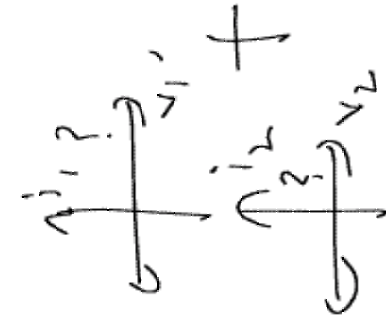
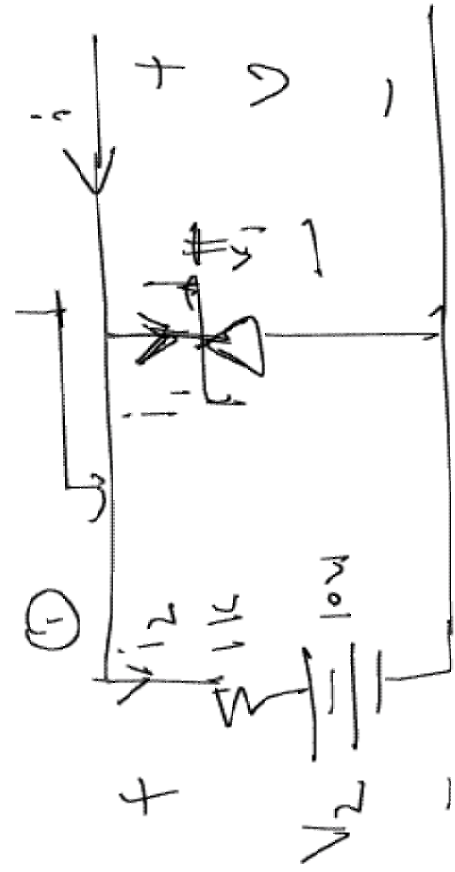
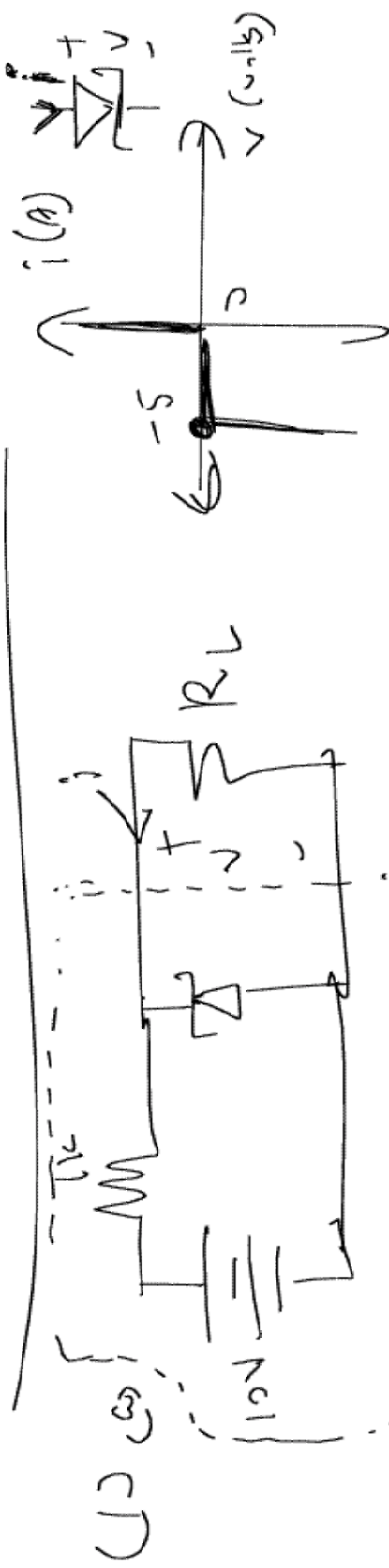


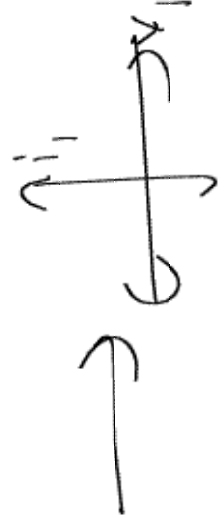
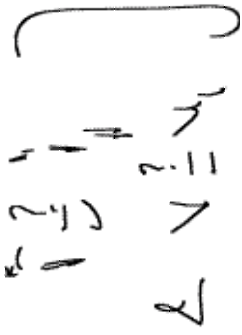
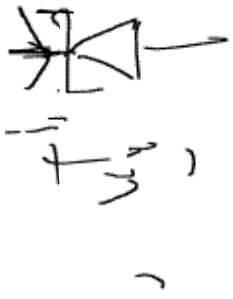
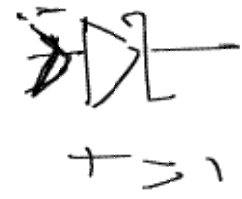
Thursday Night "lecture 104"



