

**Lecture 8: Surface Micromachining I**

- Announcements:
- HW#2 due Thursday, 2/15 at 10 a.m.
- Handout online: paper titled "Surface Micromachining for Microelectromechanical Systems"
- Handout online: paper titled "Etch Rates for Micromachining—Part II"
- Kieran out of town; Alper Ozgurluk taking TA duties for this week and next

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**Today:**

- Reading: Senturia Chpt. 3, Jaeger Chpt. 11, Handout: "Surface Micromachining for Microelectromechanical Systems"

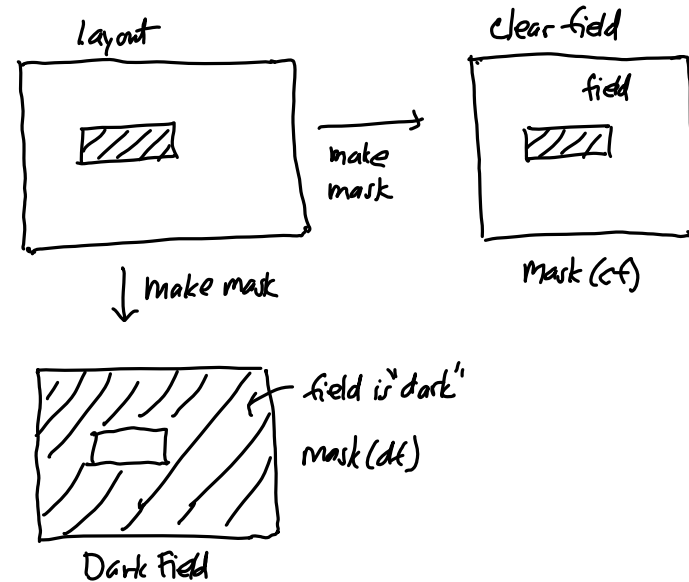
• **Lecture Topics:**

- ↪ Polysilicon surface micromachining
- ↪ Stiction
- ↪ Residual stress
- ↪ Topography issues
- ↪ Nickel metal surface micromachining
- ↪ 3D "pop-up" MEMS
- ↪ Foundry MEMS: the "MUMPS" process
- ↪ The Sandia SUMMIT process

