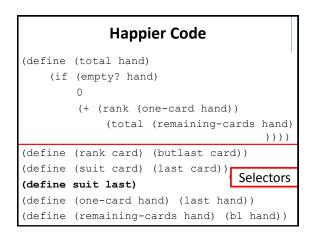
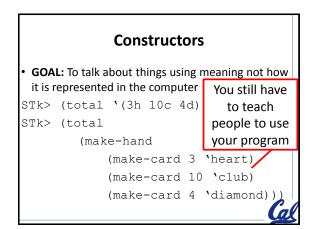
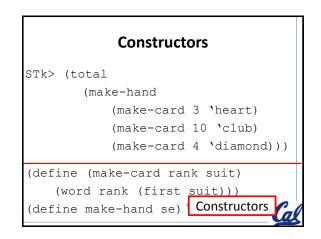


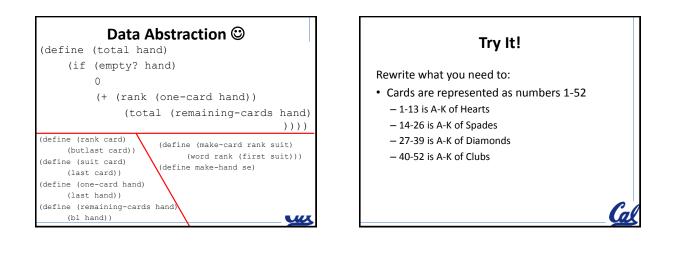
Very sad code				
(define (total hand)				
(if (empty? hand)				
0				
(+ (butlast (last hand))				
<pre>(total (butlast hand)))))</pre>				
STk> (total `(3h 10c 4🖍)				
17				
STk> (total `(3h ks 4d))				
;;;EEEK!				





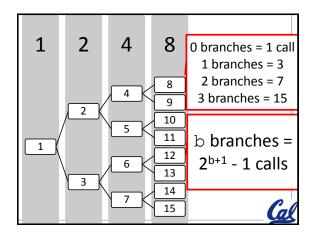


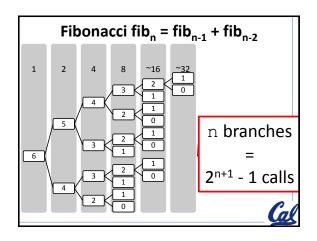


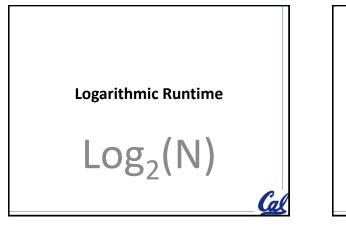


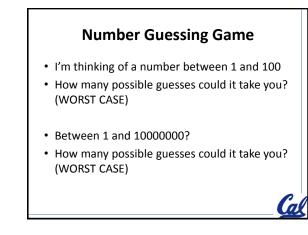


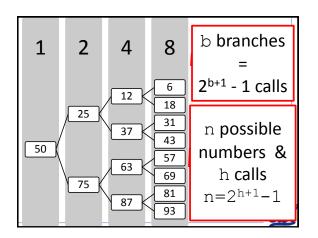


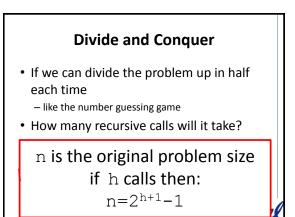


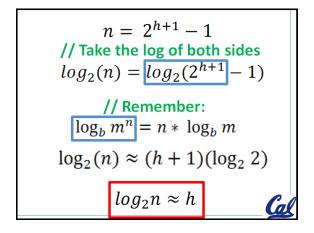


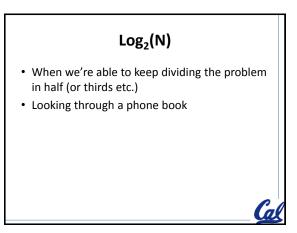






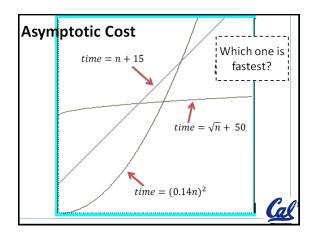


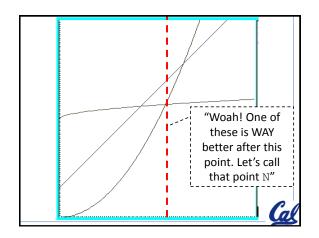




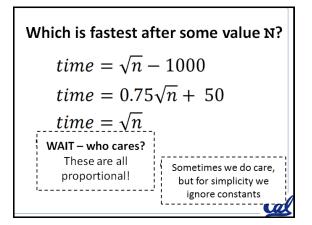


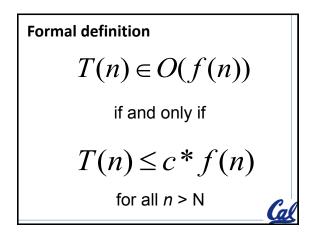
- We want to express the speed of an algorithm *independently* of a *specific implementation* on a *specific machine*.
- We examine the cost of the algorithms for large input sets i.e. *the asymptotic cost*.
- In later classes (CS70/CS170) you'll do this in more detail