$$KCL: i = i_1 + i_2$$

$$KVL: v_1 = v_2 = v$$

$$i = i_1 + i_2$$



② Circuit analysis, remember, Zener will turn on if

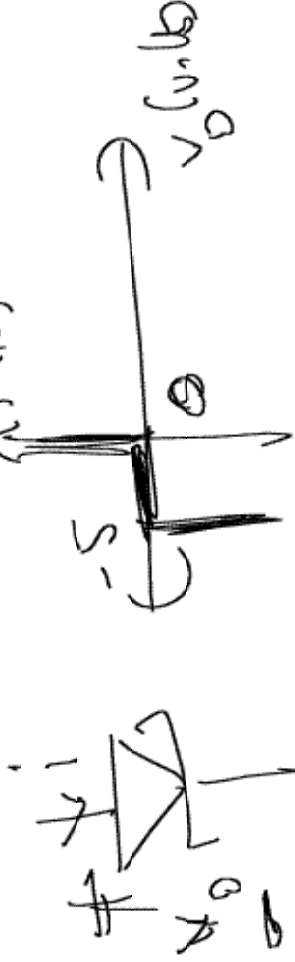
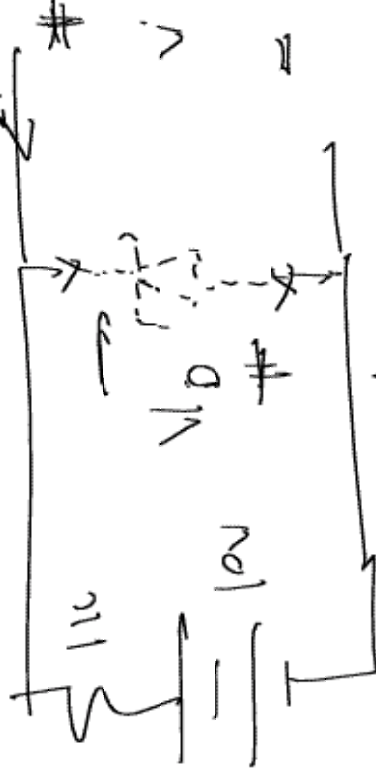
$$V_Z = -5V$$

Assume diode is

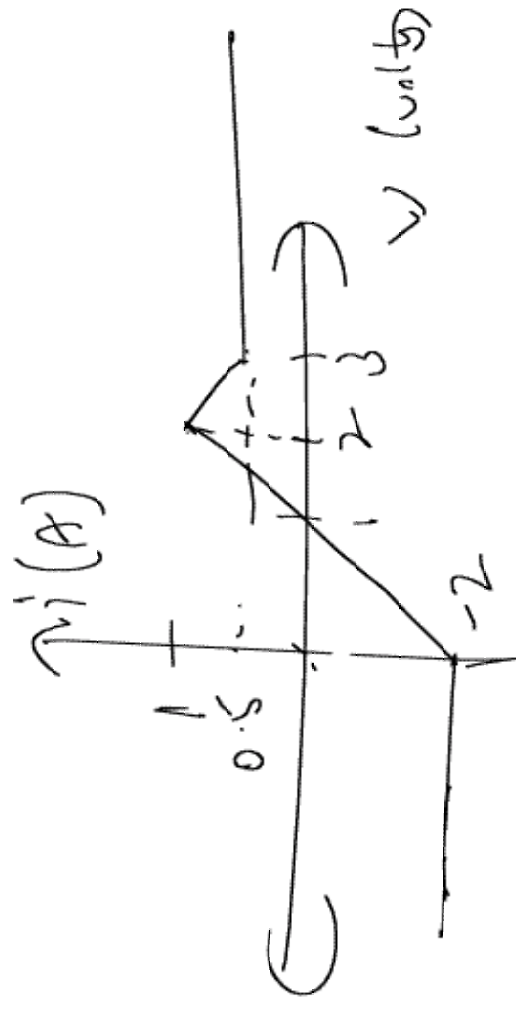
off i.e. $-5 < v_D < 0$

$$V = -V_D$$

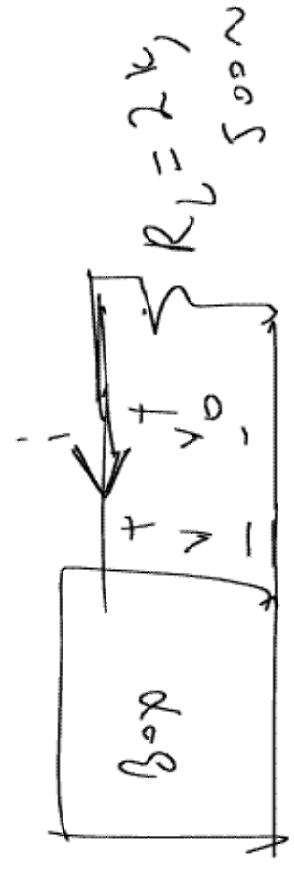
$$\therefore 0 < V < 5$$



Assuming:



(b)



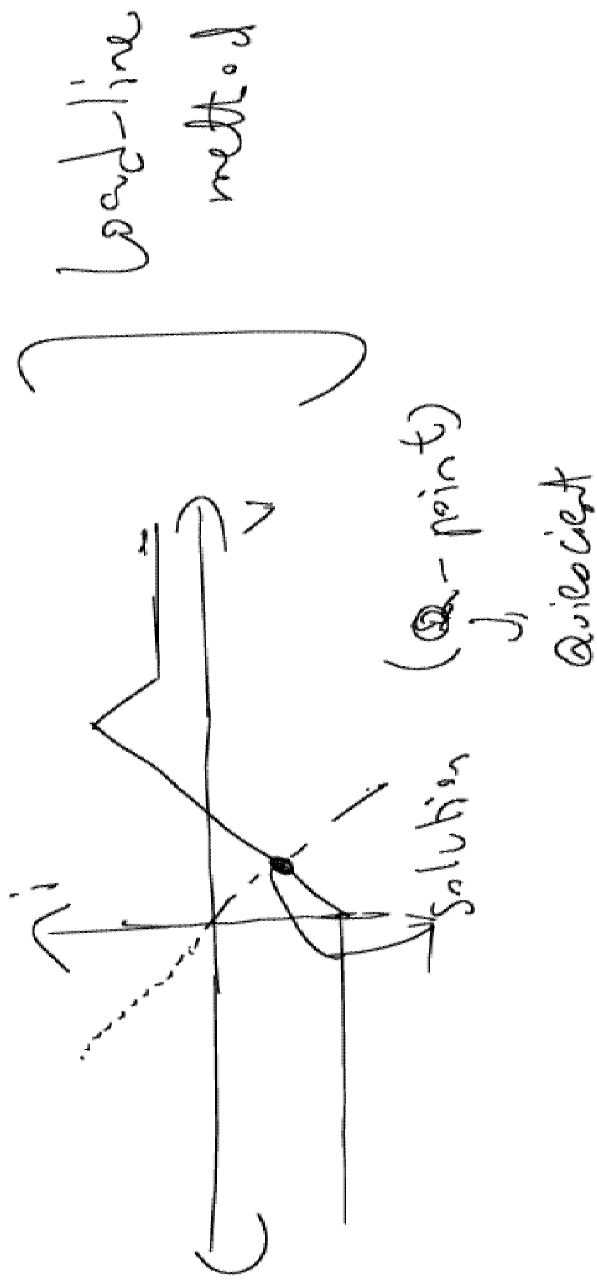
Best solution: Graphical: we know $i = f(v)$ for the box (derived in part (a))

$$\bar{i} = \frac{-V_o}{-R_L} \quad \left[\begin{array}{l} \text{Because } i \text{ is leaving} \\ \text{the terminal} \end{array} \right]$$

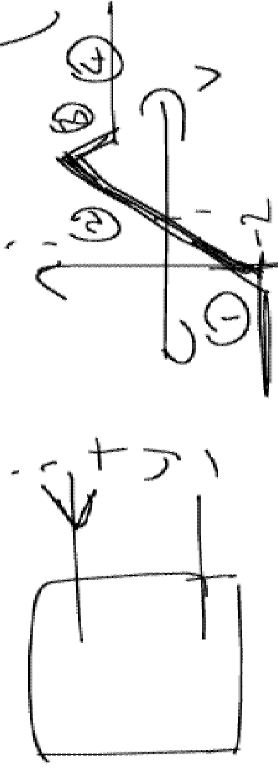
But, we know from KVL: $V = V_o$



plot the load // R_L on this



Ford's Circuit analysis: (Not recommended for faint of heart!) write a mathematical expression for $i = f(v)$



