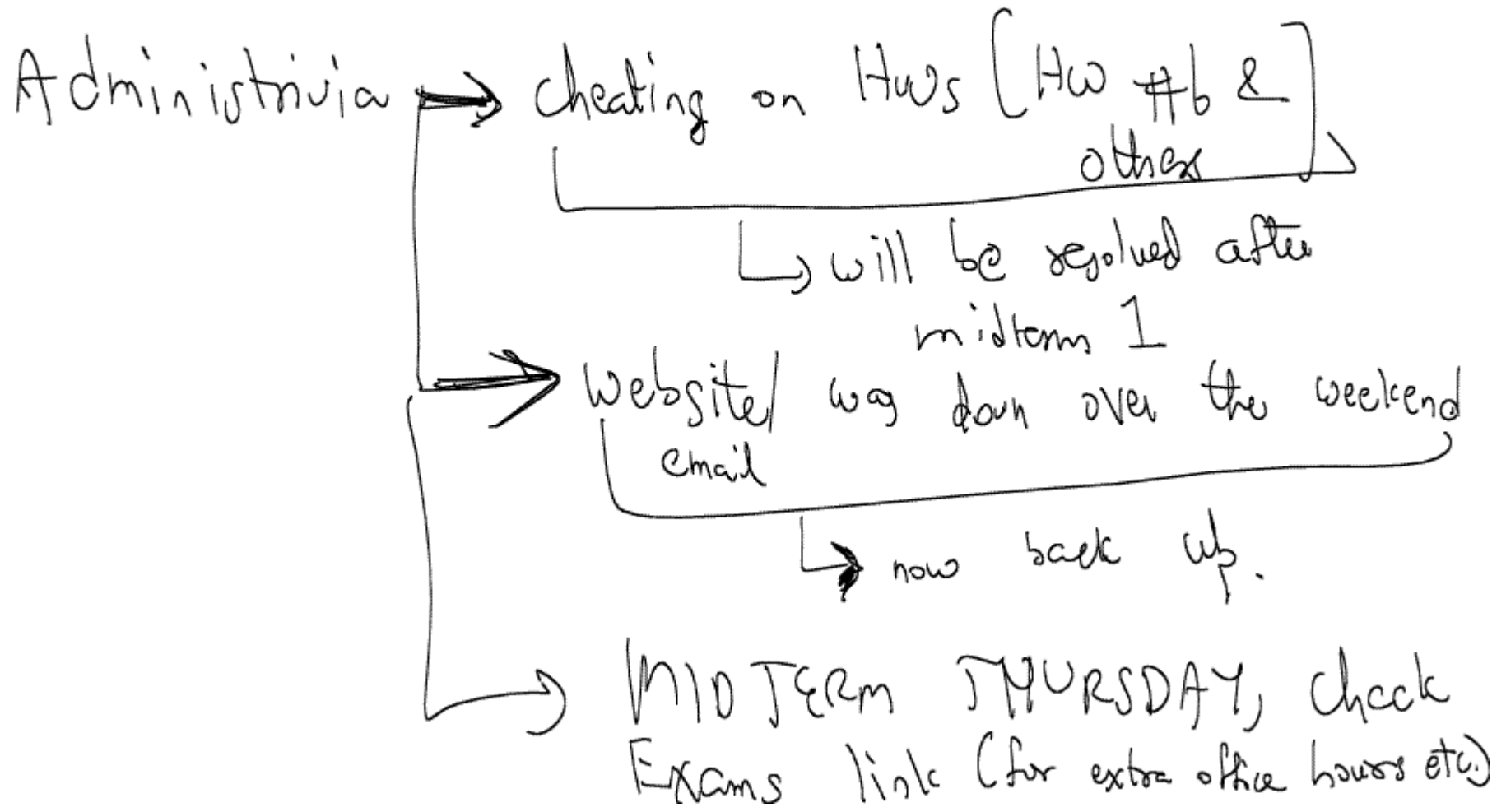


Lecture 15 - Q/A session for MT1



Questions: → (1) Transmogriker

(2) RC circuit example

(3) From practice midterm; There is equivalent problem.

General note: When you see an EE problem, try KCL, KVL, voltage divider etc. because simple methods are "good" - i.e., intuitive etc. And, reinforces the K.I.S.S (Keep it Simple Stupid) principle.

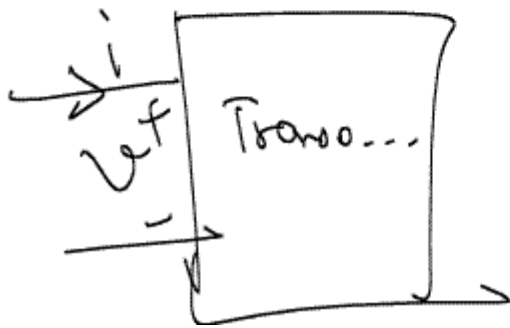
(1) Transmogifier (from review problem set).

(a) $p = v i$ (note: careful if absorbing or releasing)

convention

we need to find v , find an i for the

transmogifier.

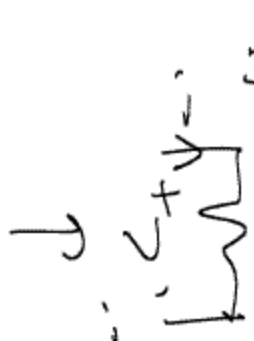



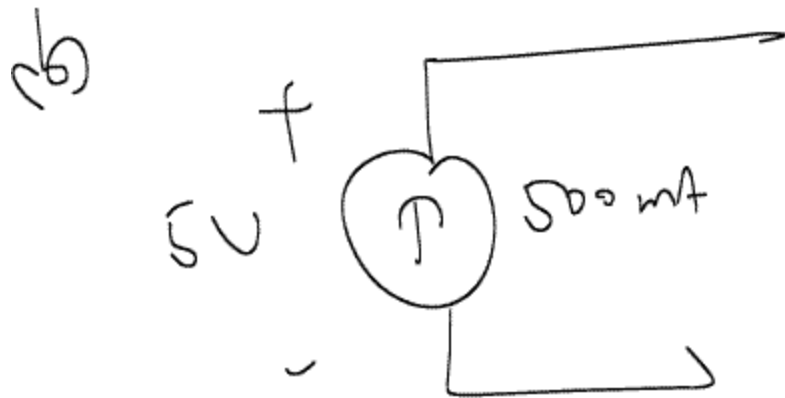
<http://inst.eecs.berkeley.edu/~ee100/exams/EE100Sp05MidtermReviewProblems.pdf>

The diagram shows a circuit with a 5V DC voltage source and a 500mA current source connected to a load box labeled "Transmogrieff". The current $i = 1 \text{ mA}$ is indicated entering terminal A. The voltage across the load is $v = 5 \text{ V}$.

