

7. The inverter in the previous problem is used to switch a capacitive load. The total output capacitance is 1pF. Up to time $t=0$, the input to the amplifier is 0, and the output is V_{DD} . At time $t=0$ the input switches instantaneously to V_{DD} . What is the initial rate of change of the output voltage just after $t=0$? How long does it take for the output to fall 400mV (to $V_{DD}-400\text{mV}$)?

$dV_{\text{out}}/dt (t=0) =$	$t_{\text{fall } 400\text{mV}} =$
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What is the differential equation that describes the output voltage when $V_{\text{out}} < V_{DD}/10$? How long does it take for the output to fall from $V_{DD}/10=400\text{mV}$ to approximately $V_{DD}/27=400\text{mV}/2.7$? Your answers should be accurate to 10%.

Differential equation
Time to fall by a factor of 2.7 from 400mV:

8. For the circuit below, what condition must be satisfied for the circuit to oscillate when you close the loop (short V_{FB} to V_{IN})?

condition for oscillation

For some value of C_{FB} and R_{FB} , you plot the open-loop transfer function from V_{IN} to V_{FB} . You find that there is a pole at $\omega = 1/(R_{FB} C_{FB})$ that is substantially lower than all of the other poles in the system. You also find that at the frequency where the phase crosses -360 , the gain is about 50. Will the system oscillate if you close the loop? If yes, how would you change C_{FB} to stop it from oscillating, and why would that work?

Will it oscillate?

If so, how and why change C_{FB} ?

For some different values of C_{FB} and R_{FB} , you plot the open-loop transfer function and find that at the frequency where the phase crosses -360 the gain is about 0.1. Will the system oscillate if you close the loop? If yes, how would you change C_{FB} to stop it from oscillating, and why would that work?

Will it oscillate?

If so, how and why change C_{FB} ?

