

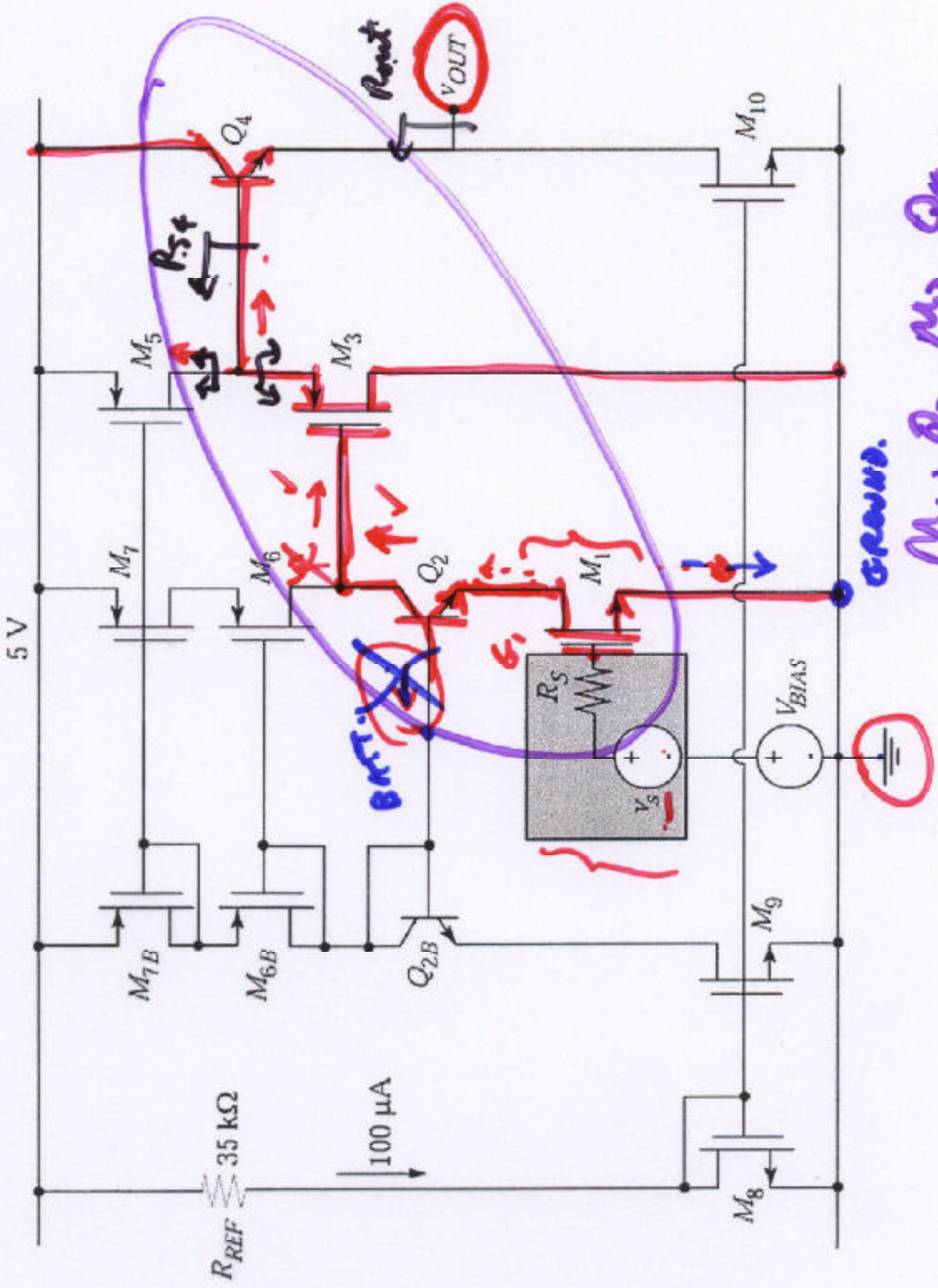
## Lecture 39

- Last time:
  - BiCMOS voltage amplifier: example of “dissection” technique for a complicated circuit
- Today :
  - Bias and output swing for BiCMOS voltage amp
  - Start open-circuit time constant analysis (back to Chapter 10)

→ LAST TOPIC.

