

2 Identification

Match the sorting algorithms to the sequences, each of which represents several intermediate steps in the sorting of an array of integers. Assume that for quicksort, the pivot is always the first item in the sublist being sorted. Note: these steps are not necessarily the first few intermediate steps and there may be steps which are skipped.

Algorithms: *Quicksort, Merge Sort, Heapsort, MSD Radix Sort, Insertion Sort.*

(a) 12, 7, 8, 4, 10, 2, 5, 34, 14
 7, 8, 4, 10, 2, 5, 12, 34, 14
 4, 2, 5, 7, 8, 10, 12, 14, 34

(b) 23, 45, 12, 4, 65, 34, 20, 43
 4, 12, 23, 45, 65, 34, 20, 43

(c) 12, 32, 14, 11, 17, 38, 23, 34
 12, 14, 11, 17, 23, 32, 38, 34

(d) 45, 23, 5, 65, 34, 3, 76, 25
 23, 45, 5, 65, 3, 34, 25, 76
 5, 23, 45, 65, 3, 25, 34, 76

(e) 23, 44, 12, 11, 54, 33, 1, 41
 54, 44, 33, 41, 23, 12, 1, 11
 44, 41, 33, 11, 23, 12, 1, 54

- (f) You will be given an answer bank, each item of which may be used multiple times. You may not need to use every answer, and each statement may have more than one answer.
- A. QuickSort (in-place using Hoare partitioning and choose the leftmost item as the pivot)
 - B. MergeSort
 - C. Selection Sort
 - D. Insertion Sort
 - E. HeapSort
 - N. (None of the above)

List all letters that apply. List them in alphabetical order, or if the answer is none of them, use N indicating none of the above. All answers refer to the entire sorting process, not a single step of the sorting process. For each of the problems below, assume that N indicates the number of elements being sorted.

----- Bounded by $\Omega(N \log N)$ lower bound.

----- Has a worst case runtime that is asymptotically better than Quicksort's worstcase runtime.

----- In the worst case, performs $\Theta(N)$ pairwise swaps of elements.

----- Never compares the same two elements twice.

----- Runs in best case $\Theta(\log N)$ time for certain inputs