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Rational implementation using functions: List comprehensions: List & dictionary mutation: [<map exp> for <name> in <iter exp> if <filter exp>] >>> a = [10] >>> a = [10] def rational(n, d): >>> b = [10] >>> b = a def select(name): Short version: [<map exp> for <name> in <iter exp>] This >>> a == b >>> a == b if name == 'n': function True True A combined expression that evaluates to a list using this return n >>> a.append(20) >>> b.append(20) represents evaluation procedure: >>> a == b elif name == 'd': a rational >>> a 1. Add a new frame with the current frame as its parent number True [10] return d 2. Create an empty result list that is the value of the >>> a >>> b return select expression [10, 20] [10, 20] 3. For each element in the iterable value of <iter exp>: def numer(x): >> b >>> a == b Constructor is a A. Bind <name> to that element in the new frame from step 1 [10, 20] False return x('n') higher-order function Β. If <filter exp> evaluates to a true value, then add def denom(x): >>> nums = { 'I': 1.0, 'V': 5, 'X': 10} the value of <map exp> to the result list return x('d') >>> nums['X'] Selector calls x 10 The result of calling repr on a value is >>> nums['I'] = 1 Lists: what Python prints in an interactive session >>> nums['L'] = 50 >>> digits = [1, 8, 2, 8] The result of calling **str** on a value is >>> nums >>> len(digits) what Python prints using the print function {'X': 10, 'L': 50, 'V': 5, 'I': 1} list Δ >>> sum(nums.values()) digits ____ 0 1 >> 12e12 >>> digits[3] >>> print(today) 66 1 8 2 8 1200000000000.0 8 2014-10-13 >>> dict([(3, 9), (4, 16), (5, 25)]) >>> print(repr(12e12)) {3: 9, 4: 16, 5: 25}
>>> nums.get('A', 0) [2, 7] + digits * 2 12000000000000.0 [2, 7, 1, 8, 2, 8, 1, 8, 2, 8] str and repr are both polymorphic; they apply to any object 0 >>> pairs = [[10, 20], [30, 40]] >>> nums.get('V', 0) repr invokes a zero-argument method __repr__ on its argument list L30, 40] >>> pairs[1][0] 30 >>> today.__repr_()
'datetime.date(2014, 10, 13)' >>> today.__str__() '2014-10-13' >>> {x: x*x for x in range(3,6)} 10 20 {3: 9, 4: 16, 5: 25} Memoization: def memo(f): >>> suits = ['coin', 'string', 'myriad'] list Executing a for statement: cache = {} fib(5) 0 Remove and return for <name> in <expression>: def memoized(n): 30 40 myriad the last element <suite> if n not in cache: >>> suits.remove('string') Remove a value 1. Evaluate the header <expression> fib(4) >>> suits.append('cup') fib(3) or cache[n] = f(n)which must yield an iterable value return cache[n] >>> suits.extend(['sword', 'club']) ò (a list, tuple, iterator, etc.) fib(1) fib(2) return memoized >>> suits[2] = 'spade' Add all >>> suits
['coin', 'cup', 'spade', 'club']
['diamond'] 2. For each element in that sequence, fib(2) 🍯 fib(3) values fib(0) fib(1) in order: A. Bind <name> to that element in ю Replace a >>> suits[0:2] = ['diamond'] fib(0) fib(1) fib(1) fib(2) slice with values the current frame >>> suits values
valu B. Execute the <suite> fib(0) fib(1) Call to fib Found in cache Unpacking in a A sequence of • at an index for statement: o Skipped >>> suits fixed-length sequences ['heart', 'diamond', 'spade', 'club'] Type dispatching: Look up a cross-type implementation of an >>> pairs=[[1, 2], [2, 2], [3, 2], [4, 4]] Identity: operation based on the types of its arguments Type coercion: Look up a function for converting one type to >>> same_count = 0 <exp0> is <exp1> evaluates to True if both <exp0> and A name for each element in a fixed-length sequence another, then apply a type-specific implementation. <exp1> evaluate to the same object $\Theta(b^n)$ Exponential growth. Recursive fib takes are positive $\mathbf{k}_{\mathbf{2}}$ such that $|\mathbf{k}_{\mathbf{2}} \, \mathrm{such} \, \mathrm{that} \, | \leq k_2 \cdot f(n)$, than some \mathbf{m} Equality: <exp0> == <exp1> $\Theta(\phi^n)$ steps, where $\phi=\frac{1+\sqrt{5}}{2}\approx 1.61828$ >>> for (x, y) in pairs: evaluates to True if both <exp0> and if x == y: $\Theta(\phi)$ steps, where $\phi = \frac{1}{2} \sim 1$. Incrementing the problem scales R(n) same_count = same_count + 1 <exp1> evaluate to equal