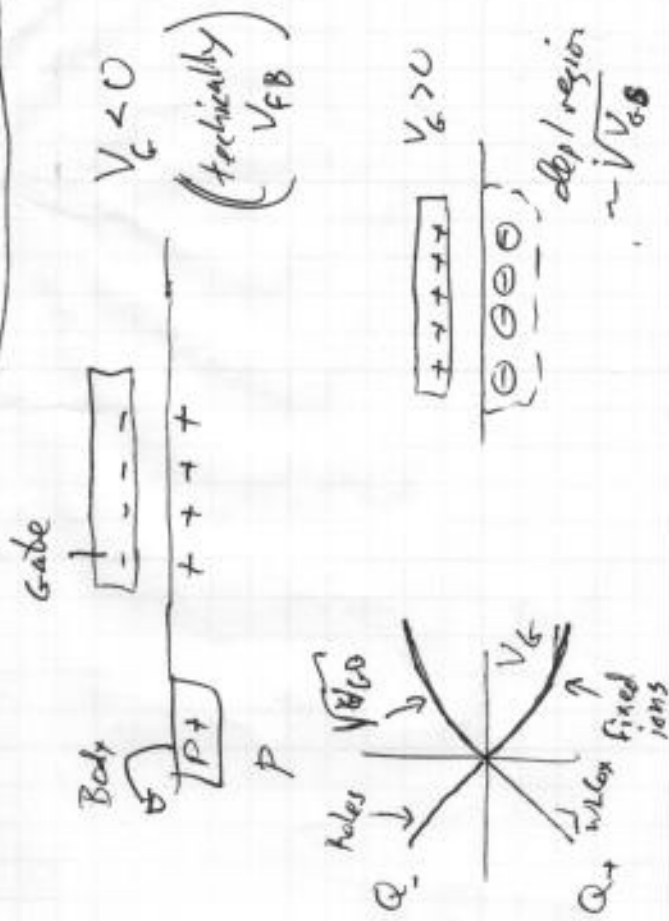
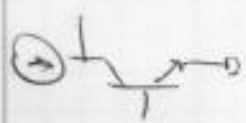


