## CS 61A <br> Structure and Interpretation of Computer Programs

 Spring 2020
## INSTRUCTIONS

This is your exam. Complete it either at exam.cs61a.org or, if that doesn't work, by emailing course staff with your solutions before the exam deadline.

This exam is intended for the student with email address cs61a@berkeley.edu. If this is not your email address, notify course staff immediately, as each exam is different. Do not distribute this exam PDF even after the exam ends, as some students may be taking the exam in a different time zone.
For questions with circular bubbles, you should select exactly one choice.You must choose either this optionOr this one, but not both!
For questions with square checkboxes, you may select multiple choices.You could select this choice.You could select this one too!

You may start your exam now. Your exam is due at $<$ DEADLINE $>$ Pacific Time. Go to the next page to begin.

## Preliminaries

You can complete and submit these questions before the exam starts.
(a) What is your full name?
$\square$
(b) What is your student ID number?

(c) What is your @berkeley.edu email address?
$\square$
(d) Who is your TA? (See cs61a.org/staff.html for pictures.)
$\square$

## 1. (8.0 points) What Does This Function Do?

Complete the description of each function so that it correctly describes the function's behavior.
(a) (4.0 points)
def count(n, t, k):
if $\mathrm{n}=0$ :
return int (t <= 0 )
elif $k>n$ :
return 0
else:
$\mathrm{a}=\operatorname{count}(\mathrm{n}, \mathrm{t}, \mathrm{k}+1)$
b = count (n-k, t-1, k)
return $a+b$
Hint: int(False) evaluates to 0 and int(True) evaluates to 1.
As in count_partitions from the Midterm 2 Study Guide, a "way of summing to n using parts" is a sum of zero or more positive integers (the parts) that appear in non-decreasing order and total n . For example, $1+2$ is a way of summing to 3 using 2 parts, but $2+1$ is not.
Complete this description: count ( $n, t, k$ ) counts the ways of summing to $n$ using ...
i. $(2.0 \mathrm{pt})$

○... at least t parts...... at most t parts ...... at least k parts...... at most k parts ...
ii. (2.0 pt)$\ldots$ that are all less than or equal to $t$.... that are all greater than or equal to $t$.$\ldots$ that are all less than or equal to k .$\ldots$ that are all greater than or equal to k .

## (b) (4.0 points)

```
def prime(n):
    """Return the smallest prime number larger than n.
    >>> prime(2)
    3
    >>> prime(8)
    11
    >>> prime(prime(8))
    13
    >>> prime(prime(prime(8)))
    17
    """
    <implementation omitted>
def again():
    f, g = prime, prime
    def h(x):
        nonlocal g
        g, h = (lambda h: lambda y: h(f(y)))(g), g(x)
        return h
    return h
```

Assume that prime is implemented correctly and behaves as its docstring describes.
Below, applying prime to $x$ repeatedly 3 times means evaluating prime(prime(prime(x))).
Complete this description: again() returns a function $h$ that takes a number $x$ and returns the result of applying prime to $x$ repeatedly ...
i. $(2.0 \mathrm{pt})$... k-1 times ...... k times ...... k+1 times ...$\ldots 2$ ** k times...

## ii. (2.0 pt)

... where k is the number of times that this h function has been called.... where k is the number of times that prime has been called during a call to this h function.... where k is the total number of times that all h functions returned by calling again() (perhaps multiple times) have been called throughout the whole program.$\ldots$ where k is the total number of times that prime has been called (perhaps in other ways than by this h function) throughout the whole program.
## 2. (12.0 points) Mind Your P's and Q's

(a) (6.0 points)

Fill in each blank in the code example below so that its environment diagram is the following:

https://i.imgur.com/xPJsDGg.png
$p=[[2],[2,2]]$

(a)
(b)

p___-_-_-_ $=3$
(e)
i. ( 1.0 pt ) Which of the following names could complete blank (a)?addpopappendextend
ii. (1.0 pt) Which of the following expressions could complete blank (b)?$p$p [0]p [1]$p[:]$
iii. (1.0 pt) Which of the following expressions could complete blank (c)?p.pop()$p$ [1]p [0]$\mathrm{p}[: 1]$
iv. (1.0 pt) Which of the following expressions could complete blank (d)?

