# CS 184 - Final Review Exercises 

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1. We wish to transform the unit sphere centered about the origin into an ellipsoid via the following tranformations:

- Scaling by 3 units along the z axis
- Rotation by 45 ( 0 ) about the x axis
- Translation by 5 units along the y axis
a What is the resulting 4 x 4 transformation matrix?
b What is the matrix that will correctly transform the sphere's normal vectors?

2. Consider a quadratic B-Spline with control points ( $-1,0$ ), ( 0,1 ), and ( $-1,0$ ).
a What are the endpoints of this curve?
b What are the midpoints of this curve?
3. Consider a cubic Bezier curve with control points ( $-2,0$ ), ( $-1,1$ ), ( 1,1 ), and ( 2,0 ). Suppose we subdivide this curve into two halves. What are the control points of the two resulting curves?
4. Consider a ray originating at ( $0,0,0$ ) and traveling in direction ( $1,1,0$ ). Suppose there is a sphere of radius 2 centered at ( $3,1,0$ ).
a Does the ray intersection the sphere? How can you tell?
b If it does intersect, how many intersection points are there?
5. We have an object that is a perfect diffuse reflector with albedo 0.5. It's sitting under isotropic lighting that varies according to $a \cos (\theta) \frac{W}{m^{2} s r}$ for some positive real number $a . \theta$, as usual, is the angle of elevation.
a What is the irradiance of the surface? Be sure to use correct units.
b What is the reflected radiance in the surface normal direction? Be sure to use correct units.