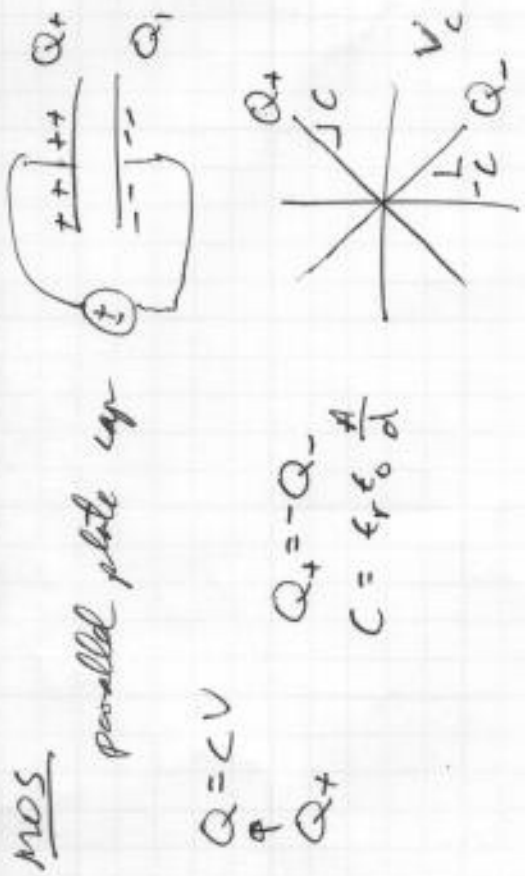
© National Brand

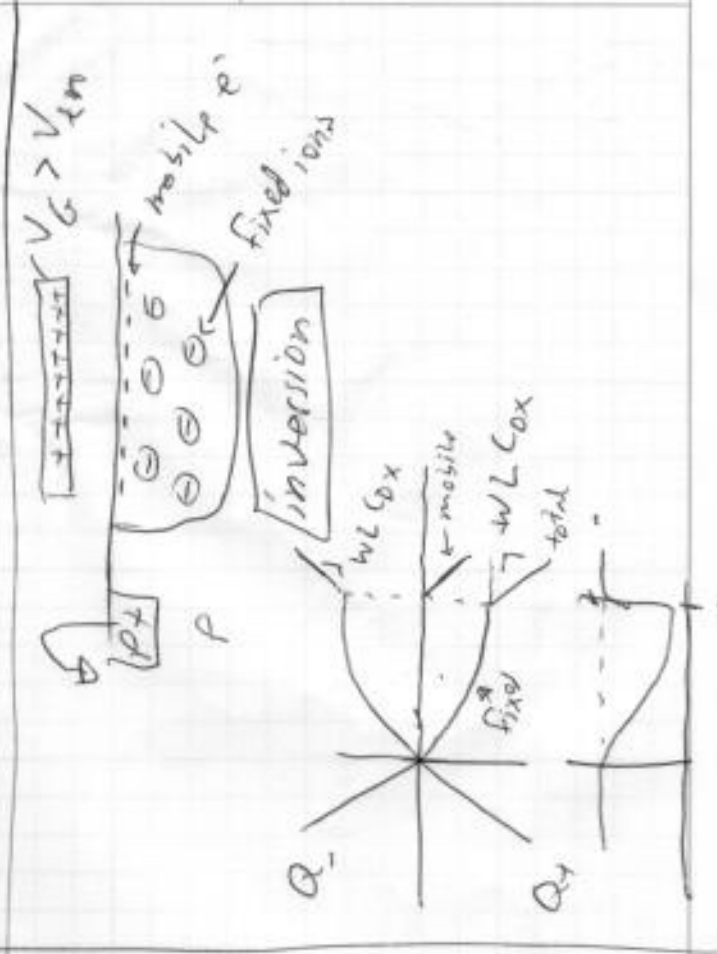
