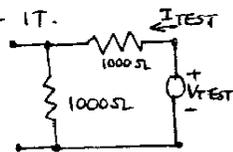


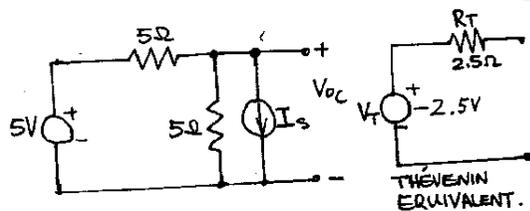
SINCE $\frac{V}{R}$ IS A CONSTANT (I_s), AS V INCREASES AND APPROACHES INFINITY, R ALSO APPROACHES INFINITY. THIS MEANS THAT R EVENTUALLY BECOMES AN OPEN CIRCUIT. i.e. THE NORTON EQUIVALENT IS JUST AN IDEAL CURRENT SOURCE.

3.11 SETTING THE CURRENT SOURCE TO ZERO MEANS OPEN-CIRCUITING IT.

$$\therefore R_T = (1000 + 1000)\Omega = \underline{2\text{K}\Omega}$$



3.12



TO DETERMINE R_T , REPLACE THE VOLTAGE SOURCE BY A SHORT CIRCUIT AND THE CURRENT SOURCE BY AN OPEN CIRCUIT. THEN $R_T = 5\Omega \parallel 5\Omega = \underline{2.5\Omega}$
TO DETERMINE V_{oc} , WRITE A NODE EQUATION FOR THE OUTPUT NODE:

$$\frac{V_{oc} - 5V}{5\Omega} + \frac{V_{oc}}{5\Omega} + I_s = 0 \text{ OR } V_{oc} = \frac{5(1 - I_s)}{2}$$

$$\text{FOR } I_s = 2A, V_T = V_{oc} = \frac{5(1 - 2)}{2} = \underline{-2.5V}$$

THEN THE THEVENIN EQUIVALENT IS SHOWN ABOVE.

3.13 SEE SOLUTION TO PROB. 3.12.

$$\text{FOR } I_s = 1A, V_T = V_{oc} = 0$$

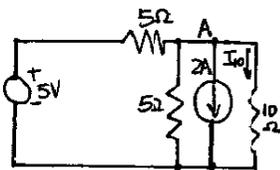
THE THEVENIN EQUIVALENT IS SIMPLY A 2.5Ω RESISTOR. NOTE THAT THE FORMULA $R_T = -V_{oc}/I_{sc}$ CAN STILL BE USED.

3.14 (1) AT NODE A

$$\frac{V_A - 5V}{5\Omega} + \frac{V_A}{5\Omega} + 2A + \frac{V_A}{10\Omega} = 0$$

$$\Rightarrow V_A = -2V$$

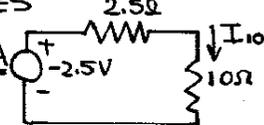
$$\text{THEN } I_{10} = \frac{V_A}{10\Omega} = \underline{-0.2A}$$



(2) FROM THE SOLUTION TO PROBLEM 3.12,

THE CIRCUIT BECOMES

$$\therefore I_{10} = \frac{-2.5}{2.5 + 10} = \underline{-0.2A}$$

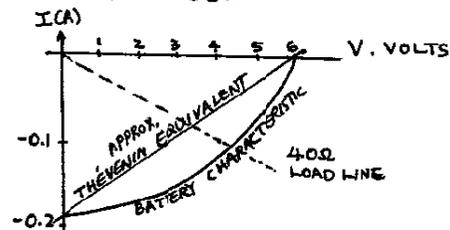


3.15 AN IDEAL VOLTMETER (AMMETER) IS AN OPEN (SHORT) CIRCUIT. THUS FROM FIG 3.38, $V_{oc} = 6V$ AND $I_{sc} = -0.19A$. IT FOLLOWS THAT THE CORRESPONDING THÉVENIN EQUIVALENT