i.e.,
$$\bar{I} = \begin{cases} -2A & \text{if } v < 0 \\ \vdots & \end{cases}$$

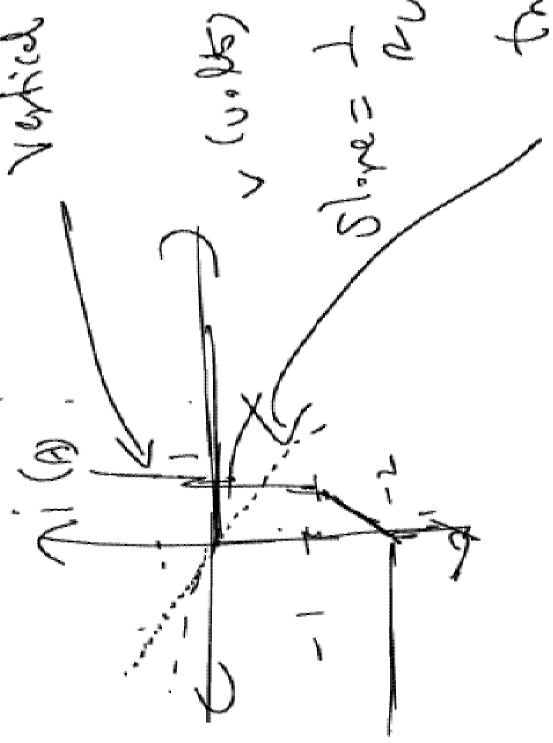
We know:
$$\bar{I} = \frac{-V_o}{R_v} \quad \text{if } R_v = 2k.$$

assuming

B_o is \hookleftarrow (consider in region ①)

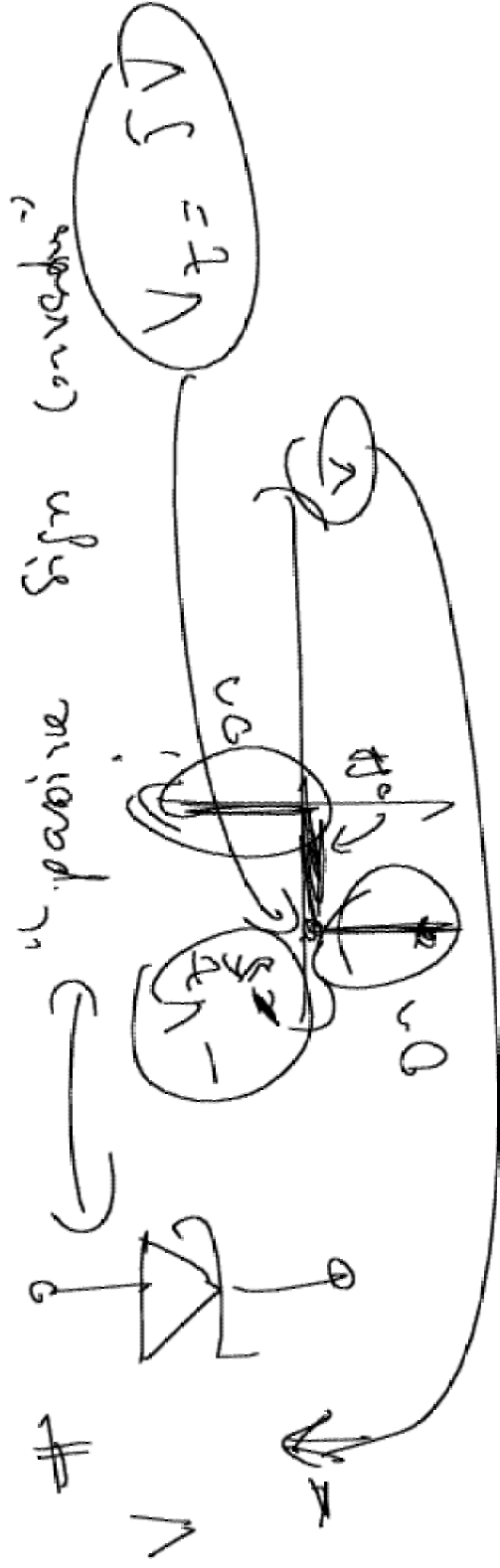
$$\therefore -2 = \frac{-V_o}{2k} \Rightarrow V_o > 0 \quad \left(\text{if } V_o < 0, \text{ contradiction} \right)$$

(Q.i) What if \bar{I} vs. V looks like vertical region.

