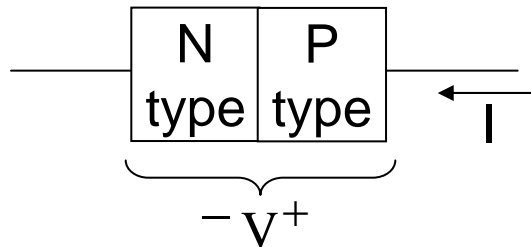


EE100Su08 Lecture #15 (July 30th 2008)

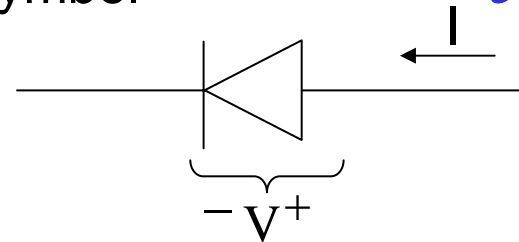
- Outline
 - MultiSim:
 - Step 1: Download program from (257.5 MB):
http://ftp.ni.com/support/softlib/Circuit_Design_Suite/10.0/10.0.1/NI_CDS_10_0_1_Stu.exe
 - Step 2: Use license key given out in class
 - Project labs **START NEXT WEEK** (see updated schedule online tonight). For this week, make sure you finish Strain Gauge.
 - QUESTIONS?
 - Diodes: Wrap up
- Reading
 - Chapter 2 from your reader (Diode Circuits)

Diode Physical Behavior and Equation

Schematic Device

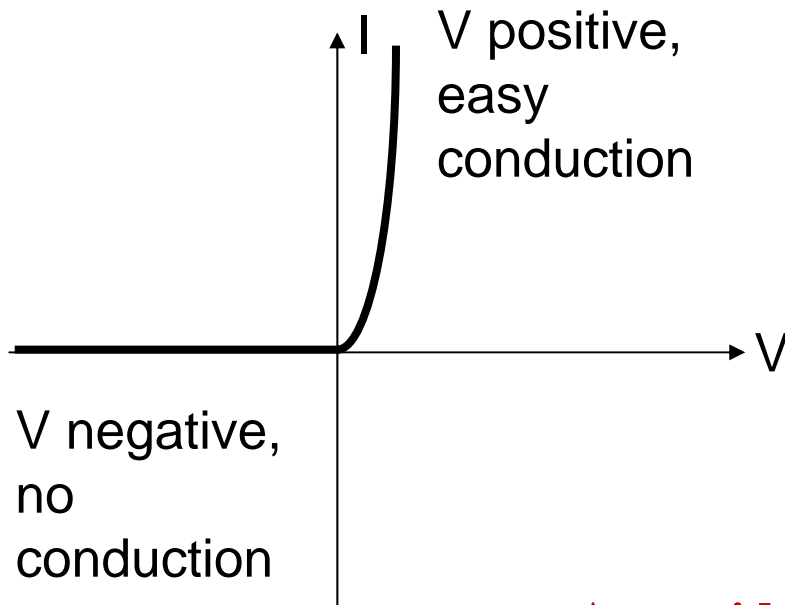


Symbol



Ref: Howe & Sodini, Microelectronics: An Integrated Approach.

Qualitative I-V characteristics:



Quantitative I-V characteristics:

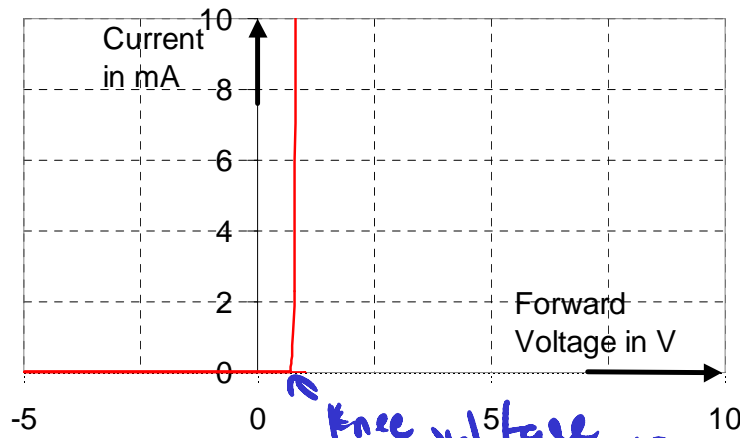
$$I = I_0(e^{qV/kT} - 1)$$

In which kT/q is 0.026V and I_0 is a constant depending on diode area. Typical values: 10^{-12} to 10^{-16} A. Interestingly, the graph of this equation looks just like the figure to the left.

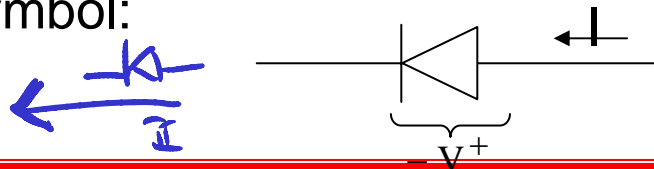
A non-ideality factor n times kT/q is often included.

Diode Ideal (Perfect Rectifier) Model

The equation $I = I_0 \exp\left(\frac{qV}{kT} - 1\right)$ is graphed below for $I_0 = 10^{-15} \text{ A}$

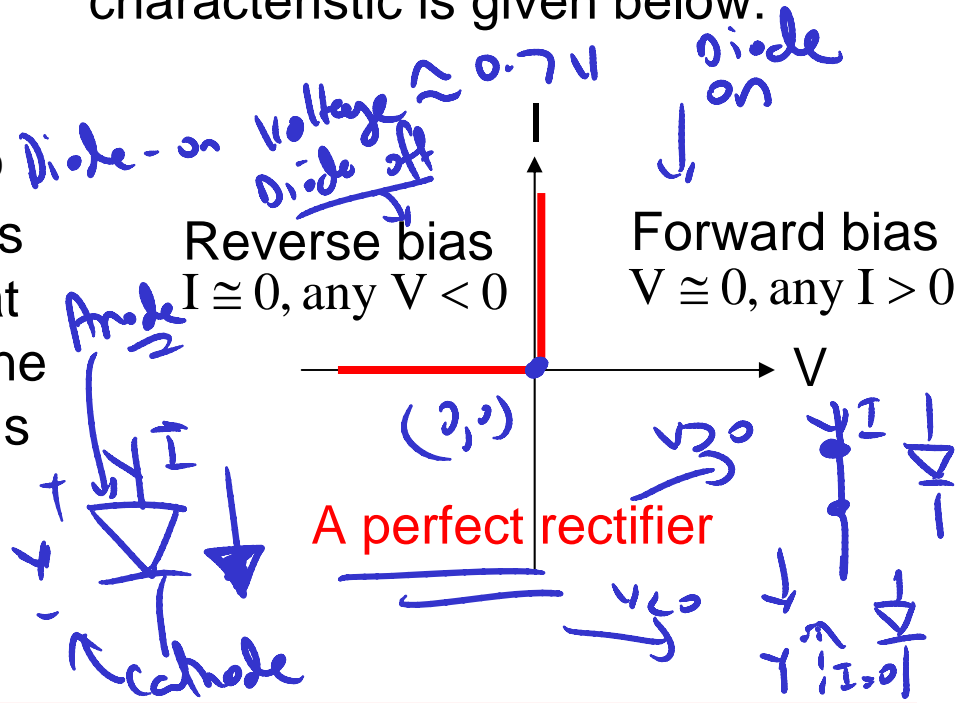


The characteristic is described as a “rectifier” – that is, a device that permits current to pass in only one direction. (The hydraulic analog is a “check valve”.) Hence the symbol:



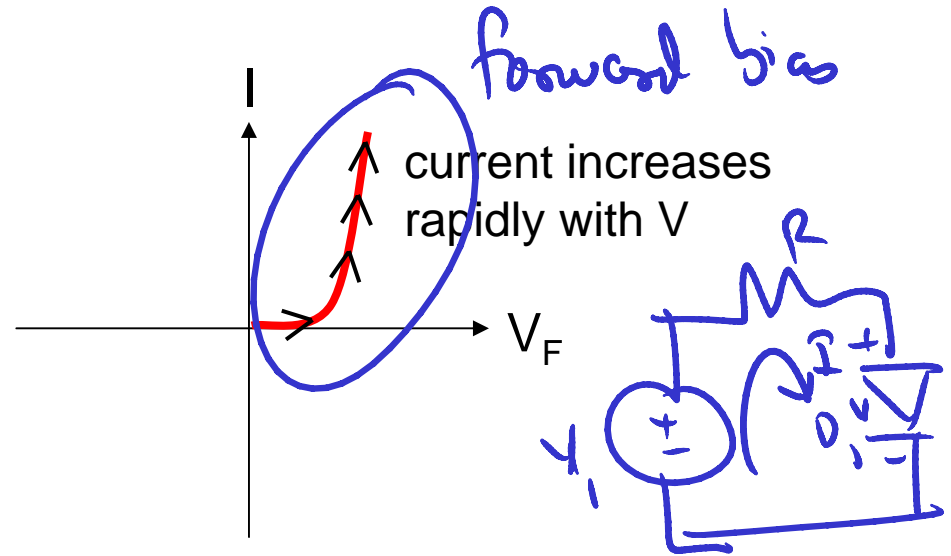
Simple “Perfect Rectifier” Model

If we can ignore the small forward-bias voltage drop of a diode, a simple effective model is the “perfect rectifier,” whose I-V characteristic is given below:

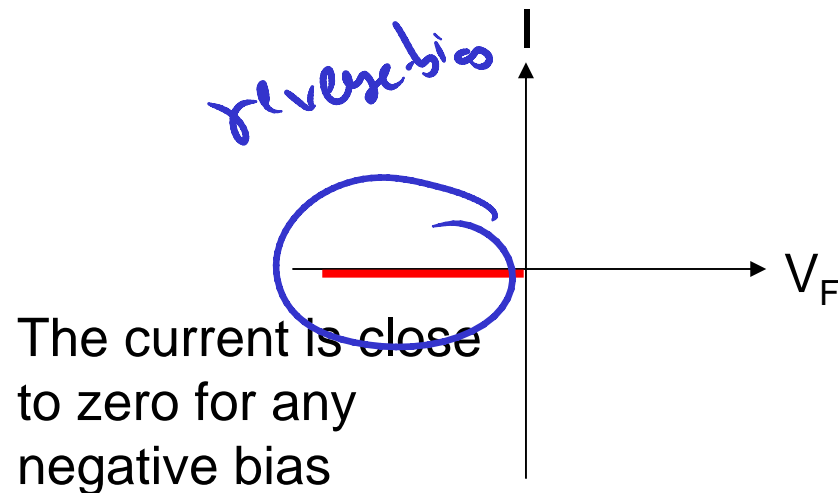


I-V Characteristics

In forward bias (+ on p-side) we have almost unlimited flow (very low resistance). Qualitatively, the I-V characteristics must look like:

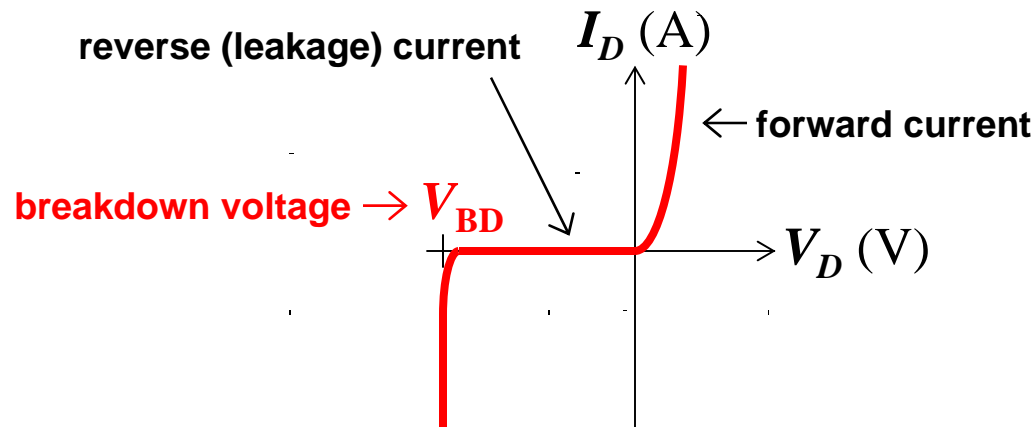


In reverse bias (+ on n-side) almost no current can flow. Qualitatively, the I-V characteristics must look like:



pn-Junction Reverse Breakdown

- As the reverse bias voltage increases, the peak electric field in the depletion region increases. When the electric field exceeds a critical value ($E_{crit} \cong 2 \times 10^5$ V/cm), the reverse current shows a dramatic increase:



The pn Junction I vs. V Equation

I-V characteristic of PN junctions

In EECS 105, 130, and other courses you will learn why the I vs. V relationship for PN junctions is of the form

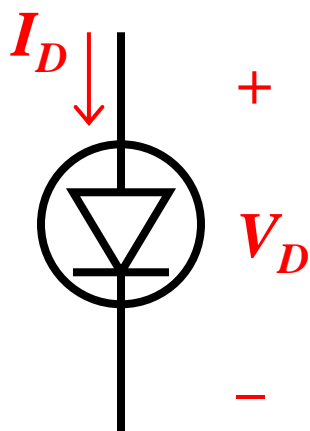
$$I = I_0(e^{qV/kT} - 1)$$

where I_0 is a constant proportional to junction area and depending on doping in P and N regions, q = electronic charge = 1.6×10^{-19} , k is Boltzman constant, and T is absolute temperature.
 $kT/q = 0.026V$ at $300^\circ K$, a typical value for I_0 is $10^{-12} - 10^{-15} A$

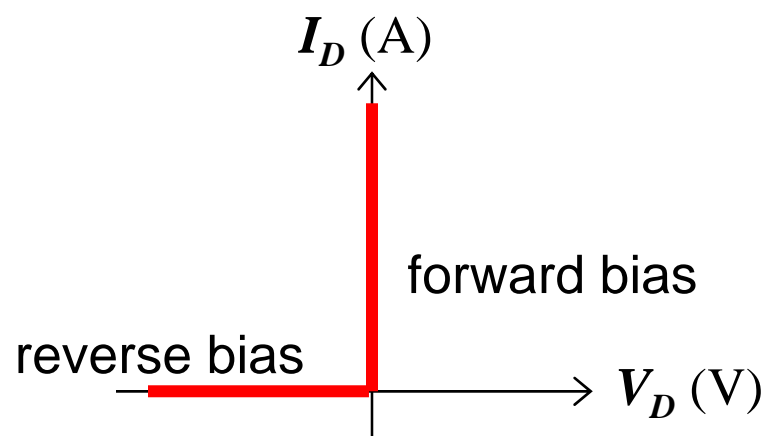
We note that in forward bias, I increases **exponentially** and is in the μA - mA range for voltages typically in the range of 0.6 - $0.8V$. In reverse bias, the current is essentially zero.

Ideal Diode Model of PN Diode

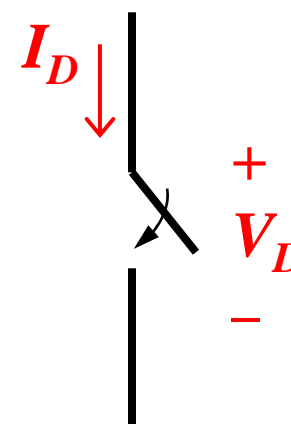
Circuit symbol



I-V characteristic

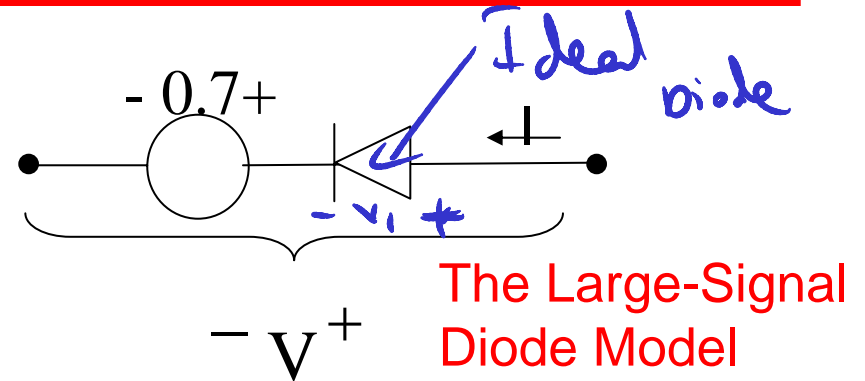
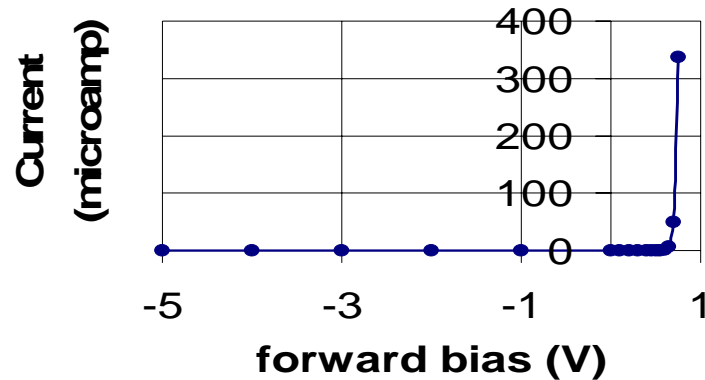