values . . . Identical objects are always equal values >>> same_count by a factor $\Theta(n^2)$ Quadratic growth. E.g., overlap You can copy a list by calling the list there $\mathbf{k_1}$ and $\mathbf{k_2} \in R(n)$ Incrementing n increases R(n) by the ..., -3, -2, -1, 0, 1, 2, 3, 4, ... $\Theta(f(n))$ constructor or slicing the list from the problem size n beginning to the end. $\begin{array}{l} R(n) = \Theta(f) \\ means that i \\ means that i \\ constants karls karls karls (n) \\ \Theta(n) \\ \Theta(1) \\$ $\Theta(n)$ Linear growth. E.g., factors or exp Constants: Constant terms do not affect the order of growth of a process $\Theta(n)$ $\Theta(500 \cdot n)$ $\Theta(\frac{1}{500} \cdot n)$ range(-2, 2)Logarithmic growth. E.g., exp_fast $\begin{array}{lll} \Theta(n) & \Theta(500\cdot n) & \Theta(\frac{1}{500}\cdot n) \\ \text{Logarithms: The base of a logarithm does} \end{array}$ Doubling the problem only increments R(n) Length: ending value - starting value Element selection: starting value + index $\Theta(1)$ \downarrow Constant. The problem size doesn't matter not affect the order of growth of a process $\Theta(\log_2 n) = \Theta(\log_{10} n)$ >>> list(range(-2, 2)) < List constructor</pre> $\Theta(\ln n)$ Global frame >func make withdraw(balance) [parent=Global] [-2, -1, 0, 1]Nesting: When an inner process is repeated make_withdraw for each step in an outer process,multiply >func withdraw(amount) [parent=f1] >>> list(range(4)) { Range with a 0
[0, 1, 2, 3] { starting value the steps in the outer and inner processes withdraw >>> withdraw = make_withdraw(100) [0, 1, 2, 3] to find the total number of steps >>> withdraw(25) def overlap(a, b): Membership: Slicing: f1: make withdraw [parent=Global] 75 for item in a: ____Outer: length of a >>> digits = [1, 8, 2, 8] >>> digits[0:2] balance 50 >>> withdraw(25) The parent >>> 2 in digits [1.8] withdraw frame contains 50 if item in b: count += 1 Inner: length of b >>> digits[1:] def make_withdraw(balance): True Return the balance of [8, 2, 8] >>> 1828 not in digits value def withdraw(amount): withdraw return count True nonlocal balance Slicing creates a new object If a and b are both length n, f2: withdraw [parent=f1] if amount > balance:
 return 'No funds then overlap takes $\Theta(n^2)$ steps Functions that aggregate iterable arguments amount 25 Lower-order terms: The fastest-growing part Every call •sum(iterable[, start]) -> value balance = balance - amountReturn value 75 of the computation dominates the total decreases the return balance •max(iterable[, key=func]) -> value same balance $\Theta(n^2) \quad \Theta(n^2 + n) \quad \Theta(n^2 + 500 \cdot n + \log_2 n + 1000)$ return withdraw max(a, b, c, ...[, key=func]) -> value f3: withdraw [parent=f1] min(iterable[, key=func]) -> value •No nonlocal statement Status Effect min(a, b, c, ...[, key=func]) -> value amount 25 Create a new binding from name "x" to number 2 •"x" is not bound locally in the first frame of the current environment •all(iterable) -> bool any(iterable) -> bool Return value 50 Re-bind name "x" to object 2 in the first frame •No nonlocal statement >>> d = { 'one': 1, 'two': 2, 'three': 3}
>>> k = iter(d) >>> v = iter(d.values()) >>> s = [3, 4, 5]•"x" is bound locally iter(iterable): of the current environment Return an iterator over the elements of >>> t = iter(s) •nonlocal x >>> next(t) >>> next(k) >>> next(v) Re-bind "x" to 2 in the first non-local frame of •"x" is bound in a an iterable value one the current environment in which "x" is bound next(iterator): >>> next(t) >>> next(k) >>> next(v) non-local frame Return the next element 4 'two' •nonlocal x •"x" is not bound in SyntaxError: no binding for nonlocal 'x' found A generator function is a function that yields values instead of returning them. >>> def plus minus(x): >>> t = plus_minus(3) def a_then_b(a, b): a non-local frame yield from a yield from b yield x >>> next(t) •nonlocal x . . . vield -x 3 •"x" is bound in a SyntaxError: name 'x' is parameter and nonlocal >>> next(t) >>> list(a_then_b([3, 4], [5, 6])) non-local frame [3, 4, 5, 6]•"x" also bound locally

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