

Lecture 7 - Chapter 4 (contd.)

Today - Administrivia

↳ my OH have changed!

Thu 10-11 1976

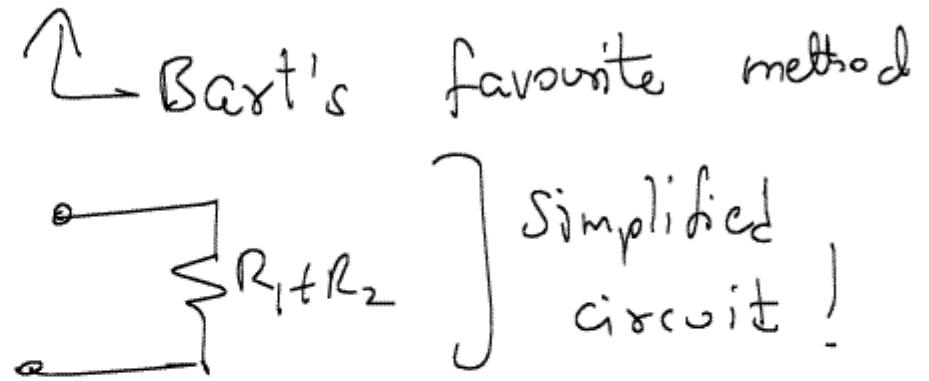
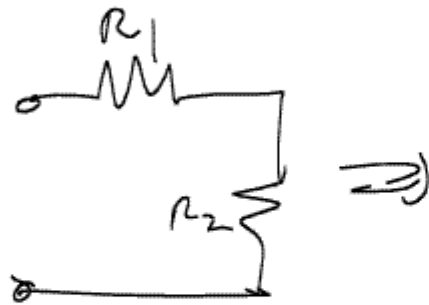
Thu 5pm - 9pm FSm
[Cafe]

↳ Source transforms

↳ Dependent sources with PSPICE

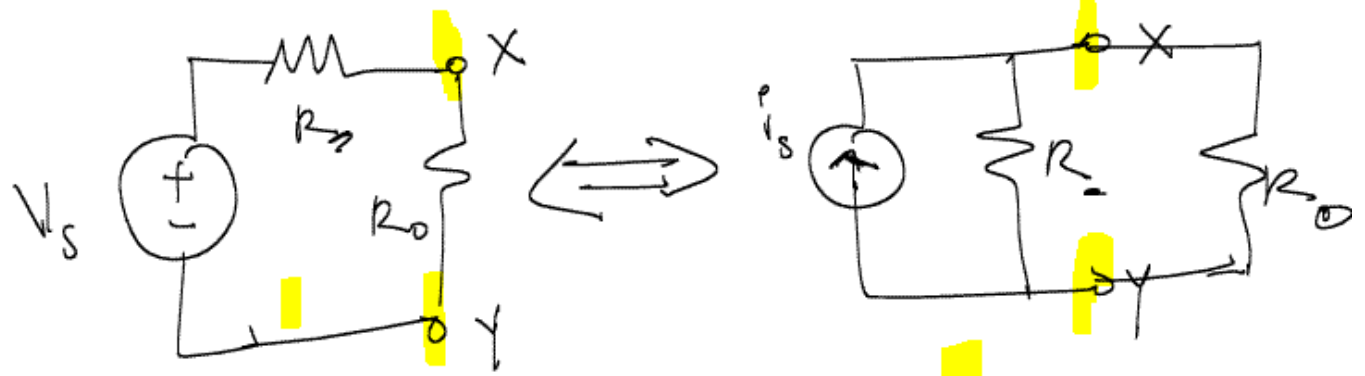
Section 4-9 - Source Transforms

Recall:

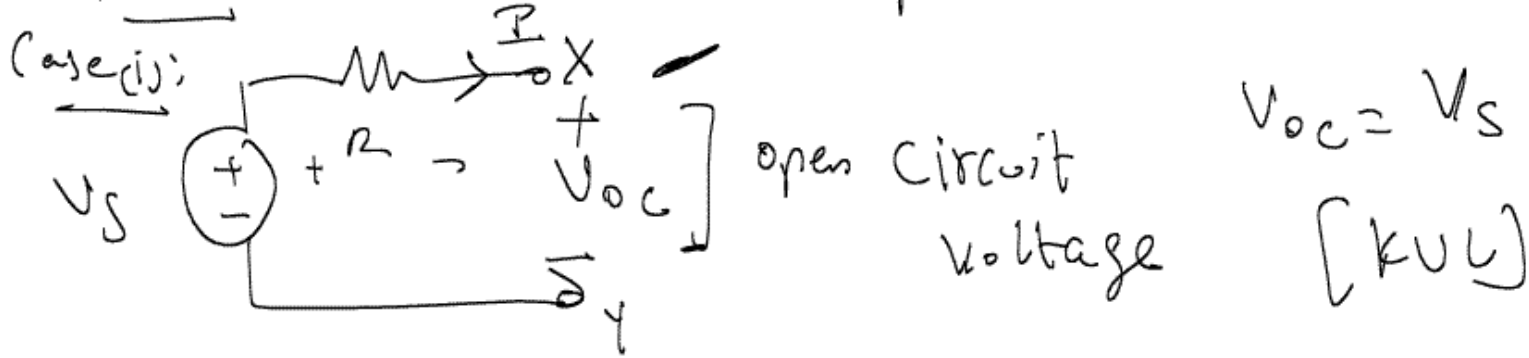


Idea behind source transforms is the same
⇒ simplify circuits. But, we are going
to include independent sources (voltage and current)

That is,



Goal: Find relationship between V_s & I_s



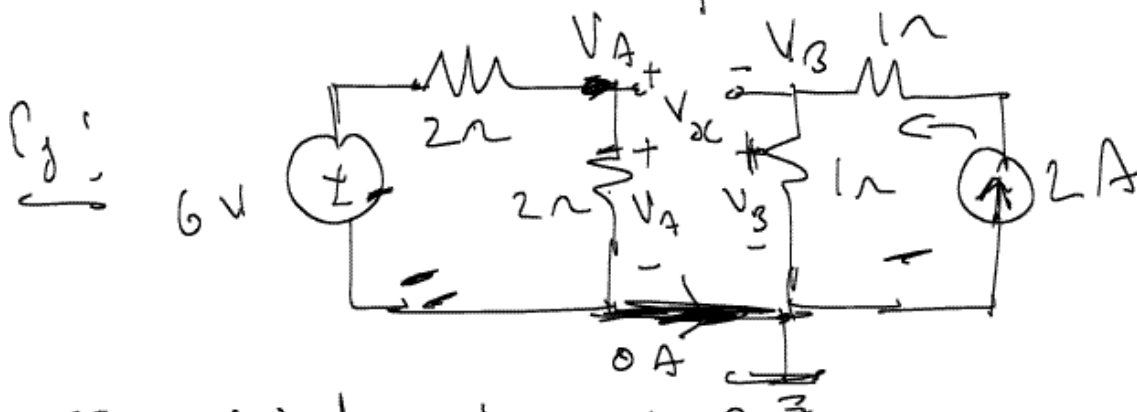
Note: Be careful with open circuits

Open circuit:

$I = 0$
 V can be anything

Dual:

I may be anything
 $V = 0$



(Q:) What is V_{x} ?

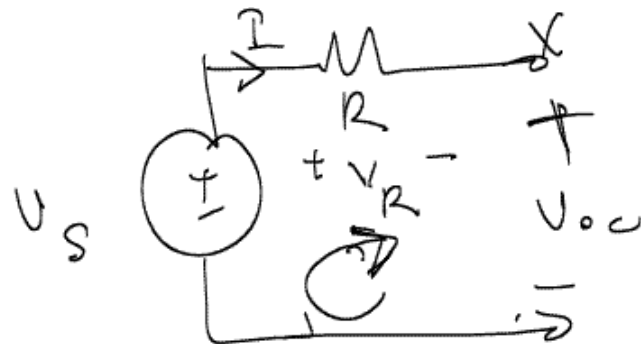
$$V_x = V_A - V_B$$

$$V_x = 1 \text{ V}$$

$$V_A = \left[\frac{2}{2+2} \right] 6 \text{ (voltage divider)} = 3 \text{ V}$$

$$V_B = (2 \text{ A})(1 \Omega) = 2 \text{ V}$$

Going back:



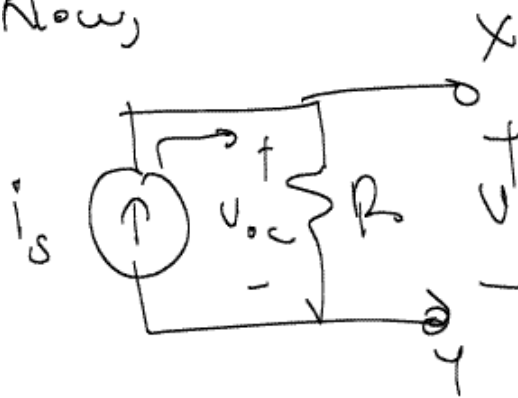
$I = 0$ (open circuit)