Switch model



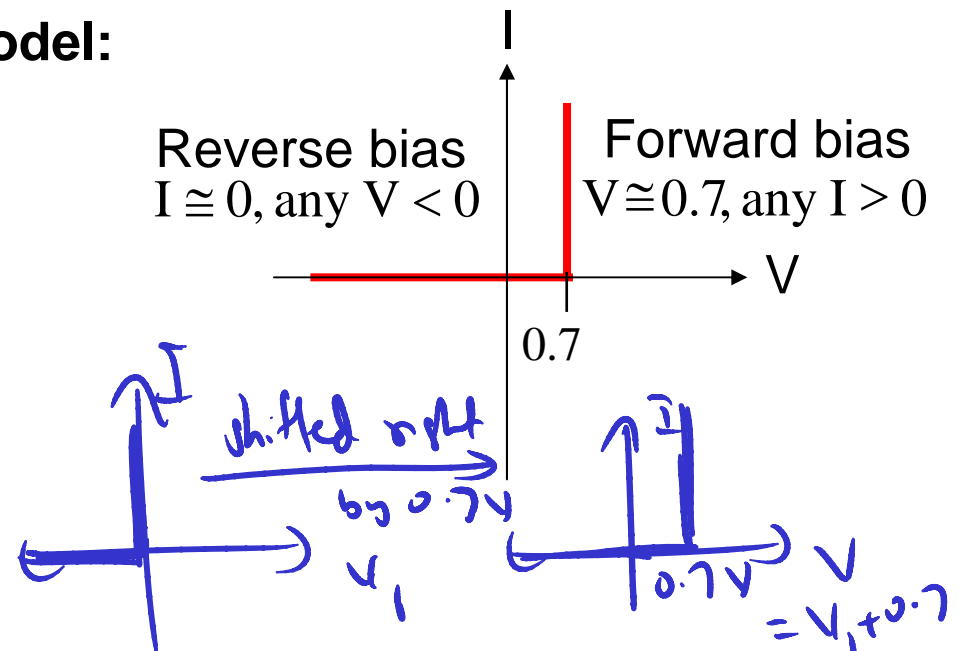
- An ideal diode passes current only in one direction.
 - An **ideal diode** has the following properties:
 - when $I_D > 0$, $V_D = 0$
 - when $V_D < 0$, $I_D = 0$
- } Diode behaves like a switch:
- closed in forward bias mode
 - open in reverse bias mode

Diode Large-Signal Model (0.7 V Drop)



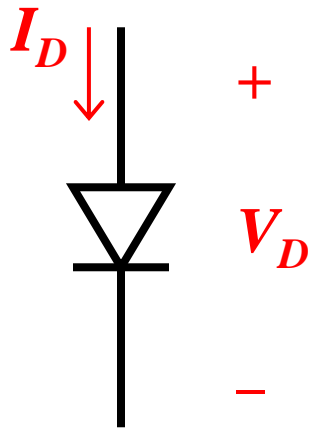
Improved “Large-Signal Diode” Model:

If we choose not to ignore the small forward-bias voltage drop of a diode, it is a very good approximation to regard the voltage drop in forward bias as a constant, about 0.7V. the “Large signal model” results.

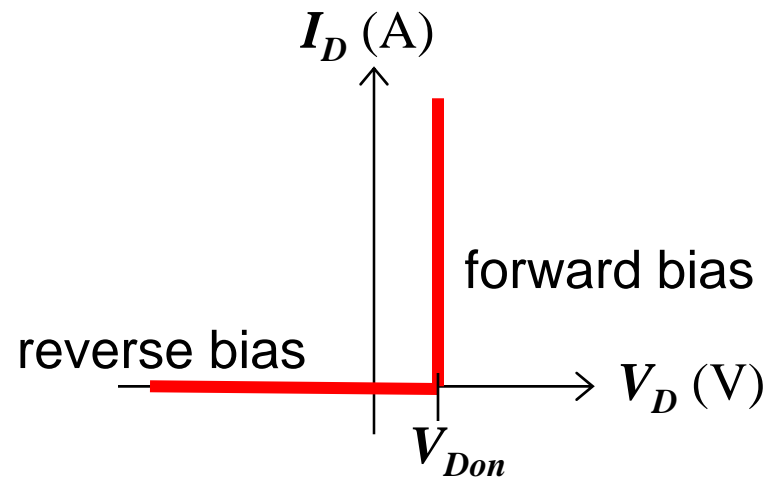


Large-Signal Diode Model

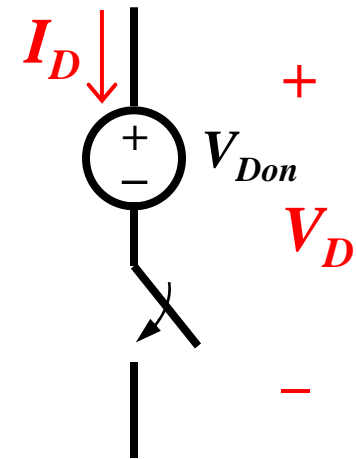
Circuit symbol



I-V characteristic



Switch model



For a Si pn diode, $V_{Don} \cong 0.7 \text{ V}$

RULE 1: When $I_D > 0$, $V_D = V_{Don}$

RULE 2: When $V_D < V_{Don}$, $I_D = 0$

Diode behaves like a voltage source in series with a switch:

- closed in forward bias mode
- open in reverse bias mode

How to Analyze Circuits with Diodes

A diode has only two states:

- forward biased: $I_D > 0$, $V_D = 0$ V
- reverse biased: $I_D = 0$, $V_D < 0$ V (or 0.7 V)

Procedure:

1. Guess the state(s) of the diode(s)
2. Check to see if KCL and KVL are obeyed.
3. If KCL and KVL are not obeyed, refine your guess
4. Repeat steps 1-3 until KCL and KVL are obeyed.

Note:

$$V_S - V_D = V_R$$
$$\Rightarrow V_S - V_D = iR$$

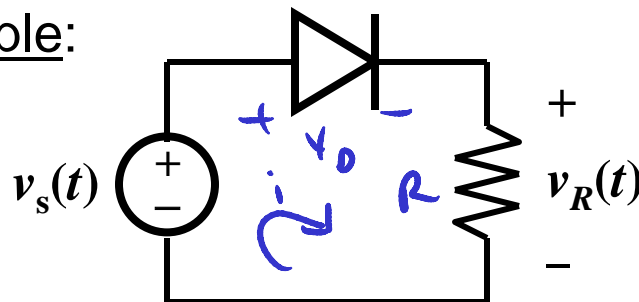
⊖

$$f(V_D)$$

↓
Diode

Try solving
⊖ in
MATLAB

Example:



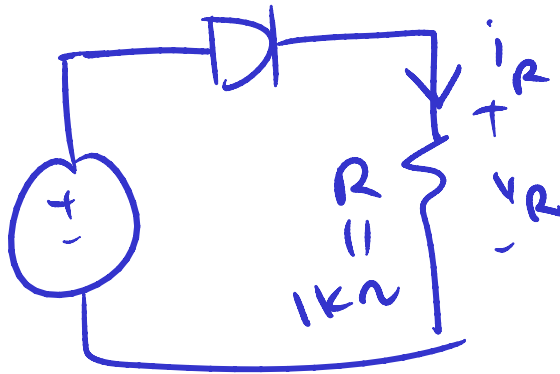
✓ If $v_s(t) > 0$ V, diode is forward biased
(else KVL is disobeyed – try it)

✓ If $v_s(t) < 0$ V, diode is reverse biased
(else KVL is disobeyed – try it)

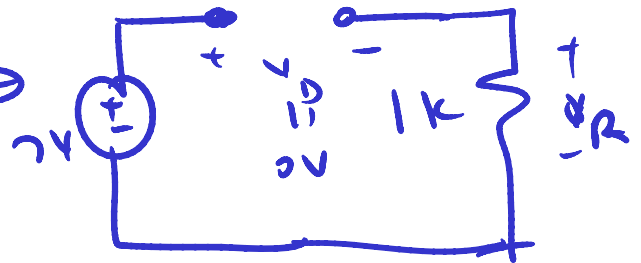
The circuit in the previous slide:

Ex 1

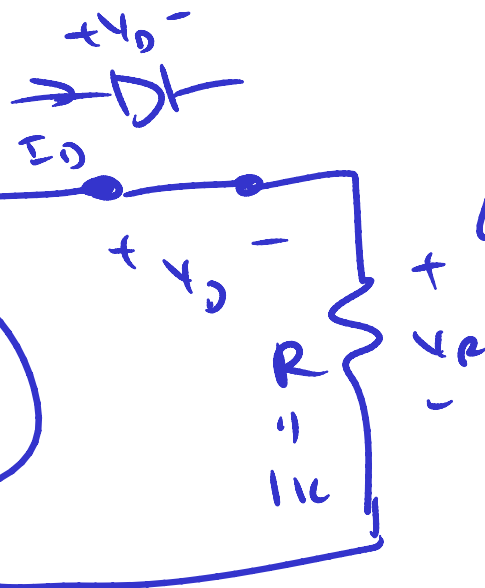
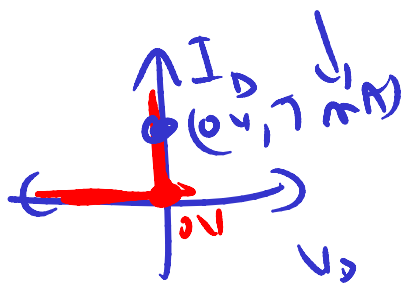
(Assume diode is ideal) $I_D \rightarrow$ 



