

1 Binary Tree Traversals

```
Preorder: 10, 2, 5, 7, 8, 3, 0, 2
Inorder:  5, 2, 7, 8, 10, 3, 0, 2
Postorder: 5, 8, 7, 2, 2, 0, 3, 10
```

Bonus answers: The height in this case is N . If the preorder and the inorder traversal are the same, this means that all nodes have only right children. The second question is a trick question: Inorder traversal is not well defined for non-binary trees.

2 Is This a BST?

- (a) Is the above method correct for all inputs? Why or why not? **No, the above code only enforces the BST invariant on at most three nodes at a time, and does not enforce the invariant for ALL keys in the left or right subtrees.**
- (b) If you answered no to the previous part, what changes would you need to make to `isBST()` so that it works correctly?

```
public static boolean isBST(TreeNode n) {
    return isBSTHelper(n, Integer.MIN_VALUE, Integer.MAX_VALUE);
}

public static boolean isBSTHelper(TreeNode n, int min, int max) {
    if (n == null) {
        return true;
    }

    if (n.val < min || n.val > max) {
        return false;
    }

    return isBSTHelper(n.left, min, n.val) && isBSTHelper(n.right,
        n.val, max);
}
```

3 Sum Paths

```
void printSumPaths(Node t, int n) {
    if (t != null) {
        sumPathsHelper(t, 0, "", n);
    }
}

void sumPathsHelper(Node curNode, int curSum, String curPath, int n) {
    curSum += curNode.value;
    curPath += curNode.value + " ";
}
```

```

if (curNode.left == null && curNode.right == null) {
    if (curSum == n) {
        System.out.println(curPath);
    }
    return;
}

if (curNode.left != null) {
    sumPathsHelper(curNode.left, curSum, curPath, n);
}

if (curNode.right != null) {
    sumPathsHelper(curNode.right, curSum, curPath, n);
}
}

```

Bonus question solutions: In the worst **case**, the tree height is Q . At level h , the code performs a concatenation of strings of length $k_1 * h + k_2$, e.g.

```

"5"
"5 " + "33"
"5 33 " + "91"
"5 33 91 " + "10"

```

Since String concatenation takes linear time, **this** results in a runtime of $1+2+3+\dots+Q = \Theta(Q^2)$.