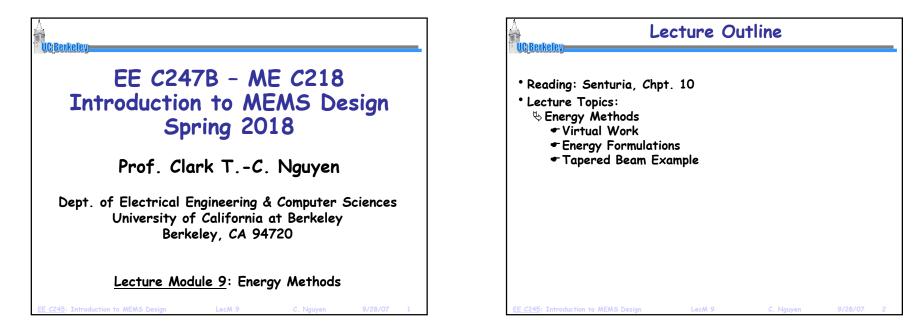
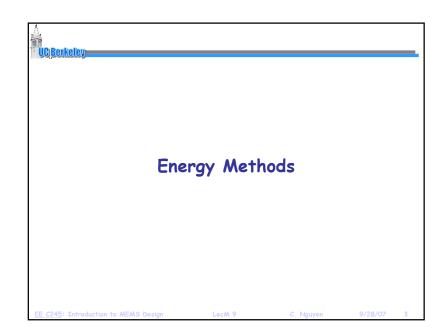
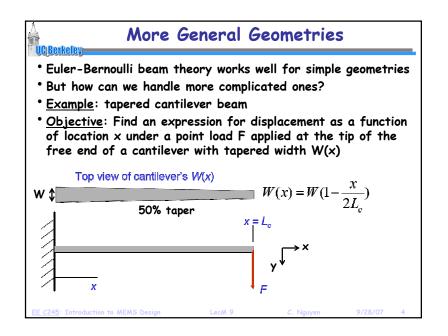
<u>EE 245: Introduction to MEMS</u> <u>Lec16m: Energy Methods</u>

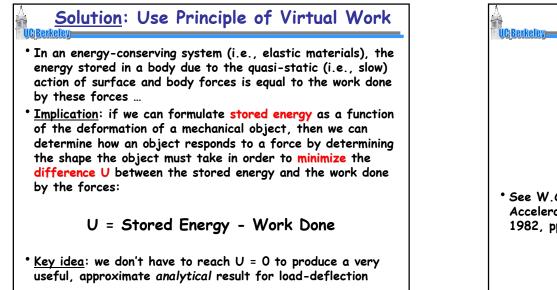


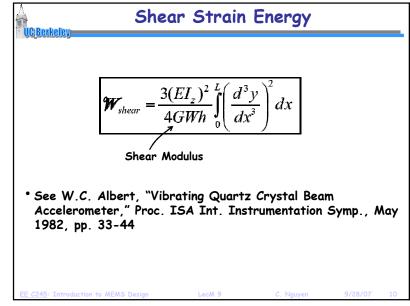


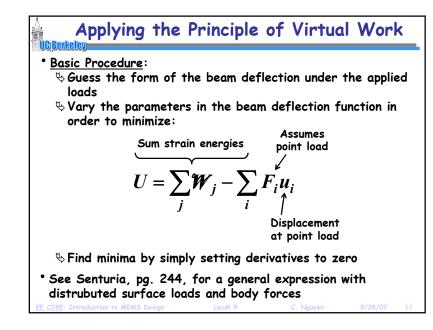


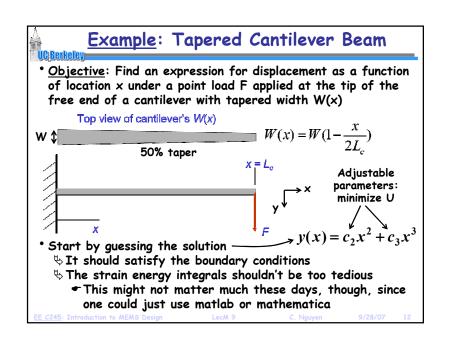
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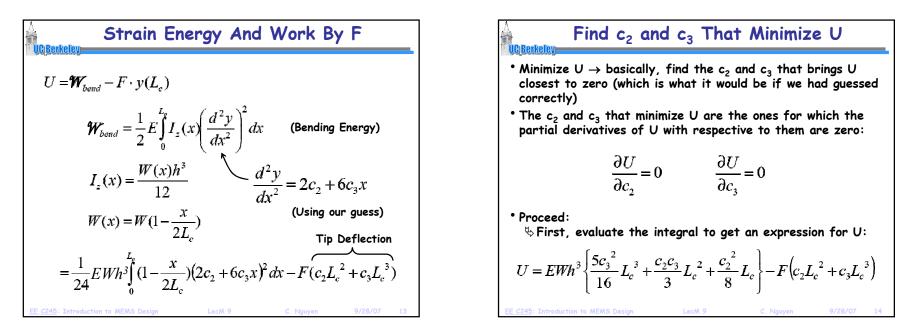


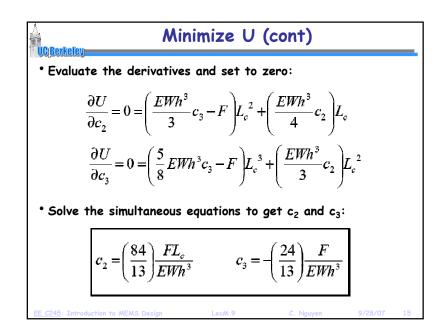






CTN 3/8/18





UC)Ber	The Virtual Work-Derived Solution
• An	nd the solution:
	$y(x) = \left(\frac{24F}{13EWh^3}\right) \left(\frac{7}{2}\right) L_c - x x^2$
• So	lve for tip deflection and obtain the spring constant:
y(I	$L_{c} = \left(\frac{24F}{13EWh^{3}}\right) \left(\frac{5}{2}\right) L_{c}^{3} \qquad k_{c} = F / y(L_{c}) = \left(\frac{13EWh^{3}}{60L_{c}^{3}}\right)$
	mpare with previous solution for constant-width cantilever am (using Euler theory):
	$y(L_c) = \left(\frac{4F}{EWh^3}\right) L_c^3 \longrightarrow 13\%$ smaller than tapered-width case
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