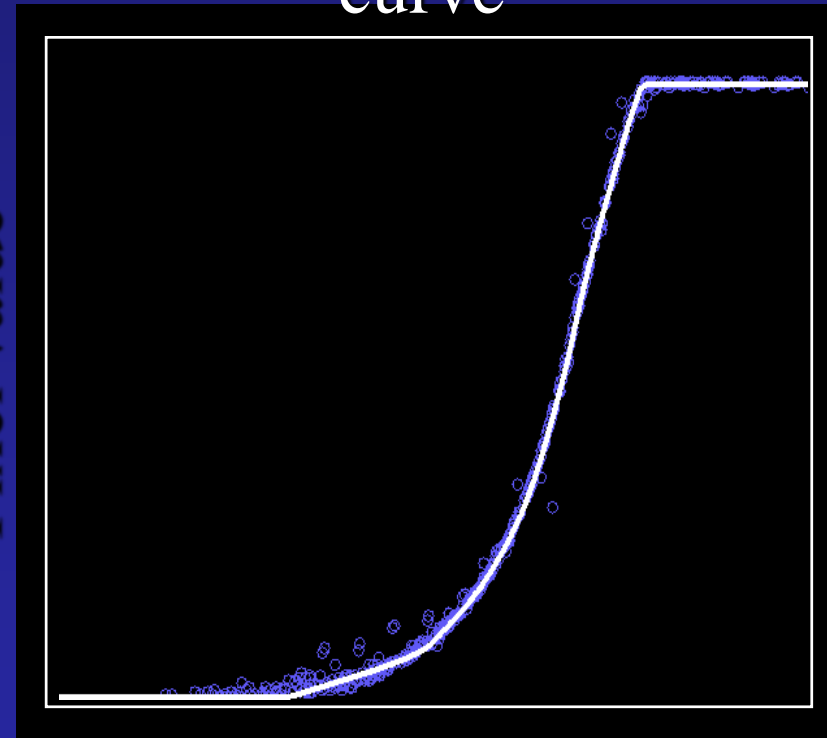
Kodak DCS460

1/30 to 30 sec



Recovered response
curve

Pixel value



log Exposure

Reconstructed radiance map