○p.pop()p [1]$p[0]$$p[: 1]$
v. (2.0 pt) Write code that could complete blank (e).
$\square$
(b) (6.0 points)

Fill in each blank in the code example below so that its environment diagram is the following:

https://i.imgur.com/qk83xRw.png
def $r(r r):$
if rr :
def $r$ (week):
return [_-_------, rr]
rr = _-_-_--_-
(b)
return r(_____-_-__)
(c)
r(5) $\qquad$
(d)

Note: Line numbers for lambda functions have been omitted intentionally.
i. (1.0 pt) Write an expression that could complete blank (a).
$\square$
ii. (1.0 pt) Write an expression that could complete blank (b).
$\square$
iii. (2.0 pt) Write an expression that could complete blank (c).

iv. (2.0 pt) Which of these could complete blank (d)?

○.pop()([4])
○.pop()(4)
○ [0] (4)
○ [0] ([4])

## 3. (12.0 points) Bounds

Definitions: A bound is a two-element tuple of numbers in which element 0 is smaller than element 1. A number t is contained in bound b if $\mathrm{b}[0]<\mathrm{t}$ and $\mathrm{t}<\mathrm{b}[1]$. How tight a bound b is around a number t describes the largest absolute distance between $t$ and one of the numbers in b. For example, the tightness of bound ( 1,7 ) around 6 is 5 because the absolute difference between 6 and 1 is 5 .

## (a) (2.0 points)

Implement minimum, which takes a list $s$ and a one-argument function key. It returns the value in $s$ for which key produces the smallest return value. If s is empty, minimum returns None. If more than one value in s produces a key value at least as small as all others, then minimum returns the first.

```
def minimum(s, key):
    """Return the first value v in s for which key(v) is less than or equal to
    key(w) for all values w in s. Return None if s is empty.
    >>> minimum([5, 4, 3, 2, 1], lambda x: abs(x - 3.1)) # Closest to 3.1
    3
    >>> a = [3]
    >>> minimum([[5], [4], a, [3], [2], [1]], lambda x: abs(x[0] - 3.1)) is a
    True
    """
    if not s:
        return None
    m = s[0]
    for v in s[1:]:
        if __-_-_-__-
            (a)
            m = v
    return m
i. (2.0 pt) What expression completes blank (a)?
    Important: You may not call the built-in min or max functions for this blank.
```


## (b) (4.0 points)

Implement tightest, which takes a list of bounds and a number $t$. It returns the first bound in bounds that both contains $t$ and is the most tight around $t$. If no bound in bounds contains $t$, tightest returns None.

Assume minimum is implemented correctly.

```
def tightest(bounds, t):
    """Return the tightest bound around t in bounds.
    >>> bounds = [(2, 6), (3, 4), (1, 5), (1, 6), (0, 4)]
    >>> tightest(bounds, 3)
    (1, 5)
    >>> tightest(bounds, 3.1)
    (3, 4)
    >>> tightest(bounds, 5)
    (2, 6)
    >>> tightest(bounds, 2)
    (0, 4)
    >>> print(tightest(bounds, 6))
    None
    """
    return minimum([b for b in bounds if ___-_-_-__],
                                    (a)
            lambda b:
                _-_-_-_-_)
                    (b)
```

i. ( $2.0 \mathbf{~ p t}$ ) What expression completes blank (a)?

Important: You may not call the built-in min or max functions for this blank.
$\square$
ii. (2.0 pt) What expression completes blank (b)?$\max (\mathrm{t}-\mathrm{b}[0], \mathrm{b}[1]-\mathrm{t})$abs ( $\mathrm{t}-\max (\mathrm{b})$ )[abs (t - x) for $x$ in b] [0]$\operatorname{abs}(\max ([t-x$ for $x$ in $b]))$

## (c) (6.0 points)

Implement nest, which takes a list of bounds. It returns the largest number of bounds in the list that all overlap with each other.

```
def overlap(a, b):
    """Return whether there is some number t contained in both a and b.
    >>> overlap([2, 4], [1, 3]) # 2.5 is contained in both bounds.
    True
    >>> overlap([1, 3], [2, 4]) # 2.5 is contained in both bounds.
    True
    >>> overlap([2, 4], [1, 2]) # No number is contained in both bounds.
    False
    """
    return a[0] < b[1] and b[0] < a[1]
def nest(bounds):
    """Return the largest number of bounds that all contain the same number.
    >>> bounds = [(2, 6), (3, 4), (1, 5), (1, 6), (0, 4), (0, 3)]
    >>> nest(bounds) # All but the last contain 3.1, so these 5 all overlap with each other.
    5
    >>> bounds = [(1, 5), (5, 7), (7, 9), (1, 9)]
    >>> nest(bounds) # Any of the first three overlaps with the last, but not with each other.
    2
    >>> bounds = [(1, 9), (1, 5), (5, 7), (7, 9)]
    >>> nest(bounds) # The first overlaps with any of the last three.
    2
    >>> bounds = [(2, 4), (1, 3), (1, 2)]
    >>> nest(bounds) # Any two consecutive bounds overlap, but the first & last do not overlap.
    2
    """
    if not bounds:
        return 0
    rest = [b for b in bounds[1:] if overlap(b, _-_-_---_)]
                                    (a)
    return max(nest(_________), 1 + __________)
            (b)
                            (c)
```