CIRCUIT IS CHARACTERIZED BY $V_t = V_{oc} = 6V$,
 $R_t = -\frac{V_{oc}}{I_{sc}} = -\frac{6V}{-0.19A} \approx 33\Omega$ AN

I-V CHARACTERISTIC GIVEN BY EQ. (3-1)

$$I = \frac{V}{R_t} - \frac{V_t}{R_t} = \frac{1}{33\Omega} V - 0.19A.$$

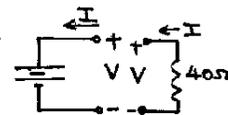


THE TWO CHARACTERISTICS SHOWN DO NOT AGREE BECAUSE THE BATTERY IS NON-LINEAR AND HENCE HAS NO THÉVENIN EQUIVALENT, A THÉVENIN CIRCUIT IS ALWAYS REPRESENTED BY A LINEAR I-V CHARACTERISTIC.

3.16 FOR THE 4.0Ω RESISTOR,

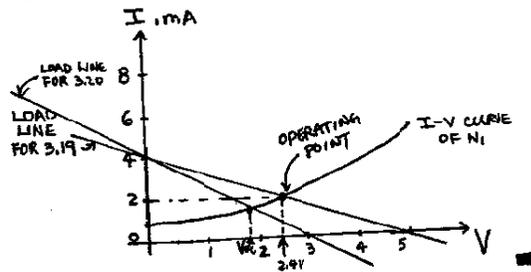
THE I-V CHARACTERISTIC IS

$$I = -\frac{V}{4.0\Omega}$$



BY THE GRAPHICAL METHOD PORTRAYED ABOVE WE CAN FIND THE VOLTAGE ACROSS THE RESISTOR AND THE CURRENT THROUGH IT FOR BOTH PARTS (a) & (b)

WE GET THE LOAD LINE. NOW THE INTERSECTION OF THE I-V CURVE AND THE LOAD LINE GIVES THE CURRENT FLOWING THROUGH N_1 TO BE 2mA



3.20 NOTE: N_1 HAS THE WEIRD PROPERTY THAT $I_N(V=0) \neq 0$.

$$\frac{3}{750} + I_{sc} - I_N(V=0) = 0$$

$$I_{sc} = -4 \text{ mA} + 1 \text{ mA} = -3 \text{ mA}$$

TO FIND V_{oc} , WE SPIT THE CIRCUIT INTO A THÉVENIN SECTION AND THE NON-LINEAR ELEMENT.

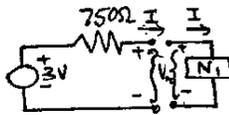
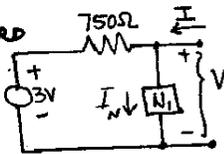
THE EQUATION OF THE LOAD LINE IS

$$3 - 750I - V = 0$$

$$\Rightarrow I = -\frac{V}{750} + \frac{1}{250}$$

BY DRAWING THE LOAD LINE IN THE ABOVE GRAPH,

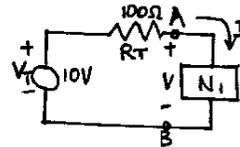
WE GET $V_{oc} = 1.7 \text{ VOLT}$



3.21 THE I-V CHARACTERISTIC OF

THE NONLINEAR ELEMENT IS

$$I = 0.002V^2 \quad \text{--- (a)}$$



(1) NODE A: $\frac{V_A - (V_B + V_T)}{R_T} + I = 0$

$$\Rightarrow V - V_T + IR_T = 0 \quad \text{--- (b)}$$

ELIMINATING I FROM THE TWO EQUATIONS RESULTS

IN A QUADRATIC EQUATION FOR V :

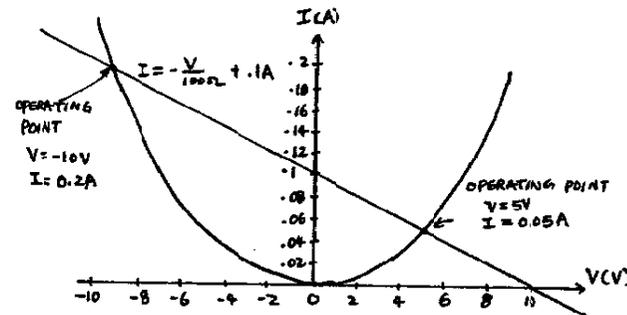
$$V^2 + \frac{500}{R_T}V - \frac{300V_T}{R_T} = 0$$

FOR $R_T = 100\Omega$, $V_T = 10V$: $V = -10V$, $I = 0.2A$

$V = 5V$, $I = 0.05A$

THE CIRCUIT HAS TWO OPERATING POINTS.

