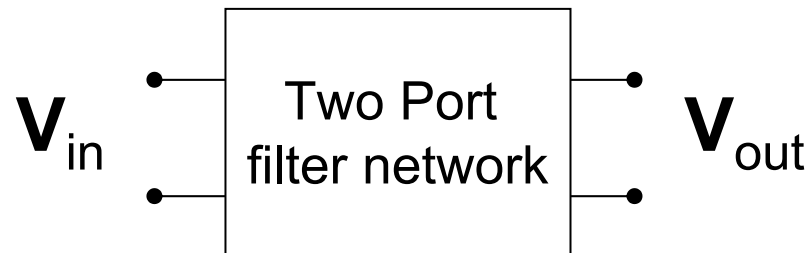

EE40
Lecture 18
Venkat Anantharam

3/07/08

Reading: Chap. 6: Filters, two-terminal elements, Bode plots.

Transfer Function

- Transfer function is a function of frequency
 - Complex quantity
 - Both magnitude and phase are functions of frequency

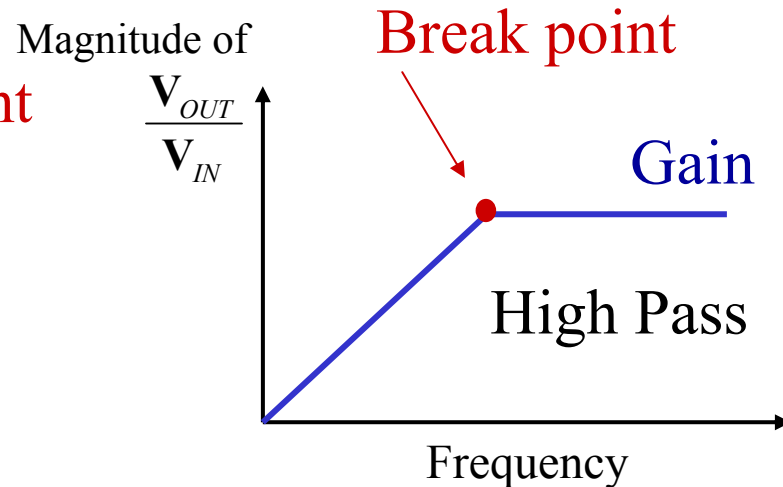
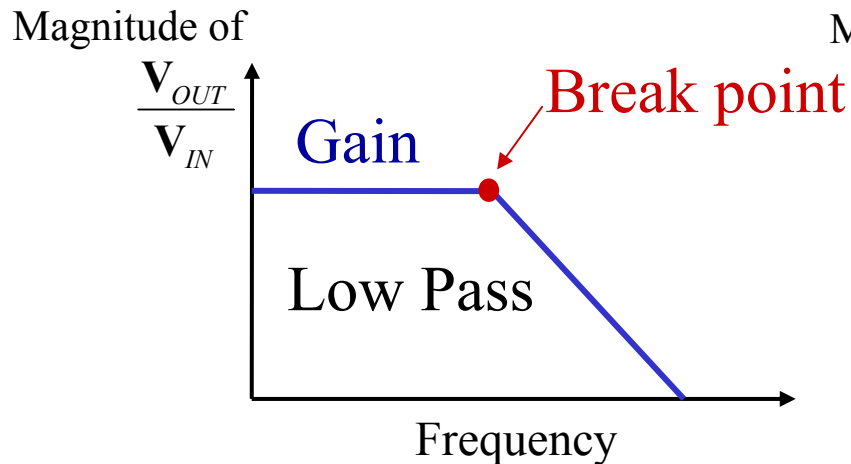


$$\mathbf{H}(f) = \frac{\mathbf{V}_{out}}{\mathbf{V}_{in}} = \frac{V_{out}}{V_{in}} \angle (\theta_{out} - \theta_{in})$$

$$\mathbf{H}(\mathbf{f}) = H(f) \angle \theta$$

Frequency Response

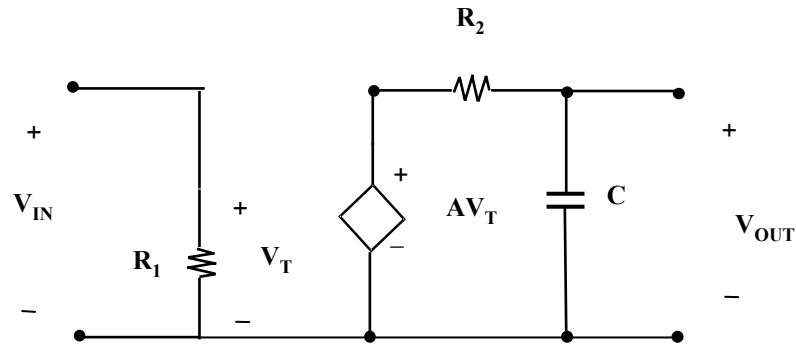
- The shape of the frequency response of the complex ratio of phasors $\mathbf{V}_{OUT}/\mathbf{V}_{IN}$ (i.e. both the magnitude and the phase) is a convenient means of classifying a circuit behavior and identifying key parameters. We will soon discuss quick and dirty ways of approximating this shape via a piecewise linear approximation based on asymptotes, as in the magnitude plot approximations below:



Only positive frequencies need be considered, since the plots for negative frequencies can be inferred from this

FYI: These are usually log of the ratio vs log frequency plots

Example Circuit



$$\text{TransferFunction} = \frac{V_{OUT}}{V_{IN}}$$

$$\frac{V_{OUT}}{V_{IN}} = \frac{AZ_c}{Z_R + Z_c}$$

$$\frac{V_{OUT}}{V_{IN}} = \frac{A(1/j\omega C)}{R_2 + 1/j\omega C} = \frac{A}{(1 + j\omega R_2 C)}$$

$$A = 100$$

$$R_1 = 100,000 \text{ Ohms}$$

$$R_2 = 1000 \text{ Ohms}$$

$$C = 10 \text{ uF}$$

Filters

- Filters are circuits designed to retain a certain frequency range and discard others

Low-pass: pass low frequencies and reject high frequencies

High-pass: pass high frequencies and reject low frequencies

Band-pass: pass some particular range of frequencies, reject other frequencies outside that band

Notch: reject a range of frequencies and pass all other frequencies

Common Filter Transfer Function vs. Freq