i. (2.0 pt) What expression completes blank (a)?
$\square$
ii. (2.0 pt) What expression completes blank (b)?boundsbounds [1:]restbounds[0] + rest
iii. (2.0 pt) What expression completes blank (c)?
$\square$

## 4. (12.0 points) What Does This Function or Method Do?

Complete the description of each function or method so that its behavior is described correctly.

```
(a) (4.0 points) Game
def time(hour, minute, second):
    """Create a time value using data abstraction."""
    <implementation omitted>
def format(t):
    """Return a string that formats a time such that the hours, minutes,
    and seconds all have two digits.
    >>> format(time(3, 30, 5))
    '03:30:05'
    """
    <implementation omitted>
class Game:
    time = None
    def __init__(self, time):
        Game.time = time
    def __str__(self):
        return format(self.time)
```

Assume that time takes numbers that can represent the hours, minutes, and seconds of a valid time and returns a value that can be passed to format. Assume that format behaves as described in its docstring. A Game instance is constructed from the return value of a call to time.

## Complete this description:

print(Game(time (2, 10, 0)), Game(time(3, 0, 0))) will display ...
i. $(4.0 \mathrm{pt})$

○ ... 02:10:00 03:00:00
○ ... 03:00:00 03:00:00
○... '02:10:00' '03:00:00'
○... '03:00:00' '03:00:00'... Game(time (2, 10, 0)) Game(time (3, 0, 0))$\ldots$... Game (time (3, 0, 0)) Game (time (3, 0, 0))$\ldots$... $\operatorname{Game}(t i m e(2,10,0)) ' \quad(G a m e(t i m e(3,0,0)) '$... 'Game(time(3, 0, 0))' 'Game(time(3, 0, 0))'

## (b) (4.0 points) Mystery

```
def mystery(t):
    def e(r, y):
        assert type(r.label) == int
        myst = [e(b, max(y, r.label)) for b in r.branches]
        if r.label > y:
            myst.append(r.label)
        return sum(myst)
    return e(t, 0)
```

Assume that mystery is called on a Tree instance with integer labels. Assume that the sum of an empty set of labels is 0 . The Tree class is defined on the Midterm 2 Study Guide.

An ancestor is a parent, or parent's parent, or parent's parent's parent, etc.
A descendant is a child, or child's child, or childs' child's child, etc.
Complete this description: mystery ( $t$ ) returns the sum of ...
i. $(2.0 \mathrm{pt})$... all leaf labels in t ...... all labels in t...... all positive leaf labels in t ...... all positive labels in t ...

## ii. $(2.0 \mathrm{pt})$

$\bigcirc \ldots$ that are either the root label or larger than their parent label.... that are either the root label or larger than all their ancestor labels.... that are either leaf labels or larger than all their child labels.$\ldots$ that are either leaf labels or larger than all their descendant labels.
(c) (4.0 points) Add

```
class Add:
    s = 2
    def __init__(self, s):
        assert isinstance(s, Link) or s is Link.empty
        self.t = s
        s = self.s + 1
    def this(self, v):
        def f(t):
            if t is Link.empty or t.first >= v:
                return Link(v, t)
            else:
                return Link(t.first, f(t.rest))
        for i in range(self.s):
            self.t = f(self.t)
```

Assume Add is called on Link.empty or a Link instance containing numbers, and the this method is called on a number. The Link class is defined on the Midterm 2 Study Guide.
Complete this description: For an instance $\mathrm{a}=\operatorname{Add}(\mathrm{s})$, the expression a.this(v) inserts v into a.t
i. $(2.0 \mathrm{pt})$... once ...... twice ...... three times ...$\ldots$ a number of times equal to two plus the number of Add instances ever constructed...