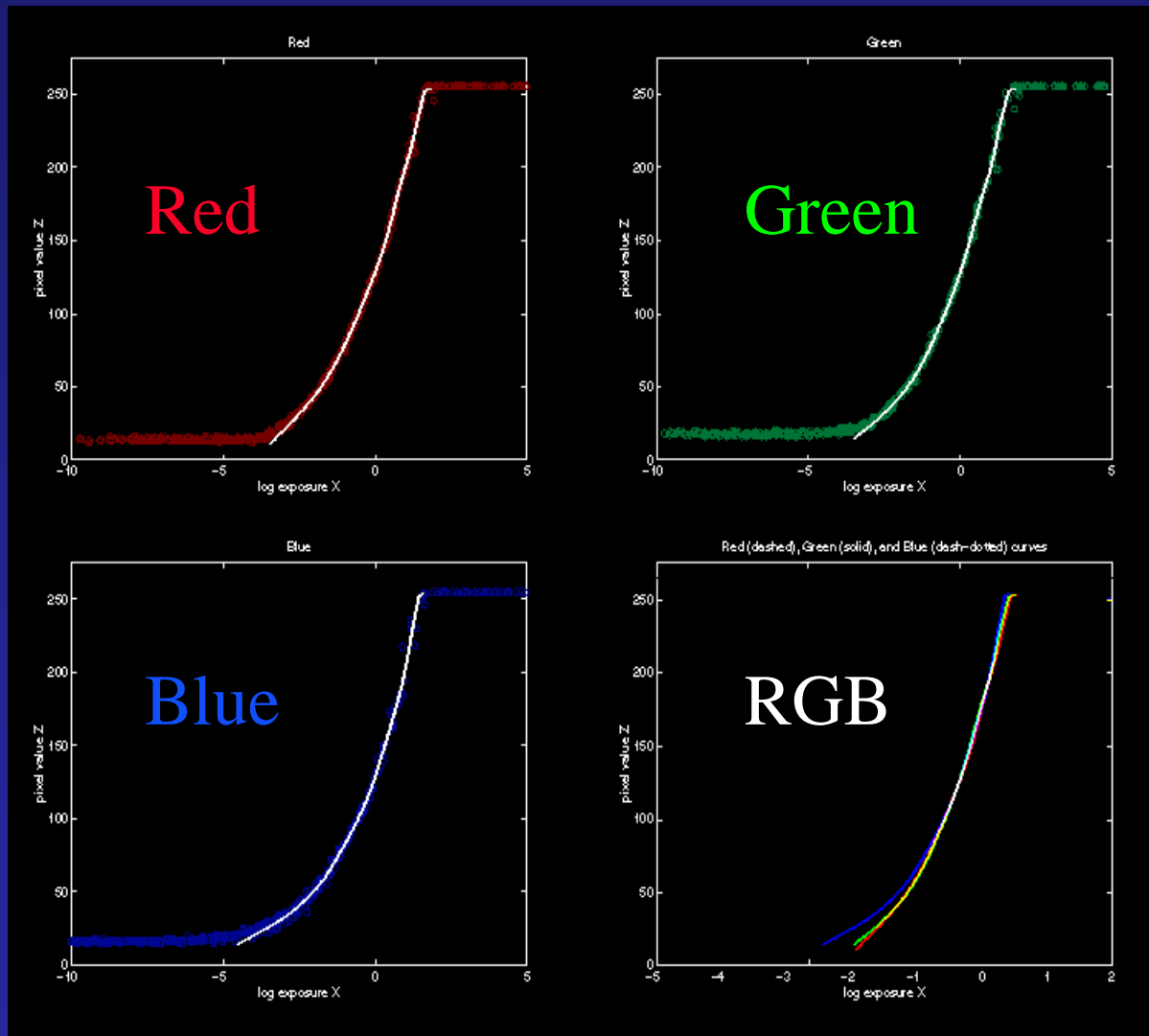


Results: Color Film

- Kodak Gold ASA 100, PhotoCD



Recovered Response Curves



The Radiance Map

W/sr/m²

121.741

28.869

6.846