TO DISSECTION/SIMPLIFICATION...  
R. J. Howe

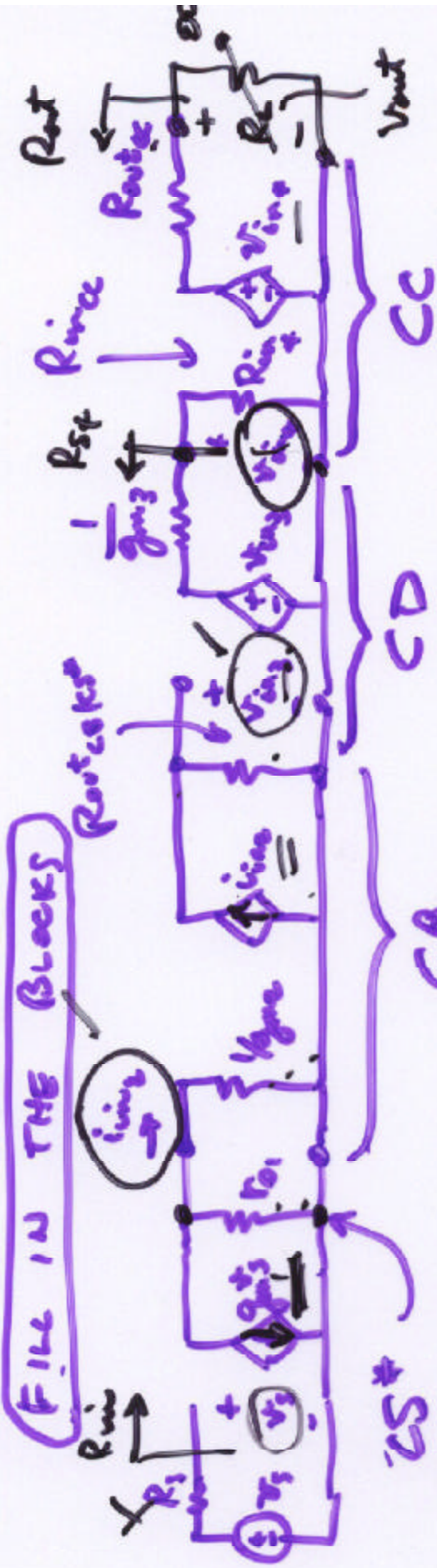
# Second Approach: Find "Signal Path"



GND.  
 $M_1, Q_2, M_3, Q_4 \dots$



**FILE IN THE BLOCKS**



no \$r\_{oe}\$  
(sharing sources)

VOLTAGE AMP

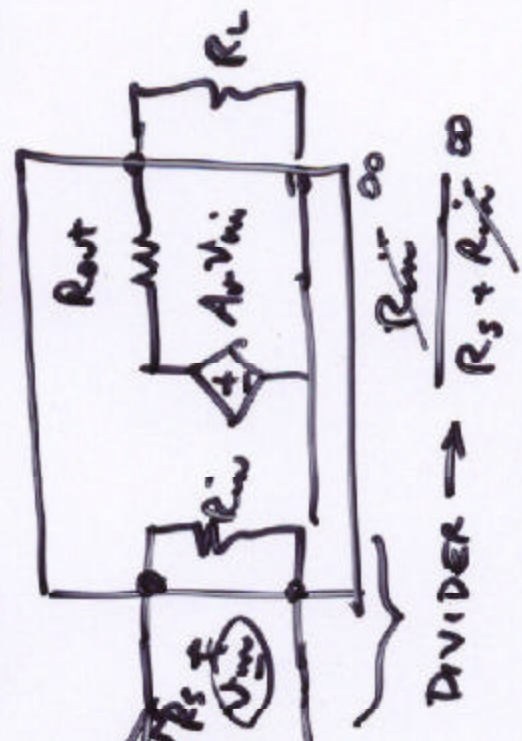
\$A\_v \uparrow\$

\$R\_{in} = \infty\$ GREAT ✓

\$R\_{out} = 0\$ ...

