

Lecture 14 - MIDTERM REVIEW

Administrivia: My office hours today
will be in 277 Cory, instead of
F&M from 5pm - 9pm. If you come
after 6:00pm, please wait in front of
2nd floor entrance, someone will let
you in!

Mid term → Next Thursday (03/10/05)

No class on 03/10 → {

- 2 pm - 5 pm in 299 (25 people) (200) ← "makeup" (200)
- 6 pm - 9 pm in 1 Pimental (200)

No blue books necessary.

Next week. Tuesday: (03/08/05)

- ↳ In-class Q/A (optional)
- ↳ Justin's review session in 10 Evans from 5-7

What's on midterm

- (1) Nodal Analysis
- (2) Thevenin/Norton
- (3) Source transformations 😊
- (4) RC/RL circuits
- (5) Dependent sources
- (6) Maximum power transfer
- (7) Supernode
- (8) Voltage divider

What isn't

mesh analysis,
superposition

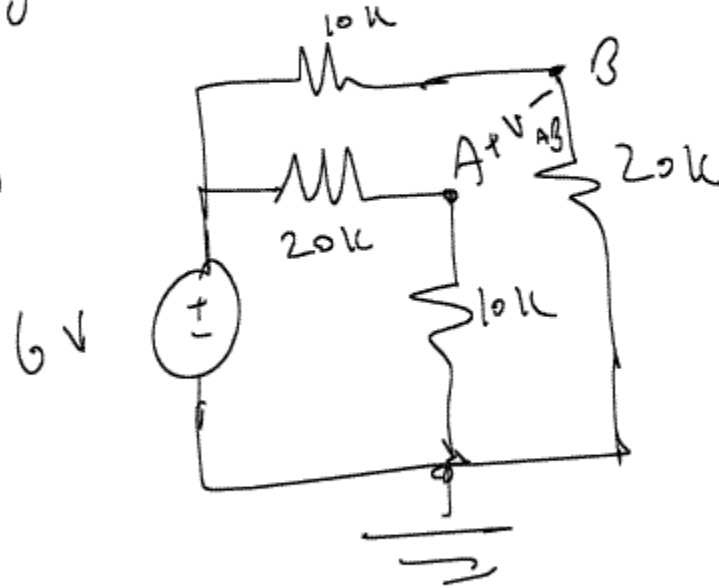
you can use it if you want to

"No lab"

How to prepare for MT 2

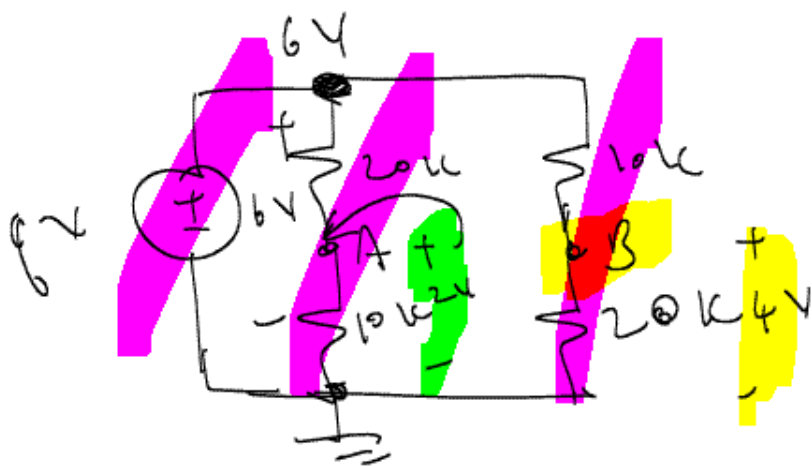
(1) Quizzes from Review problems \leftarrow should not take you more than 5 minutes.