## ii. (2.0 pt)

$\ldots$ at the latest position within a.t where v is larger than all previous elements in a.t.$\ldots$ at the earliest position within a.t where v is smaller than all subsequent elements in a.t.$\ldots$ at the latest position within a.t where $v$ is smaller than all previous elements in a.t.$\ldots$ at the earliest position within a.t where v is larger than all subsequent elements in a.t.
## 5. (6.0 points) Multiples

Implement multiples, a generator function that takes positive integers k and n . It yields all positive multiples of k that are smaller than n in decreasing order.

```
def multiples(k, n):
    """Yield all positive multiples of k less than n in decreasing order.
    >>> list(multiples(10, 50))
    [40, 30, 20, 10]
    >>> list(multiples(3, 25))
    [24, 21, 18, 15, 12, 9, 6, 3]
    >>> list(multiples(3, 3))
    []
    """
    if _-_-_----_:
            (a)
```

            for why in _-_-_-_-_:
                    (b)
                yield
            _--------
                (c)
            yield k
    (a) (2.0 pt) Which expression completes blank (a)?$k<n$$\mathrm{k}>0$$\mathrm{n}>0$$\mathrm{k}>0$ and $\mathrm{n}>0$
(b) (2.0 pt) Which expression completes blank (b)?

○ multiples (k, n // 10)
multiples (k, n - 1)multiples (k, n - k)multiples (k, n / k)
(c) (2.0 pt) What expression completes blank (c)?
$\square$

## 6. ( 16.0 points) Meeting in Venue

Implement the methods of the User and Meeting classes as follows:

- When a User decides to attend a Meeting for the first time, if they are the host of the Meeting, they will be added to the end of the approved list; otherwise they will be added to the end of the waiting list.
- When a User attempts to attend a meeting again, they are not added to any list. A string is returned stating that the User is already attending.
- A Meeting's admit method takes a function $f$ that takes a User and returns whether they should be admitted. The admit method moves all waiting Users for which $f$ returns a true value from the waiting list to the end of the approved list.

```
class User:
    """A User can attend a Meeting.
    >>> john = User('denero@berkeley')
    >>> oski = User('oski@berkeley')
    >>> jack = User('jack@junioruniversity')
    >>> section = Meeting(john)
    >>> for x in [john, oski, jack]:
    ... x.attend(section)
    >>> section.approved
    [User('denero@berkeley')]
    >>> section.waiting
    [User('oski@berkeley'), User('jack@junioruniversity')]
    >>> oski.attend(section)
    oski@berkeley is already attending
    >>> section.admit(lambda x: 'berkeley' in x.identifier)
    >>> section.approved
    [User('denero@berkeley'), User('oski@berkeley')]
    >>> section.waiting
    [User('jack@junioruniversity')]
    >>> oski.attend(section)
    oski@berkeley is already attending
    >>> User('denero@berkeley').attend(section) # A different user with the same identifier can attend
    >>> section.waiting
    [User('jack@junioruniversity'), User('denero@berkeley')]
    """
    def __init__(self, identifier):
        self.identifier = identifier
    def attend(self, meeting):
        if _---_---_ in _-------_:
            (a)
            (b)
            print(self.identifier, 'is already attending')
        else:
            users =
                        _-_-_-----
                (c)
```

```
        f __-_-_-__:
            (d)
            users =
                        _-_-_-_-_-
                            (e)
                users.append(_________)
                            (f)
    def __repr__(self):
        return 'User(' + repr(self.identifier) + ')'
class Meeting:
    """A Meeting can admit waiting Users."""
    def __init__(self, host):
        self.waiting = []
        self.approved = []
        self.host = host
    def admit(self, f):
        for x in self.waiting:
            if ______-___:
            (g)
            self.approved.append (x)
        self.waiting = __-_-_---
```

            (h)
    (a) (2.0 pt) What expression completes blank (a)?

(b) (2.0 pt) Which expression completes blank (b)?meeting.pending + meeting.joined[meeting.pending, meeting.joined]meeting. pending.extend (meeting.joined)meeting. pending.append(meeting.joined)
(c) (2.0 pt) What expression completes blank (c)?

(d) (2.0 pt) Which expression completes blank (d)?