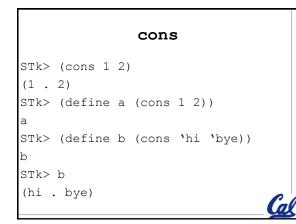
Important Big-Oh Sets			
	Function	Common Name	
Subset of	O(1)	Constant	
	O(log n)	Logarithmic	
	O(log ² n)	Log-squared	
	$O(\sqrt{n})$	Root-n	
	<i>O(n)</i>	Linear	
	O(n log n)	n log n	
	O(n ²)	Quadratic	
	O(n ³)	Cubic	
	O(n ⁴)	Quartic	
	O(2 ⁿ)	Exponential	
↓	<i>O(eⁿ)</i>	Bigger exponential	



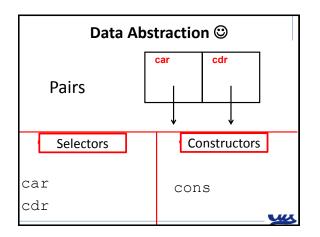


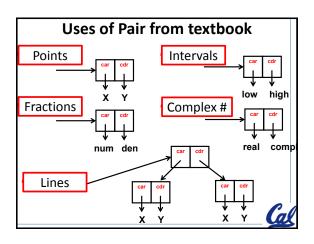
Simplifying stuff is important $f(n) \in O(5n^3 + 10n^2 + 1000n)$ $T(n) \in O(n^3)$

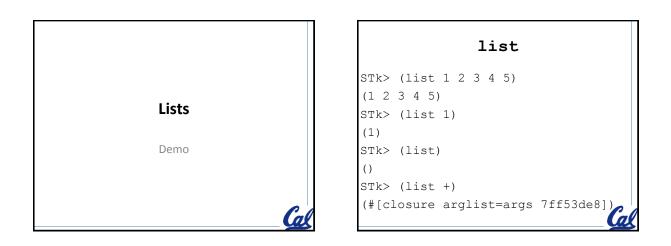


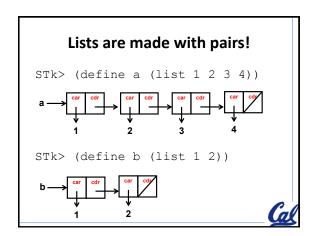


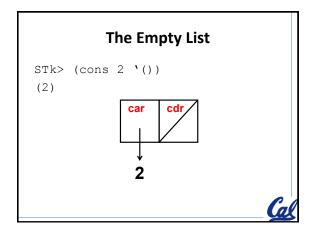
		car / cdr
STk>	(car	a)
1		
STk>	(cdr	a)
2		
STk>	(car	b)
hi		
STk>	(cdr	b)
bye		
		(al

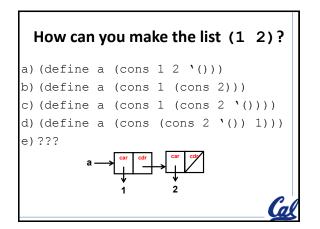


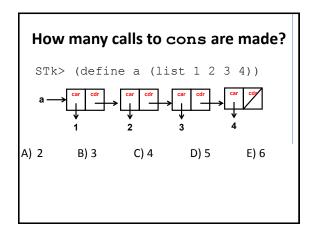


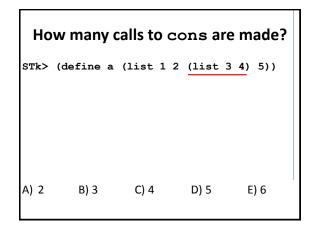




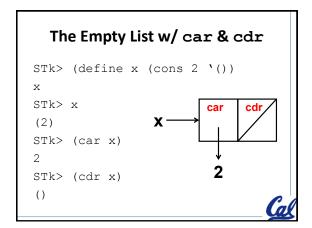


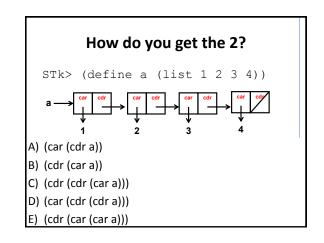


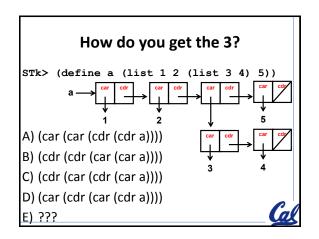


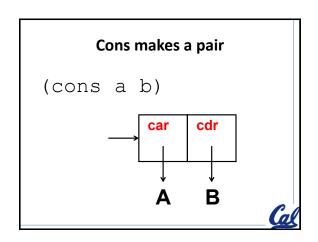


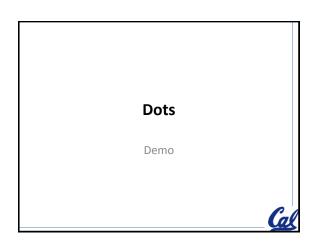


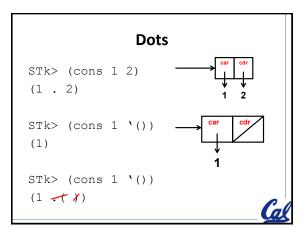


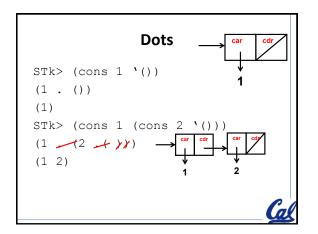












CONSTRUCTOR SOLUTION (define (make-card rank suit) (cond ((equal? suit 'heart) rank) ((equal? suit 'spade) (+ rank 13)) ((equal? suit 'diamond) (+ rank 26)) ((equal? suit 'club) (+ rank 39)) (else (error "say what?"))))