Eg 1.10



$V_{AB} = \underline{\hspace{2cm}}$

Concept (10): Voltage across parallel elements & voltage divider



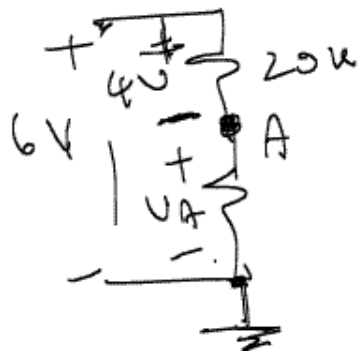
\Rightarrow in parallel

$$V_A = \left(\frac{10k}{10k + 20k} \right) 6 = 2V$$

$$V_B = \left(\frac{20k}{10k + 20k} \right) 6 = 4V$$

$$\therefore U_{AB} = V_A - V_B = -2V$$

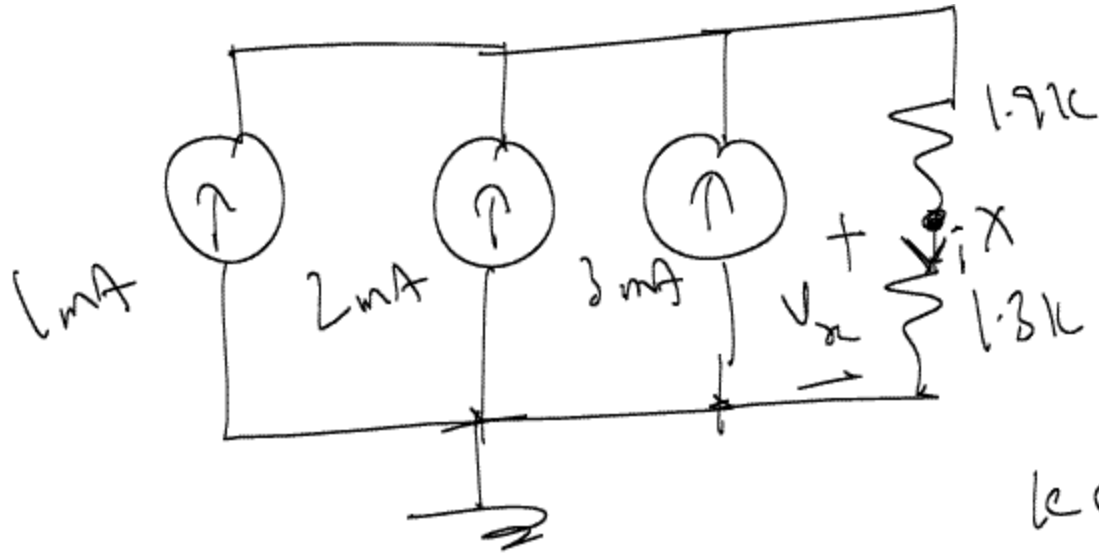
(a.i.)



$$V_A = 2V \quad (\text{KVL})$$

\downarrow
refers to voltage at node A w.r.t $\underline{\underline{0}}$

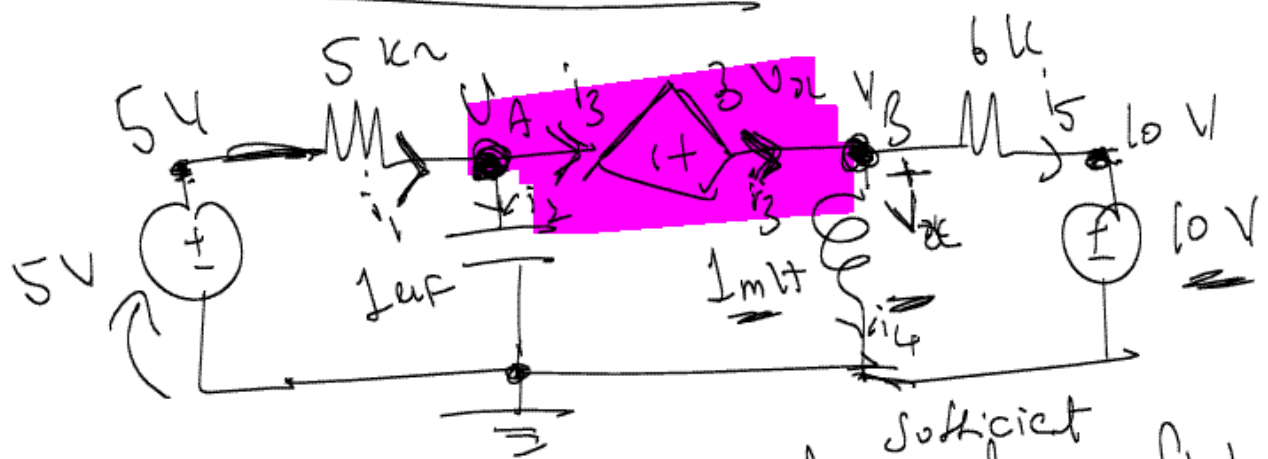
(9)



$V_o =$ _____

$$\begin{aligned} V_o &= i (1.8 \text{ k}) = \overbrace{(1 \text{ mA} + 2 \text{ mA} + 3 \text{ mA})}^{6 \text{ mA}} (1.8 \text{ k}) \\ &= (6 \text{ mA}) (1.8 \text{ k}) \\ &= 7.8 \text{ V} \end{aligned}$$