○ self.identifier in meeting
$\bigcirc$ self in meeting
$\bigcirc$ self.identifier in meeting.host
$\bigcirc$ self in meeting.hostself.identifier in meeting.joinedself in meeting.joinedself.identifier == meeting.hostself is meeting.host
(e) (2.0 pt) What expression completes blank (e)?
$\square$
(f) (2.0 pt) What expression completes blank (f)?
$\square$
(g) (2.0 pt) What expression completes blank (g)?
$\square$
(h) (2.0 pt) What expression completes blank (h)?
$\square$

## 7. (14.0 points) Apply Here

(a) (4.0 points) max

Implement max, which takes a non-empty list of integers and returns the largest.
For example, (max '( $\left.\begin{array}{lllll}1 & 4 & 3 & 5 & 2\end{array}\right)$ ) evaluates to 5 .
The built-in length procedure returns the length of a list.
(define (max vals) (if (= (length vals) 1) _-_-_-_-_
(a)

i. ( $\mathbf{1 . 0} \mathbf{~ p t )}$ What expression completes blank (a)?
$\square$
ii. (1.0 pt) Which completes blank (b)?defineletifcondbegin
iii. (1.0 pt) What expression completes blank (c)?
$\square$
iv. (1.0 pt) What expression completes blank (d)?


## (b) (6.0 points) partial

Implement partial, which takes a procedure action and a list args. It returns a procedure that takes one argument final-arg and returns the result of calling action on the values in args as well as final-arg, in that order.

For example ((partial - ' (10 2)) 7) evaluates to 1, just like ( -1027 ).
Assume that action can be called on k arguments, where k is one more than the length of args.
Hint: The built-in apply procedure takes two arguments: a procedure and a list of arguments. It returns the result of calling the procedure on the arguments. For example, (apply - ' (10 27 )) evaluates to 1, just like (- 1027 ).

## (define (partial action args)

(_--------- ----------
(apply action (_-_--_----
(c)
args
 )))
(d)
(a)
(b)
i. (1.0 pt) What completes blank (a)?
$\square$
ii. (1.0 pt) Which completes blank (b)?final-arg(final-arg)()(args final-arg)
iii. (1.0 pt) Which symbol completes blank (c)?

Hint: All of these built-in procedures are demonstrated on top of Page 1 of the final study guide.conslistappendcar$c d r$
iv. (3.0 pt) What expression completes blank (d)?
$\square$
(c) (4.0 points) max again

Suppose there were a built-in largest procedure that took one or more numbers as arguments and returned the largest argument. For example, (largest 1435
Again, define max, which takes a list of numbers and returns its largest element. This time, you may use only the symbols largest, partial, apply, and list, along with parentheses, in your implementation. You may not use any special forms (such as quotation, lambda, etc.).
Important: largest takes multiple arguments that are numbers, while max takes a single argument that is a list of numbers.

For example, (max '(14352)) evaluates to 5, just like (largest 14352 ).
(define (max args) _-_-_-_-_)
(a)
i. (4.0 pt) You may use only largest, partial, apply, list, and parentheses.

What expression completes blank (a)?

## 8. (13.0 points) Contact Tracing

Each row of the visits table describes a visit to some establishment by an individual.

- The who column indicates the individual's name. Assume everyone has a unique name.
- The venue column indicates which establishment they visited.
- The arrive column indicates the hour they arrived and the depart column indicates the hour they departed. Assume all visits begin and end on the hour. All hours are from 1pm to 11pm. Assume depart is greater than arrive.

```
CREATE TABLE visits AS
    SELECT "Oski" AS who, "Bar" AS venue, 4 AS arrive, 6 AS depart UNION
    SELECT "Oski" , "Grocery" , 6 UNION
    SELECT "Oski" , "Bar" , 8 UNION
    SELECT "Jane" , "Grocery" , 5 , 7 UNION
    SELECT "Jane" , "Restaurant" , 7 UNION
    SELECT "Jane" , "Bar" , 8 UNION
    SELECT "Jack" , "Restaurant" , 7 UNION
    SELECT "Jack" , "Bar" , 9 , 10;
```

(a) (8.0 points) contacts

Create the contacts table. Each row describes a period of time in which another individual was in the same establishment as Oski. If one individual departs just as another arrives, they do not make contact; they must overlap in time to be included in the contacts table.

- The other column indicates the name of the individual (not Oski) who came in contact with Oski.
- The location column indicates the establishment in which they made contact.
- The start column indicates the hour that the contact period began.
- The stop column indicates the hour that the contact period ended.

