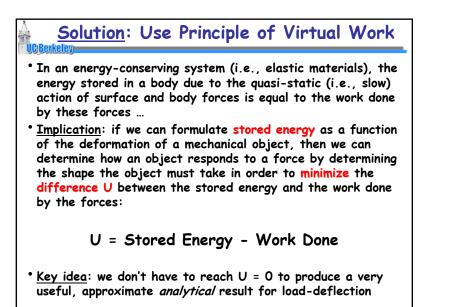
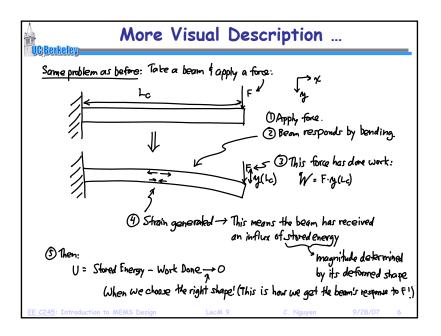
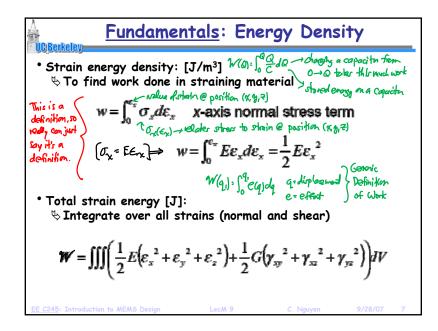


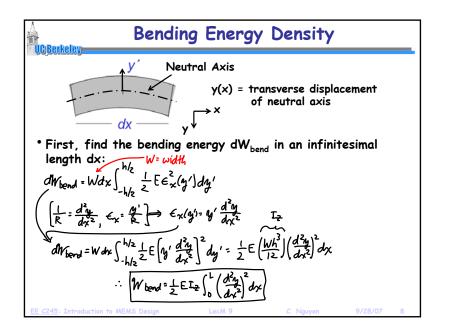
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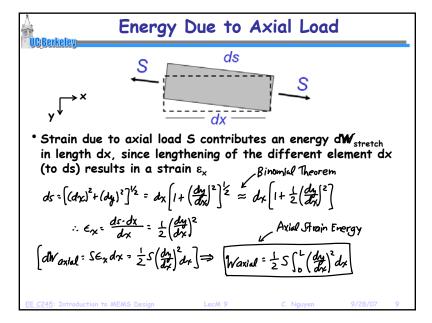
# CTN 4/1/14

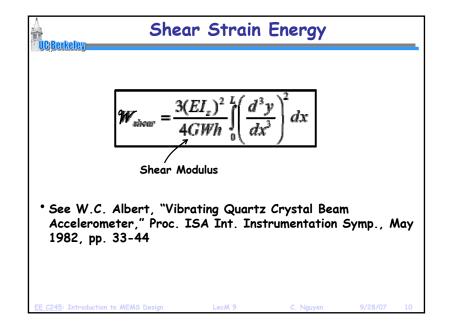


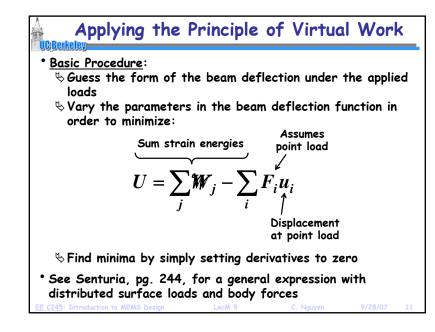


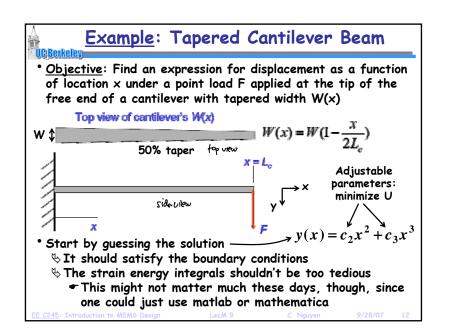










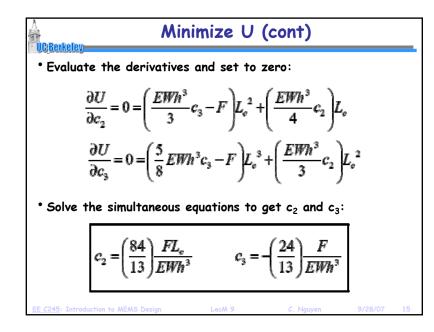


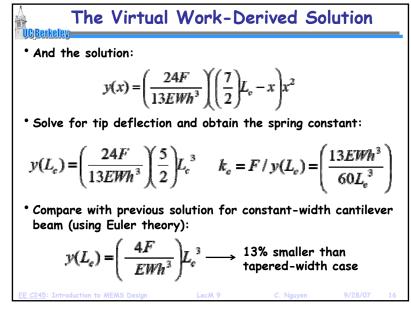
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CTN 4/1/14

# $\mathcal{E}_{LODE entrolog} Strain Energy And Work By F$ $\mathcal{U} = \mathcal{W}_{bound} - F \cdot y(L_e)$ $\mathcal{W}_{bound} = \frac{1}{2} E \int_{0}^{L_e} I_z(x) \left(\frac{d^2 y}{dx^2}\right)^2 dx \quad (\text{Bending Energy})$ $I_z(x) = \frac{\mathcal{W}(x)h^3}{12} \qquad \qquad d^2 y \\ \mathcal{H}_x(x) = \mathcal{H}(1 - \frac{x}{2L_e}) \qquad \qquad (\text{Using our guess})$ $\mathcal{H}(x) = \mathcal{H}(1 - \frac{x}{2L_e}) \qquad \qquad \text{Tip Deflection}$ $= \frac{1}{24} E W h^3 \int_{0}^{1} (1 - \frac{x}{2L_e}) (2c_2 + 6c_3 x)^2 dx - F(c_2 L_e^2 + c_3 L_e^3)$

	e U → basically to zero (which y)			
	and c <sub>3</sub> that min derivatives of L	l with respec	tive to them:	
	$\frac{\partial U}{\partial c_2} = 0$	0 <u>- 0</u>	$\frac{U}{r_3} = 0$	
• Proceed & First	: , evaluate the i	_		ion for U:
U = EW	$Th^{3}\left\{\frac{5c_{3}^{2}}{16}L_{o}^{3}+\frac{5c_{3}^{2$	$\frac{c_2 c_3}{3} L_e^2 + \frac{c_2}{8}$	$\left\{\frac{2}{3}L_{c}\right\}-F\left(c_{2}L_{c}\right)$	$L_{e}^{2} + c_{3}L_{e}^{3}$
EE C245: Introduc	tion to MEMS Design	LecM 9	C. Nguyen	9/28/07 1





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### 4

# CTN 4/1/14