diode off \rightarrow



Quiescent-point
Q-point



$I_D = 7 \text{ mA}$
 $(7 \text{ mA}, 0 \text{ V})$
diode on

$v_o = 7 \text{ V} \Rightarrow$ oops, diode cannot be off

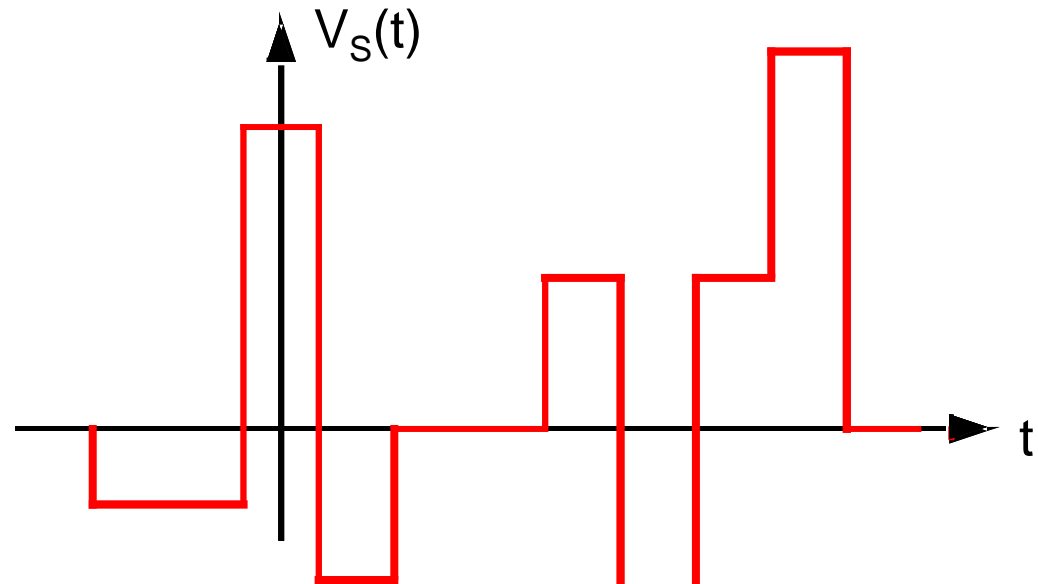
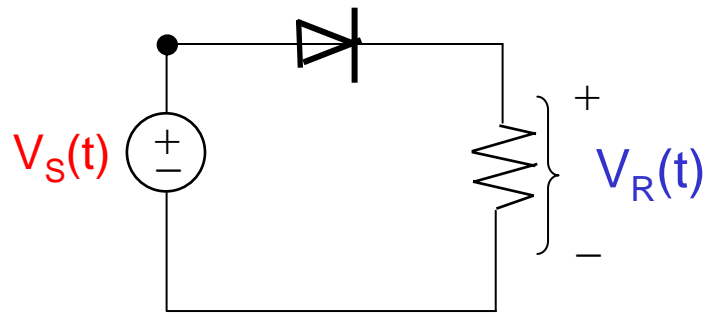
assumption about diode state is incorrect!

$$v_o = 0 \text{ V}$$

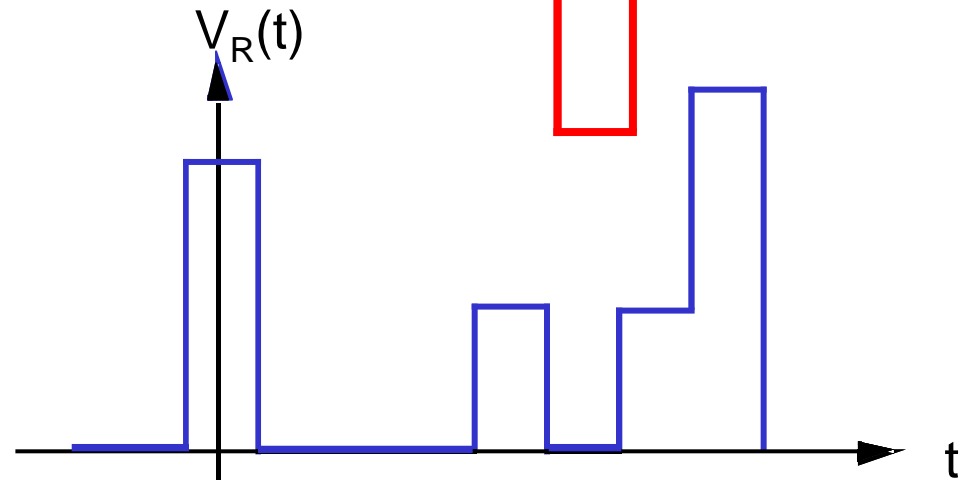
$$I_D = \frac{7}{1k} = 7 \text{ mA}$$

Rectifier Circuit

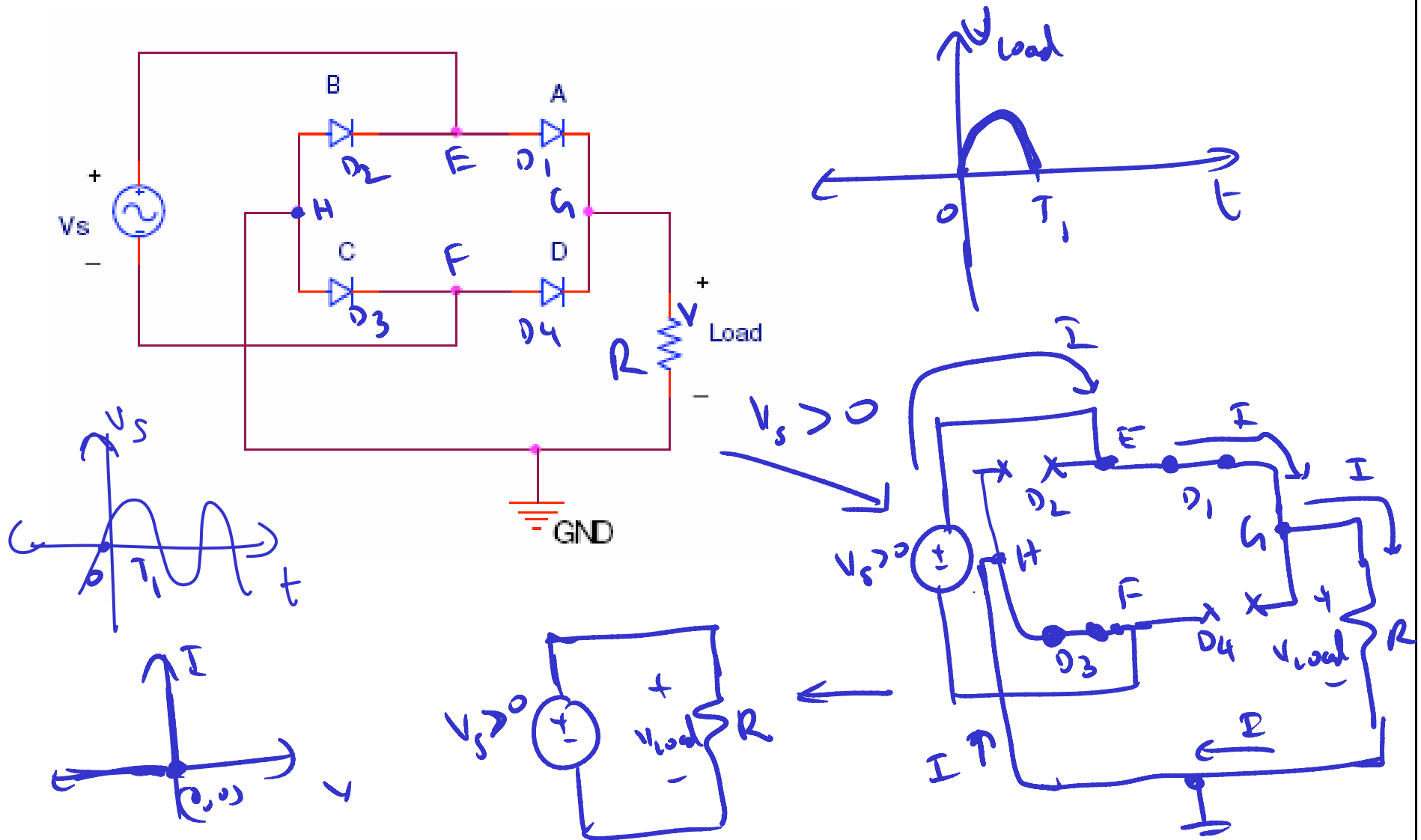
Assume the ideal
(perfect rectifier)
model.



