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|---|--|
| $ \begin{array}{llllllllllllllllllllllllllllllllllll$ | $\begin{array}{c c} \Theta(b^n) & \mbox{Exponential growth. Recursive fib takes} \\ \Theta(\phi^n) & \mbox{steps, where} & \phi = \frac{1+\sqrt{5}}{2} \approx 1.61828 \\ & \mbox{Incrementing the problem scales R(n) by a factor} \\ \Theta(n^2) & \mbox{Quadratic growth. E.g., overlap} \\ & \mbox{Incrementing n increases R(n) by the problem size n} \\ \Theta(n) & \mbox{Linear growth. E.g., slow factors or exp} \\ \Theta(\sqrt{n}) & \mbox{Square root growth. E.g., factors_fast} \\ \Theta(\log n) & \mbox{Logarithmic growth. E.g., exp_fast} \\ & \mbox{Doubling the problem only increments R(n).} \\ & \mbox{O(1)} & \mbox{Constant. The problem size doesn't matter} \end{array}$ |