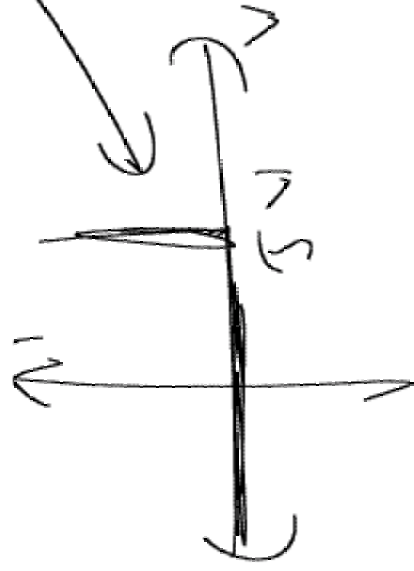


$$V = I R_L$$

$$R_L > 1 \Omega$$
 (Q.ii) What values of R_L gives a constant $V = 1V$?



V is not positive because it is hard to get; very difficult



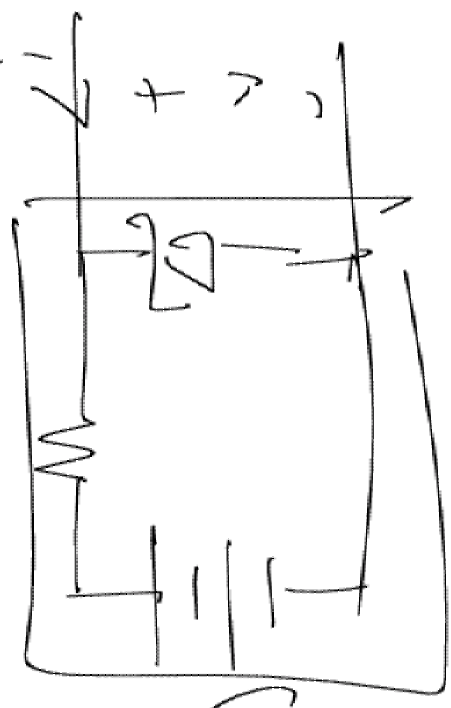
(c)

E

Can vary by

5V

(9.5, 10.5)
(5.01, 5.0)



10.5V = E

9.5V = E

input



Suggestion: Super-impose two graphs 2 figure it

out. You have to choose worst case:

i.e. if $R_L = 1M \Omega$ (say)

$$\text{If } E = 10.5V, V = 5V$$

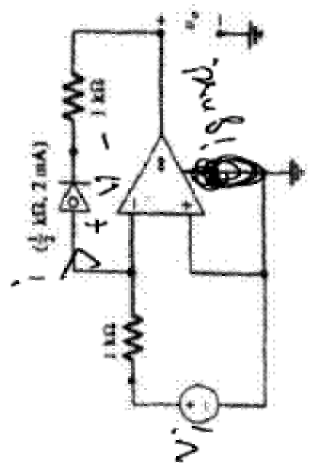
$$E = 9.8V, V = 4.9V$$

Does $R_L = 1M \Omega$ work? No!

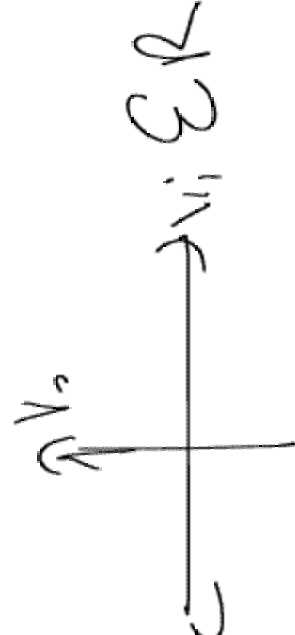
Assume R is always positive unless otherwise