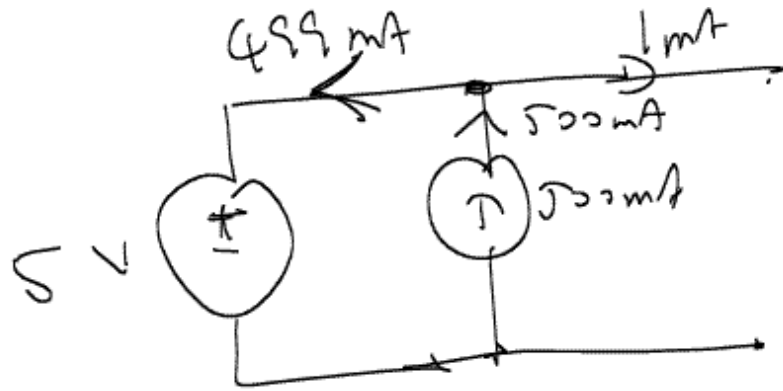
The graph below plots the current I (mA into terminal A) on the vertical axis against the voltage V_{ab} on the horizontal axis. The vertical axis has markings at -1, 1, and 2. The horizontal axis has markings at -5, 1, 5, and 10. A horizontal line is drawn at $I = 1$ mA, and a point is marked at $V_{ab} = 5$ V.

$$\therefore p = v i = (5 \text{ V})(1 \text{ mA}) = 5 \text{ mW (absorbing)}$$

Note: (Use) absorbing \rightarrow  = (000 mW)
 & delivering \rightarrow 



$$\begin{aligned}
 P_{\text{delivering}} &= (5) (500 \text{ mA}) \\
 &= 2500 \text{ mW} \\
 (00) P &= -2500 \text{ mW}
 \end{aligned}$$

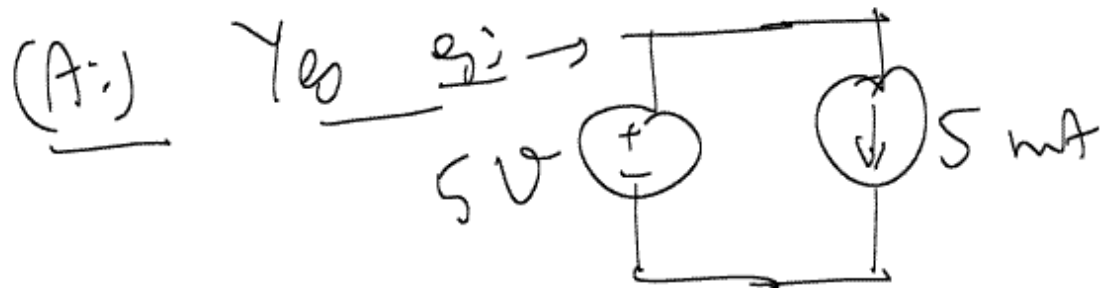


$$P_{\text{absorbed}} = (5\text{V})(499\text{mA})$$

$$= 2495\text{ mW}$$

$$\text{(ii)} P = +2495\text{ mW}$$

(i) Will a current source ever absorb power?

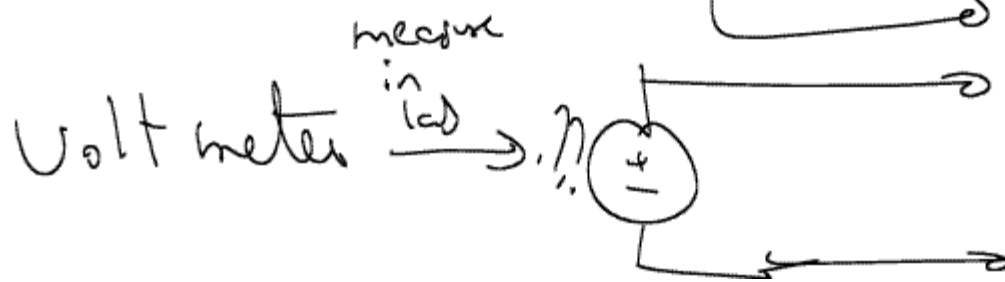
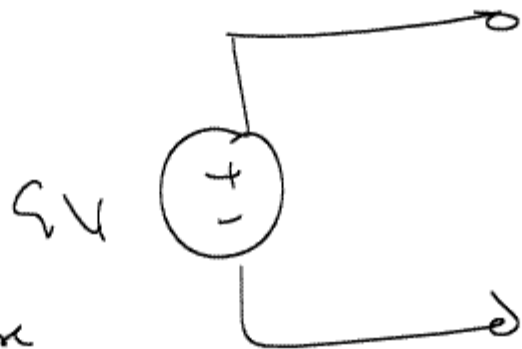


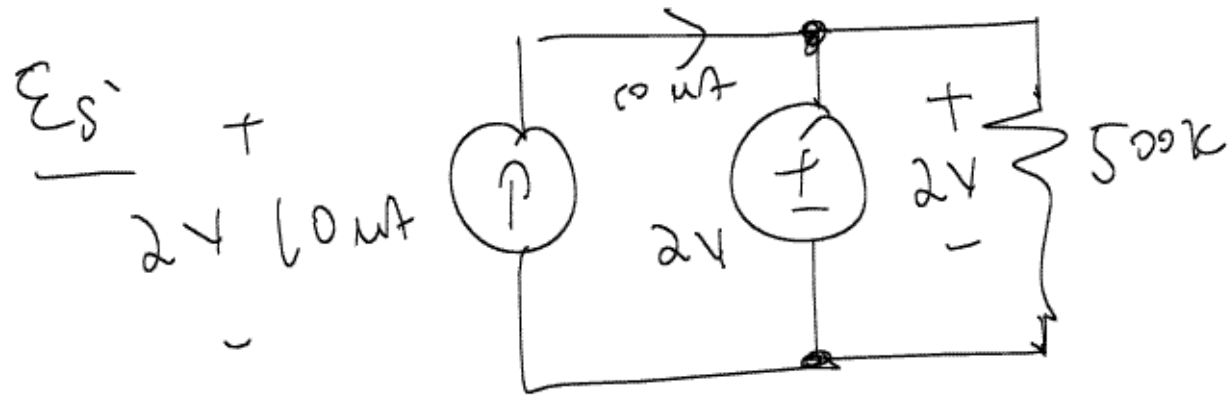
(Q): How ideal are real batteries?