$$V_R = (I) R = 0 \text{ V}$$

KVL: $V_S - \cancel{\frac{V}{R}} - V_{OC} = 0$

$$\Rightarrow \boxed{V_{OC} = V_S}$$

Now,



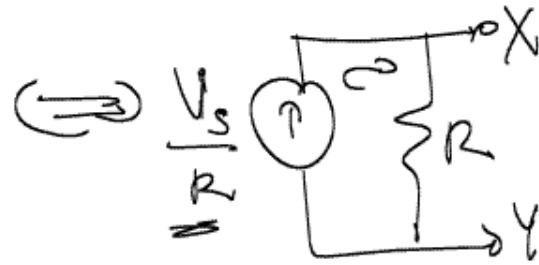
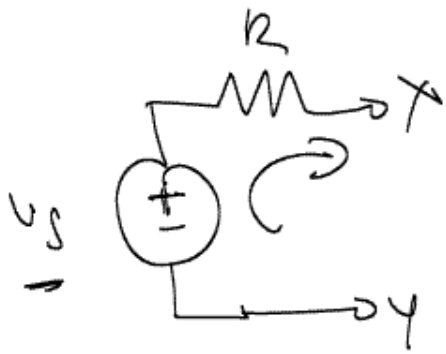
$V_{OC} = V_S$ ← if this circuit is equivalent to the circuit above

But, $V_{OC} = i_S R$ — (2)

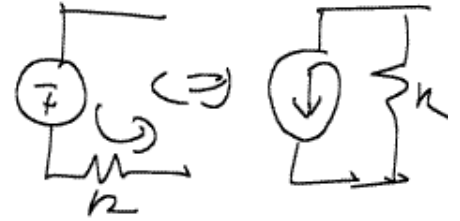
∴ Equating ① & ②

$$i_s R = V_s \Rightarrow$$

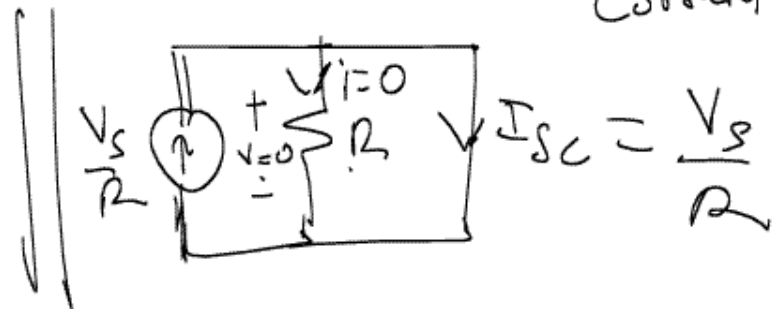
$$i_s = \frac{V_s}{R}$$



Note:



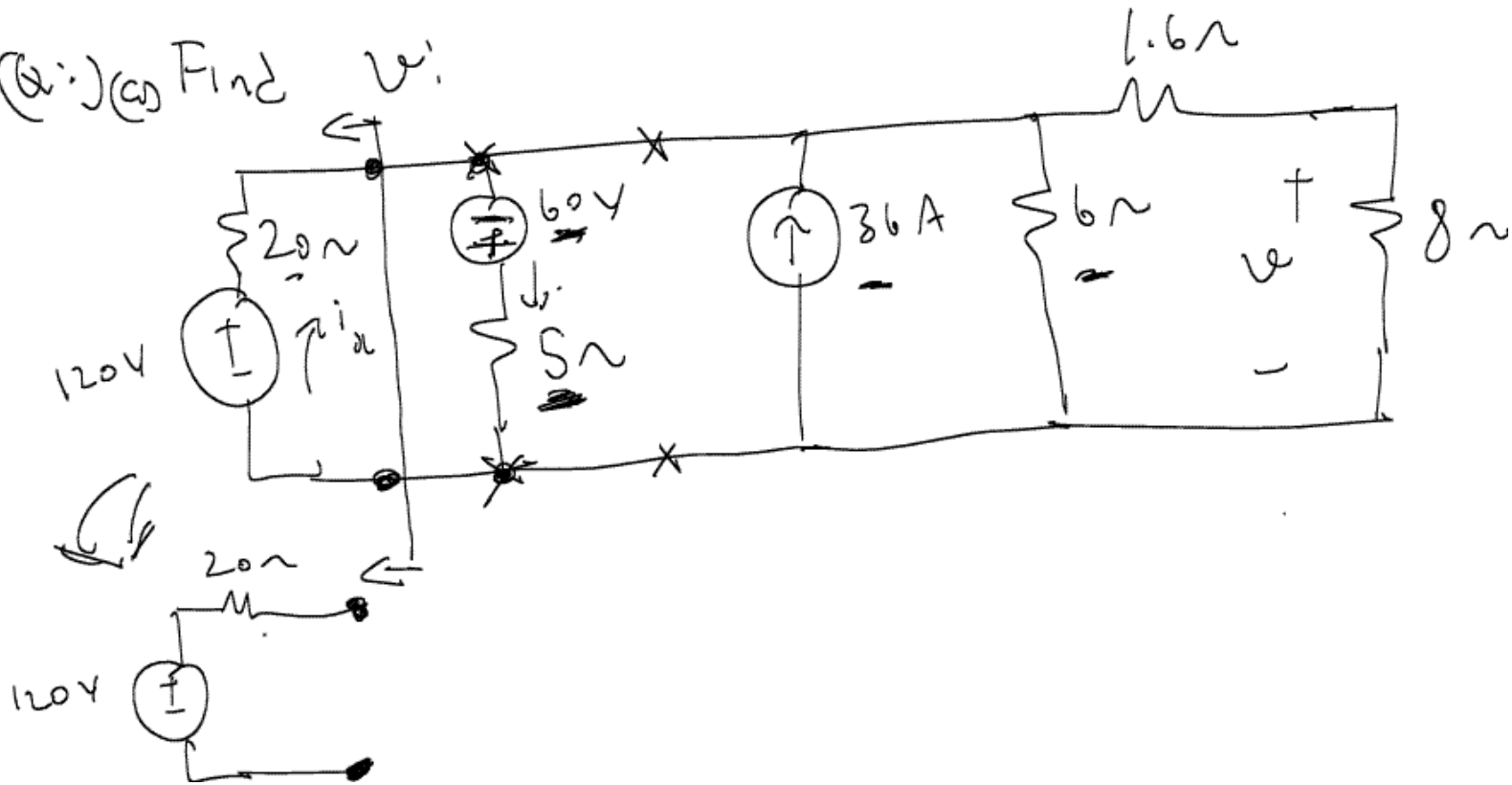
Note: We could have used I_{sc} (Short-circuit current)