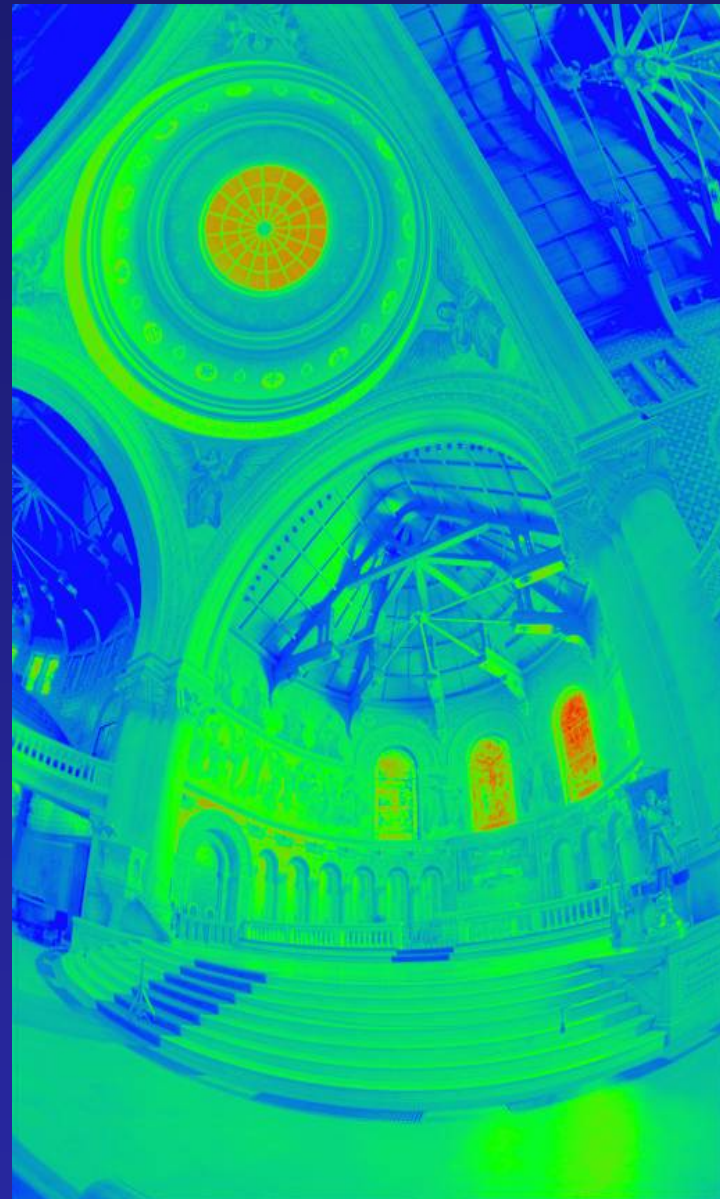
1.623

0.384

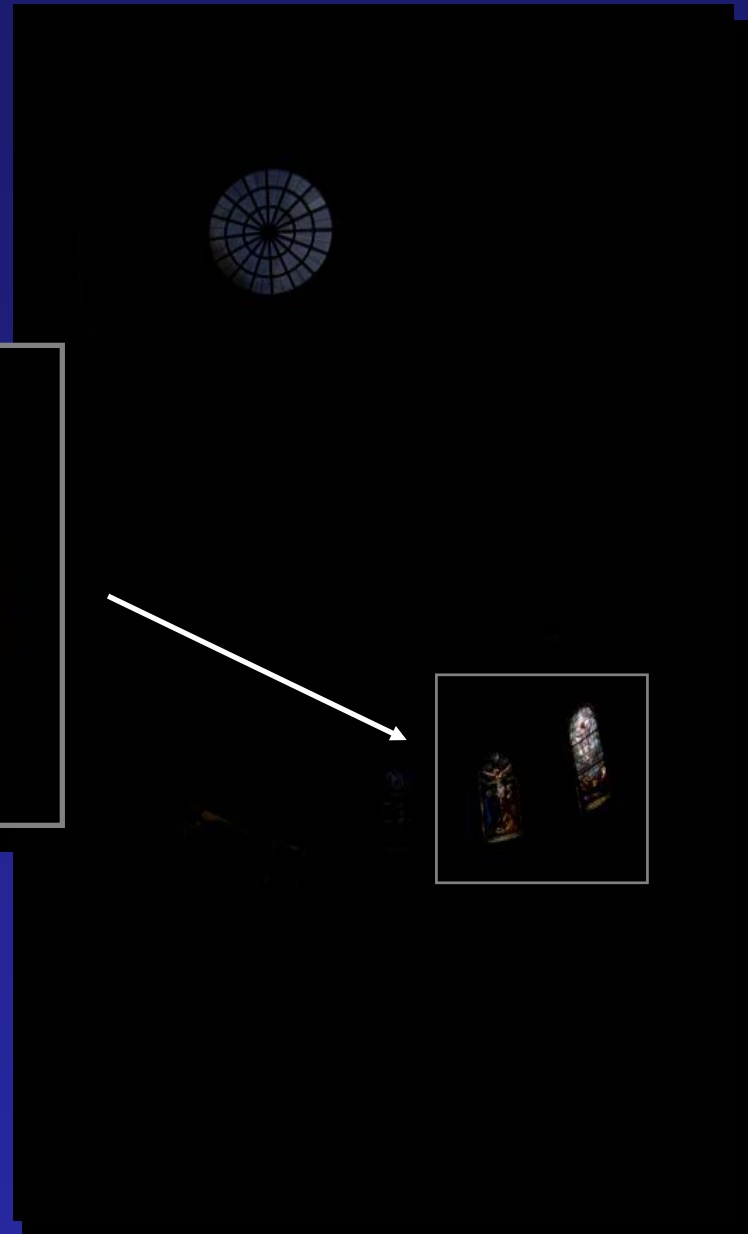
0.091

0.021

0.005



The Radiance Map



Linearly scaled to
display device

Now
What?

