

## Authentication and Key Distribution

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## Review

- Hash functions
  - Different cryptographic properties
- MAC functions
- Digital signatures

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## Obtaining Public Key

- Public-key encryption and digital signature both require knowing the mapping: (name, pub\_key)
  - Why?
- How do we obtain this mapping securely?

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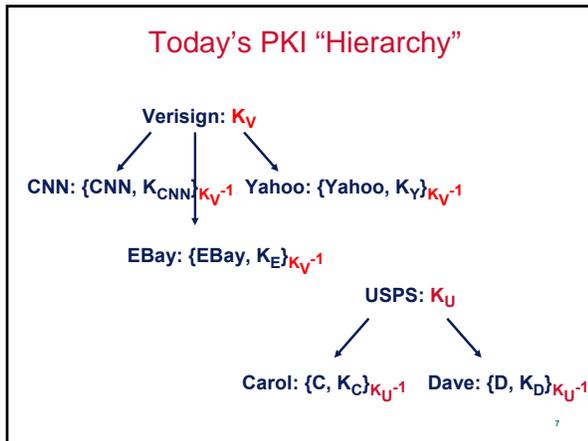
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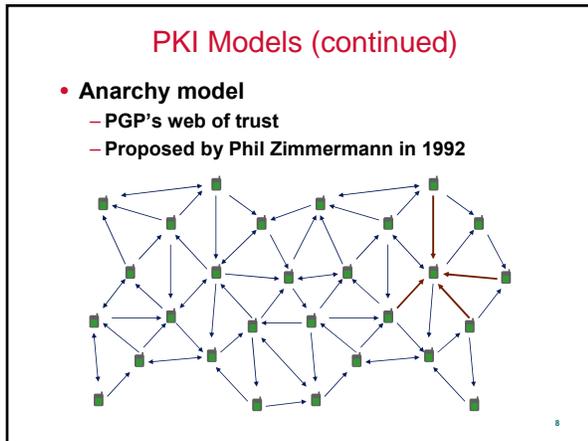
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### Authentication and Key Establishment Protocols

- **Client C and Server S want to securely communicate with each other**
  - Each knows the other's public key
  - How?
- **Public-key encryption is much more expensive than symmetric-key encryption**
  - Establish session key: shared secret for the session
  - How?

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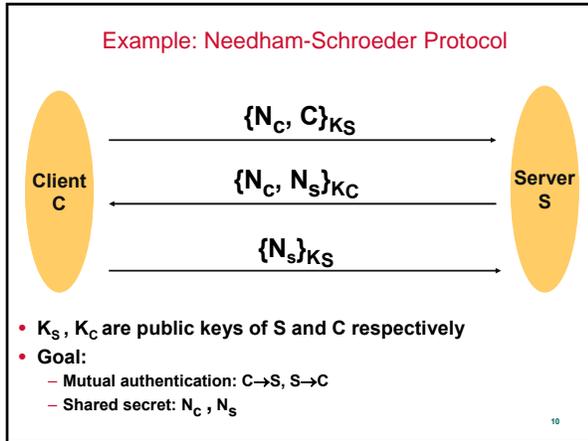
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What May Go Wrong?

- Desired security property
  - Confidentiality
  - Integrity
  - Authenticity

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Protocol Analysis

- Analyze high level security properties
  - Secrecy
  - Authentication
  - Atomicity
  - Non-repudiation
- Assume cryptographic primitives secure
  - Signature: secure against existential forgery
  - Public key/Private key encryption: secure against adaptive chosen-ciphertext attack
- Security protocols are notoriously hard to get right

12

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## Active Attacker

- An active attacker may
  - Eavesdrop on previous protocol runs, even on protocol runs by other principals, replay messages at a later time
  - Inject messages into the network, e.g., fabricated from pieces of previous messages
  - Alter or delete a principal's messages
  - Initiate multiple parallel protocol sessions
  - Run dictionary attack on passwords
  - Run exhaustive attack on low-entropy nonce

13

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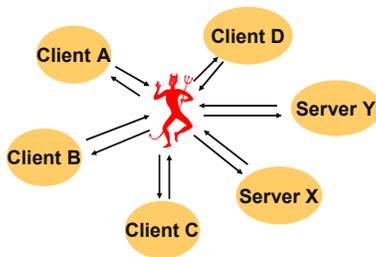
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## Intruder Model