(A:) measure it yourself:

Experiment: (1) Take a battery e.g. 9V
diseedl,

ideal:

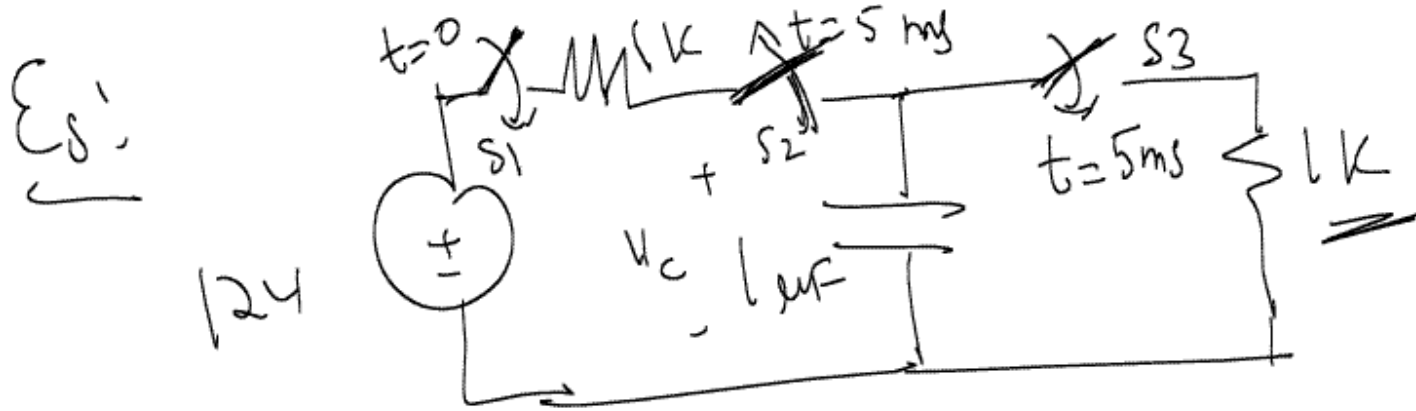




$$P_R = 8 \mu W$$

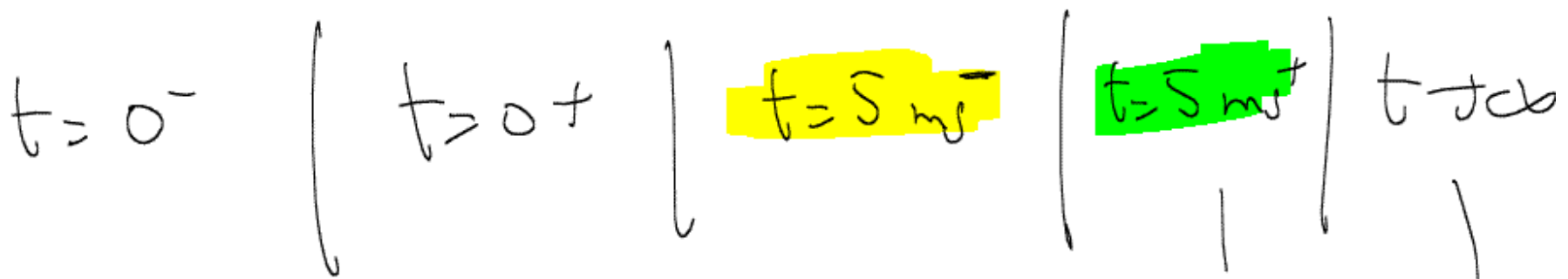
$$P = v i = v \left(\frac{v}{R} \right) = \frac{v^2}{R} = \frac{4}{500k} = 8 \mu W$$

RC Circuits



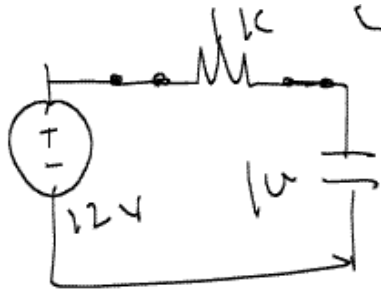
(Q.2) Find v_c , assume capacitor is initially discharged. Sketch $v_c(t)$.

$$v_c(t) = V_f + (v_i - V_f)e^{-t/\tau}, \quad \tau = RC$$





$$U_i = 0 \text{ V}$$



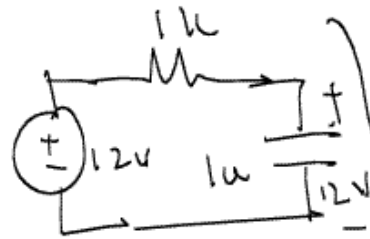
$$U_i = 0 \text{ V}$$

$$U_f = 12 \text{ V}$$

Note: ignore S3 for this calculation.