(Eg 2) Node Analysis; Set up equations only



(Q2:) Set up node equations to find the unknown node voltages. Do NOT solve!

$$i_1 = \frac{5 - V_A}{5k}, \quad i_2 = (1\mu F) \frac{dV_A}{dt}, \quad i_3 = ?, \quad i_4 = \frac{1}{1mH} \int V_B dt$$

$$i_5 = \frac{V_B - 10}{6k}$$

Step 1: Label ground node

Step 2: Label unknown node voltages

Step 3: Write KCL equations at unknown node (or) Supernode

↓
KCL @ V_A : $i_1 = i_2 + i_3$ KCL @ V_B : $i_3 = i_4 + i_5$

Step 4: Rewrite currents in KCL in terms of node voltages

(Use constraint equations from dependent sources, if necessary)

$$\left(\frac{5 - v_A}{5 \text{ k}\Omega} \right) = (1 \mu\text{F}) \frac{dv_A}{dt} + i_3$$

$$i_3 = \frac{1}{6 \text{ k}\Omega} \int v_B dt + \left(\frac{v_B - 10}{6 \text{ k}\Omega} \right)$$

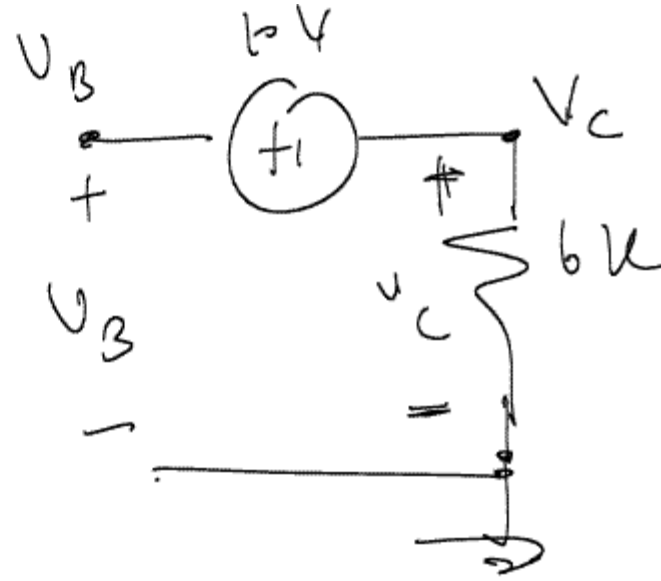
Constraint eqn.

$$v_B - v_A = 3 v_{oc}$$

$$v_{oc} = v_B$$

(Q.1)