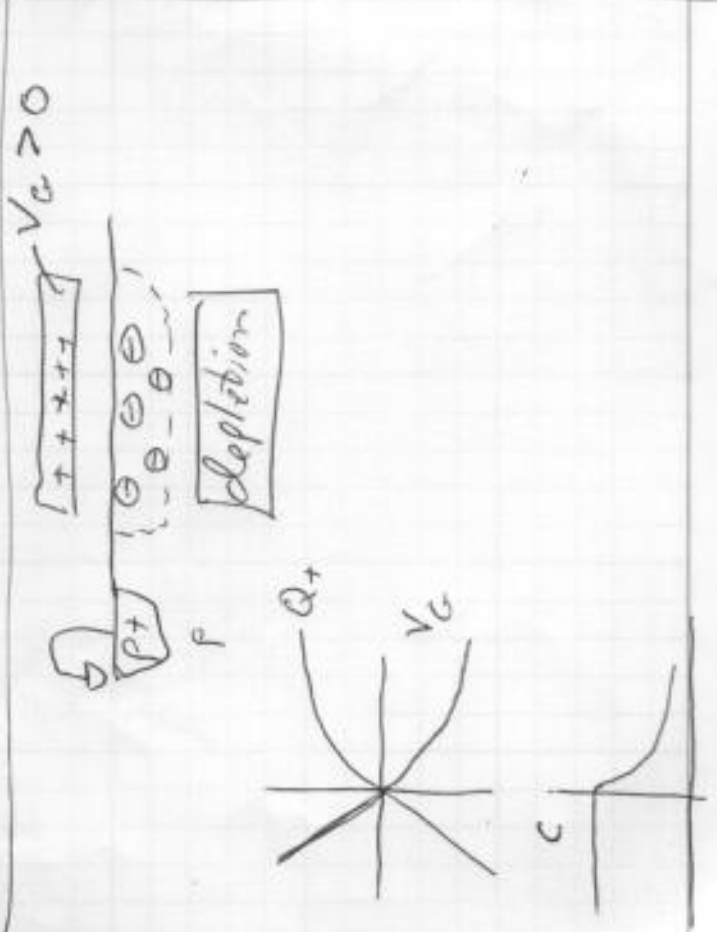
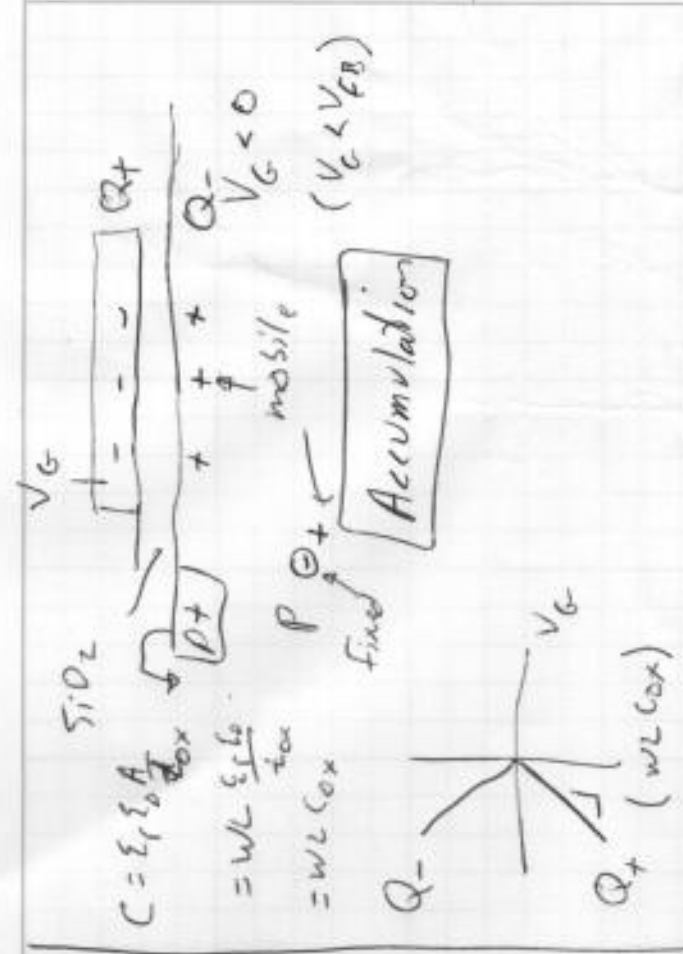
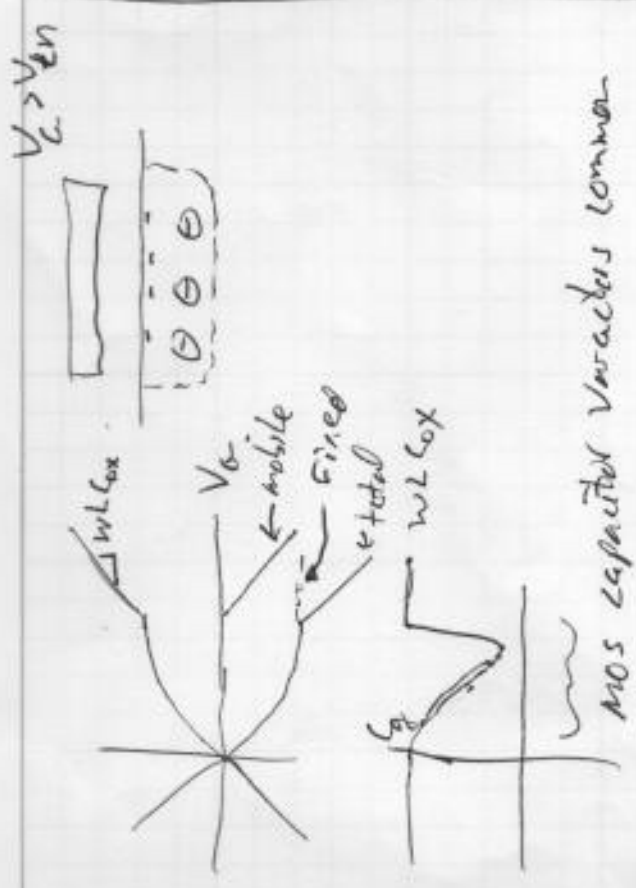


