| Purposes of Sorting orts searching h standard example s other kinds of search: two equal items in this set? two items in this set that both have the same value for X? my nearest neighbors? rous unexpected algorithms, such as convex hull (small- olygon enclosing set of points). | it in secondary storage (in based sorting assumes only g uses more information ab rting works by repeatedly sitions in the sorted sequen rting works by repeatedl | memory. of data in batches, keeping the old days, tapes). thing we know about keys is out key structure. inserting items at their ap- | <pre>ce types, C, that have a nc a.lang.Comparable), we nt sort, three-argument all elements of ARR st */ cextends Comparable<? eference types, R, we have all elements of ARR st ding to the ordering do</pre> | <pre>cably into non-descending order defined by COMP. */ Comparator<? super R> comp) {}</pre> |
|---|--|--|--|--|
| 8:43:34 2018 C561B: Lecture #26 2 | 8-43:34 2018 | CS618: Lecture #26 4 | 3:43:34 2018 | CS618: Lecture #26 6 |
| CS61B Lecture #26 | brings them into order, acc | ons (re-arranges) a sequence of cording to some <i>total order</i> . | ary provides static metho rrays. | es in the Java Library ods to sort arrays in the class |
| rt. | t only by the word being on sorting could put either e | $x \leq z$. ual items as equivalent: finitions for the same word. defined (ignoring the defini- entry first. ative order of equivalent en- | <pre>>id sort(P[] arr) { elements FIRST END- */ >id sort(P[] arr, int f all elements of ARR in .bly using multiprocess >id parallelSort(P[] ar elements FIRST END- ', possibly using multi</pre> | <pre>htto non-descending order. */ } -1 of ARR into non-descending first, int end) { } htto non-descending order, sing for speed. */</pre> |
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sorting Lists in the Java Library

va.util.Collections contains two methods similar to nethods for arrays of reference types: all elements of LST stably into non-descending :. */ extends Comparable<? super C>> sort(List<C> lst) {...}

all elements of LST stably into non-descending according to the ordering defined by COMP. */ > void sort(List<R> , Comparator<? super R> comp) {...}

nce method in the List<R> interface itself:

all elements of LST stably into non-descending according to the ordering defined by COMP. */ (Comparator<? super R> comp) {...}

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ys of Reference Types in the Java Library

e types, C, that have a *natural order* (that is, that ima.lang.Comparable), we have four analogous methods nt sort, three-argument sort, and two parallelSort

all elements of ARR stably into non-descending
*/
c extends Comparable<? super C>> sort(C[] arr) {...}

eference types, R, we have four more: all elements of ARR stably into non-descending order ding to the ordering defined by COMP. */ > void sort(R[] arr, Comparator<? super R> comp) {...}

fancy generic arguments?

to allow types that have <code>compareTo</code> methods that apply general types.

Sorting by Insertion

ith empty sequence of outputs. tem from input, *inserting* into output sequence at right

good for small sets of data.

or linked list, time for find + insert of one item is at where k is # of outputs so far.

a $\Theta(N^2)$ algorithm (worst case as usual).

ore?

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Examples

atic java.util.Arrays.*; atic java.util.Collections.*; ing[] or List<String>, into non-descending order: // or ... everse order (Java 8): [String x, String y) -> { return y.compareTo(x); });

Collections.reverseOrder()); // or 1lections.reverseOrder()); // for X a List

..., X[100] in array or List X (rest unchanged):

0, 101);

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..., L[100] in list L (rest unchanged):
tblist(10, 101));

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Shell's sort

insertion sort by first sorting distant elements: bsequences of elements $2^{k} - 1$ apart: \$#0, $2^{k} - 1$, $2(2^{k} - 1)$, $3(2^{k} - 1)$, ..., then \$#1, $1 + 2^{k} - 1$, $1 + 2(2^{k} - 1)$, $1 + 3(2^{k} - 1)$, ..., then \$#2, $2 + 2^{k} - 1$, $2 + 2(2^{k} - 1)$, $2 + 3(2^{k} - 1)$, ..., then

 $\#2^k - 2, \ 2(2^k - 1) - 1, \ 3(2^k - 1) - 1, \ \dots,$ an item moves, can reduce #inversions by as much as

sequences of elements $2^{k-1} - 1$ apart:

s #0, $2^{k-1} - 1$, $2(2^{k-1} - 1)$, $3(2^{k-1} - 1)$, ..., then s #1, $1 + 2^{k-1} - 1$, $1 + 2(2^{k-1} - 1)$, $1 + 3(2^{k-1} - 1)$, ...,

insertion sort ($2^0 = 1$ apart), but with most inversions

⁽²⁾ (take CS170 for why!).

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Inversions

N) comparisons if already sorted.
/pical implementation for arrays:
; i < A.length; i += 1) {
 [i];
; j >= 0; j -= 1) {
 compareTo(x) <= 0) /* (1) */
</pre>

/* (2) */

[j];

xecutes for each $j \approx$ how far x must move. ithin K of proper places, then takes O(KN) operations. or any amount of *nearly sorted* data. of unsortedness: # of *inversions:* pairs that are out when sorted, N(N - 1)/2 when reversed). ion of (2) decreases inversions by 1. M3334 2018 (5618: Lecture #26, 11)

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