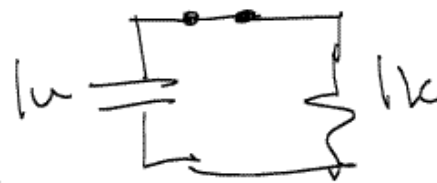
$$U_c(t) = 12(1 - e^{-t/\tau})$$

$$\tau = RC = (1k)(1\mu) = 1\text{ms}$$



$$U_i = 12 \text{ V}$$

$$t = 5 \text{ ms}$$

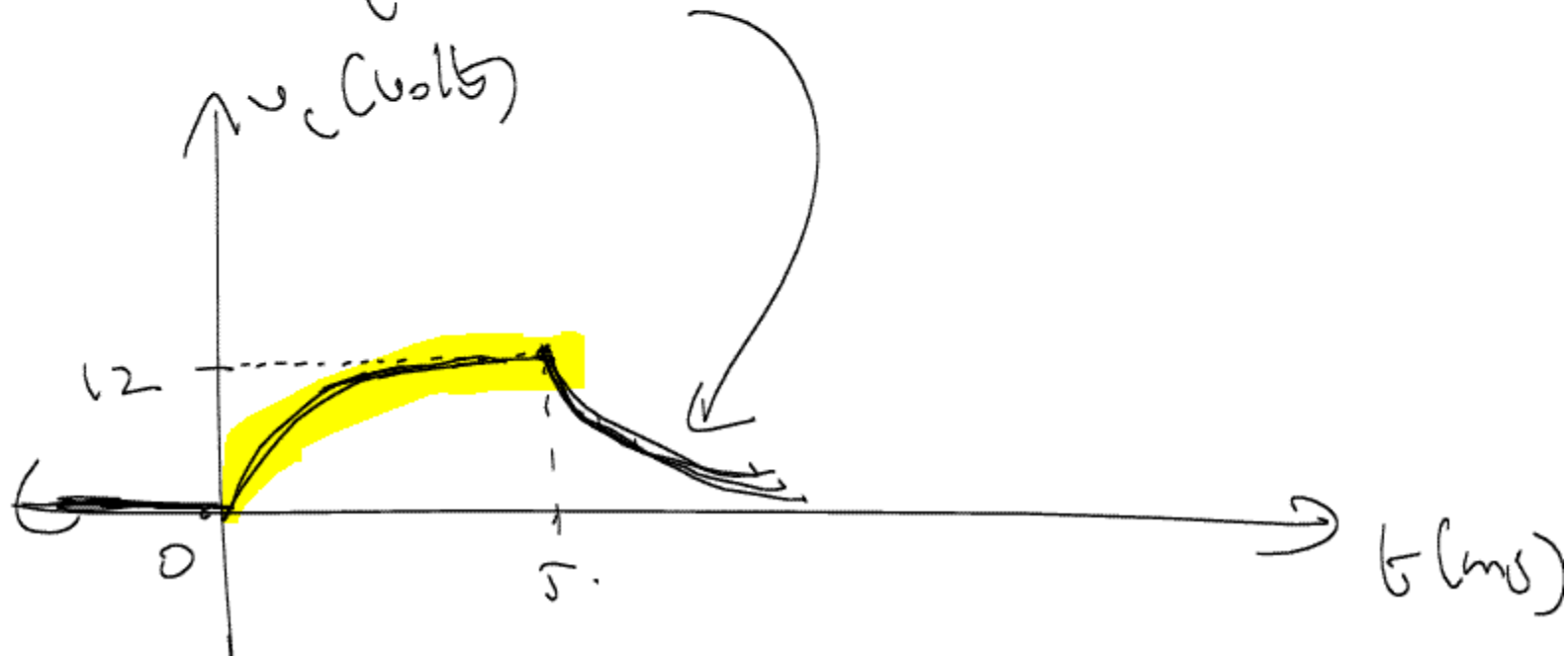


$$U_f = 0 \text{ V} \quad \leftarrow t/1\text{ms}$$

$$U_c(t) = 12e^{-t/\tau}$$

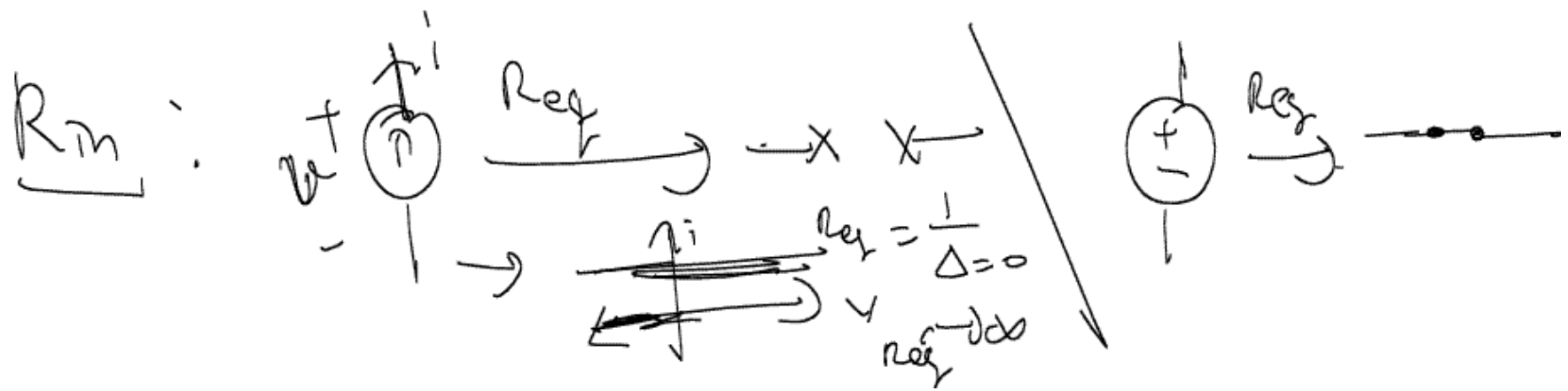
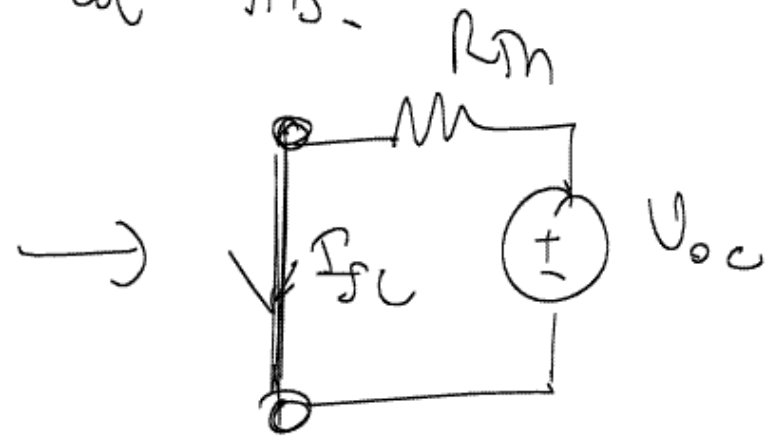
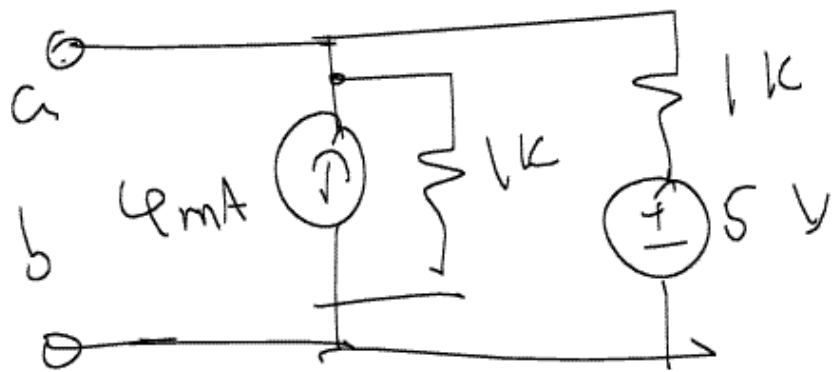
$$\tau = 1\text{ms}$$

