

Administrivia

- People on the waitlist?
- Midterm stuff
 - Look under Exams link on the EECS 40 homepage
- HW #2 deadline is extended till Friday, July 11th, 12:10 pm.
- HW #3 is up. Due next Wednesday July 16th (before midterm).

Last Time...

- Operational Amplifiers
- Do you have questions on op-amps?

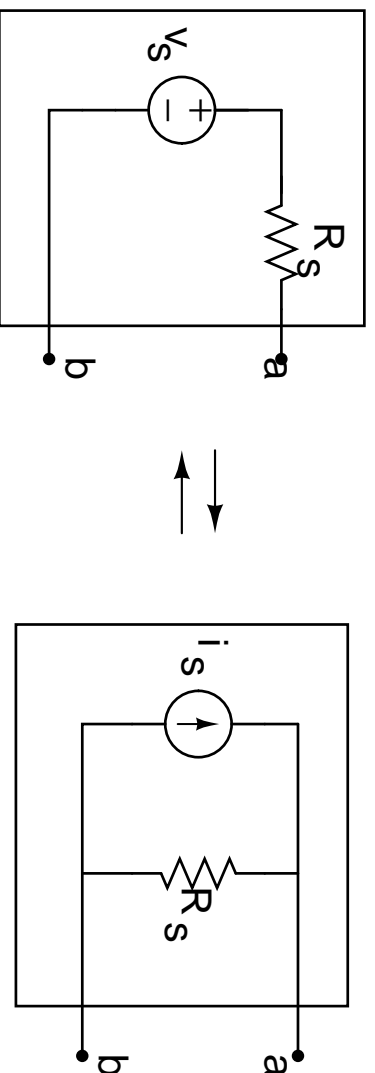
This Time...

- Source transformations
- Maximum power transfer theorem
- Review of circuit analysis

Source transformations

- Another circuit reduction technique - makes life easier if applied quickly and correctly.
- Like the name implies - we can transform a voltage source in series with a resistance to a current source in parallel with a resistance (and vice-versa)

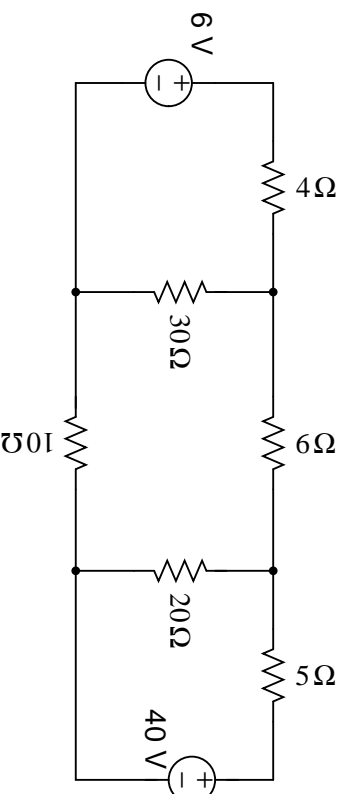
Source transformations - Theory



- We need to find a relationship between i_s and V_s so the two configurations above are equal.
- By “equal” I mean - a load resistor R_L connected across ab experiences the same current flow in both configurations (and hence the same voltage drop in both configurations).
- Note the sign of V_s and the direction of i_s .

Source transformations - example 1

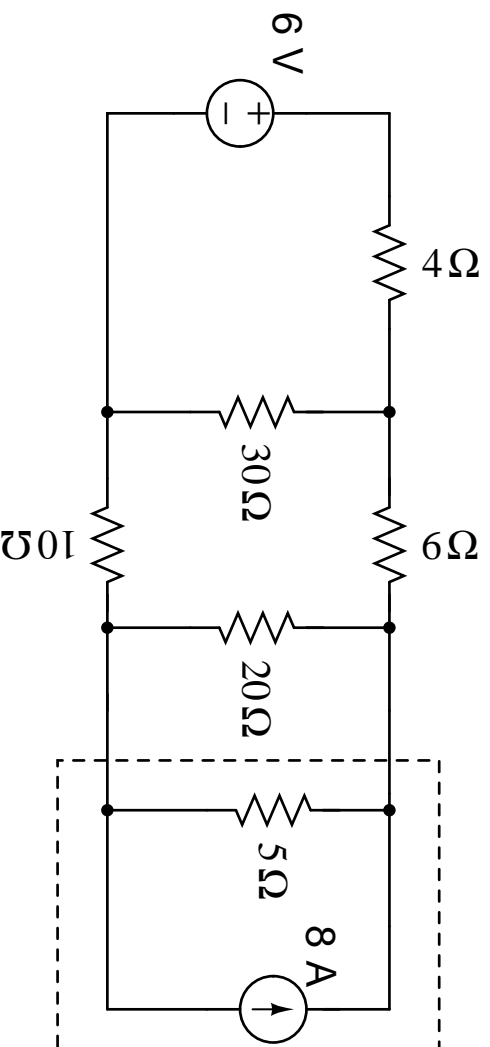
- (Ex. 4.8) Find the power associated with the 6 V source in figure below.