WANT

$$R_{out} = R_{out_{cc}} = \frac{1}{g_{m3}} + R_{S1} + R_{L4}$$



DIVIDER \$\rightarrow \frac{R\_{in}}{R\_S + R\_L} V\_{in}\$

OUTPUT DIVIDER \$\rightarrow\$

$$\frac{R_L}{R_L + R_{out}}$$

STEP 1  

$$i_{in2} = -g_{m1} v_3 \left[ \frac{v_{o1}}{r_{o1} + 1/g_{m2}} \right] \approx 1$$

STEP 2  

$$v_{in3} = i_{in2} \cdot \text{Root}_{CSF-co.} \leftarrow \text{HUGE!}$$

STEP 3  

$$v_{in4} = v_{in3} \left[ \frac{R_{in4}}{1/g_{m3} + R_{in4}} \right]$$

$R_{in4} = R_{in3} \parallel 1/g_{m3} \text{ source}$

STEP 4  

$$\frac{v_{out}}{v_{in}} \Big|_{R_2=0} \approx -g_{m1} \text{Root}_{CSF-co.}$$

$R_2 = \infty \uparrow$  HUGE

FINDING

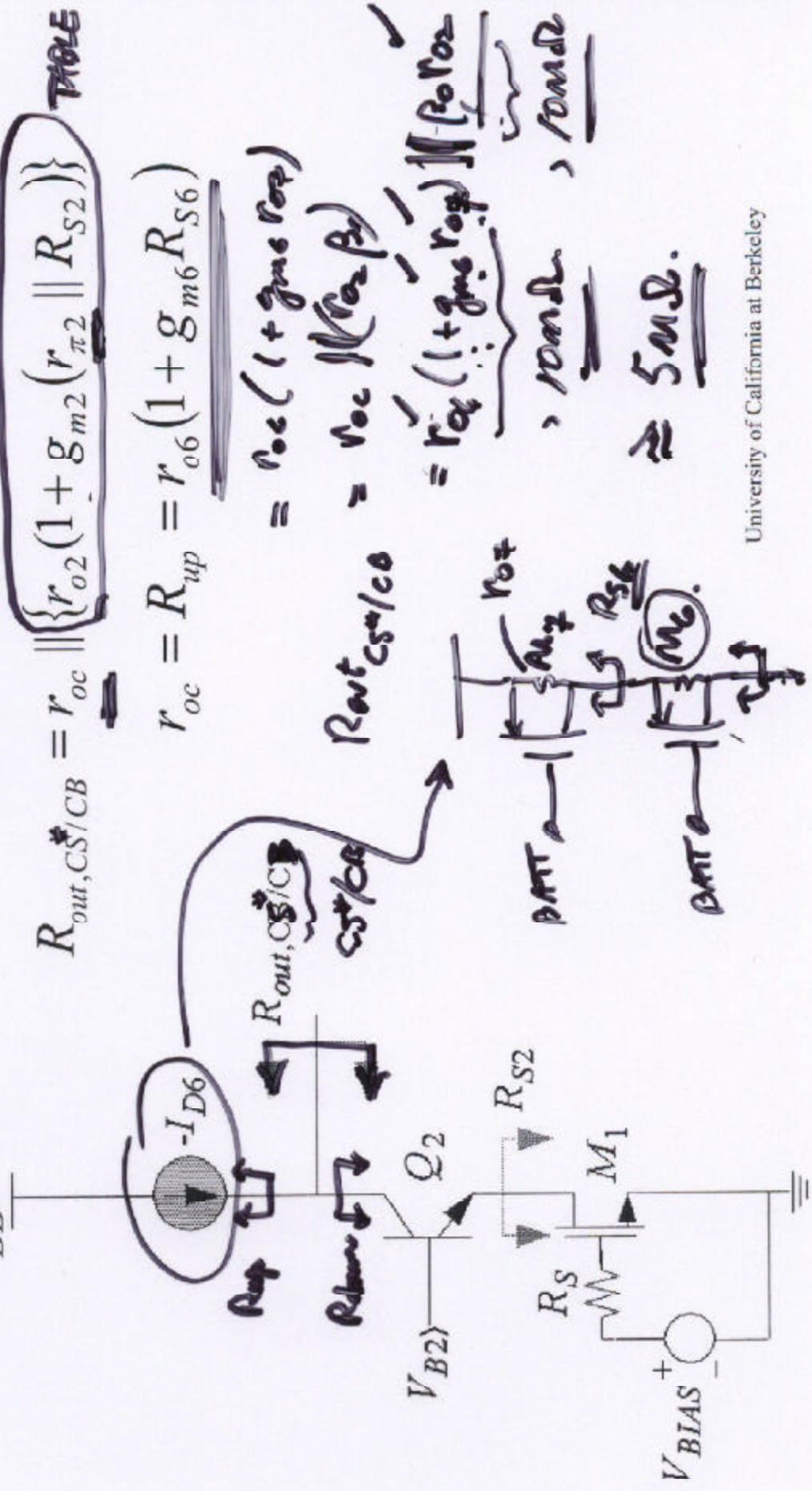


# Find Key Two-Port Parameters

NOT A C.G.!