W/sr/m²

121.741

28.869

6.846

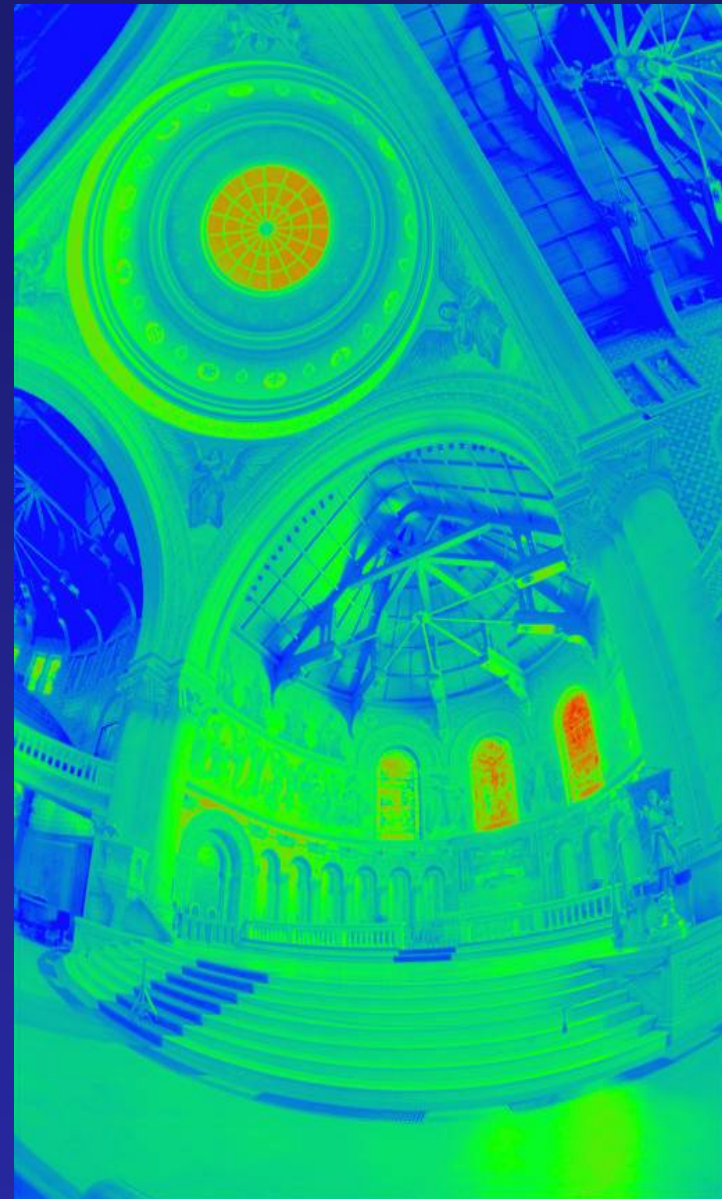
1.623

0.384

0.091

0.021

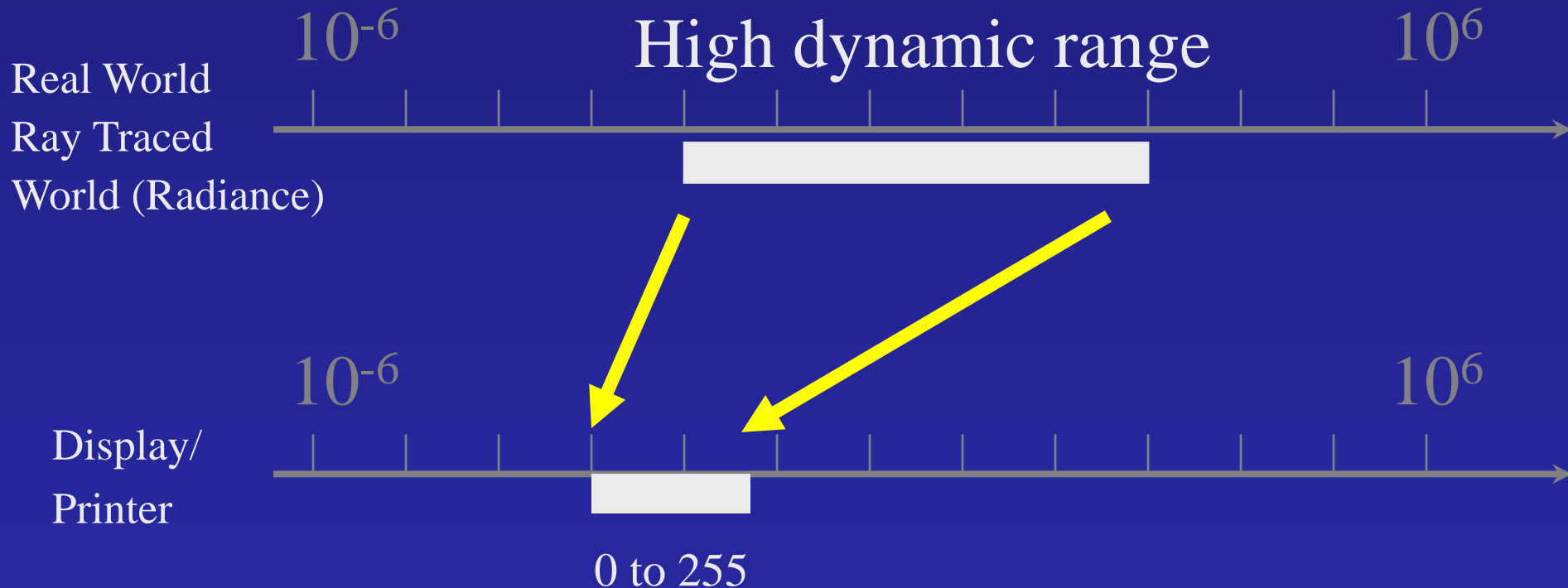
0.005



Tone Mapping

- How can we do this?

Linear scaling?, thresholding? Suggestions?