- We can solve this circuit using nodal analysis or thevenin's theorem. If you were to use nodal analysis, you have two unknown nodes. Plus, finding V_{OC} for thevenin's theorem requires a little work. So, lets use source transforms.

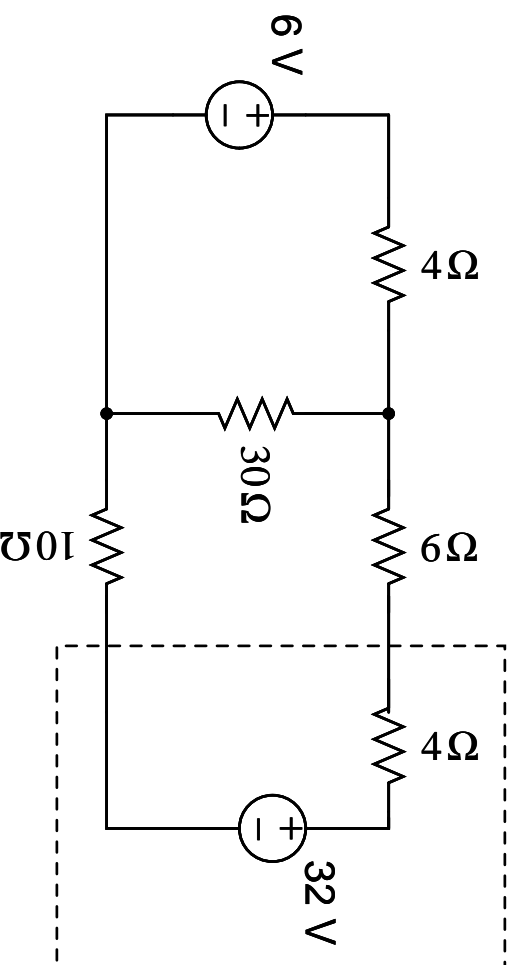
Source transformations - example 1

- Step 1. The dotted box shows the result of a source transform. In this case, I have transformed the 40 V source in series with the $5\ \Omega$ to an 8 A current source in parallel with the $5\ \Omega$.



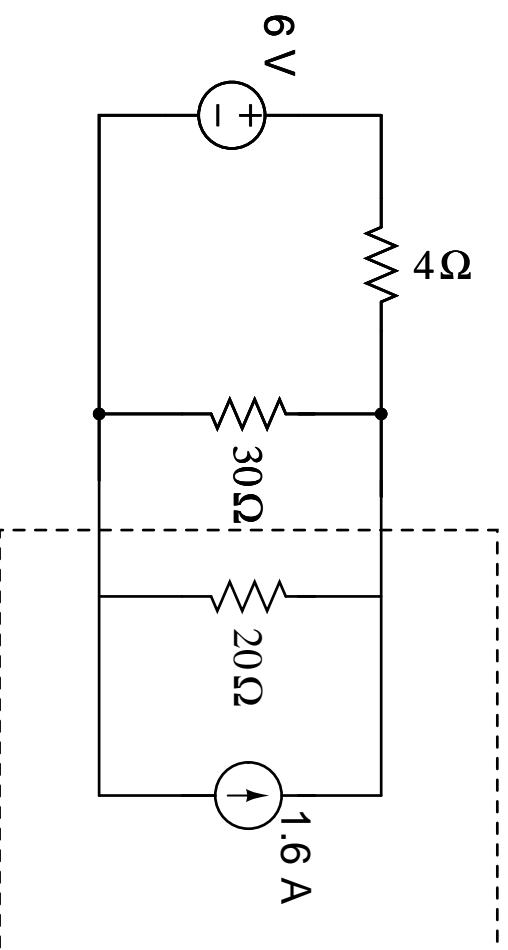
Source transformations - example 1

- Step 2. I was able to combine the $5\ \Omega$ and the $20\ \Omega$ resistor in parallel to give $4\ \Omega$ because of the source transform. Then, I converted the $8\ \text{A}$ current source in parallel with the $4\ \Omega$ to a $32\ \text{V}$ source in series with the $4\ \Omega$.



