

CS61A Notes – Week 8: Environments (solutions)

The Attack of the Environmentalists

QUESTIONS: Draw environment diagrams for the following:

Your best friend here is going to be `envdraw`. SSH into your account @ star, and then type `envdraw` at the shell. A special version of STk will run. Start typing away, and it'll draw the environment diagram for you!

Assigning Things to Things and Stuff (and other things)

QUESTIONS

1. Personally – and don't let this leave the room – I think `set!` is useless. I mean, why do `set!`, when we can always just redefine a variable using a `define` statement? Instead of doing `(set! x 3)`, why don't we just do `(define x 3)` again? I propose the following alternative implementation of `counter`, similar to the one in class:

The Old Way

```
(define count
  (let ((current 0))
    (lambda ()
      (set! current (+ 1 current))
      current)))

(count) ==> 1
(count) ==> 2
```

Hamilton's Brilliant New Way

```
(define count
  (let ((current 0))
    (lambda ()
      (define current
        (+ current 1))
      current)))
```

How dumb am I? What happens when I use my brilliant new implementation?

My "brilliant" implementation will always return 1. This is because, every time `(count)` is called, I redefine `current` to be `(+ current 1)`, but I don't remember that for the next call. That is, after I exit out of the procedure call, the new binding for `current` is lost.

2. Consider these definitions:

```
(define x 3)
(define (z) (set! x 5) x)
```

What would `(list (z) x)` return?

Depends! If we evaluate left to right, then it returns `(5 5)`. If we evaluate right to left, it returns `(5 3)`. Now do you believe me when I say imperative programming is more dangerous!

3. Define a procedure `fib` so that, every time it is called, it returns the next Fibonacci number, starting from 1:

```
(fib) => 1; (fib) => 2; (fib) => 3; (fib) => 5; (fib) => 8, etc.
```

```
(define fib
  (let ((a 0) (b 1))
    (lambda ()
      (let ((old-a a))
        (set! a b)
        (set! b (+ a old-a))
        b))))
```

4. (SICP ex. 3.8) Keeping number 2 in mind, define a procedure f so that, given the procedure call $(+ (f\ 0) (f\ 1))$ If STk evaluates from left to right, it returns 0, and if STk evaluates from right to left, it returns 1.

```
(define f
  (let ((first-call #t))
    (lambda (x)
      (cond (first-call (set! first-call #f) x)
            (else 0)))))
```