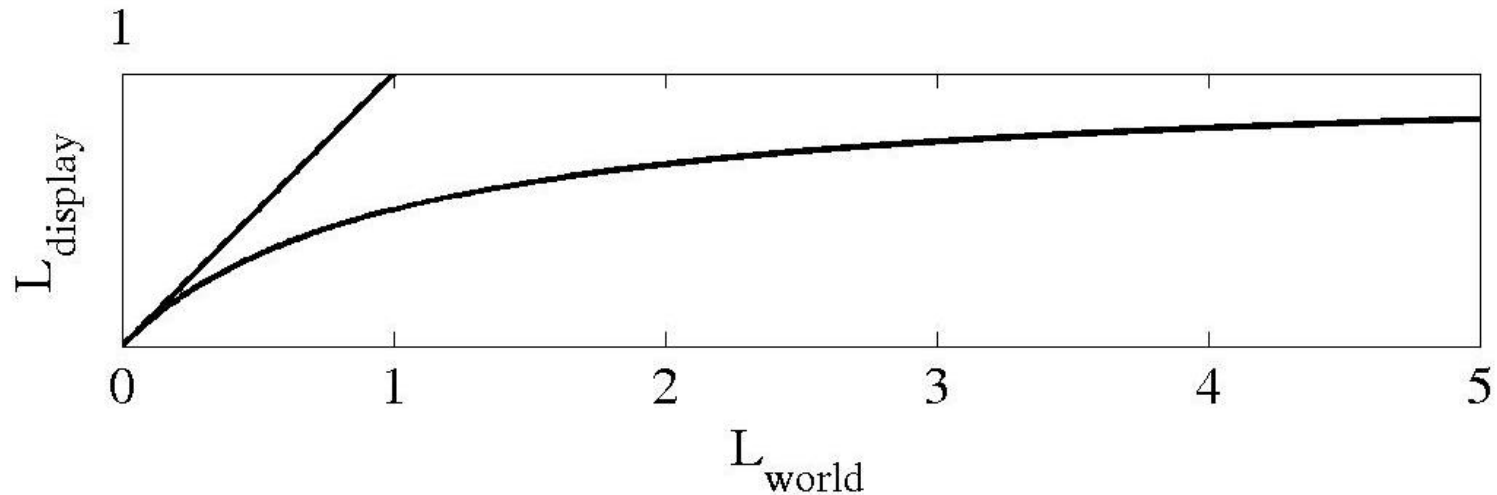


Simple Global Operator

- Compression curve needs to
 - Bring everything within range
 - Leave dark areas alone
- In other words
 - Asymptote at 255
 - Derivative of 1 at 0

