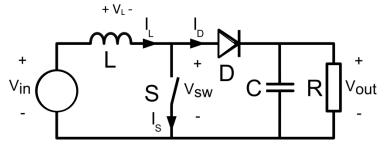
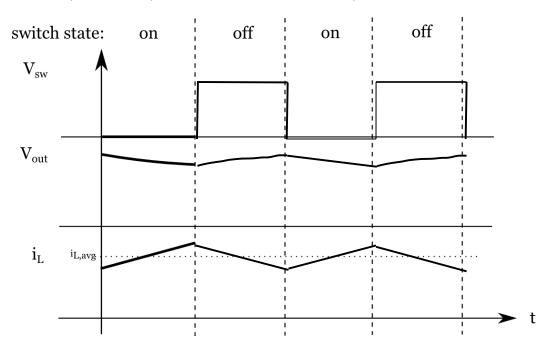
Boost Converter (draft 2/27/2015)

- Switching type DC-DC converter
- Output voltage is greater than input voltage



1. Fill in the plots for two periods of the boost converter's operation.



For simplicity, assume i_L goes from i_{max} to i_{min} in a linear fashion in time T_{off} , with a change of $\Delta i = i_{min} - i_{max}$ (<0). Also assume V_{out} is approximately constant. During T_{off} the instantaneous power delivered to the capacitor and load from the inductor in series with V_{in} is $p(t)=i_L(t)$ (- $V_L(t) + V_{in}$).

The inductor voltage during T_{off} is assumed constant: $V_L(t) = L \Delta i / T_{off}$, where V_{in} is boosted by V_L .

The work delivered per cycle from battery and inductor (when switch is open) is:

$$W = i_L \left(-V_L + V_{in}\right) T_{off} = i_L \left(-L \Delta i \ / T_{off} + V_{in}\right) T_{off} = i_L \left(-L \Delta i + V_{in} \ T_{off}\right)$$

The time average power delivered to the load (through the diode) is W/T=

 $P_{ave} = i_L \left(-L \Delta i + V_{in} T_{off} \right) / (T_{on} + T_{off}) = \left(L \left(i^2_{max} - i^2_{min} \right) / 2 + i_L V_{in} T_{off} \right) / (T_{on} + T_{off})$

Note that there is a contribution from energy stored in the inductor and the power provided by battery.

The average power in the load should equal delivered power to load so

$$P_{ave} = (L (i_{max}^2 - i_{min}^2)/2 + i_L V_{in} T_{off}) / (T_{on} + T_{off}) = V_{out}^2 / R$$

Note that the current may instead oscillate around an average current value, delivering more power to load.