Suppose

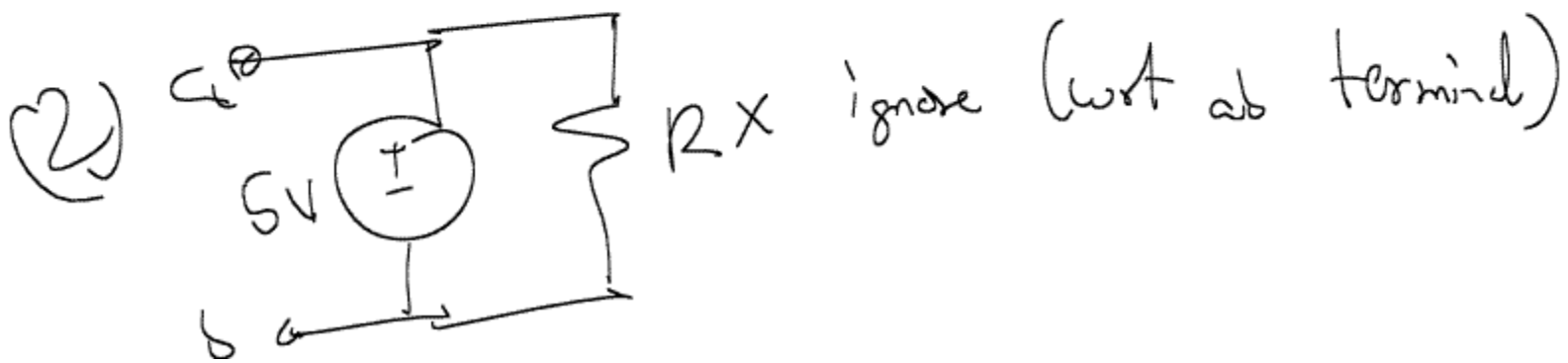
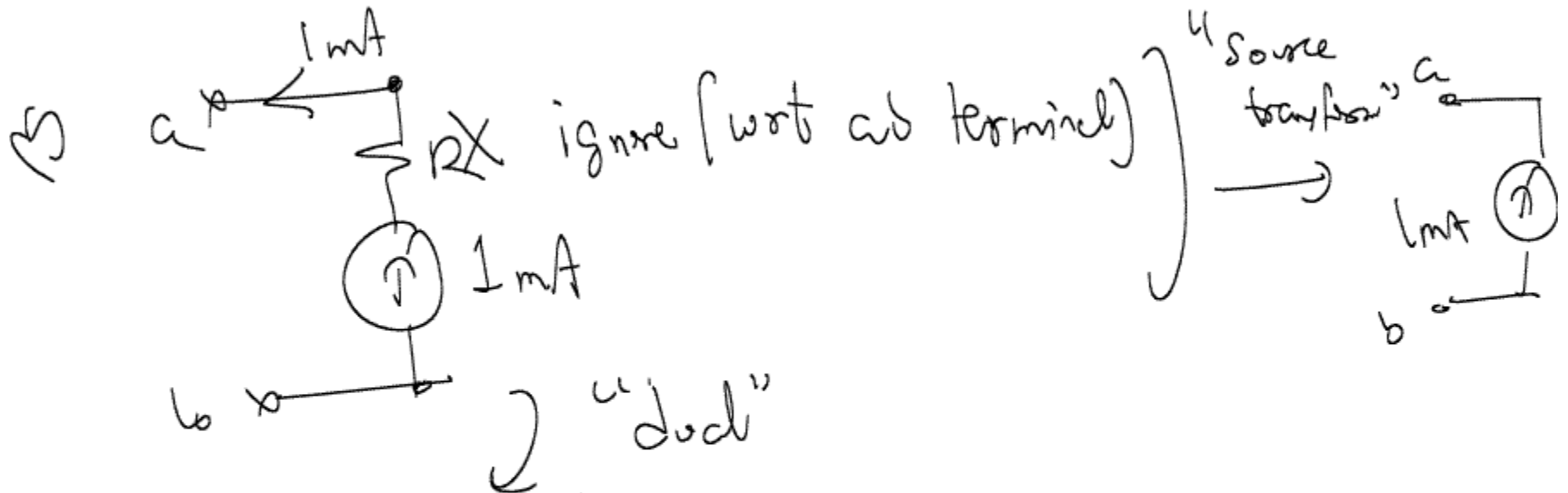


KVL

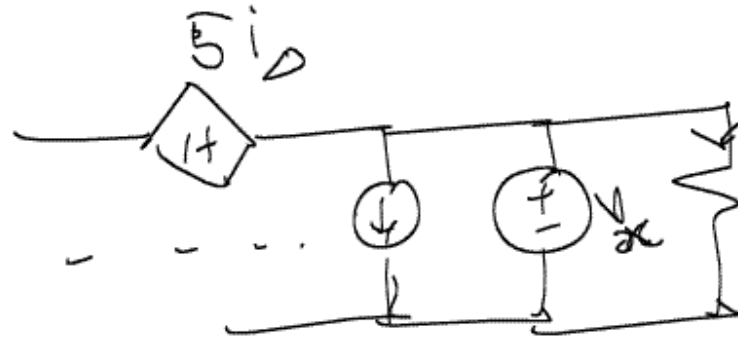
$$V_B - V_C = 10$$

$$\Rightarrow \boxed{V_C = V_B - 10}$$

Miscellaneous stuff about mid term



Note:



Cannot ignore it
because you
need R to find i_D

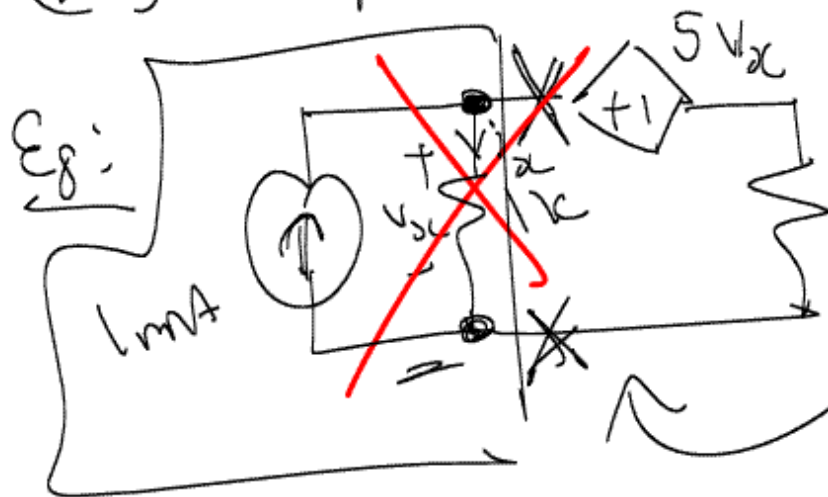
$$i_D = \frac{V_x}{R}$$

(3) RC lab \Rightarrow Homework 6

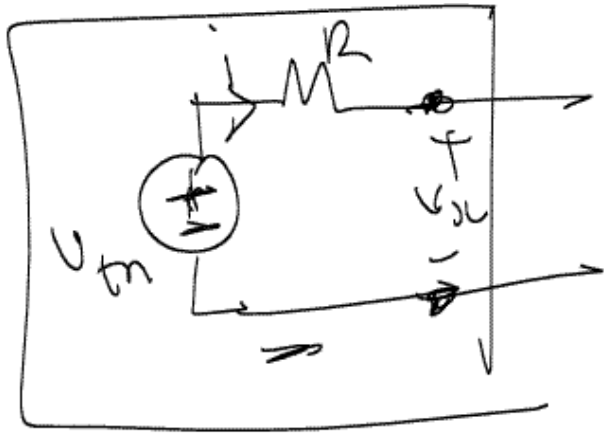
(4) If you understand ^{all} homeworks \Rightarrow you should
be set. 😊

(Q1) If you have circuit with both independent & dependent sources, can you do source functions on independent sources?

(A:) Depends on the circuit.

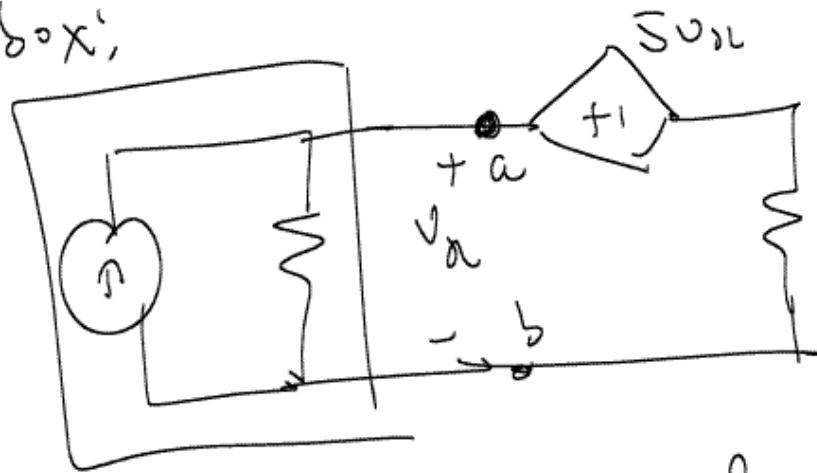


Not recommended, but you could do it & in this case its actually easy because of "infinite"



wisdom", I thought this
 wasn't the case toward
 the end of class].

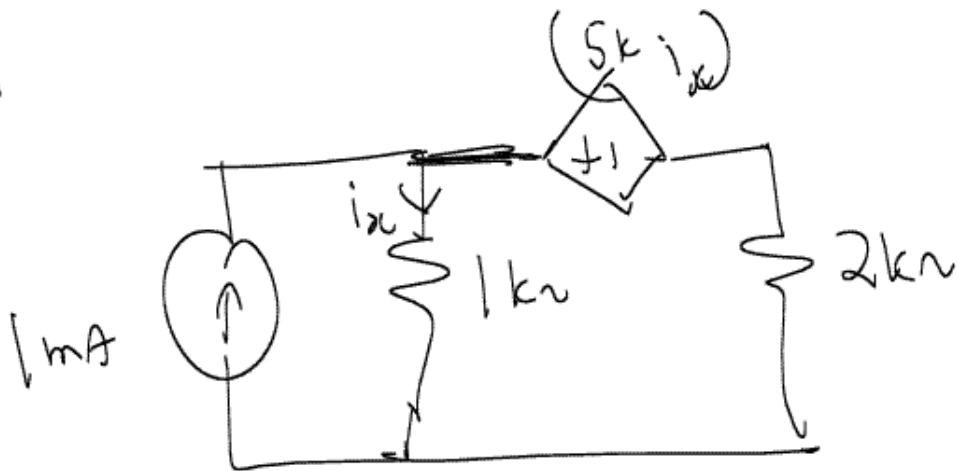
In this case, you could "move v_{oc} " out of
 the box,



Like someone in the first row pointed out,

v_{oc} is the voltage across ab , so in this case source transform is easy. But, consider

this:



Note that you can do a source transform, but you have to keep track of where i_x is!