Output resistance of cascode:  $r_{oc} = R_{up} = r_{o2}(1 + g_{m2}(r_{\pi 2} \parallel R_{S2}))$  **TABLE**

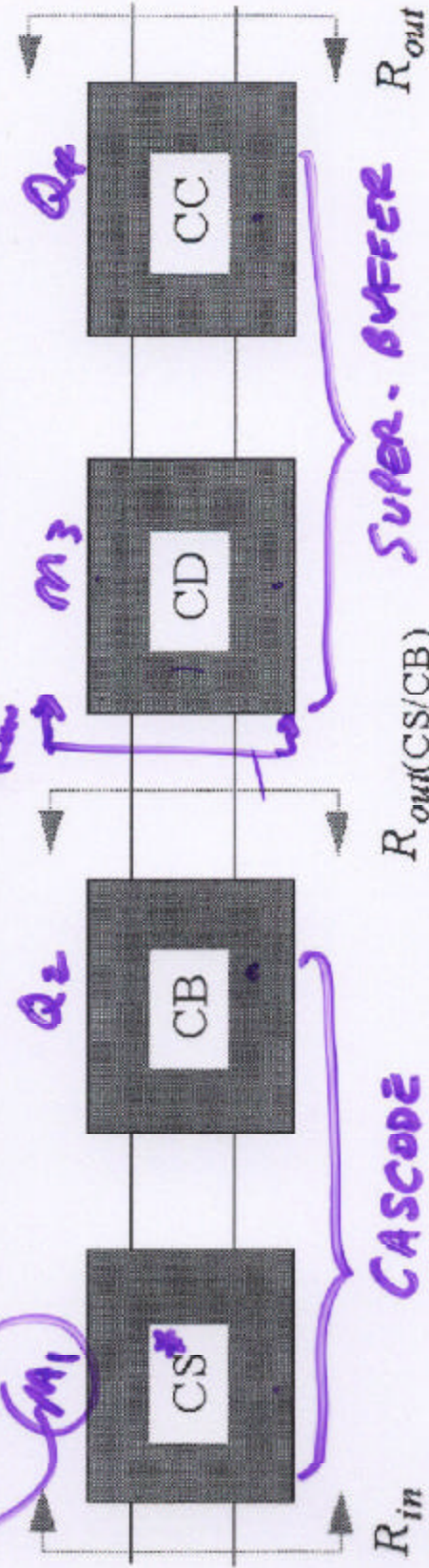
$V_{DD} = 5V$



LOOK FOR THE LOW NUMBERS!

# Identifying the Stages

First stage (or two stages): CS/CB cascode  
 Second stage (or two stages): CD/CC voltage buffer