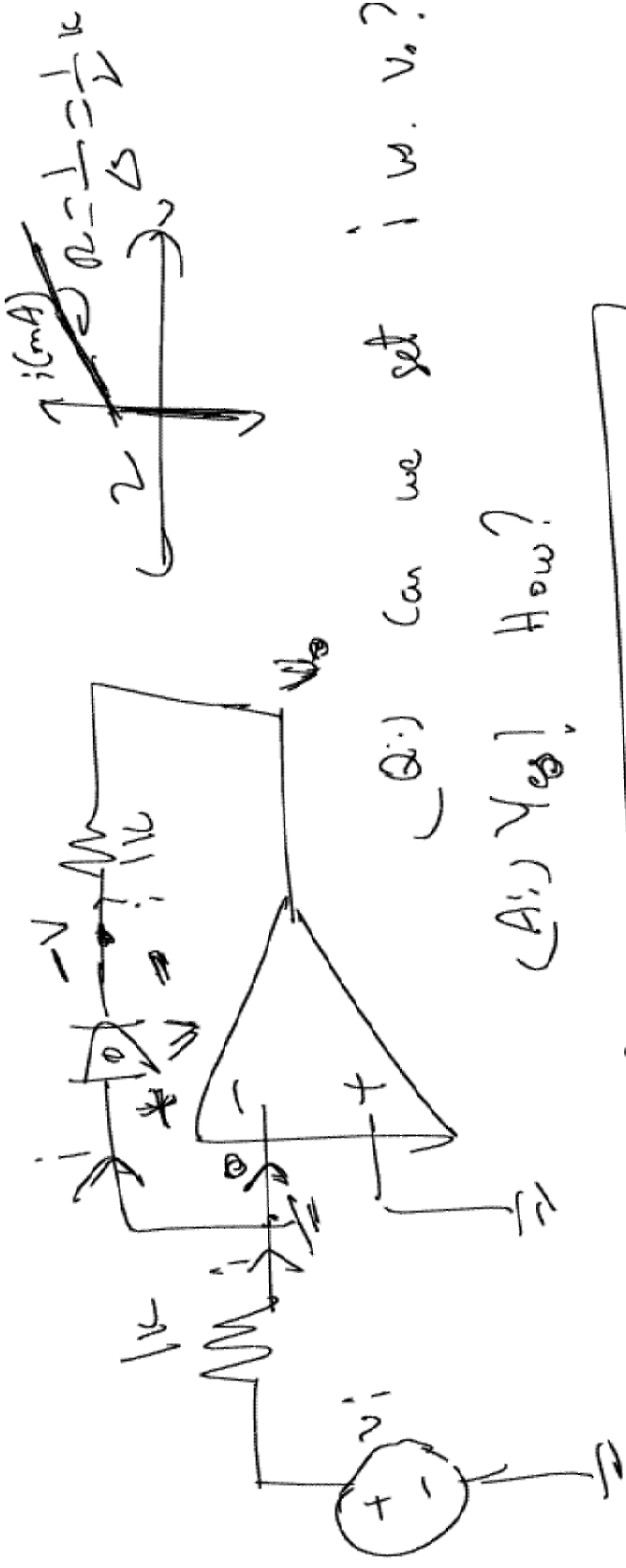
in other words, $\left\{ \begin{array}{l} \text{if } E = 10.5, R < 3 \text{ (sq)} \\ \text{if } E = 9.5, R < 2 \end{array} \right.$
 for constant $V < 5 \text{ V}$
 pick this one.

(2) 



3. ~~Sketch the i - v graphs for the circuit(s) below assuming the diodes are all ideal.~~





(Q.1) Can we get i w. v_o ?

(A.1) Yes! How?

$$\boxed{\frac{-V - V_o}{1k} = i}$$

Can we find i w. v_i ?

①

$$i = \frac{v_i}{1000}$$

②

To get v_0 w v_i , we can use ①

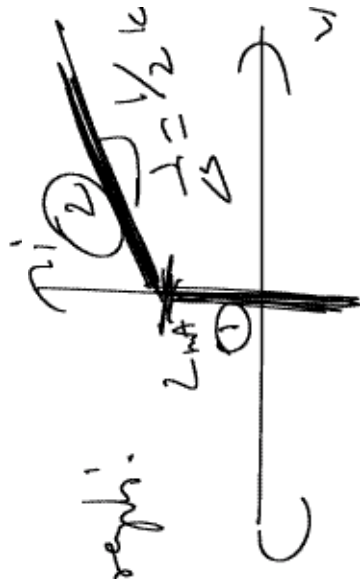
②

We can set em equal to each other:

$$\frac{-v - v_0}{1/k} = \frac{v_i}{1/k}, \text{ but we still}$$

need to eliminate v !

\Rightarrow we use i w. v graph:



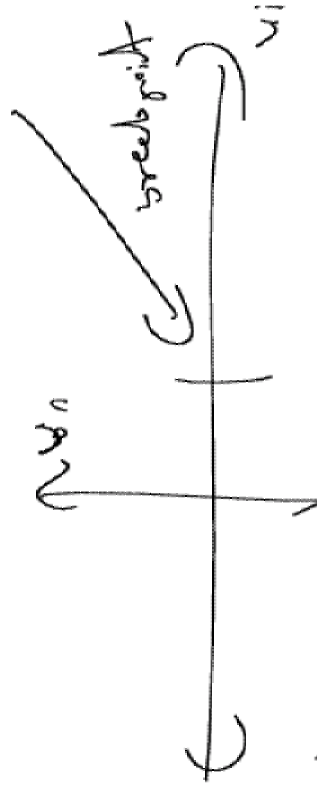
(2i-) For what value of V_i is $I < 2mA$, $V = 0$ (region 1)