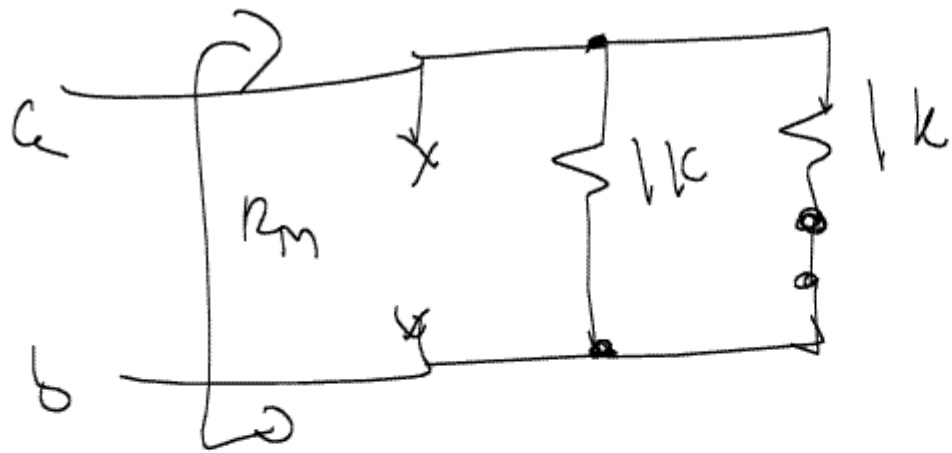
$$V_C(t) = \begin{cases} 0 & \text{if } t \leq 0 \\ 12(1 - e^{-t/1\text{ms}}) & \text{if } 0 < t \leq 5\text{ms} \\ 12e^{-\frac{(t-5)}{1\text{ms}}} & \text{if } t > 5\text{ms} \end{cases}$$



(3) Thevenin / Norton : Sample problems.

(Q:) Find thevenin equivalent at AB.





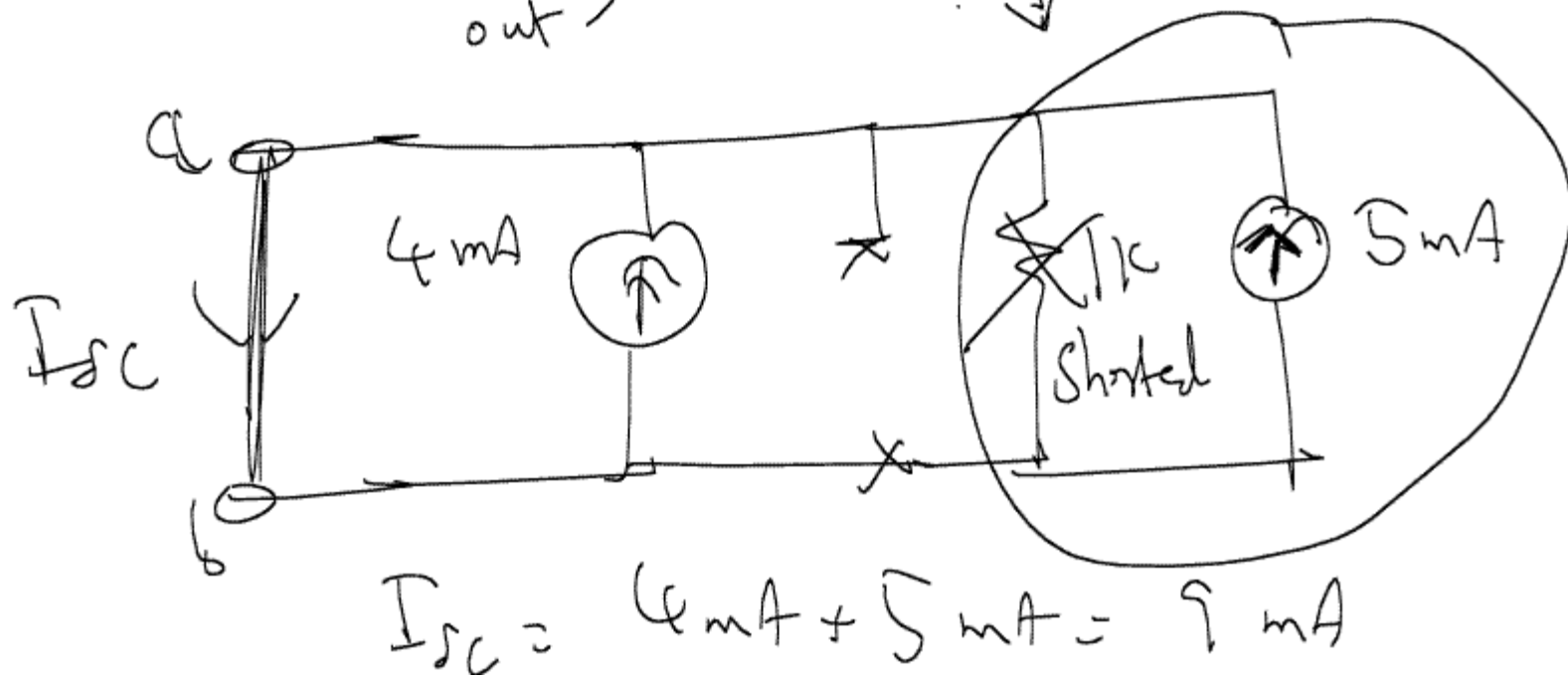
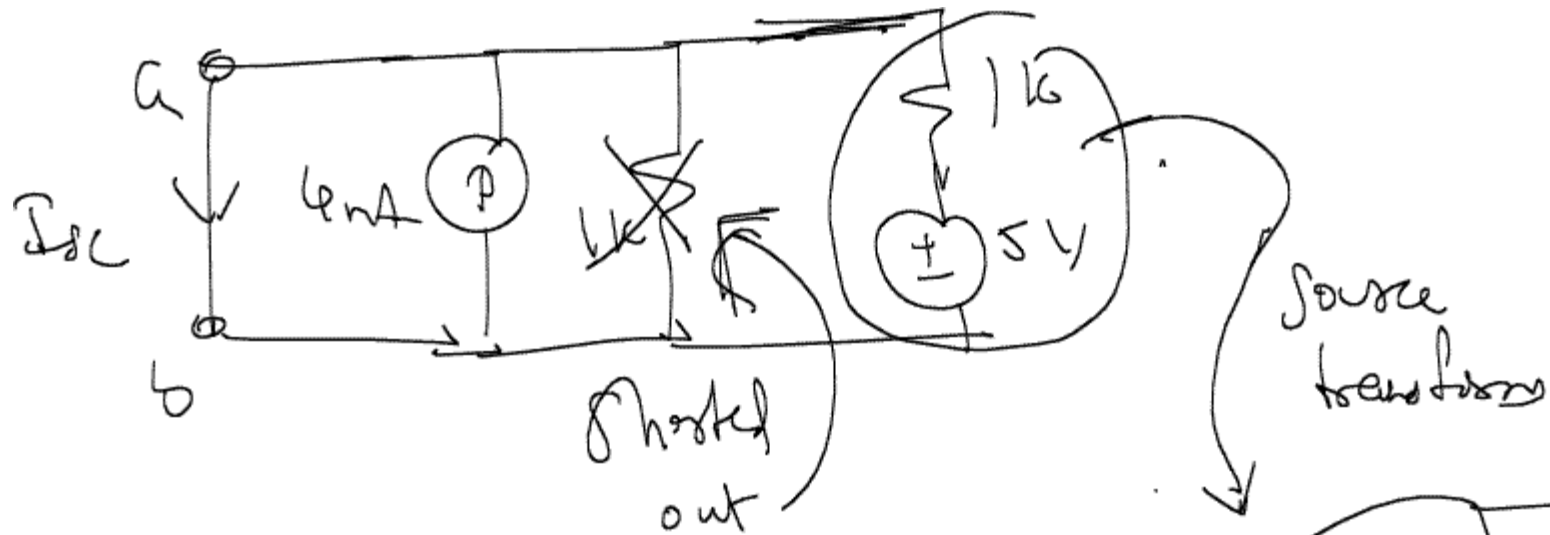
$$R_m = (1k) \parallel (1k)$$

