

Roger Howe

# Course Overview

- EE 105 – new version
  - Prerequisite: EECS 40
  - *analog* integrated circuits + basic IC device models needed to design them
  - course incorporates a laboratory
- Related courses :
  - EE 130, 140, 141, 142

RE-EMAIL ...  
~~TELESEMS~~

THURSDAY 6:30-9:30



RTH

OH

485 CORY HALL  
howe@eecs

[ M 10:30-12  
Tues 10:30-12 ] x 3-7263

↑ 4 hrs. until  
PS is due.

DISC TAs

[ JONATHAN CHOY  
KEN DO ]

WEB PAGE

↓  
EE 105.

LAB TAs

[ BLAKE LIN  
MOHAN DUNGA ... ]

→ blakelin@icor.  
berkeley.edu.

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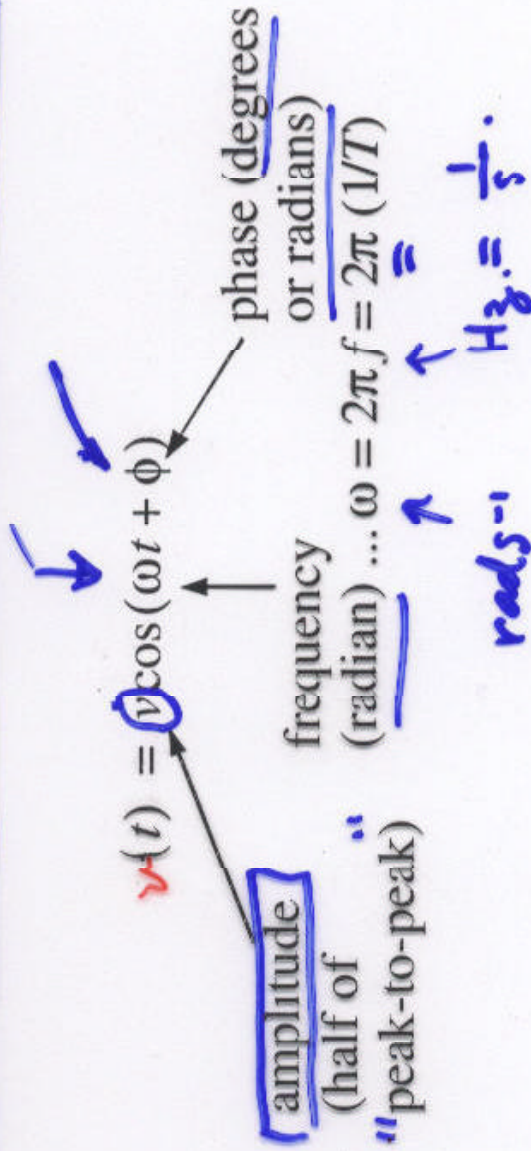
497 CORY HALL (BSAC OFFICE)

BRAM OR JESSICA.



EE105 HANDOUTS.

# Sinusoidal Function Review





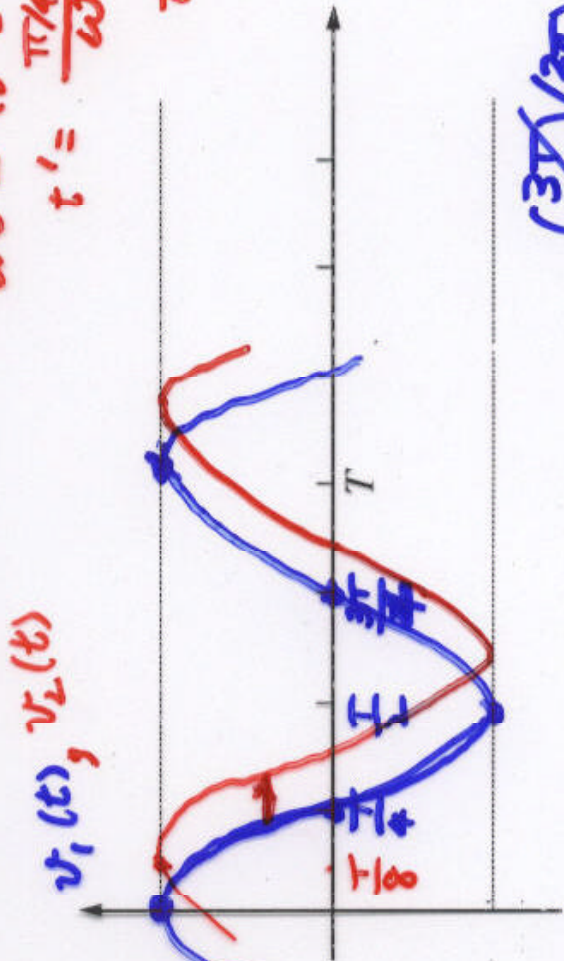
$45^\circ = \frac{\pi}{4}$

$\omega t' - 45^\circ = 0$

# Graphical Description

$v_1(t) = V \cos(\omega t)$   
 $v_2(t) = V \cos(\omega t - 45^\circ)$   
 $\omega = \frac{2\pi}{T}$

$\omega t' = 45^\circ = \frac{\pi}{4}$   
 $t' = \frac{\pi/4}{\omega} = \frac{\pi/4}{2\pi/T} = \frac{T}{8}$



$(\frac{3\pi}{4}) (\frac{2\pi}{T}) = \frac{3\pi}{2}$

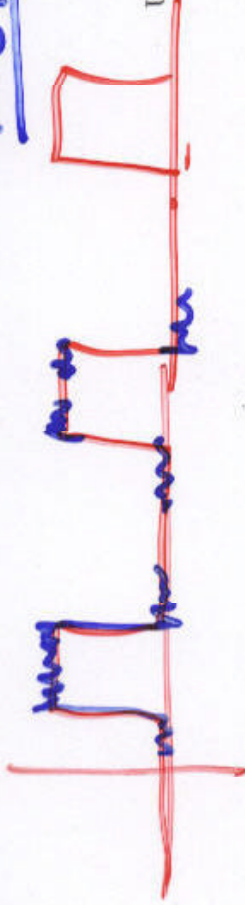
| t                | $\omega t$       | $\cos \omega t$ |
|------------------|------------------|-----------------|
| 0                | 0                | 1               |
| $\frac{\pi}{4}$  | $\frac{\pi}{2}$  | 0               |
| $\frac{\pi}{2}$  | $\pi$            | -1              |
| $\frac{3\pi}{4}$ | $\frac{3\pi}{2}$ | 0               |

$\omega = \frac{2\pi}{T}$   
 $(\frac{\pi}{4}) (\frac{2\pi}{T}) = \frac{\pi}{2}$   
 $(\frac{\pi}{2}) (\frac{2\pi}{T}) = \pi$

# Why are Sinusoids Important?

- Any periodic signal  $v(t)$  can be expressed as a sum of sinusoidal signals by a Fourier series expansion (EECS 20N, EE 120)
- The response of a linear circuit to a sinusoidal input, as a function of its frequency  $\omega$ , leads to insights into the behavior of the circuit.

— DESIGNER—



# Linear Circuits

- Theorem: solutions for voltages and currents in a linear circuit (i.e., one consisting of  $R$ ,  $L$ ,  $C$  and dependent sources  $G_m$ ,  $R_m$ ,  $A_v$ , and  $A_i$ ) with a sinusoidal signal as the input are:

OUTPUT: SINUSOIDS!
  
 MODIFIED AMPLITUDE
   
 SHIFTED PHASE