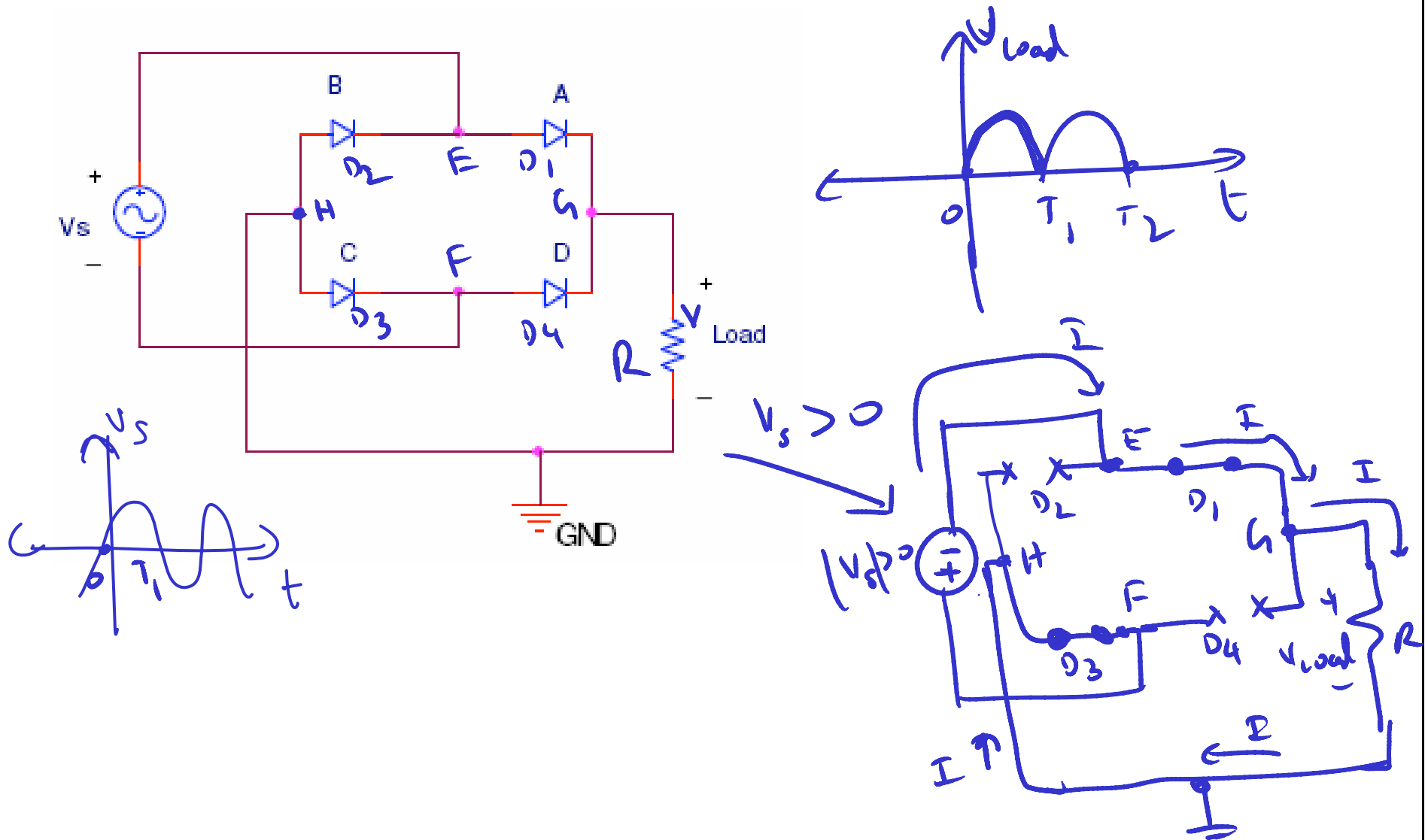
“rectified” version of
input waveform



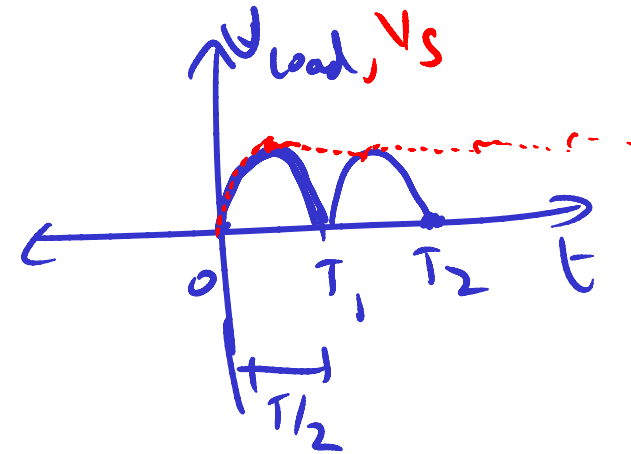
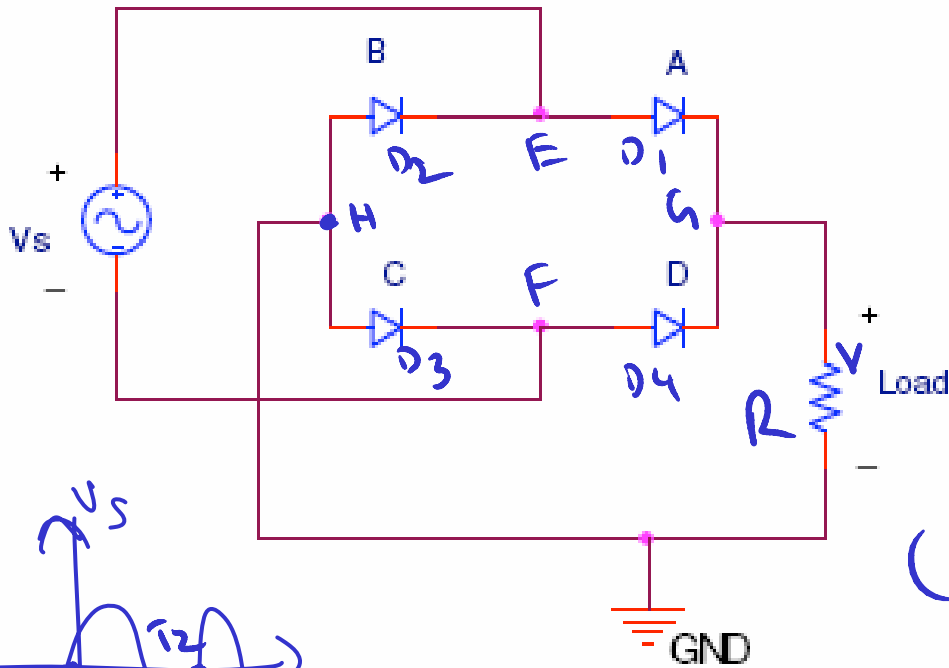
Full Wave Rectifier & AC-DC converter



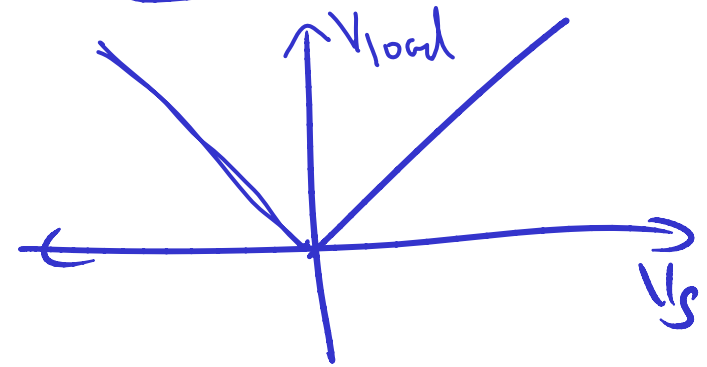
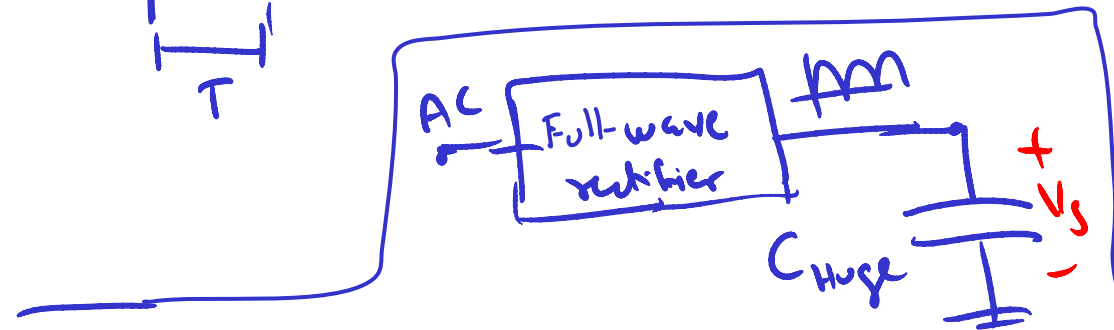
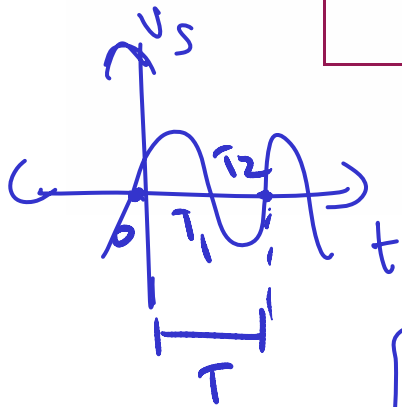
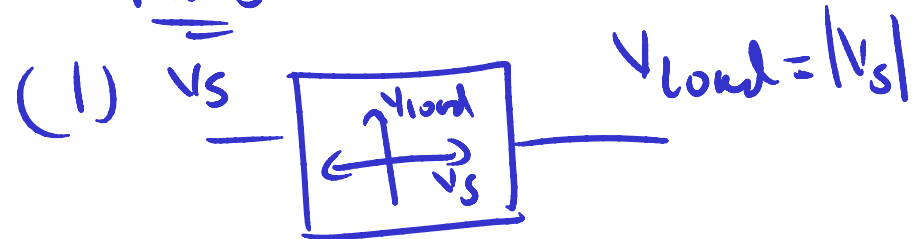
Full Wave Rectifier & AC-DC converter