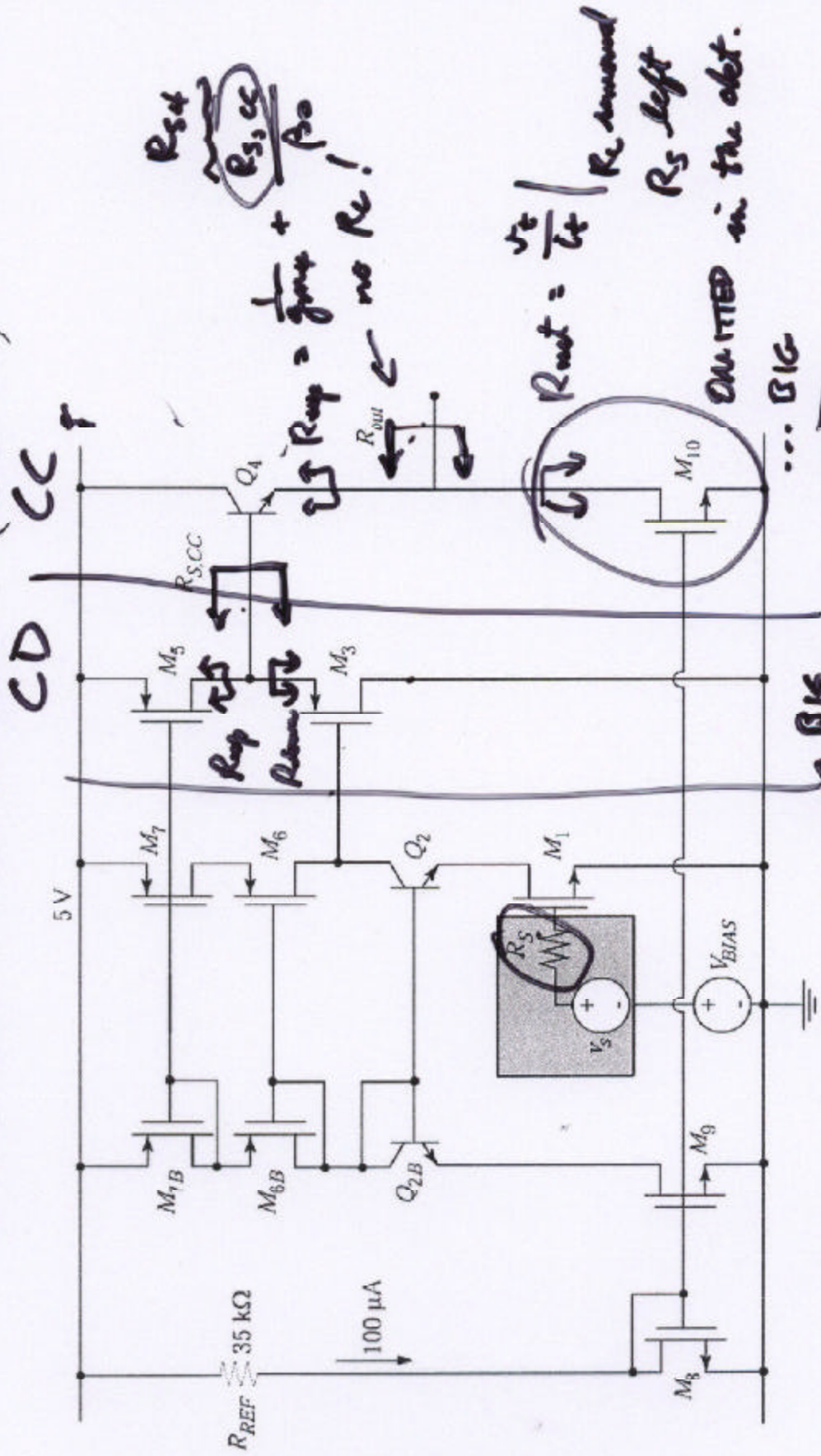
• Why does this make sense for a voltage amplifier?

$$R_{out(cascode)} = \underline{1/g_{m3}}$$

$$R_{in(cc)} = \infty$$



# Two-Port Parameters (Cont.)



Dept. of EECS  
 University of California at Berkeley  
 $R_{S,CC} = R_{out}, CD = \frac{1}{g_{m3}}$   
 $\frac{1}{g_{m3}} = \frac{1}{g_{m3}}$   
 ... BIG

# Output Resistance and Voltage Gain

Source resistance of the CC stage is the output resistance of the CD stage (small)

$$R_{out,CC} = \frac{1}{g_{m4}} + \frac{R_{S,CC}}{\beta_o} = \frac{1}{g_{m4}} + \frac{(1)}{g_{m3}\beta_o} \approx \frac{1}{g_{m4}} \approx 100\Omega$$

$\frac{1}{g_{m3}} \sim 100\Omega$

Open-circuit voltage gain  $A_v$  (last two stages have nearly unity gain):