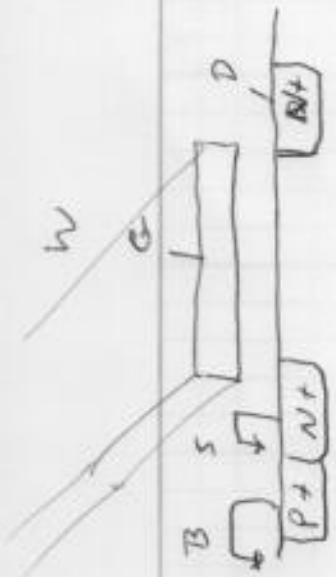
$A_v = -g_m r_o = -\frac{I_c}{V_{TH}} = \frac{-V_A}{V_{TH}} \frac{I_c}{I_c}$
 $\approx 400 - 1000$
 $\beta \approx 10 - 100$



0.6 - 10^{-4} still ok?
 why? V_{CB} is fwd biased?!







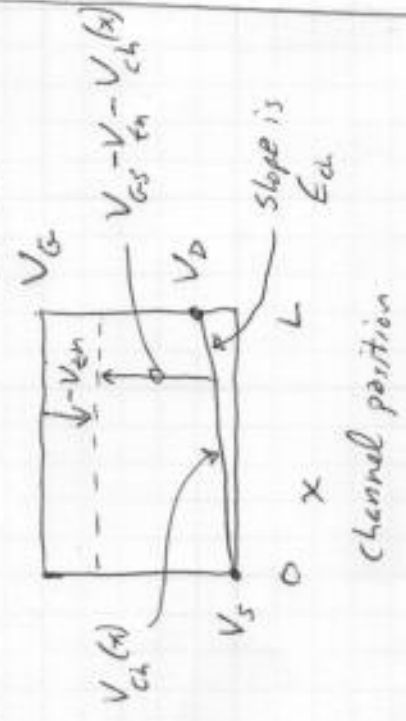
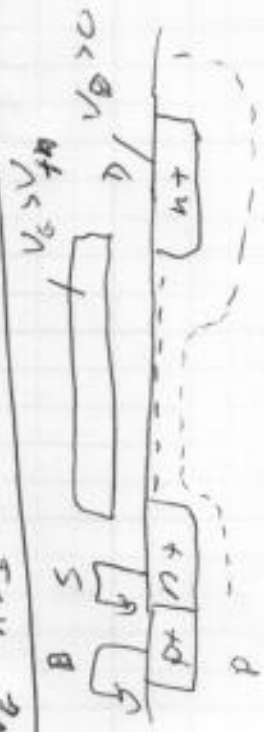
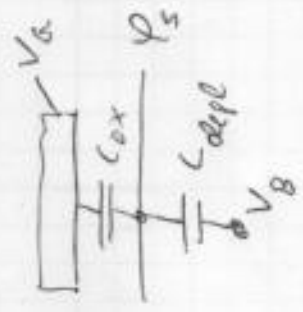
P | L | I

$$V_D = V_S = 0$$

$$V_D = 100mV$$

$$\varphi_s = \frac{C_{ox}}{C_{ox} + C_{depl}} V_G$$

$$= \frac{1}{n} V_G \quad n > 1$$



Very thin fwd biased diode!



$$\varphi_s / V_{th}$$

$$I_D = I_S e$$

$$= I_S e^{V_G / n V_{th}}$$



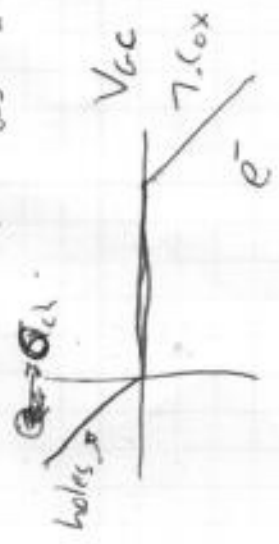
looks like a BJT

$$V_G / n V_{th}$$

sub-threshold $I_D = I_S e$

$\sigma_{ch}(x) = \text{charge per unit area}$

$$= C_{ox} (V_{GS} - V_{th} - V_{ch}(x))$$



channel position

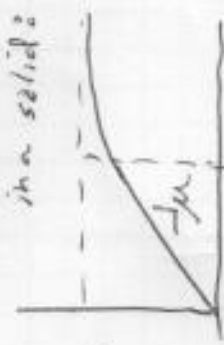
current = (average # charges / length) (velocity)

$$\bar{\sigma}_{ch} W$$

Free electron: $m\vec{x} = qE$ acide.
in a solid: $\vec{x} = \mu E$ velocity

$$v_{sat} \approx 10^5 \text{ m/s}$$

(compare to $c = 3 \times 10^8 \text{ m/s}$)