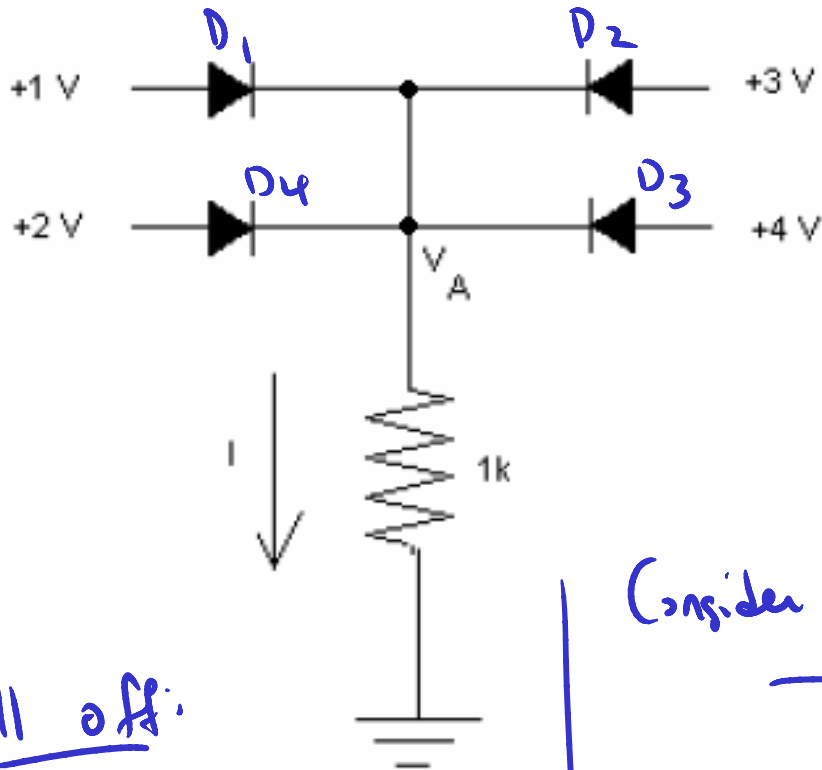
Full Wave Rectifier & AC-DC converter



Notes:



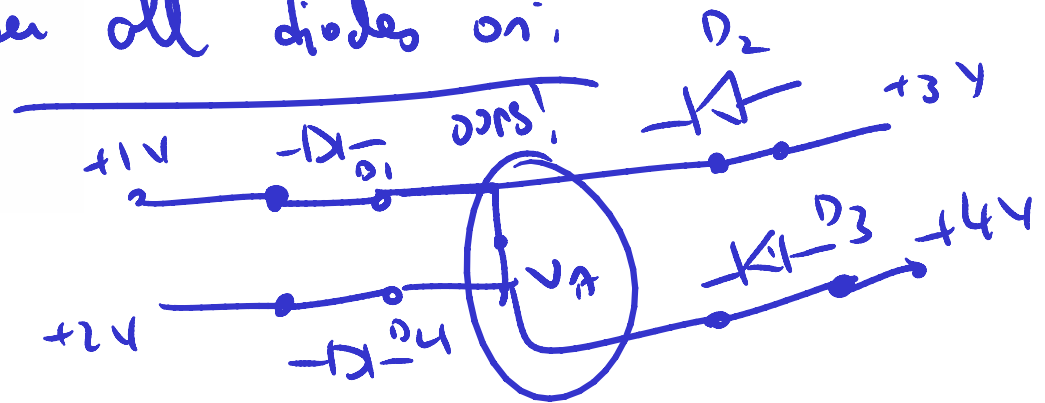
Another Example Circuit



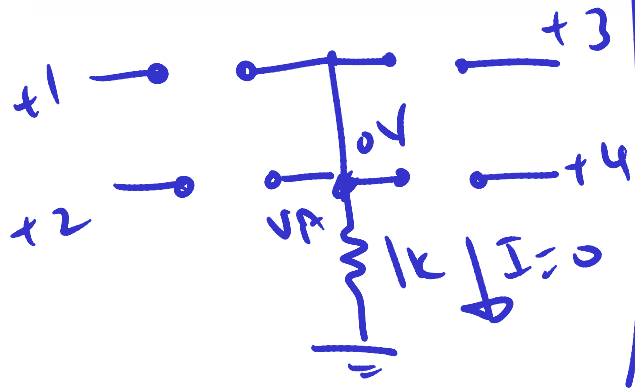
Assume D_1, D_2, D_3 & D_4 are ideal, find V_A & I .

$V_A = 4V$ ✓

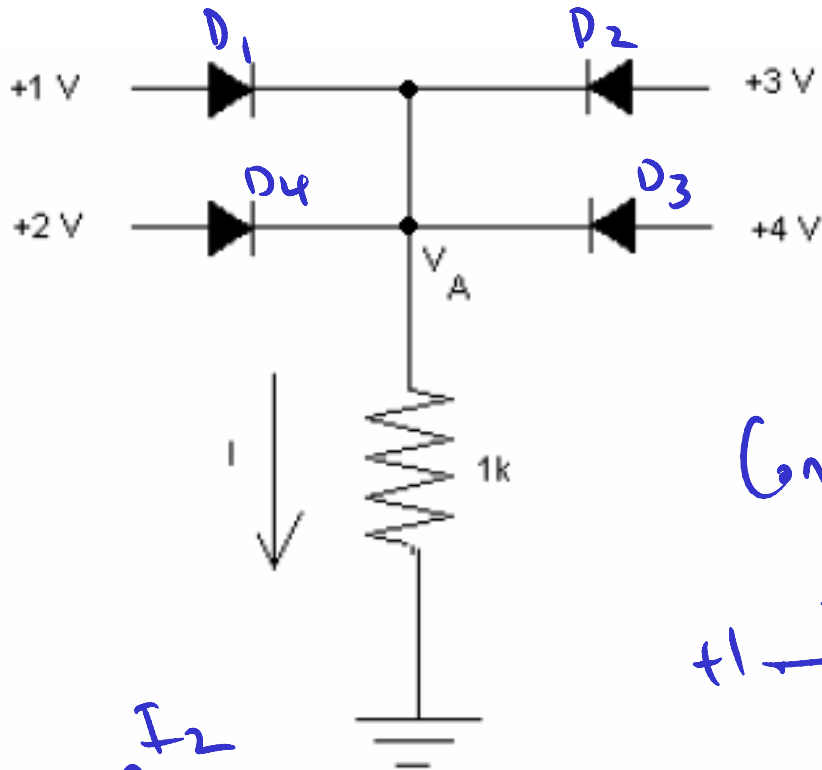
Consider all diodes on.



All off:

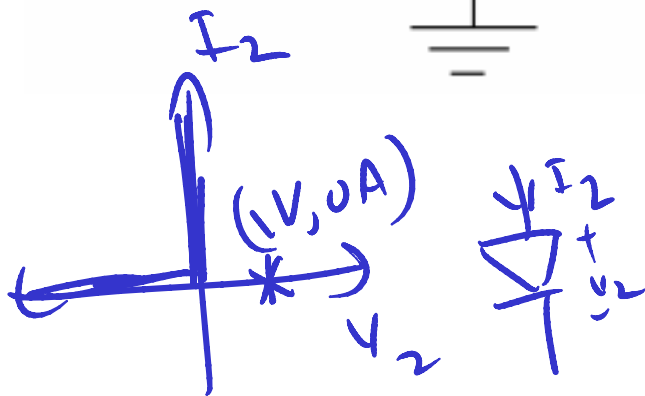
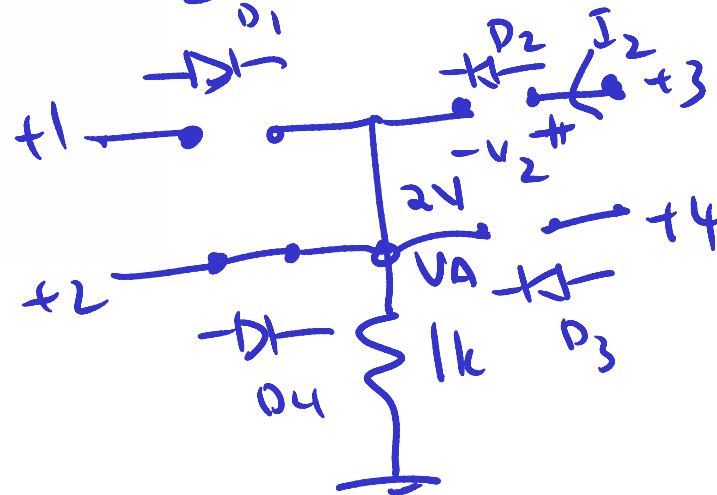