$$A_v = -g_{m1} (\beta_o r_{o2} \parallel r_{o6} (1 + g_{m6} r_{o7}))$$

$R_{out,CC+CB}$

$$R_{out} \approx \frac{1}{g_{m4}}$$

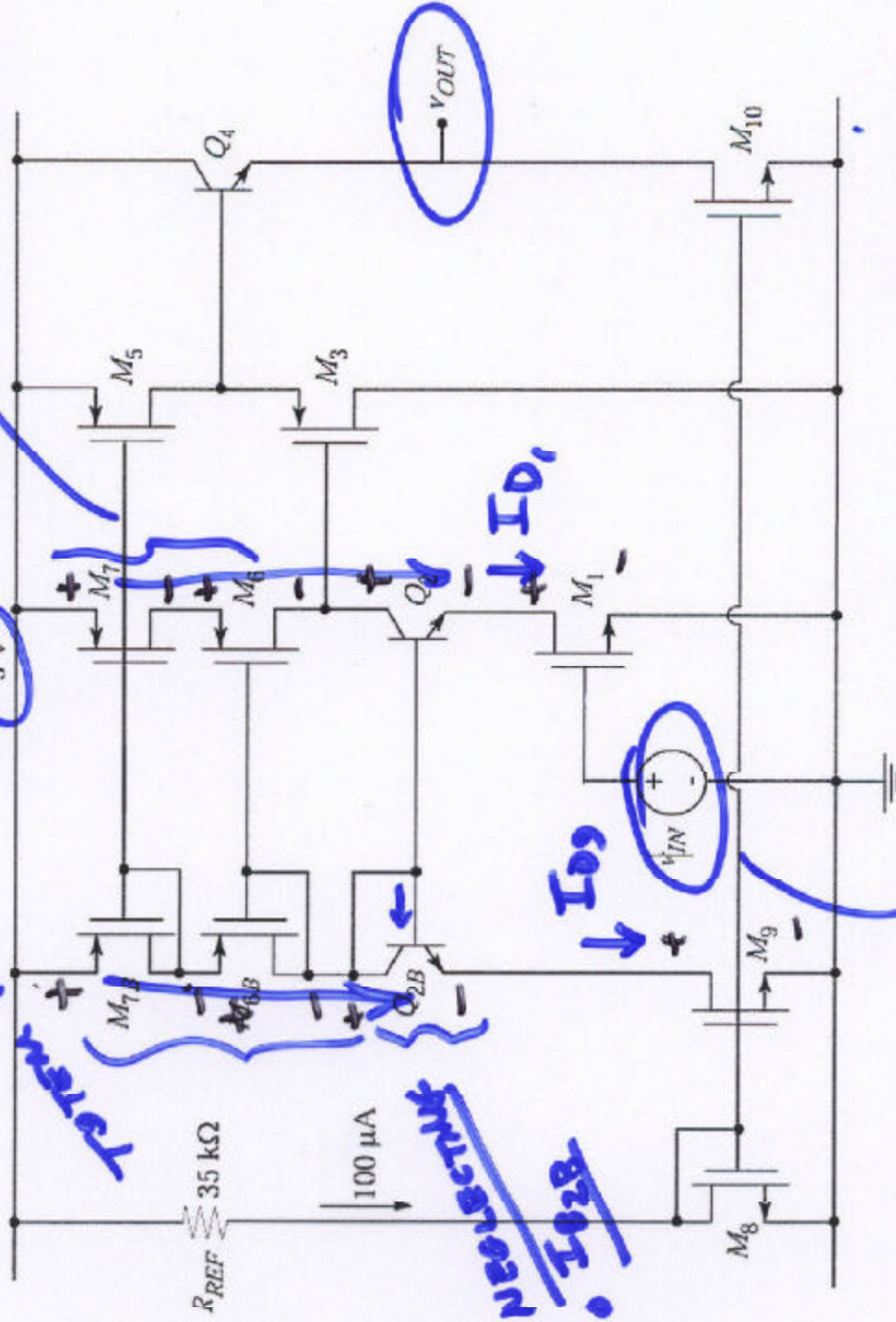
$$= \frac{1}{g_{m4}} \approx \frac{I_{C4}}{V_{em}}$$



# DC Bias

CASCODE CURRENT SUPPLY.

TOPS



$V_{IN}$  SUCH THAT  $V_{OUT} = 2.5V$

## DC Bias (Cont.)

- Simplifying assumption:  $V_{GSn} = 1.5V = V_{SGp}$
- Cascode current supply and totem pole.  $\rightarrow$  EE 140.