$$= 0.5k$$

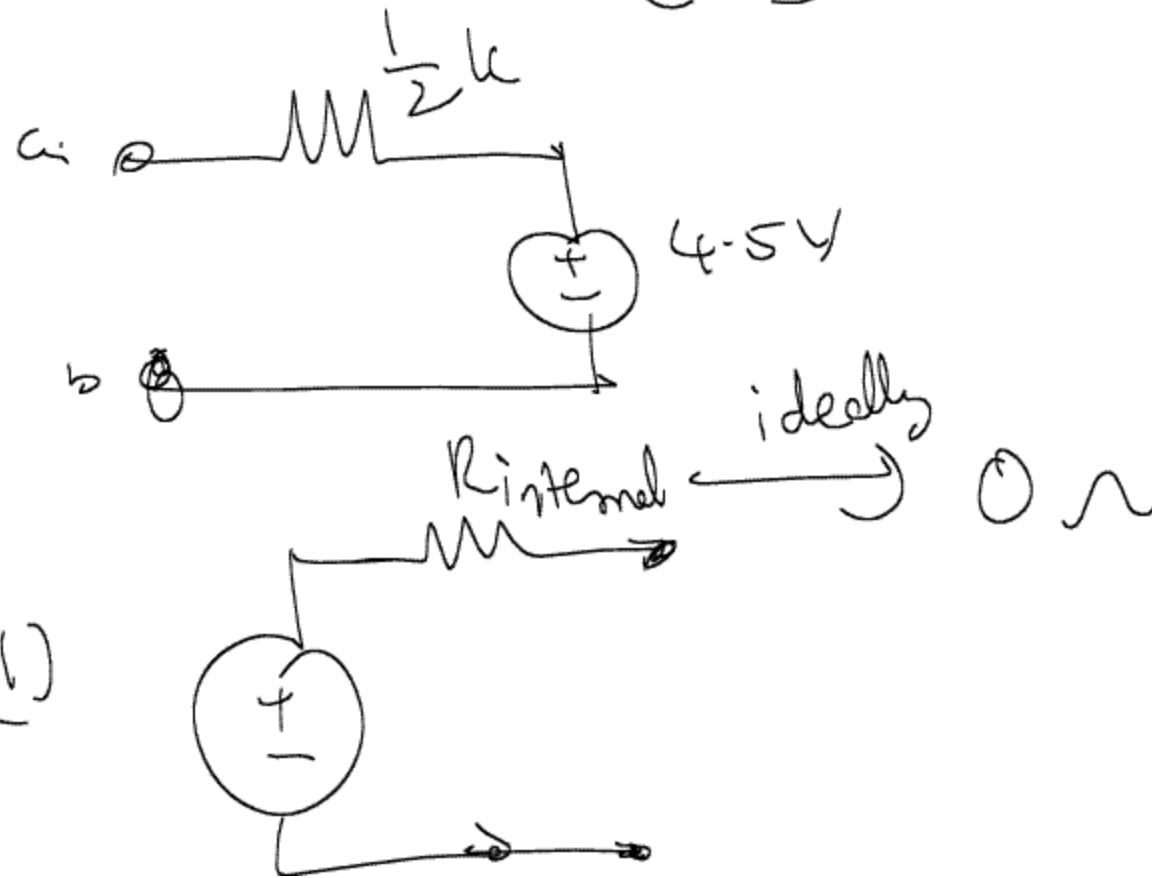
$$\approx 500\Omega$$

$$U_{oc} = (I_{sc})(R_m)$$

I_{sc} is probably easier!

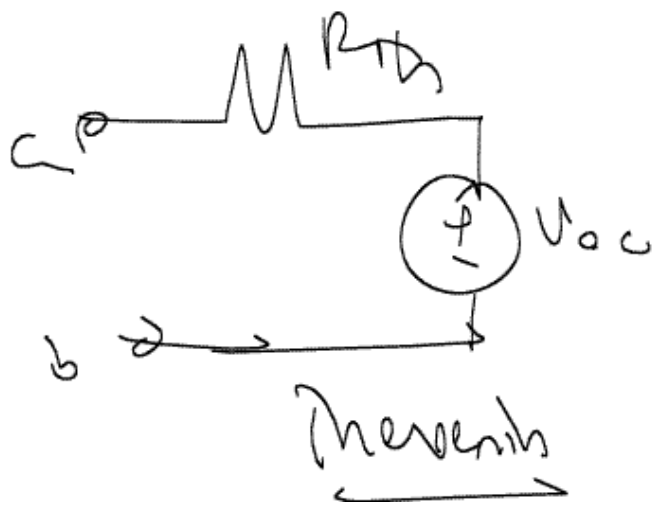
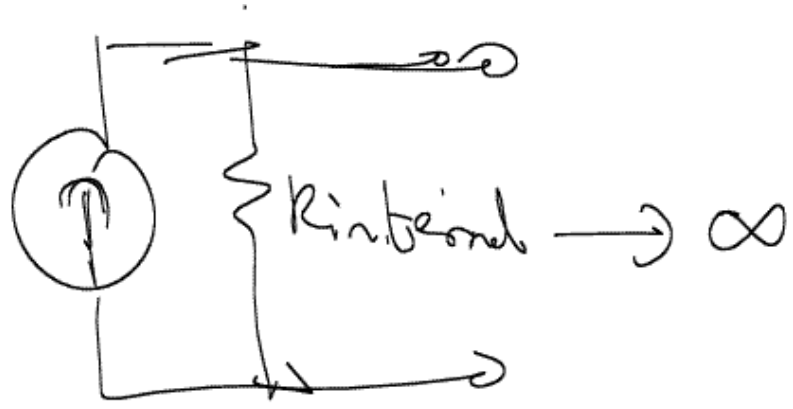


$$U_{oc} = (9 \text{ mA}) \cdot \left(\frac{1}{2} \text{ k}\right) = 4.5 \text{ V}$$