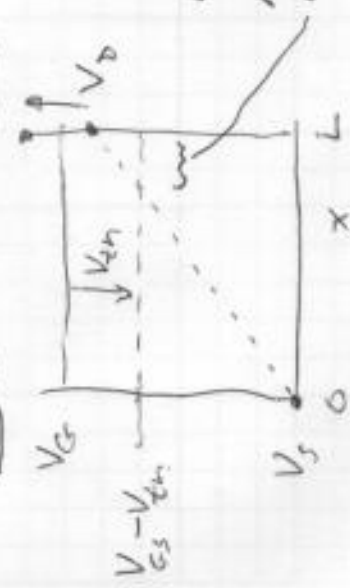
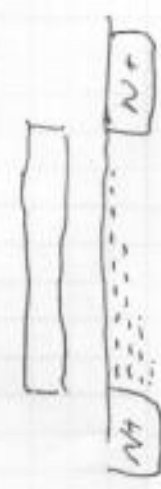


$$= \frac{1}{\mu} \frac{V}{cm} \frac{V}{m}$$

mobility

$$\frac{cm^2}{Vs}$$

what if $V_{GS} > V_{th}$, $V_{DS} > V_{GS} - V_{th}$ (saturation)



what happens?

what if linear V_{th} ?

No conduction here

$$v = \mu_n E \quad E = \frac{V_{DS}}{L}$$

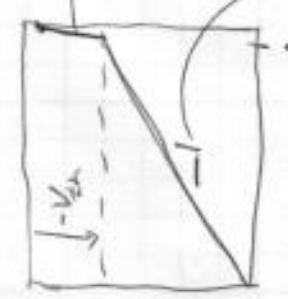
$$I_D = \bar{\sigma}_{ch} W \mu_n \frac{V_{DS}}{L}$$

$$= C_{ox} (V_{GS} - V_{th} - \frac{V_{DS}}{2}) W \mu_n \frac{V_{DS}}{L}$$

$$= \mu_n C_{ox} \frac{W}{L} (V_{GS} - V_{th} - \frac{V_{DS}}{2}) V_{DS}$$

"linear" region $0 < V_{DS} < V_{GS} - V_{th}$
 $V_{GS} > V_{th}$

V_G
 $V_G - V_{th}$



$$E \approx 30 \frac{V}{\mu m}$$

$$\approx 30 \frac{mV}{\mu m}$$

$$\Delta L \approx [V_{DS} - (V_{GS} - V_{th})] \sqrt{\frac{L}{E_{DD}}}$$

$$\frac{V_{GS} - V_{th}}{L - \Delta L}$$

$$I_D = (\text{avg charge / length}) (velocity)$$

$$= W C_{ox} \left(\frac{V_{GS} - V_{th} - \frac{V_{DS}}{2}}{2} \right) \left(\mu_n \frac{V_{GS} - V_{th}}{L (1 - \frac{\Delta L}{L})} \right)$$

$$= \mu_n C_{ox} \frac{W}{L} (V_{GS} - V_{th})^2 (1 - \frac{\Delta L}{L})$$

Sub when if $E_{ch} = \frac{V_{GS} - V_{th}}{L - \Delta L} > \frac{1V}{\mu m} ?$

$I_D = (\text{avg charge}) \cdot (\text{velocity})$

$WC_{ox} \left(\frac{V_{GS} - V_{th}}{2} \right) \mu_{scd}$

when $L = 14 \mu m$, $1V_{\mu m}$ gives $14 mV$

$L = 0.18 \mu m$ $180 mV$

Add $V_{GS} - V_{th}$:

if $V_{GS} < V_{th}$, sub

more than within $\approx 200 mV$

Add DC.L.