Another Example Circuit



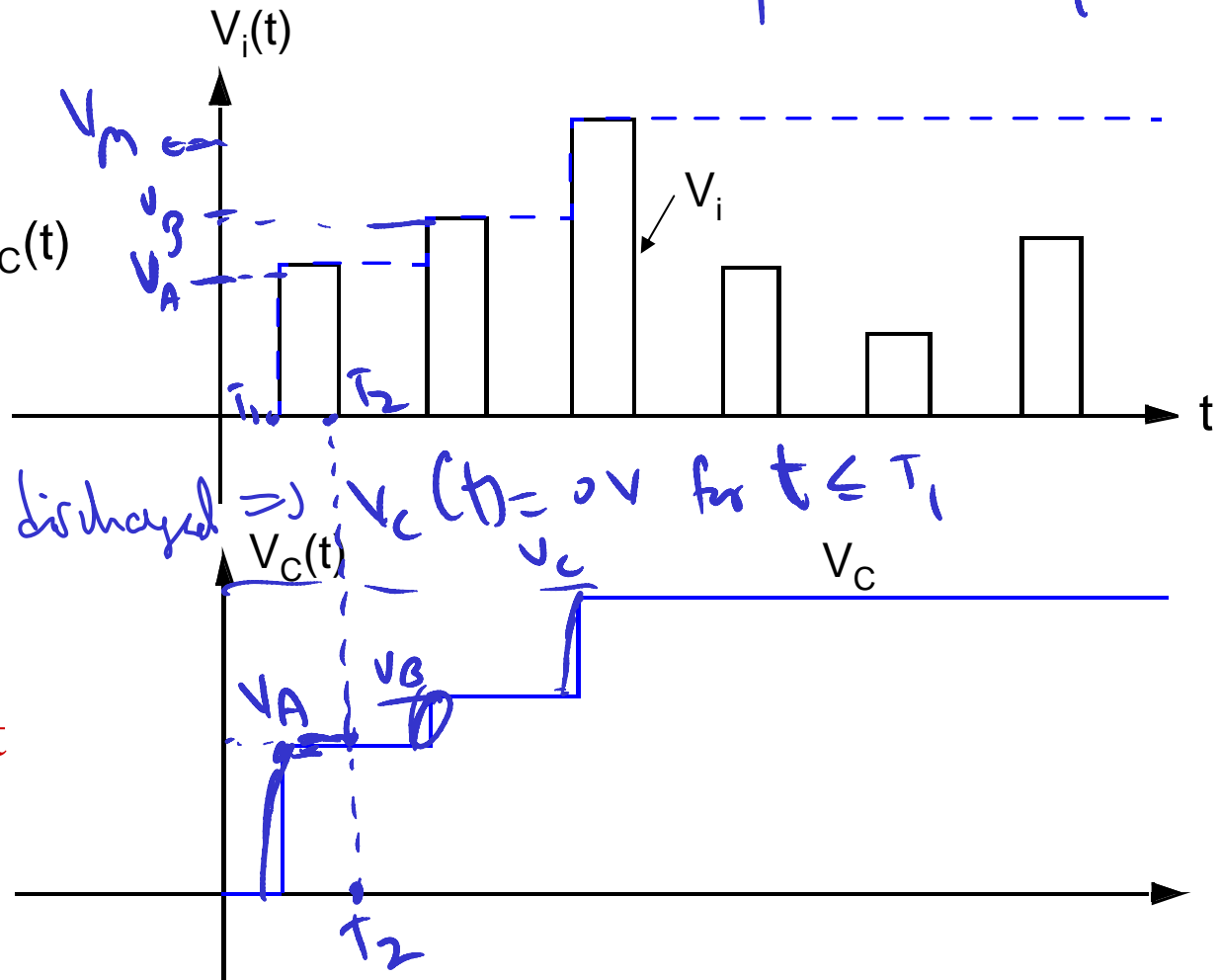
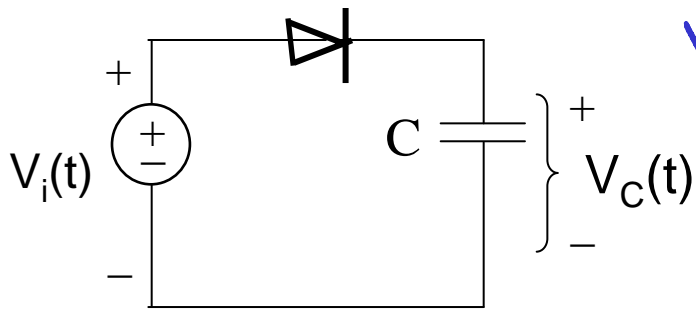
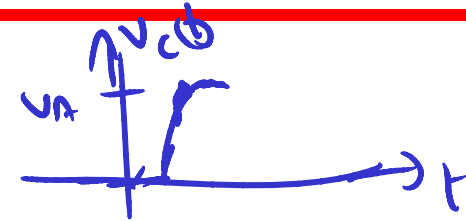
Assume D_1, D_2, D_3 & D_4 are ideal, find V_A & I .

Consider: D_4 on, all others off.



Peak Detector Circuit

Assume the ideal (perfect rectifier) model.



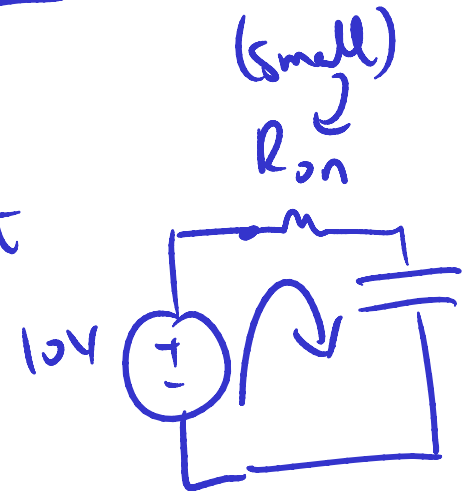
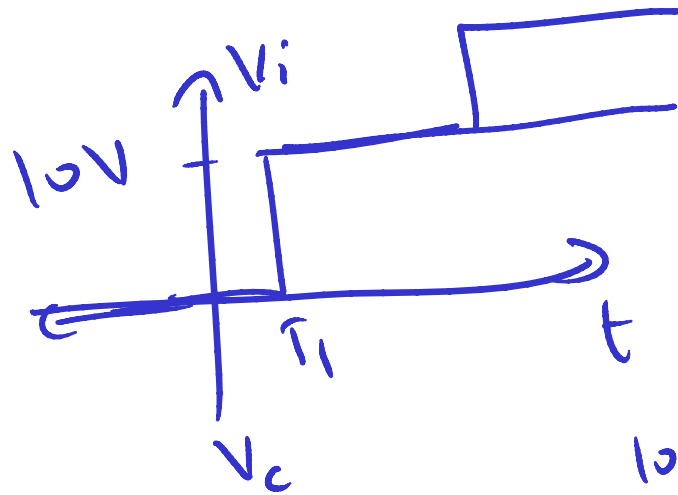
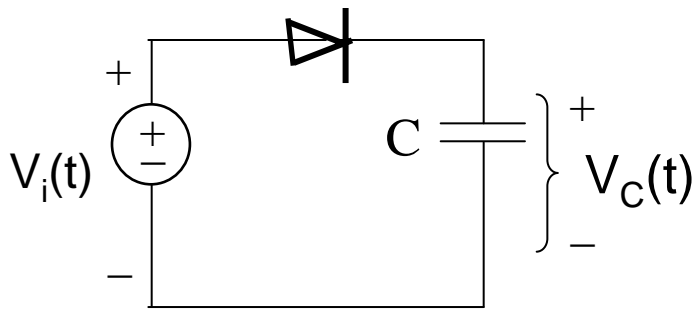
Assume C is initially discharged

Key Point:

The capacitor charges due to one way current behavior of the diode.

Peak Detector Circuit

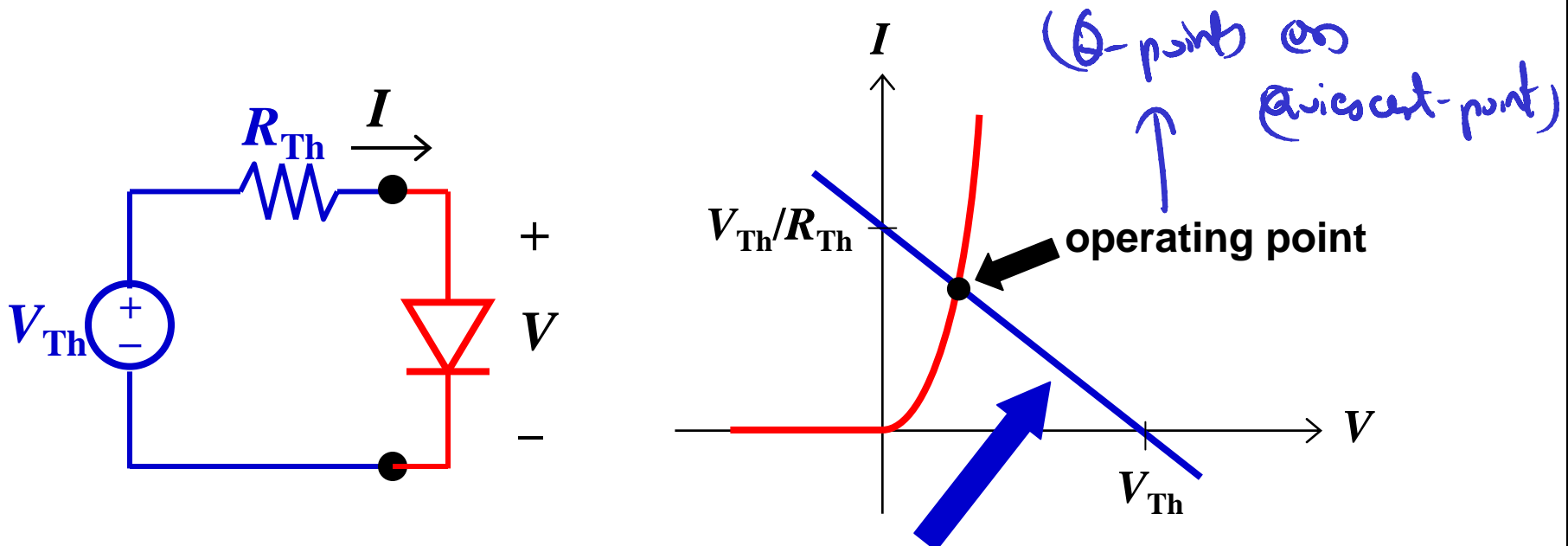
Assume the ideal (perfect rectifier) model.