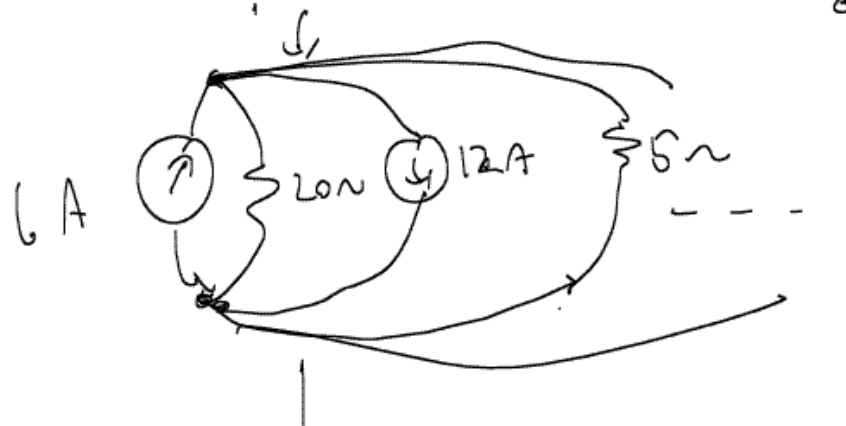
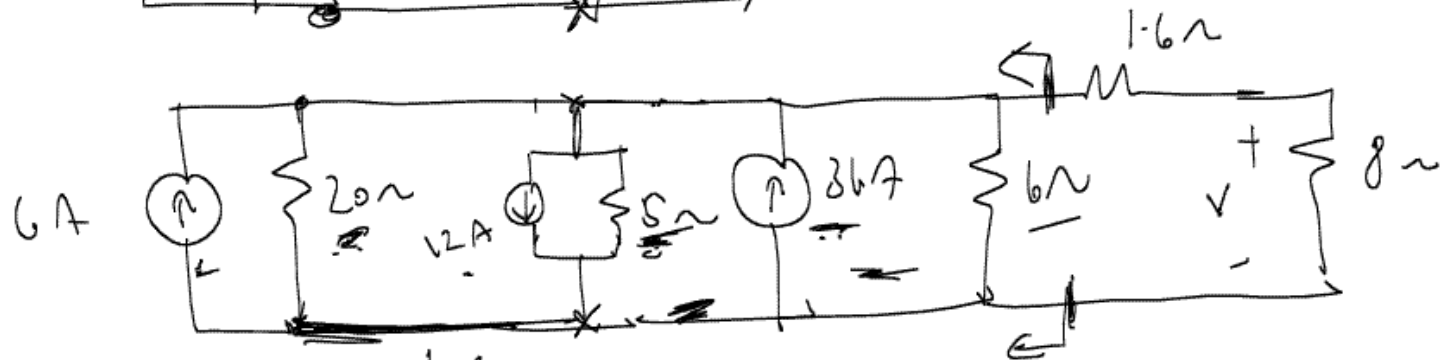
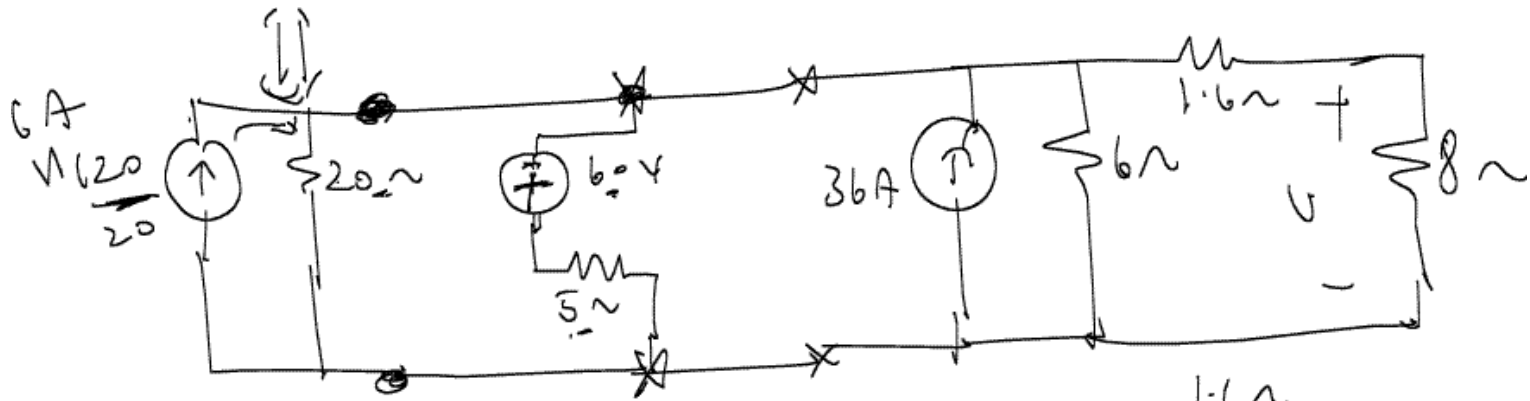