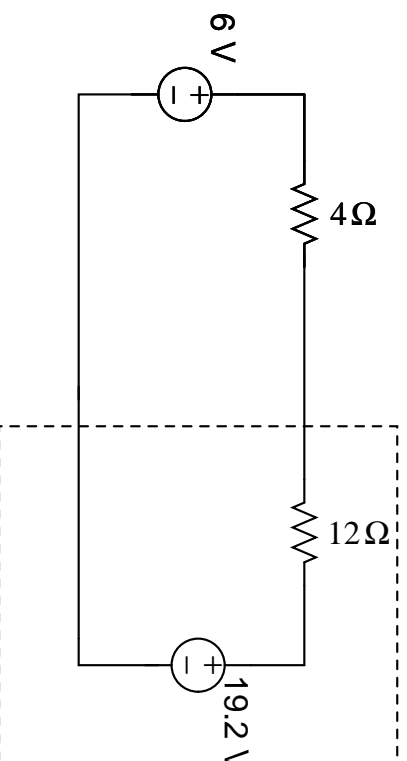
Source transformations - example 1

- Step 3 Now, combine the $6\ \Omega$, $4\ \Omega$ and the $10\ \Omega$ in series to give $20\ \Omega$. Convert the $20\ \Omega$ in series with the voltage source to a $1.6\ \text{A}$ current source in parallel with the $20\ \Omega$.



Source transformations - example 1

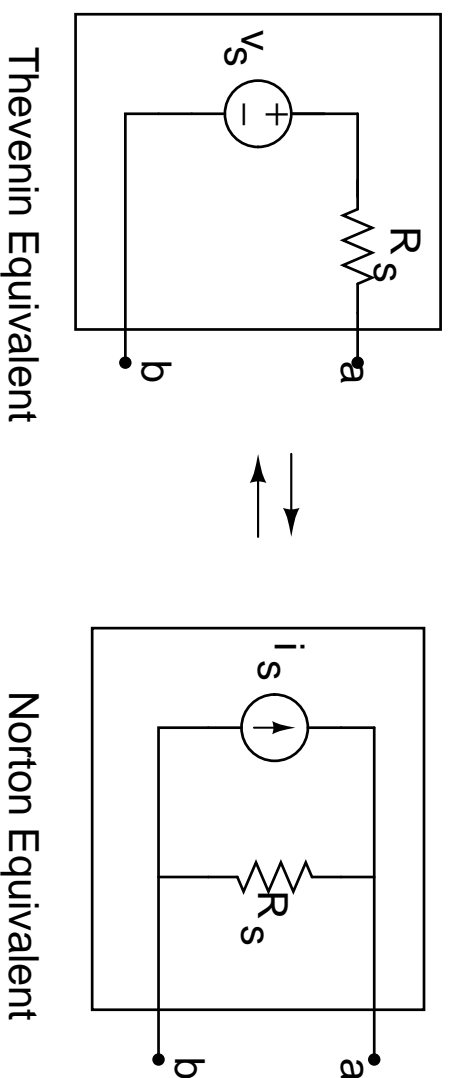
- Step 4 Combine the $20\ \Omega$ and $30\ \Omega$ in parallel to give $12\ \Omega$. Convert the $12\ \Omega$ resistance in parallel with the $1.6\ \text{A}$ current source to a $12\ \Omega$ resistance in series with a $19.2\ \text{V}$ voltage source.