LOOKING AHEAD

diode connected devices set both source-gate and source-drain voltages

1ST ORDER

2ND ORDER.

select input bias voltage such that  $I_{D1} = I_{D9}$

{ devices  $M_1, Q_2, M_6$ , and  $M_7$  must have same  $|V_{DS}|$  or  $V_{CE}$  as  $M_9, Q_{2B}, M_{6B}$ , and  $M_{7B}$  (2<sup>nd</sup> order effect)  $\rightarrow$  sometimes called "replica biasing" }

$$I_D = \mu_n C_{ox} \left(\frac{W}{L}\right) (V_{GS} - V_{TH})^2 (1 + \lambda V_{DS})$$



## Output Swing: $V_{OUT,MAX}$

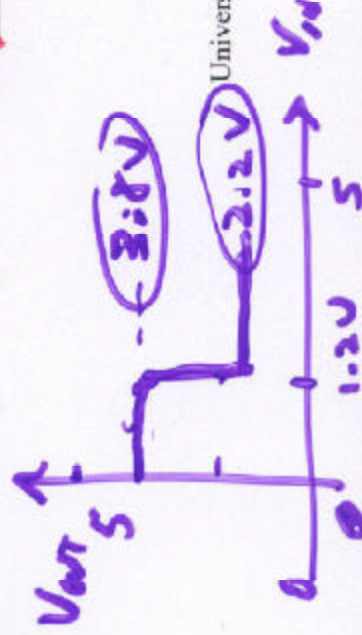
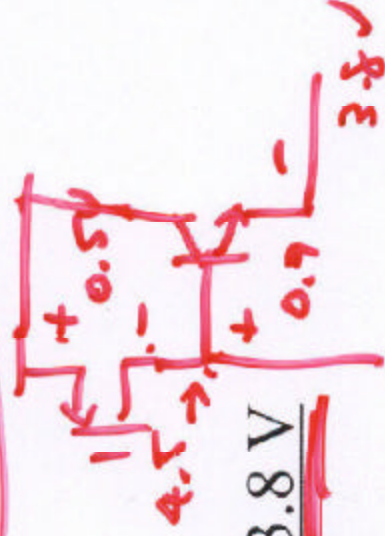
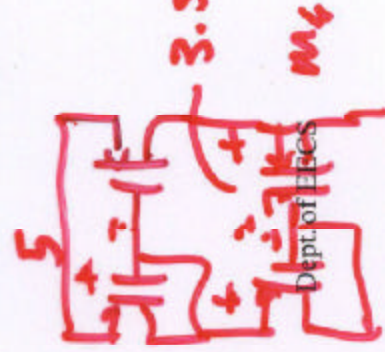
Maximum output voltage:  $Q_4$ ,  $M_5$ , and  $M_6$  are “suspects”

•  $Q_4$  goes into saturation when  $V_{CE4} = 0.1 \text{ V} \rightarrow V_{OUT} = \underline{4.9 \text{ V}}$

•  $M_5$  goes triode when  $V_{SD5} = \underline{0.5 \text{ V}} \rightarrow V_{OUT} = \underline{3.8 \text{ V}}$

•  $M_6$  goes triode when  $V_{SD6} = 0.5 \text{ V} \rightarrow$

$$V_{OUT} = V_{S6} - 0.5 \text{ V} + V_{SG3} - V_{BE4} \\ = \underline{3.5} - 0.5 + 1.5 - 0.7 \text{ V} = \underline{3.8 \text{ V}}$$







## Output Swing: $V_{OUT,MIN}$

Minimum output voltage:  $M_{10}$ ,  $M_3$ , and  $Q_2$  are “suspects”

✓  $M_{10}$  goes into triode when  $V_{OUT} = 0.5 \text{ V}$

Heuristic ...

$$V_{DS,0} = V_{DS,sat} = V_{GS0} - V_{th} = 0.5 \text{ V}$$

✓  $M_3$  goes into triode when  $V_{SD3} = 0.5 \text{ V}$  →

$$V_{OUT} = 0.5 \text{ V} - 0.7 \text{ V} = \underline{\underline{-0.2 \text{ V}}}$$

✓  $Q_2$  goes into saturation when  $V_{CE2} = 0.1 \text{ V}$

or  $V_{BC2} = 0.6 \text{ V}$

$$\begin{aligned}
 V_{OUT} &= V_{B2} - V_{BC2} + V_{SG3} - V_{BE4} \\
 &= 2 \text{ V} - 0.6 \text{ V} + 1.5 \text{ V} - 0.7 \text{ V}
 \end{aligned}$$

$$V_{OUT} = \underline{\underline{2.2 \text{ V}}}$$