The contents of contacts are below. Any row order is fine.

```
other | location | start | stop
====== | ========== | ======= | =======
Jane | Grocery | 6 | 7
Jane | Bar | 8 | 10
Jack | Bar | 9 | 10
```

Important: Your query should construct contacts correctly even if the rows of visits were different.
Hint: The MIN function computes the smaller of two values when called on two arguments. The MAX function computes the larger. These are not aggregate functions when called on two arguments.
CREATE TABLE contacts AS

```
SELECT b.who AS other,
    b.venue AS location,
    MAX(a.arrive, b.arrive) AS start,
    MIN(a.depart, b.depart) AS stop
FROM visits AS a, visits AS b
WHERE a.who = __-_-_-_-_ AND __-_-_-_-_ AND __-_-_-_-_ AND __-_-_-_-----
    (a)
    (b)
    (c)
    (d)
```

i. (2.0 pt) What completes blank (a)?
$\square$
ii. (2.0 pt) Which expression completes blank (b)?
O.who = b.whoa.who != b.whoa.who < b.whoa.who > b.who
iii. (2.0 pt) Which expression completes blank (c)?

Stop > startstart > stopstop >= startstart >= stopstart = stopstart != stop
iv. (2.0 pt) What expression completes blank (d)?
$\square$

## (b) (5.0 points) time

Select one row per individual other than Oski. Each row should contain two columns: the name of the individual and the total time in hours that they spent in contact with Oski.
The result appears below. Any row order is fine.

```
name | time
===== | ======
Jane | 3
Jack | 1
```

Important: Your query should construct this result correctly even if the rows of contacts were different. Assume contacts is constructed correctly.
SELECT

(a)
AS name,

(b)
AS time FROM contacts __-_-_-_-_ (c)
i. ( $\mathbf{1 . 0} \mathbf{~ p t ) ~ W h a t ~ e x p r e s s i o n ~ c o m p l e t e s ~ b l a n k ~ ( a ) ? ~}$whoname
other"who""name""other"
ii. (2.0 pt) What expression completes blank (b)?
$\square$
iii. (2.0 pt) What clause completes blank (c)?
$\square$

## 9. (7.0 points) Expression Tree

Definition: A tree expression for a Tree instance $t$ is a string that starts with $t$ and contains a Python expression that evaluates to a node label within $t$ by using branches and label attributes and item selection.
For example, if $\mathrm{t}=\operatorname{Tree}(3, \quad[\operatorname{Tree}(4,[\operatorname{Tr} e e(-1)])$, $\operatorname{Tree}(-5)])$, then there are 4 tree expressions for t :

- 't.label'
- 't.branches [0].label'
- 't.branches [1].label'
- 't.branches [0].branches[0].label'.

The Tree class is defined on the Midterm 2 Study Guide.
(a) (4.0 points) labels

Implement labels, which takes a Tree instance $t$ and returns a list of all tree expressions for $t$ in any order.

```
def labels(t):
    """List all tree expressions for tree t.
    >>> t = Tree(3, [Tree(4, [Tree(-1)]), Tree(-5)])
    >>> for e in labels(t):
    ... print(e)
    t.label
    t.branches[0].label
    t.branches[0].branches [0].label
    t.branches[1].label
    """
    def traverse(t, e):
        result.append(_-_-_-_-__)
```

(a)
for $i$ in range(len(t.branches)):
traverse(t.branches[i], _-_-_-_-_)
(b)
result = []
traverse(t, 't')
return result
i. (2.0 pt) What expression completes blank (a)?
$\square$
ii. (2.0 pt) What expression completes blank (b)?
$\square$
(b) (3.0 points) smallest

Complete the expression below that evaluates to the node label within $t$ that is closest to zero (i.e., has the smallest absolute value). For $t=\operatorname{Tree}(3,[\operatorname{Tree}(4,[\operatorname{Tree}(-1)])$, $\operatorname{Tree}(-5)])$, this would evaluate to -1.

Assume labels is implemented correctly and the name $t$ is bound to a Tree instance in the current environment. The built-in eval function takes a string and returns the result of evaluating the expression contained in the string in the current environment.

Important: Complete each blank with a single name.
$\qquad$ ([eval(__-_-_-_-_)
(b)
(c)
i. (1.0 pt) What name completes blank (a)?
$\square$
ii. (1.0 pt) What name completes blank (b)?
$\square$
iii. (1.0 pt) What name completes blank (c)?
$\square$

No more questions.