- Now, it is straightforward to find the power dissipated by the $6\ \text{V}$ source. We can see from the figure above that the $19.2\ \text{V}$ source is going to charge the $6\ \text{V}$ source. The current is going to be $\frac{19.2 - 6\text{ V}}{16\ \Omega} = 0.825\ \text{Amps}$. Hence, the power absorbed by the $6\ \text{V}$ source is $6 \times 0.825\ \text{W} = 4.95\ \text{Watts}$

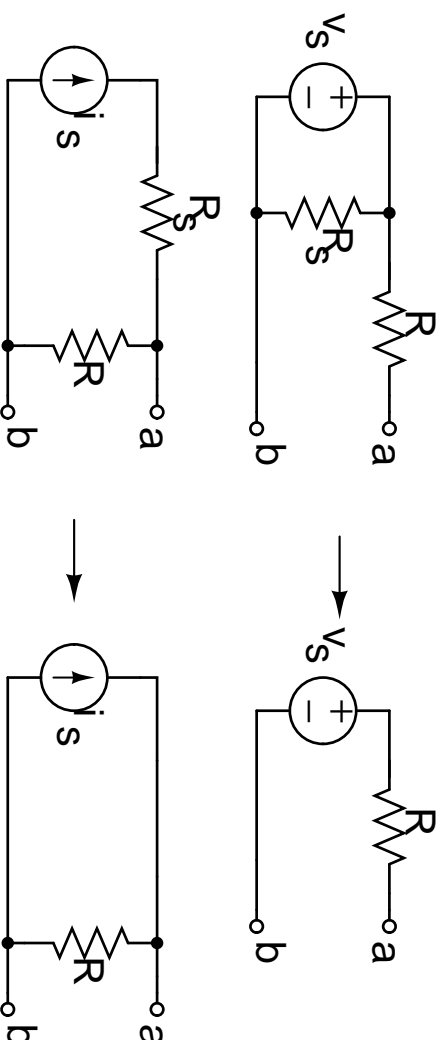
Source transformations - tips

- Concept of a Norton equivalent:



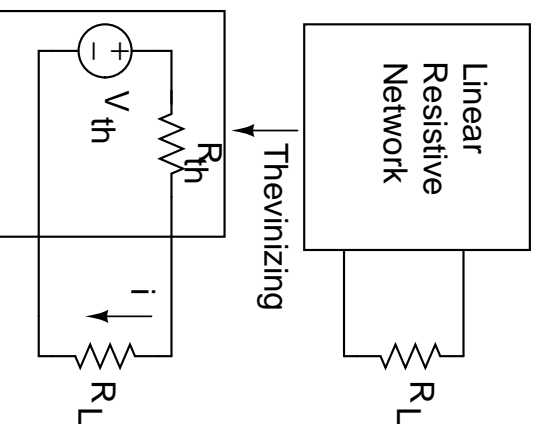
Source transformations - tips

- Other equivalent circuits:



Maximum power transfer theorem

- Concept:



- Question: What value of R_L maximizes the power delivered to R_L ?
- Application: “Matching” of components in audio system. For example, if the output impedance of an amplifier is 8Ω , it should be used with an 8Ω loudspeaker to achieve maximum power output.

Maximum power transfer theorem

- Result: Maximum power is dissipated in R_L when $R_L = R_{th}$
 - Proof: First, the expression for power dissipated in R_L :

$$P(R_L) = i^2 R_L = \left(\frac{V_{th}}{R_{th} + R_L} \right)^2 R_L$$

- Differentiate P with respect to R_L , set it equal to zero (V_{th} and R_{th} are given, R_L is the variable).

Review of circuit analysis

- Circuit Analysis Technique: NODAL ANALYSIS. Steps:
 - Select a reference node
 - Label the unknown node voltages
 - Write KCL at each unknown node
 - Use device IV characteristics to rewrite unknown currents in terms of unknown node voltages
 - If you have dependent sources, you need constraint equations.
 - Sometimes a supernode might be useful.
- Circuit Simplification Technique(s):
 - Combining resistors in parallel and series.
 - Voltage and current divider

Review of circuit analysis

- Circuit Simplification Technique(s):
 - Thevenin's theorem
 - Source transformations
 - Norton's theorem
- Applications:
 - RC circuits
 - Op amps
 - Maximum power transfer theorem

Summary

- Official circuit analysis part of the course is over!
- Wrapped up with source transformations and maximum power transfer theorem.

In Conclusion...

- Next time:
 - Guest lecturer: Prof. Tsu-Jae King.
 - Homepage: <http://www.eecs.berkeley.edu/~tking>
 - Please skim through chapter 5 in reader.
 - After guest lecture, I will review HW #2.
- REMEMBER CHECK FOR CALBOT KIT - I will talk about Calbot on Monday.
- Questions?