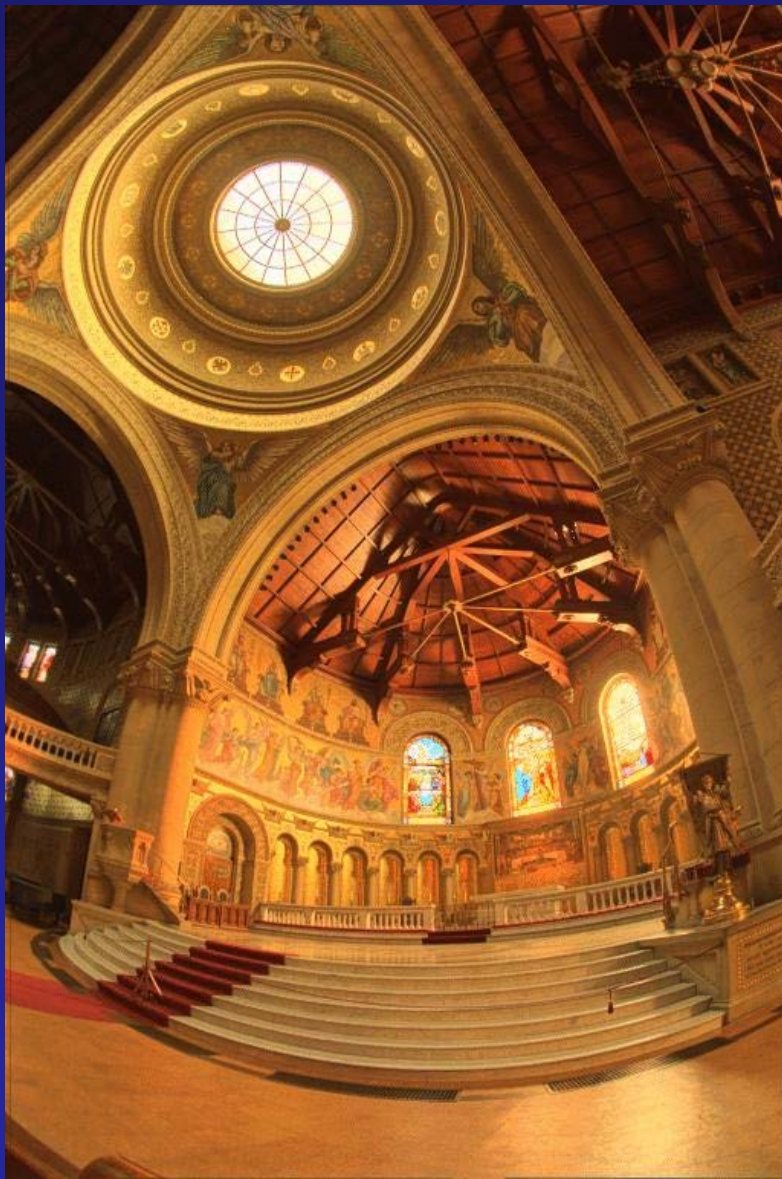
Global Operator (Reinhart et al)