& for what value of V_i we get

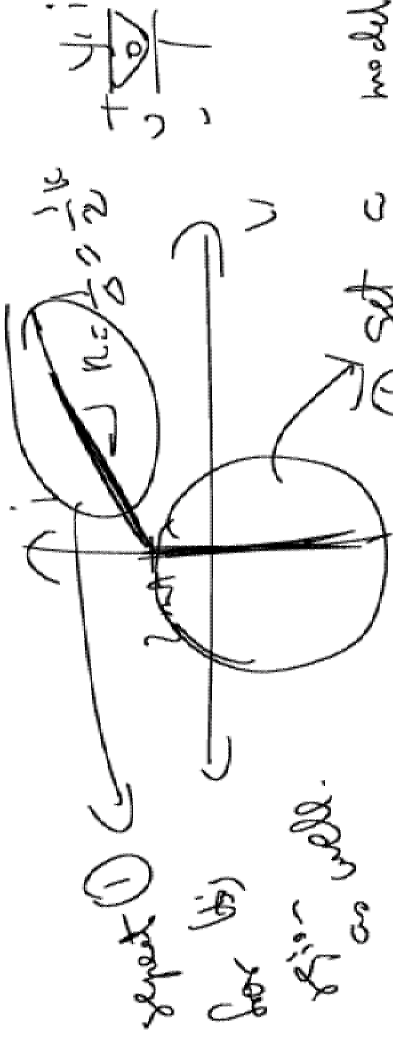
region (2) ?

A: $V_i = 2V$. How? Breakpoint is $I = 2mA$, $V = 0V$

Figure out what V_i is if $I = 2mA$

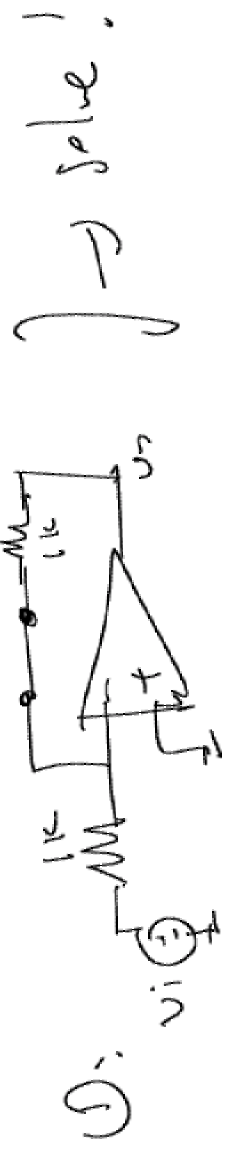


Easy way to do this problem:

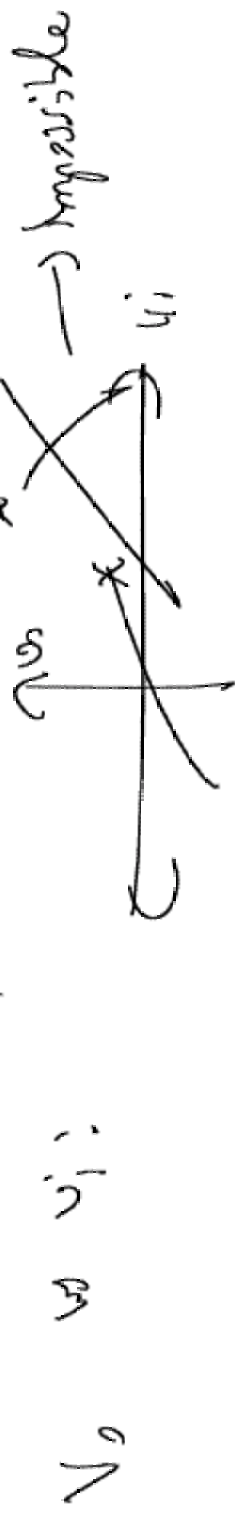


① get a model for the nonlinear diode in this region, substitute into the circuit & solve for V_o vs V_i

You know how to find the "breakpoint" in terms of V_i , we have $i = 2mA, v = 0V$