Intruder can

- Intercept, drop, generate messages, full control of network
- Collude with malicious parties



14

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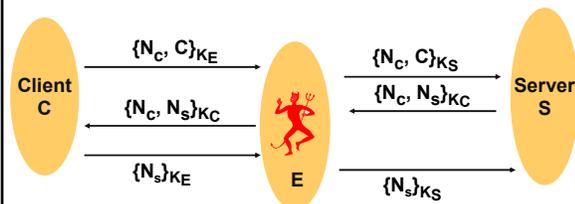
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## Flaw in Needham-Schroeder



Flaw (discovered 18 years after publication):

- Authentication:  $C \rightarrow E, S \rightarrow C$
- Secrecy: E knows  $N_C, N_S$
- How to fix it?
  - The second message should be  $\{S, N_C, N_S\}_{K_C}$

15

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## SSL / TLS

- **Goal: Perform secure e-commerce across Internet**
  - Secure bank transactions
  - Secure online purchases
  - Secure web login (e.g., Blackboard)
- **Security requirements**
  - Secrecy to prevent eavesdroppers to learn sensitive information
  - Entity and message authentication to prevent message alteration / injection

16

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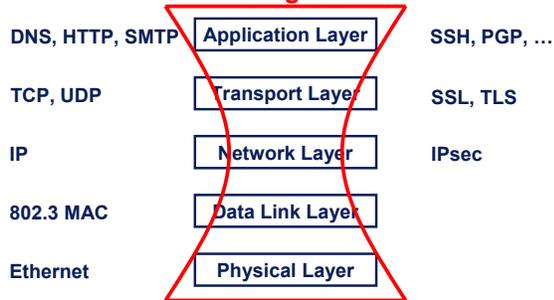
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## Position of Security in Protocol Stack

### Hourglass



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## SSL History

- **SSL: Secure Sockets Layer protocol**
- **SSL v1: Designed by Netscape, never deployed**
- **SSL v2: Deployed in Netscape Navigator 1.1 in 1995**
- **SSL v3: Substantial overhaul, fixing security flaws, publicly reviewed**
- **TLS: Transport Layer Security protocol**
- **TLS v1: IETF standard improving on v3**

18

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## 5-min Break

- Wait list
- In-class final, Dec 10

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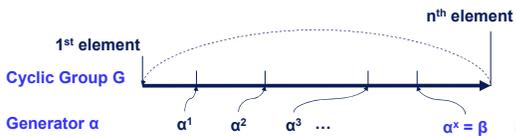
## Discrete Logarithm Problem

- Public values: large prime  $p$ , generator  $g$
- $g^a \bmod p = x$
- Discrete logarithm problem: given  $x$ ,  $g$ , and  $p$ , find  $a$
- Table  $g=2, p=11$

a	1	2	3	4	5	6	7	8	9	10
$g^a$	2	4	8	5	10	9	7	3	6	1

- Number field sieve is fastest algorithm known today to solve discrete logarithm problem

– Running time:  $O(e^{(1.923+\epsilon(1)/(\ln(p)))^{1/3}(\ln(\ln(p)))^{2/3}})$



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## CDH and DDH

- Computational Diffie Hellman (CDH) Assumption
  - Given large prime  $p$ , generator  $g$ ,  $x=g^a \bmod p$ ,  $y=g^b \bmod p$  it is difficult to compute  $g^{ab} \bmod p$ .
- Decisional Diffie Hellman (DDH) Assumption
  - Given large prime  $p$ , generator  $g$ ,  $x=g^a \bmod p$ ,  $y=g^b \bmod p$ ,  $z=g^r \bmod p$  it is difficult to determine whether  $z = g^{ab} \bmod p$ .

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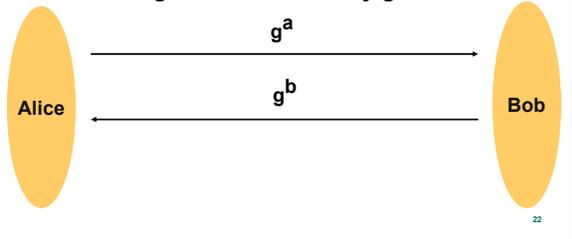
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## Diffie-Hellman Key Agreement

- Public values: large prime  $p$ , generator  $g$
- Alice picks secret random value  $a$
- Bob picks secret random value  $b$
- Protocol: generate shared key  $g^{ab}$



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