$$L_{display} = \frac{L_{world}}{1 + L_{world}}$$

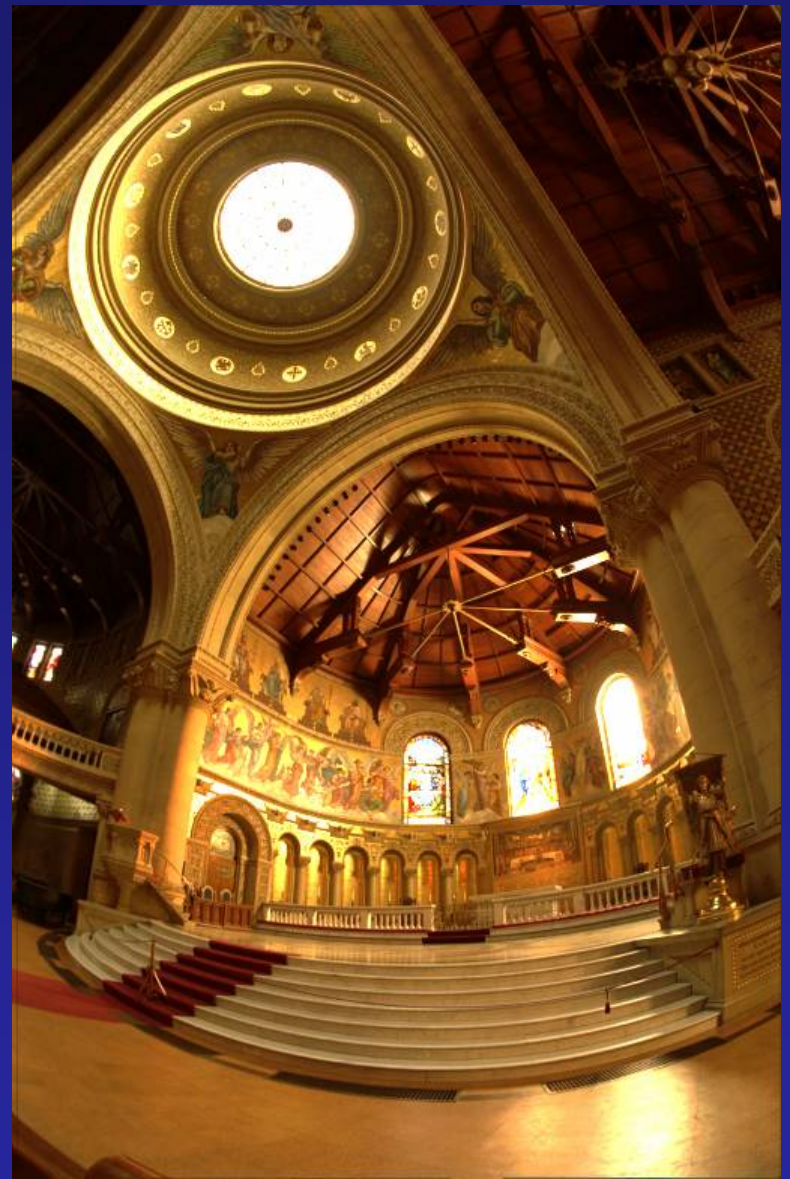


Global Operator Results





Reinhart Operator

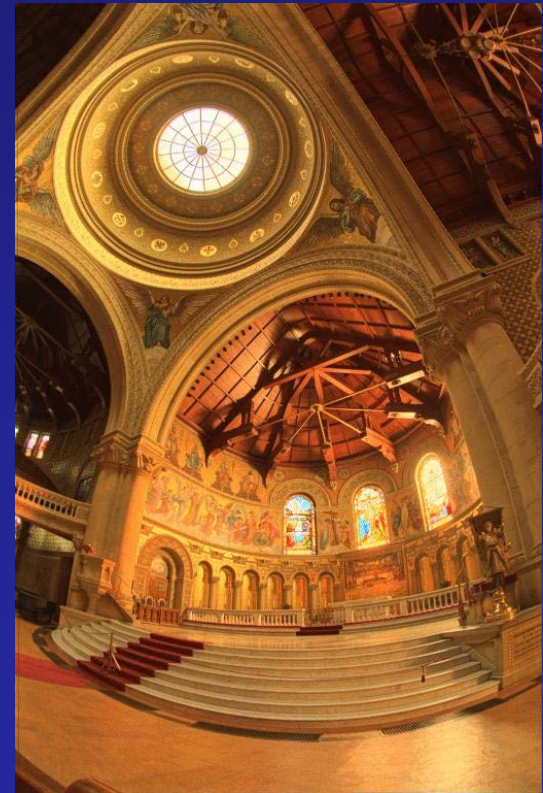


Darkest **0.1%** scaled
to display device

What do *we* see?



Vs.



What does the eye sees?