(2) GRAPHICAL SOLUTION.



3.31 WHEN $V_T = 5V$, $V \cong 2.6V$, $I \cong 2.2mA$ ACROSS

N_1 i.e. $P = 2.6 \times 2.2mW \cong 5.72mW$

THEREFORE FROM (3) OF PROBLEM 3.29

$$P_{AV} \text{ ENTERING } N_1 = \text{INSTANTANEOUS POWER} \times \text{DUTY CYCLE}$$

$$= 5.72 \times 25\% mW$$

$$= \underline{1.43 mW}$$

3.32 $P_{AV} = \frac{1}{T} \int_0^T \frac{v^2(t)}{R} dt$



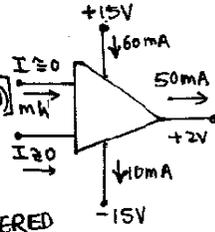
$$= \frac{1}{0.002} \int_0^{0.002} \frac{(0.3t^2)^2}{50} dt$$

$$= \frac{1}{0.002} \left[\frac{0.3^2}{0.002^2} t^3 / 3 \right]_0^{0.002}$$

$$= \frac{1}{0.002} \left[\frac{0.3^2 (0.002)}{150} \right]$$

$$= \underline{0.6 mW}$$

3.33 $P = P_1V_1 + P_2V_2 + P_3V_3$



$$= [15(60) + (-15)(-10) + (2)(-50)] mW$$

$$= \underline{9.50 mW}$$

NOTE THAT CURRENT FLOWING INTO THE OP-AMP IS CONSIDERED POSITIVE.

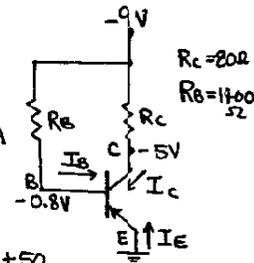
3.34 $I_B = \frac{-9 - (-0.8)}{R_B}$

$$= \frac{-8.2V}{1400\Omega} = -5.86 mA$$

$$I_C = \frac{-9 - (-5)}{80} = -50 mA$$

$$I_E = -(I_B + I_C) = 5.86 + 50$$

$$= \underline{55.86 mA}$$



POWER DISSIPATED IN THE TRANSISTOR

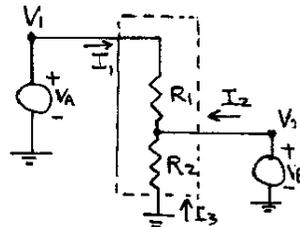
$$= V_B I_B + V_C I_C + (0) I_E$$

$$= (-5.86m)(-0.8) + (-5)(-50m)$$

$$= \underline{254.7 mW}$$

3.35 $I_1 = \frac{V_A - V_B}{R_1}$

$$I_2 = \frac{V_B - 0}{R_2} - I_1$$



(1) FROM EQN. 3.16

POWER DISSIPATED IN THE NETWORK

$$= V_1 I_1 + V_2 I_2 + (0) I_3$$

$$= V_A \left(\frac{V_A - V_B}{R_1} \right) + V_B \left(\frac{V_B}{R_2} \right) - \left(\frac{V_A - V_B}{R_1} \right) V_B$$

$$= \frac{(V_A - V_B)^2}{R_1} + \frac{V_B^2}{R_2}$$

(2) $P_{R1} = \frac{(V_A - V_B)^2}{R_1}$; $P_{R2} = \frac{(V_B - 0)^2}{R_2}$