Why is this useful?

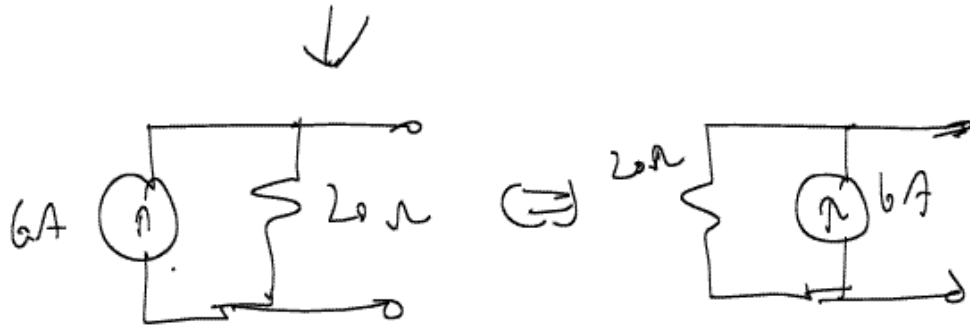
Example: D 4.15, p. 139

(a) Find v .

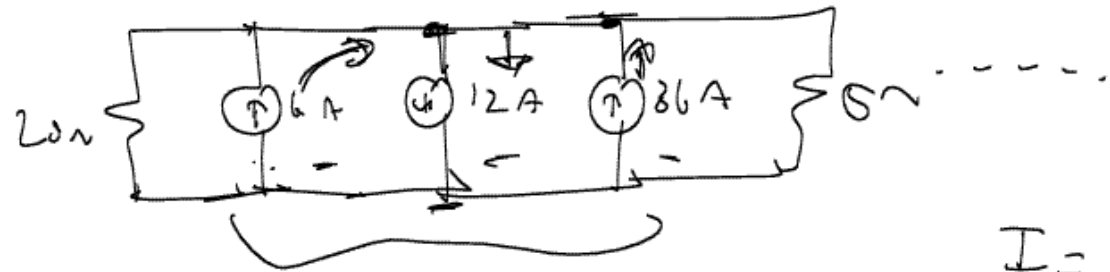




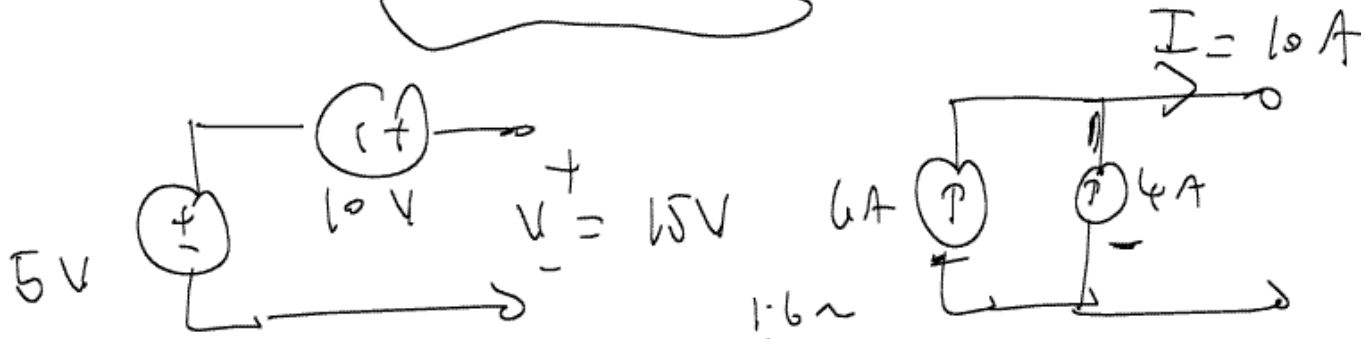
Note:



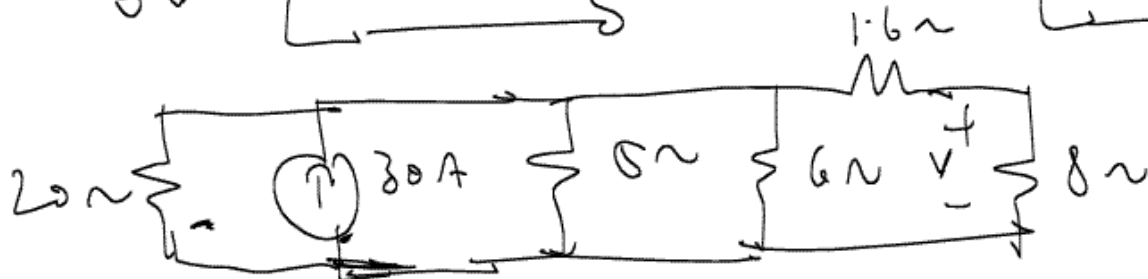
Going back:

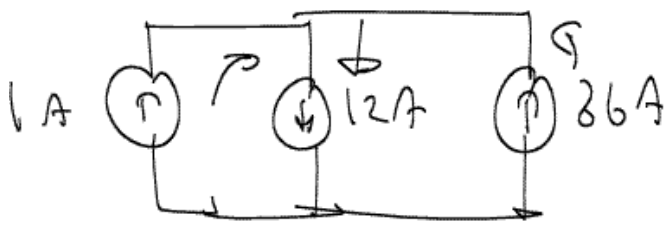
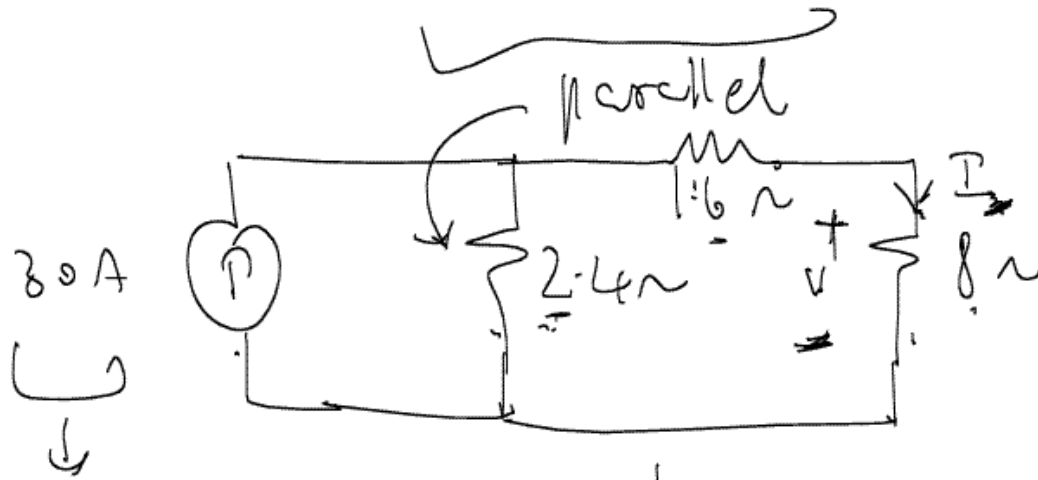
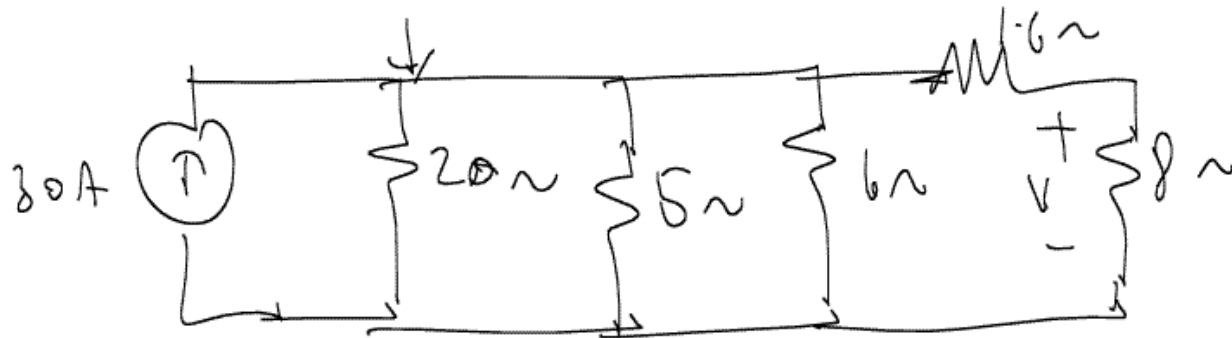