Key Point:
The capacitor charges due to one way current behavior of the diode.

Load Line Analysis Method

1. Graph the I - V relationships for the non-linear element and for the rest of the circuit
2. The operating point of the circuit is found from the intersection of these two curves.

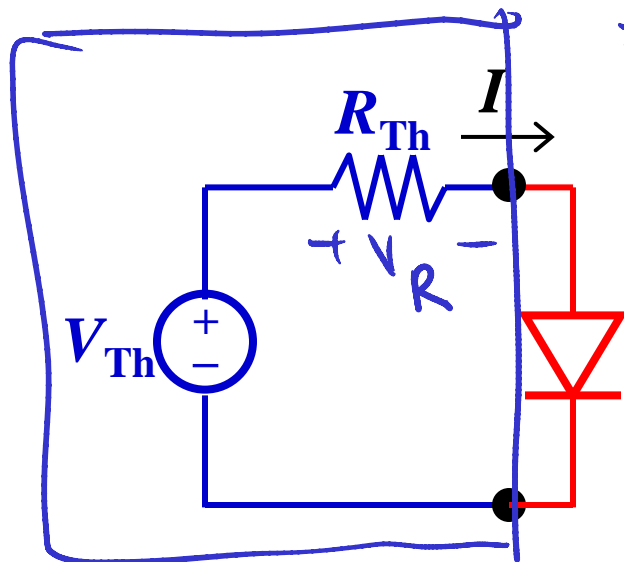


The I - V characteristic of all of the circuit except the non-linear element is called the load line

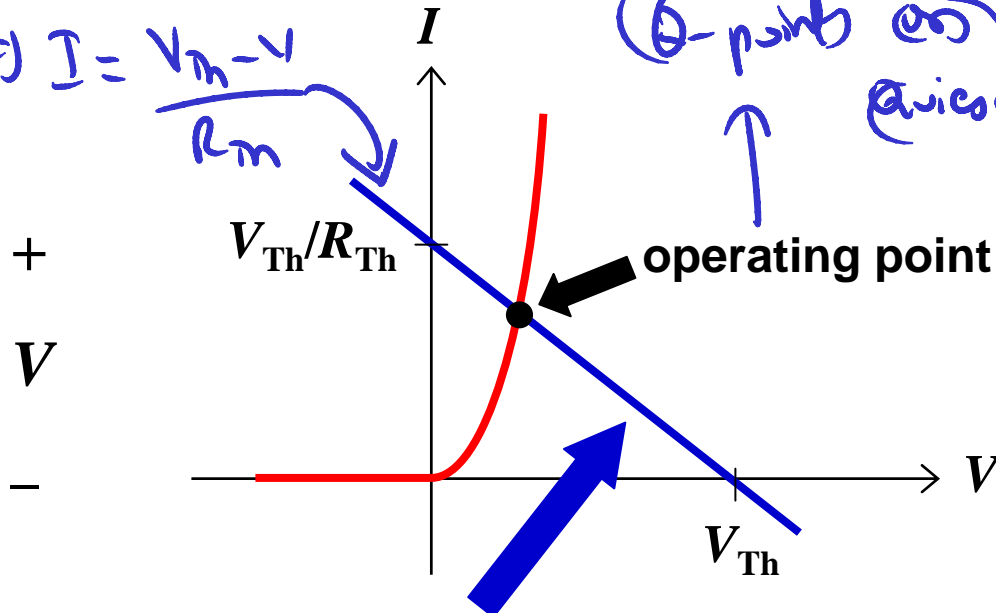
Load Line Analysis Method

Notes: (1) We are using the non-ideal diode model
 (2) Thevenize the linear subcircuit across the diode

How does it work: $V_m = V_r + V$ (load-lines work best for circuit with one nonlinear element)
 $\Rightarrow V_m = I \cdot R_m + V$
 $\Rightarrow I = \frac{V_m - V}{R_m}$ (Q-point @ quiescent-point)



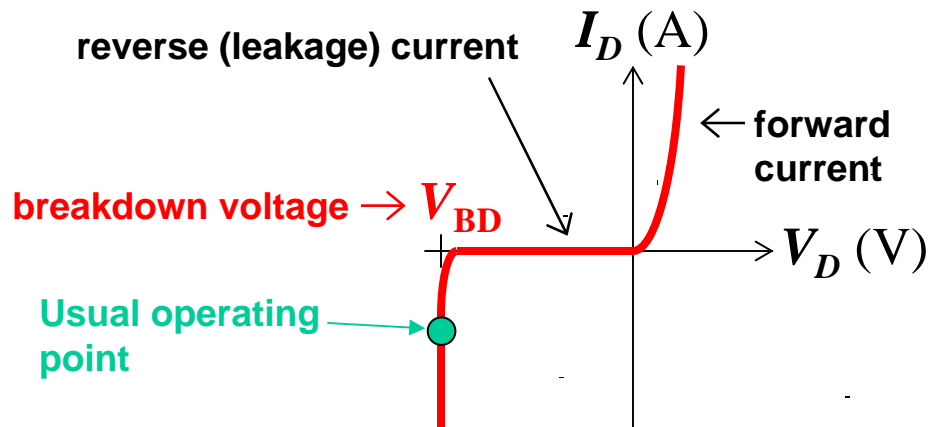
linear subcircuit



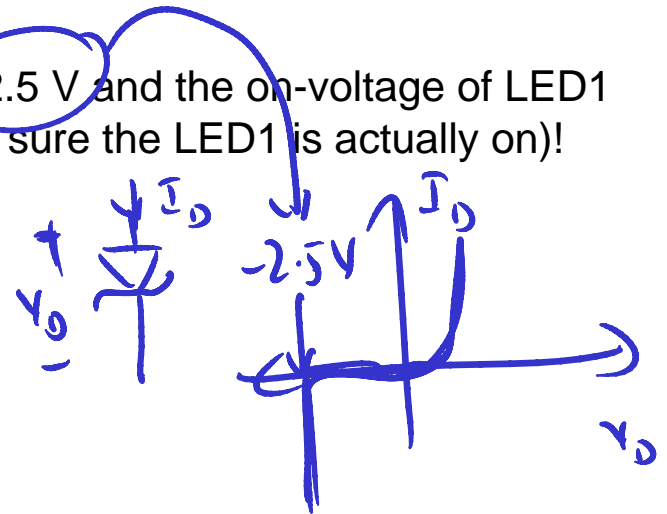
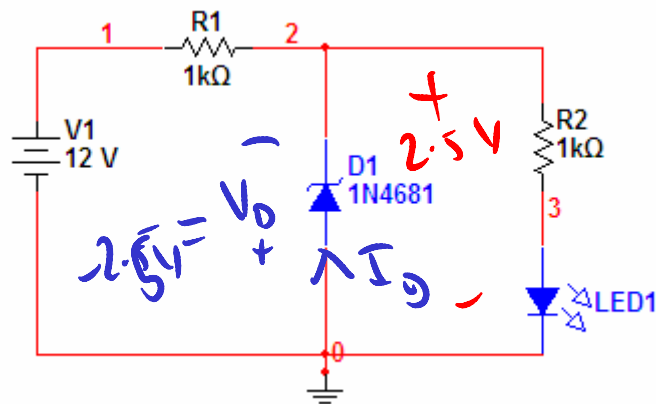
The I - V characteristic of all of the circuit except the non-linear element is called the load line

Zener Diode

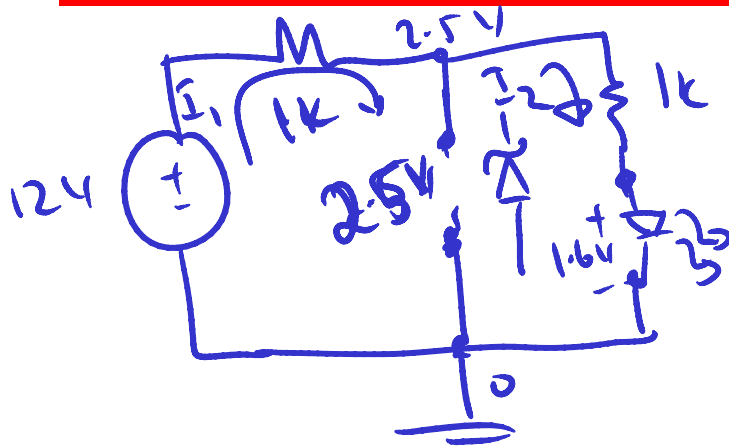
A **Zener diode** is designed to operate in the breakdown mode. They are usually used to produce constant output voltages.



Example: Assuming reverse breakdown voltage of zener is -2.5 V and the on-voltage of LED1 is 1.66 V, find the current through the LED1 (of course, make sure the LED1 is actually on)!



Zener Diode



$$I_1 = \frac{12 - 2.5\text{V}}{1\text{k}} = \underline{\underline{9.5\text{ mA}}}$$

$$I_2 = \frac{2.5 - 1.6}{1\text{k}} = \underline{\underline{0.9\text{ mA}}}$$

Example: Assuming reverse breakdown voltage of zener is -2.5 V and the on-voltage of LED1 is 1.66 V , find the current through the LED1 (of course, make sure the LED1 is actually on)!