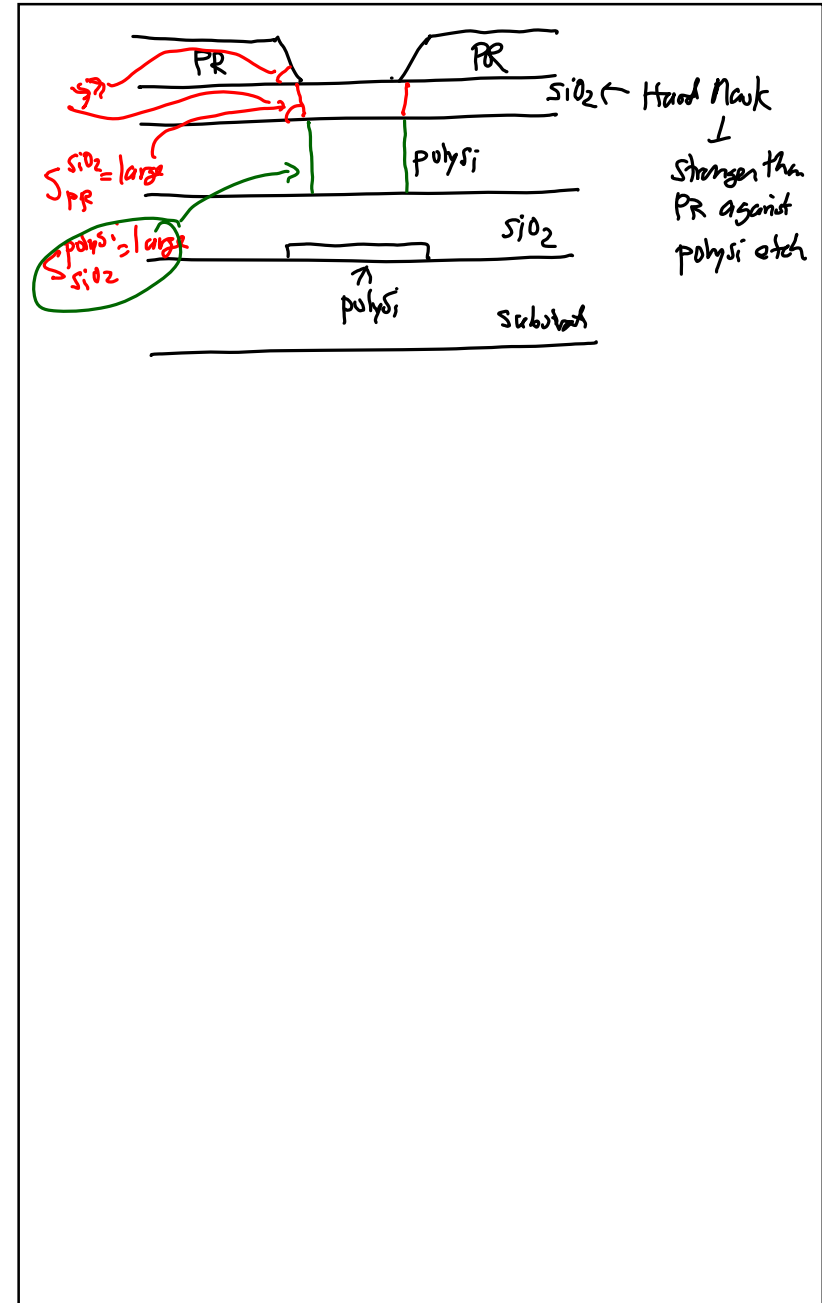
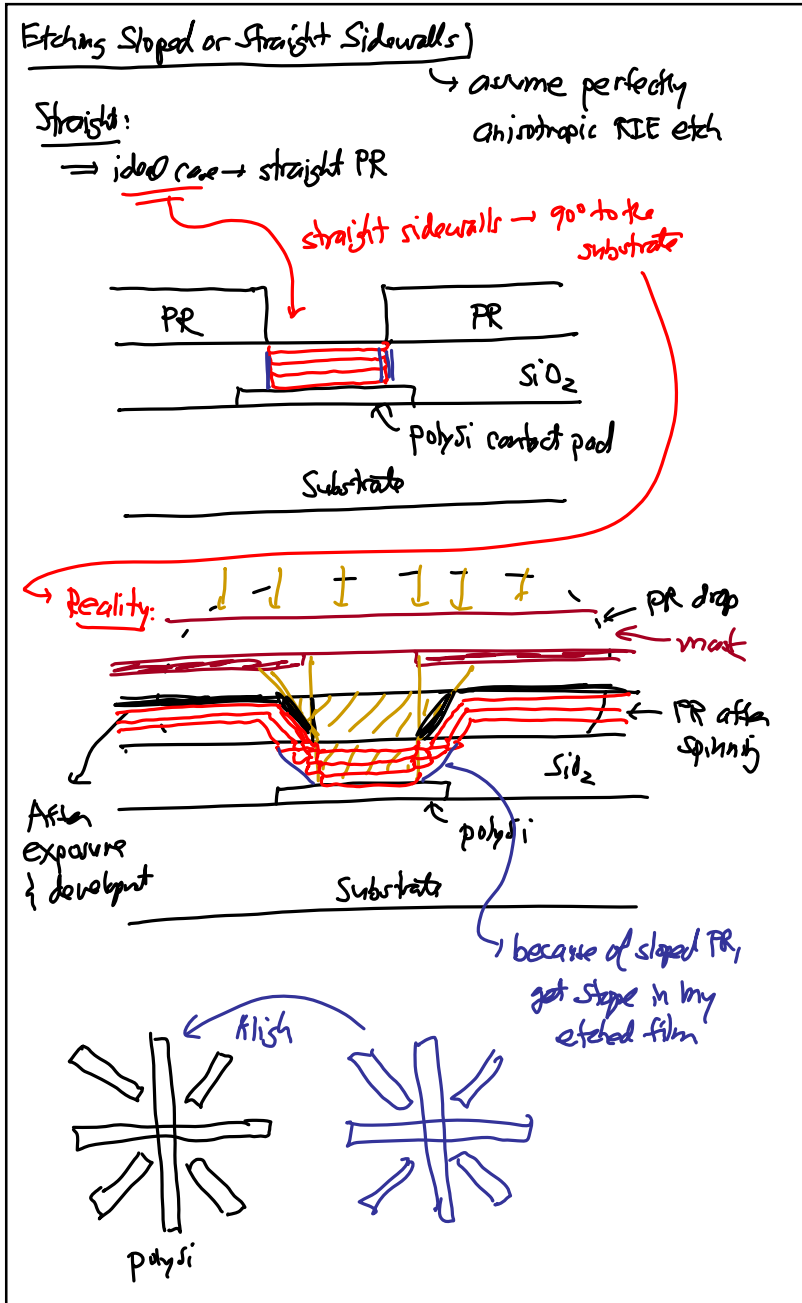
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**Last Time:**

- Started Module 5 on Surface Micromachining

Clear & Dark Field Masks



- Straight or Sloped Sidewalls:
- Often want sloped sidewalls in order to reduce the sharpness of corners
  - ↪ Easier to deposit over
  - ↪ Sharp corners concentrate stresses
  - ↪ High stress can weaken structures creating a reliability concern
  - ↪ High stress can dissipate energy, lowering Q
- When you want straight sidewalls (e.g., for lateral electrostatic drive), use a hard mask
  - ↪ PR can't last for thick structures
  - ↪ A hard mask suppresses angle transfer



**Microstructure Stiction**

Surface Tension

molecule @ liquid surface  
 ⇒ experiences a net inward force

Liquid Surface

molecule under the liquid surface  
 //  
 attractive forces from neighbors  
 pulled in all directions  
 net force is zero

Equilibrium (nothing moves)  
 ↓ forces balanced out by liquid's resistance to compression

→ Result: liquid squeezes to achieve the smallest surface area (smallest energy state)

Surface Curvature & Pressure

No pressure difference  
 ↓  
 surface remains flat

⇒ upon introduction of a differential pressure:  
 ↓ surface curves to generate a net normal force that maintains equilibrium against the pressure

$R_y S_B$   
 $R_x S_B$   
 $F_B$   
 $F_L$   
 $F_R$   
 $S_B$   
 $R_y$   
 $S_x$   
 $R_x$

Young-Laplace Equation

$$\Delta p = \gamma \left( \frac{1}{R_x} + \frac{1}{R_y} \right)$$

where  $\Delta p \triangleq$  pressure difference  
 $\gamma \triangleq$  surface tension (force/length)  
 $R_x, R_y \triangleq$  radii of curvature