Dual:



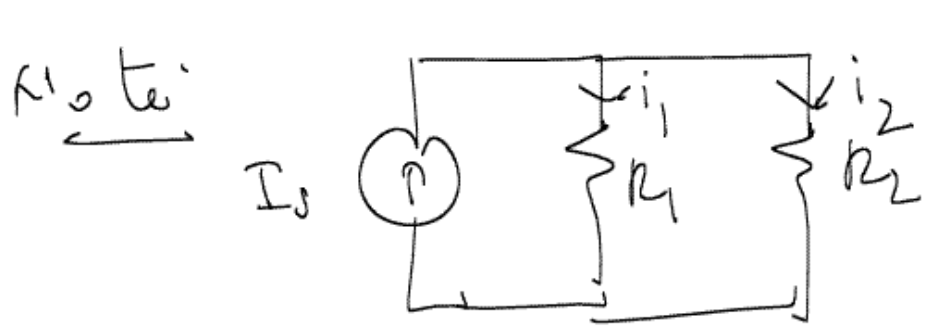
∴





$$V = (I)(8\Omega)$$

$$= \left[\left(\frac{2.4}{2.4 + 9.6} \right) 30A \right] (8\Omega)$$

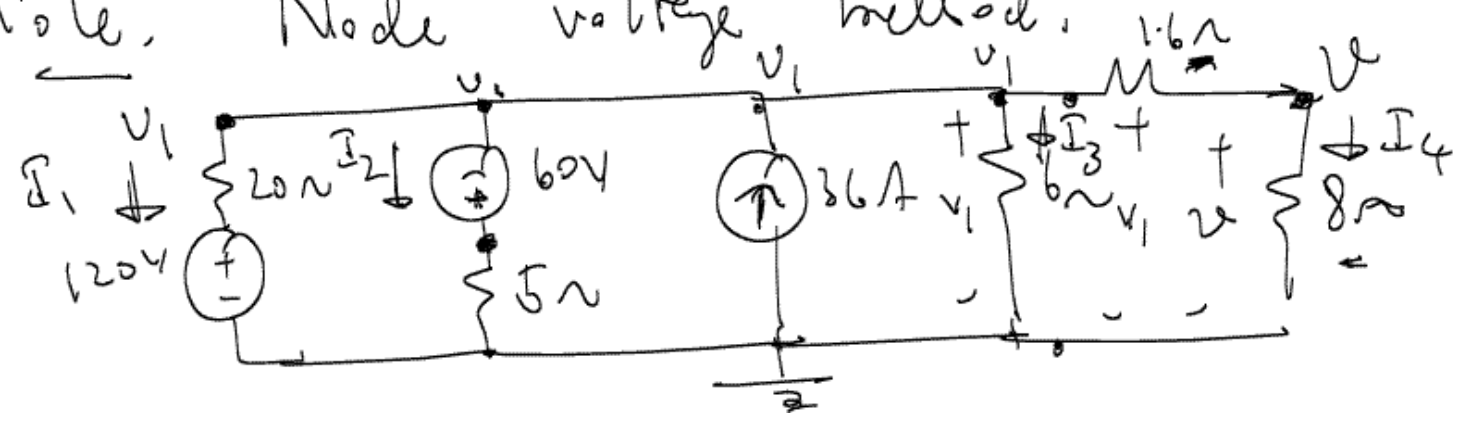


$$i_2 = \left(\frac{R_1}{R_1 + R_2} \right) I_s$$

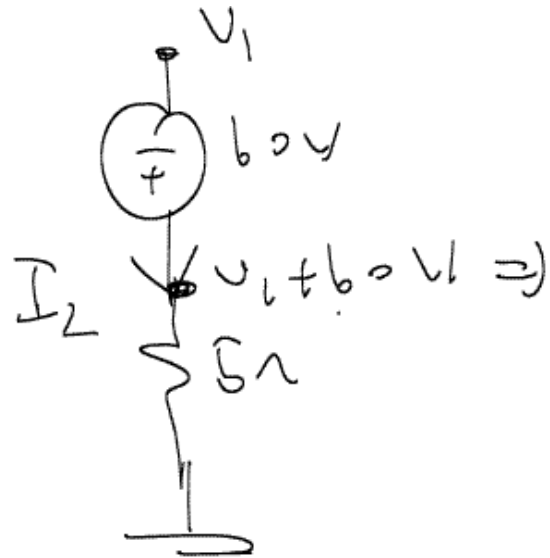
(Current Divider)

$$\therefore V = \frac{2.4}{12} \cdot 240 \Rightarrow \boxed{V = 48 \text{ V}}$$

Note: Node voltage method:

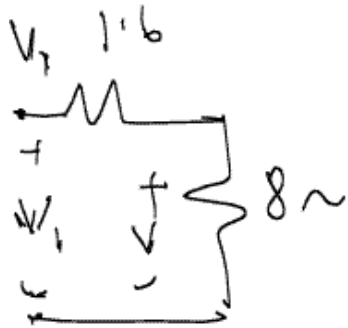


Note:



$$\sum I = I_1 + I_2 + I_3 + I_4 \quad (\text{KCL})$$

$$\sum I = \frac{V_1 - 120}{20} + \frac{V_1 + 60}{5} + \frac{V_1}{6} + \frac{V_1}{1.6 + 8}$$

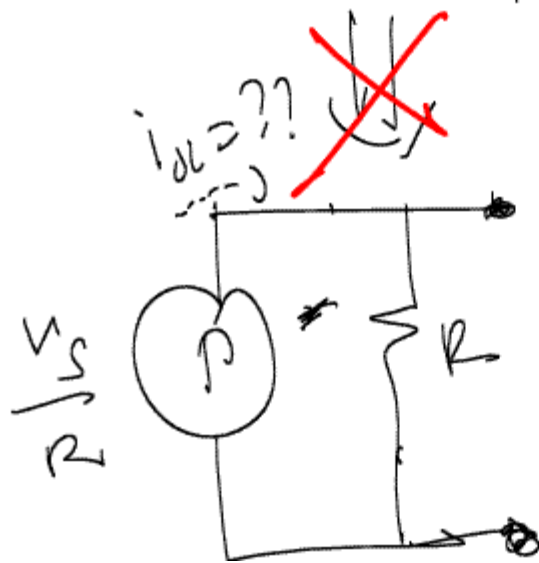
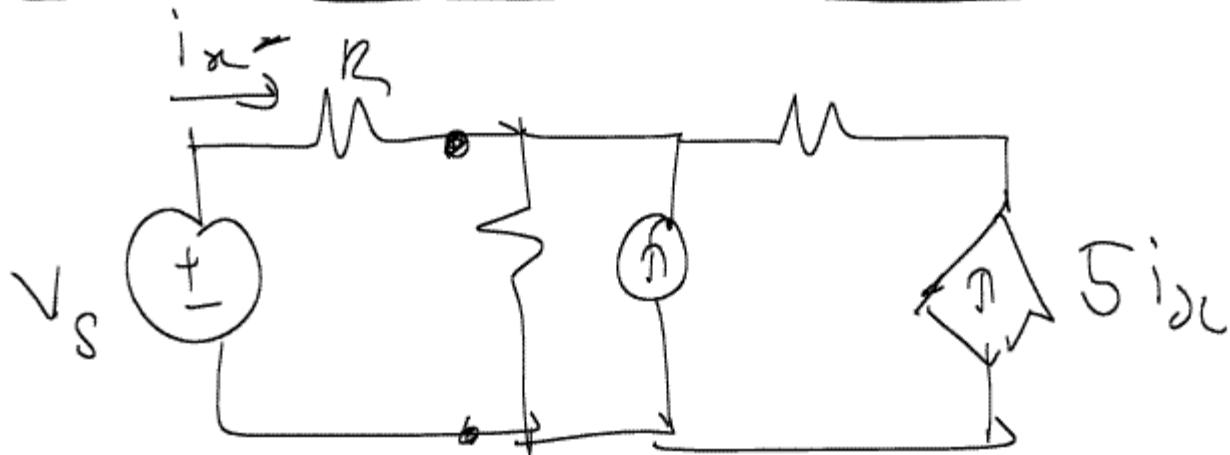


$$\Rightarrow \sum I = \frac{V_1 - 120}{20} + \frac{V_1 + 60}{5} + \frac{V_1}{6} + \frac{V_1}{9.6}$$

$$\Rightarrow \boxed{V_1 = 57.6 \text{ V}}$$

$$V = \left(\frac{8}{9.6} \right) V_1 \quad (\text{Voltage divider}) = 48 \text{ V} \quad \checkmark \quad \underline{\underline{\text{Check!}}}$$

When is source transform a bad idea?



Warning, Be careful
with dependent
sources.

Sorry, no time for dependent sources, \Rightarrow
OFFICE hours

Next time: \rightarrow Thevenin / Norton equivalents

Note: I will try using the **highlighter**
from now on, but watch out when
printing the lectures.