if $E_{ch} > E_{crit}$

saturation: $E_{ch} = \frac{V_{GS} - V_{th}}{L - \Delta L}$

linear $E_{ch} \approx \frac{V_{DS}}{L}$

$V_{GS} - V_{th} > (L - \Delta L) E_{crit}$

$V_{DS} > L E_{crit}$

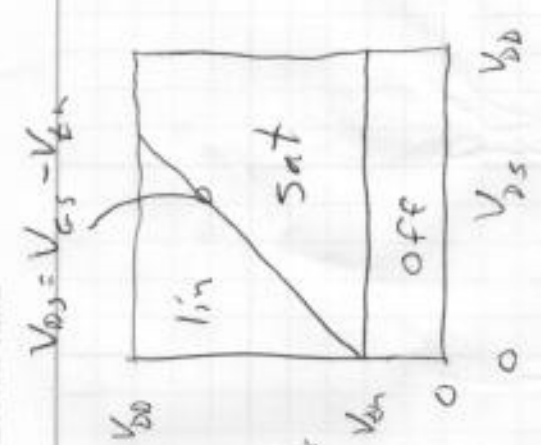


Regions of operation

1st pass

if $V_{GS} > V_{th}$

linear: $V_{DS} < V_{GS} - V_{th}$



Are you kidding me?!? Deep breath!

1 nonlinear solution

+ g_m, r_o



Equivalent $I_D = \frac{\mu_n C_{ox}}{2} \frac{W}{L} (V_{GS} - V_{TH})^2 (1 + \lambda V_{DS})$

$$g_m = \frac{\partial I_D}{\partial V_{GS}} = \frac{2 I_D}{V_{GS} - V_{TH}}$$

$$r_o = \frac{\partial I_D}{\partial V_{DS}} = \frac{\lambda I_D}{(1 + \lambda V_{DS})} \approx \frac{1}{\lambda} \uparrow I_D$$

SCL $I_D = \frac{\mu_n C_{ox}}{2} \frac{W}{L} (V_{GS} - V_{TH})^2 (1 + \lambda V_{DS})$

$$g_m = \frac{\mu_n C_{ox}}{2} \frac{W}{L} (1 + \lambda V_{DS})$$

indep of V_{GS} !

prob 10

SUB- V_T $I_D = I_S e^{\frac{V_{GS}}{n V_{TH}}} (1 + \lambda V_{DS})$
 hVh?

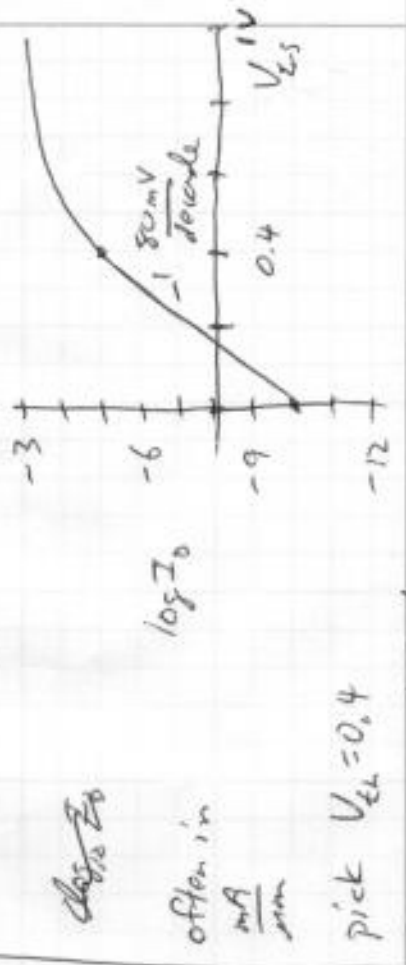
$$g_m = \frac{I_D}{n V_{TH}}$$

$n = 1.0 \times - 2 +$
 FinFETs old

$r_o = \underline{\hspace{2cm}}$

Let's look at "off" again

in SUB- V_T $I_D = I_S e^{\frac{V_{GS}}{n V_{TH}}}$
 there is no "off"



class E_0

often in $\frac{mV}{\mu m}$

pick $V_{TH} = 0.4$

Say $n V_{TH} = 0.8 \text{ mV}$