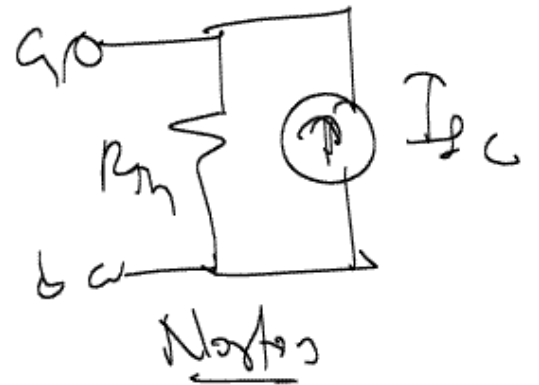


Note! (1)

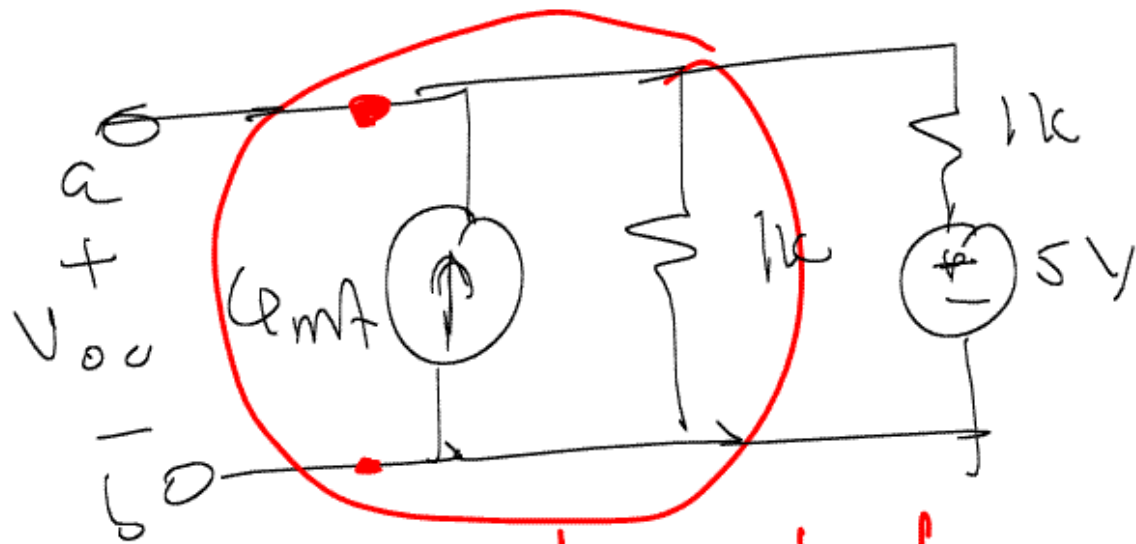
(2)



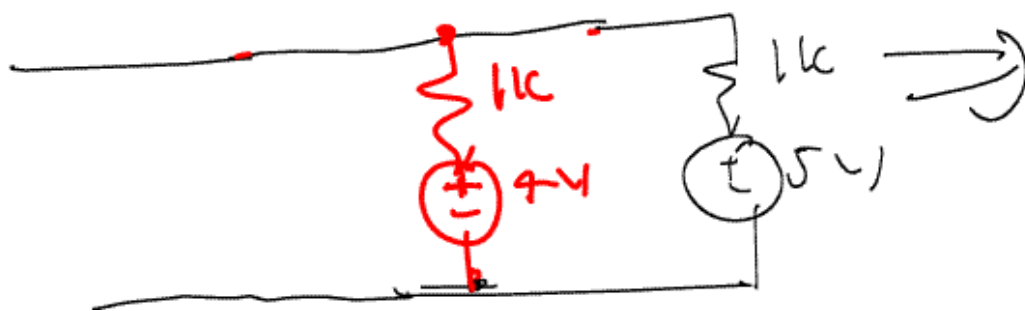
Source breaks



V_{oc} ; This may be harder:

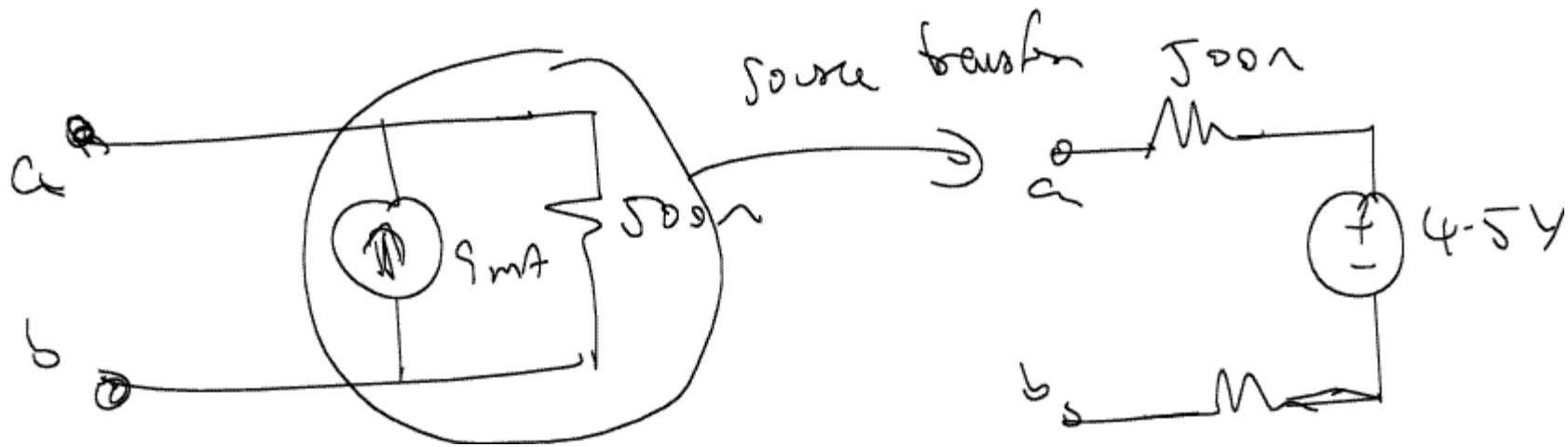
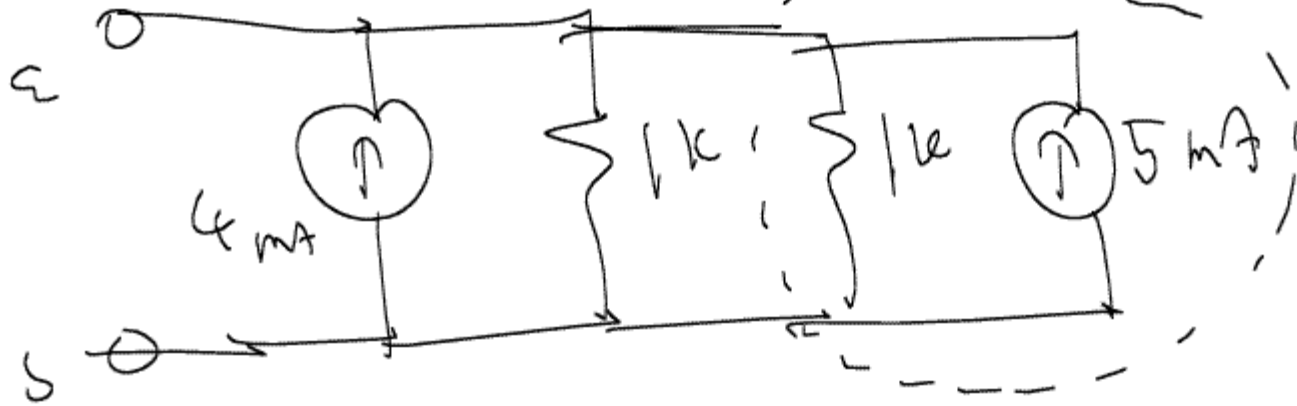


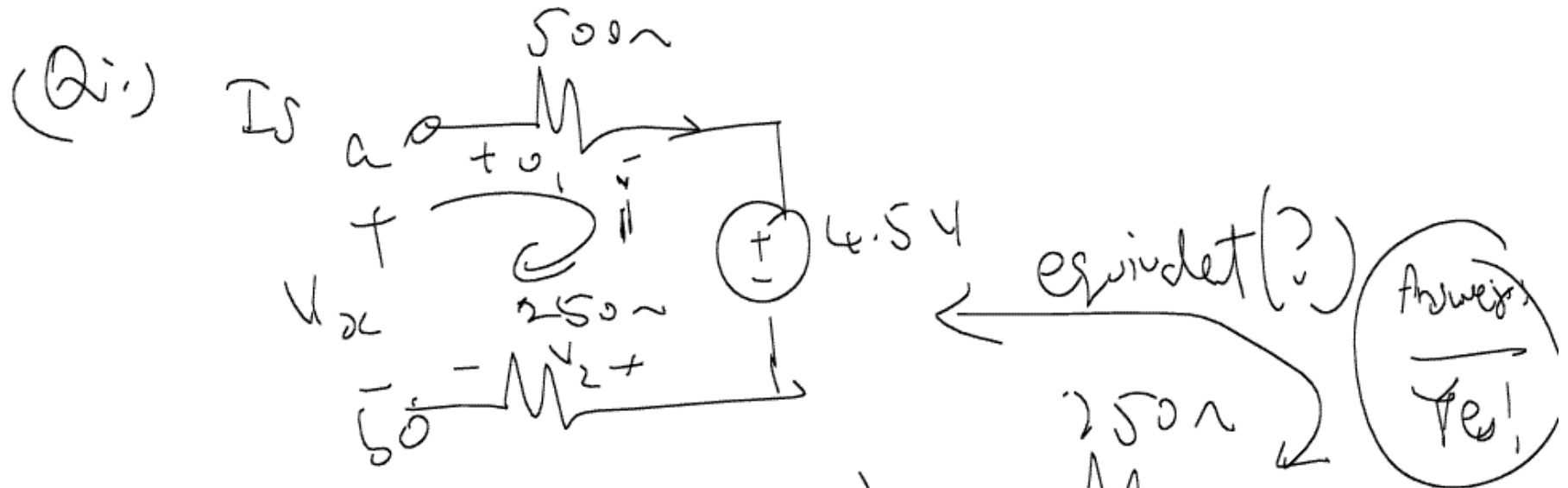
source transform



Does not really help

But, if you do it for the voltage source!

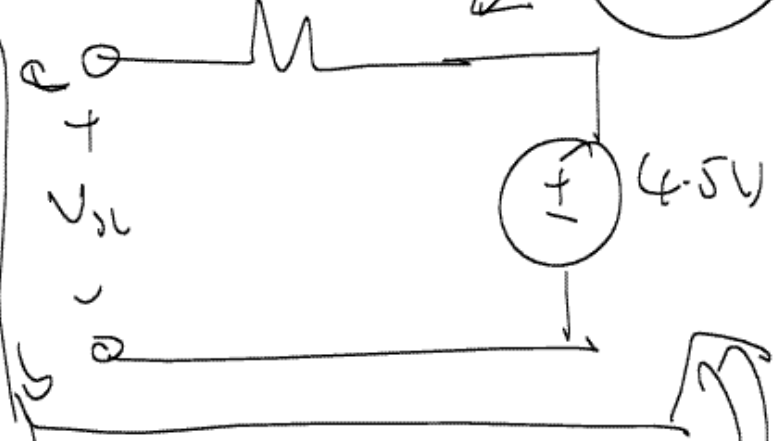




KVL: $V_x - V_1 - 4.5 - V_2 = 0$

$\Rightarrow V_x - \underline{i}(500)$

$-4.5 - \underline{i}(250) = 0 \Rightarrow V_x = 4.5 + i(750)$



Next times, No lecture!

midterm!

(1) Makeup mid term from 2-5 in
299 Coos

(2) midterm, 6 pm - 9 pm in 1 Pinetel

No bluebooks necessary, you may bring
a page of notes ^{and} a calculator.

P.S.: I will show the end of Sparcibly sometime after
spring break!