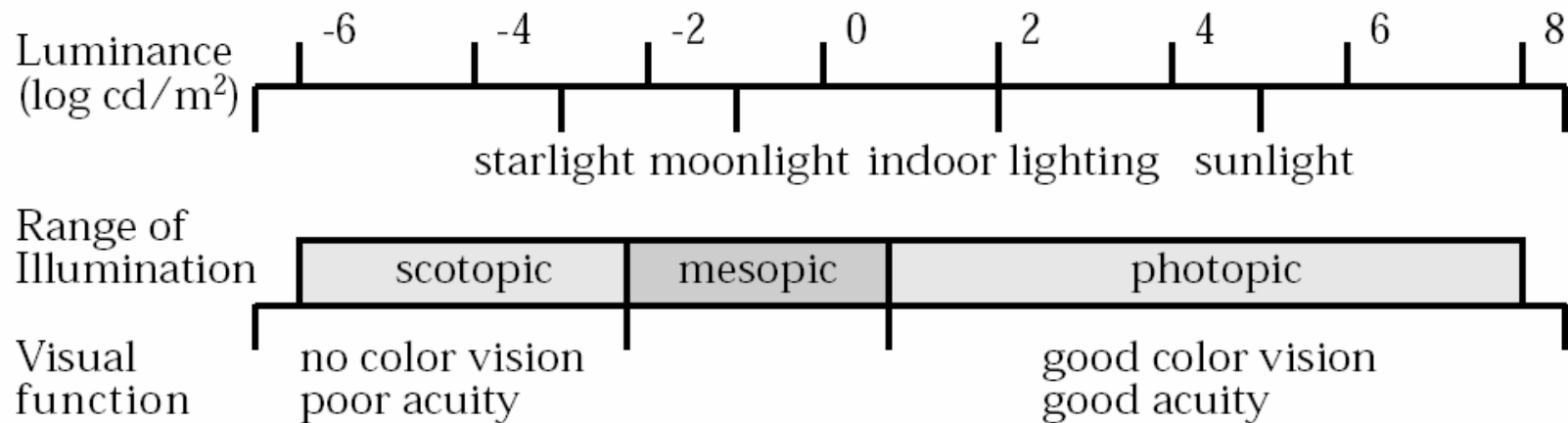
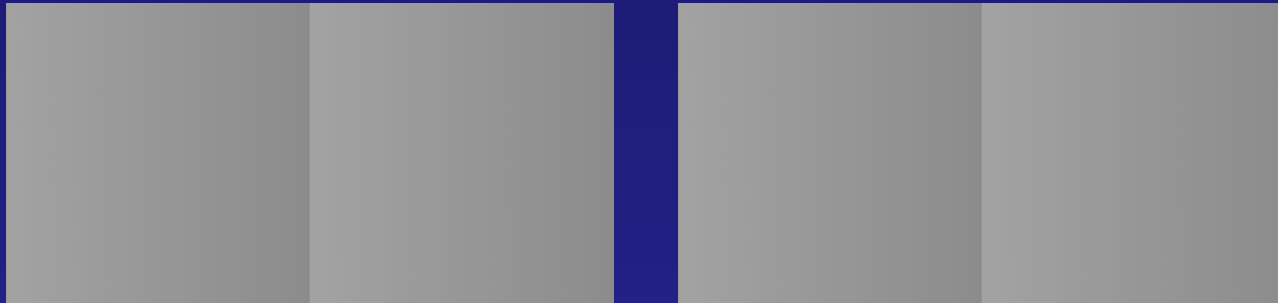


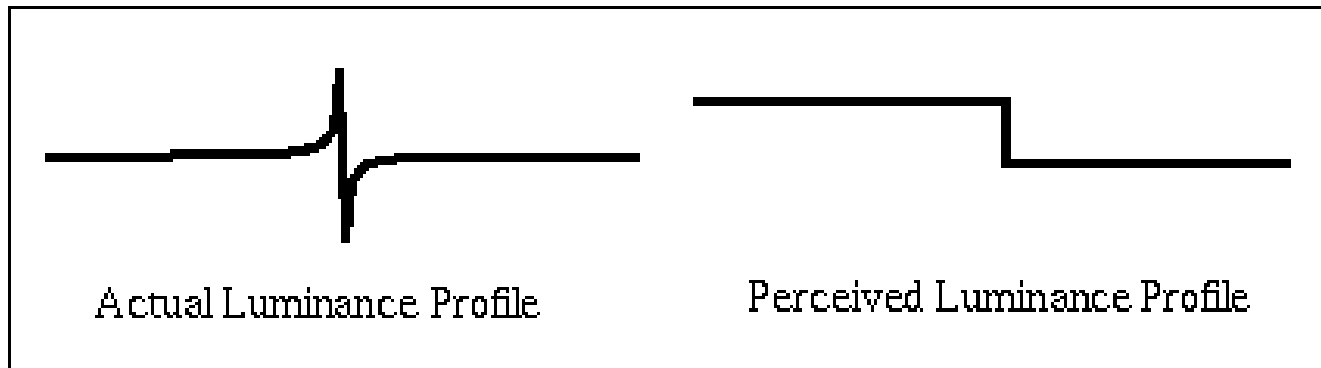
Figure 1: The range of luminances in the natural environment and associated visual parameters. After Hood (1986).

The eye has a huge dynamic range
Do we see a true radiance map?

Metamores



Craik-O'Brien Cornsweet Effect



Can we use this for range compression?

Compressing Dynamic Range

range