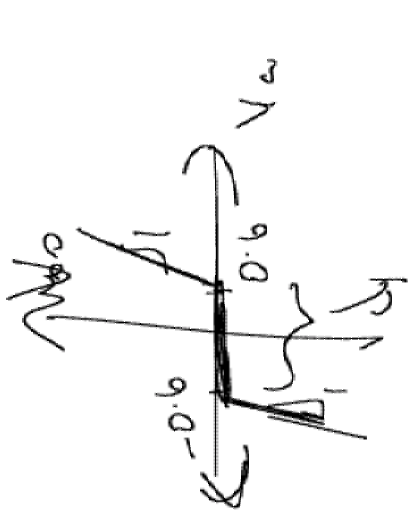
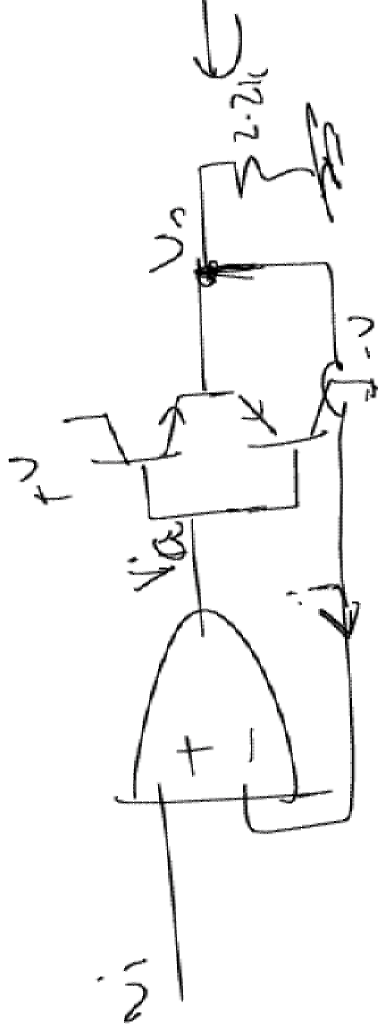
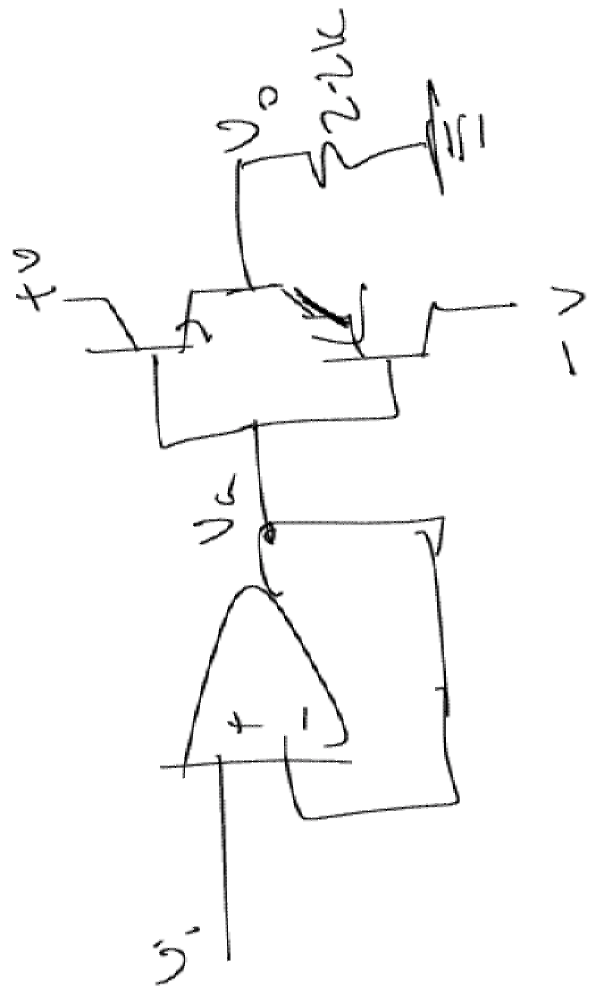
(Di) Physically impossible to get a discontinuity in



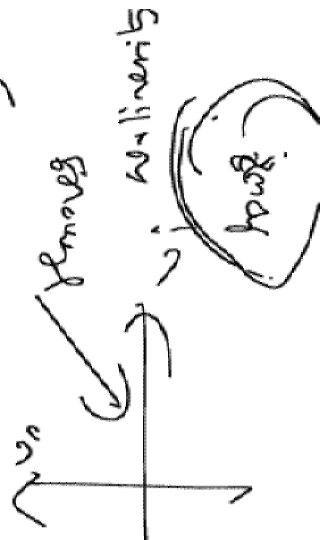
(A) No derivative term in circuit (ie. no C_s , no L_s). That is, not a dynamic system

(1) \Rightarrow $\{ \infty \}$, So also Turing lecture

Q1: 821 33 problem 33



deadband
(cross-over distortion)



removes

non-linearity

Hint: $T = ?$

Asks: What can V_0 be if V_a is between $(-0.6, 0.6)$ & how does this affect the output?

(Q2) Why is $V_1 = V_0$?

(Do NOT Assume $0.6 - A_{np}$ is $I_{D\{A_1\}}$)
(Try to prove it!)