

## Lecture 12m: Op Amps

EE 140

Ideal Op Amps

CTN

1

Ideal Voltage Amplifier

→ ideal when  $\frac{V_o}{V_s} = A_{VR}$ ; i.e., when source and load  $R$ 's do not influence the gain of the amplifier.

for this to occur, the voltage division at the input & output must be eliminated.  
This happens when:

$R_i = \infty$  } These resistance values define an  
 $R_o = 0$  } ideal voltage amplifier.

We'll look at other amplifier types later.

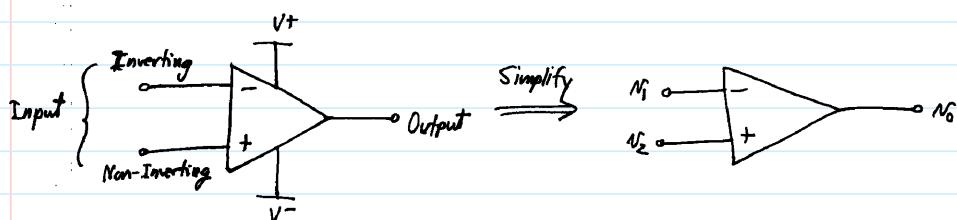
→ This, then, naturally leads us to:

Ideal Operational Amplifier (Op Amp)

→ The workhorse of analog electronics → combinations of op amp w/ feedback components allow the implementation of analog computers, sampled-data systems, analog filters, A/D converters, DAC's, instrumentation amplifiers

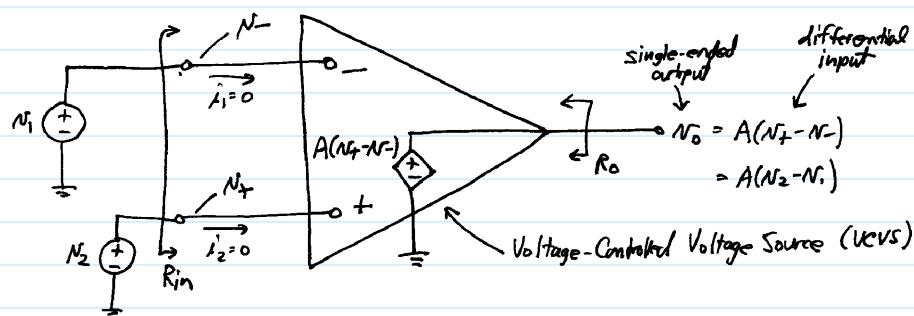
In general,

have a minimum of 5 terminals:



Perhaps the best way to define an op amp is thru its equivalent circuit:

Equivalent Ckt. of an Ideal Op Amp:



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2

Properties of Ideal Op Amps:

$$\textcircled{1} \quad R_{in} = \infty \quad \xrightarrow{\text{leads to}} \quad \textcircled{4} \quad i_+ = i_- = 0$$

$$\textcircled{2} \quad R_o = 0$$

$$\textcircled{3} \quad A = \infty \quad \xrightarrow{\text{leads to}} \quad \textcircled{5} \quad N_f = N_-, \text{ assuming } N_b = \text{finite}$$

↳ Why? Because for  $\infty(N_f - N_-) = N_o = \text{finite}$

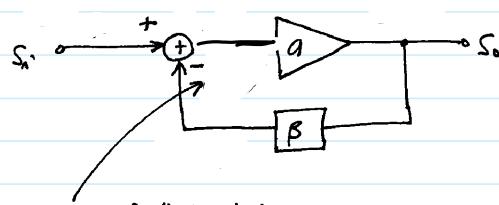
$$\therefore \underbrace{N_f - N_-}_{\frac{N_o}{\infty}} = 0 \rightarrow N_f = N_- \Rightarrow \text{virtual short ckt.}$$

(virtual ground)

Big assumption! ( $N_o = \text{finite}$ )

How can we assume this?  $\Rightarrow$  only when there is an appropriate negative feedback path!

Negative Feedback



where  $S$  could be a current, voltage, displacement, etc., ...

Negative feedback acts to oppose or subtract from input.

$$\begin{aligned} S_o &= aS_i \\ S_o &= S_i - \beta S_o \end{aligned} \quad \Rightarrow \quad \begin{aligned} S_o &= a(S_i - \beta S_o) \\ S_o(1 + a\beta) &= aS_i \end{aligned} \quad \xrightarrow{\text{overall transfer function}} \quad \boxed{\frac{S_o}{S_i} = \frac{a}{1 + a\beta}}$$

$$[a \rightarrow \infty] \Rightarrow \frac{S_o}{S_i} \approx \frac{a}{a\beta} = \frac{1}{\beta} = \text{finite!}$$

$$\therefore S_o = \frac{1}{\beta} S_i = \text{finite} \quad \checkmark$$

(when there is neg. FB around the amplifier)

In Summary:

① Neg. FB can insure  $S_o = \text{finite}$  even with  $a = \infty$ .

② <sup>Overall</sup> Gain dependent (or overall T.F.) dependent only on external components. (e.g.,  $\beta$ )

③ Overall (closed-loop) gain  $\frac{S_o}{S_i}$  is independent of amplifier gain  $a$ .

↖ very important!  $\Rightarrow$  as you'll see, when designing amplifiers using transistors, it's easy to get large gain, but it's hard to get an exact gain.  
i.e., if you're shooting for  $a = 50,000$ , you might get 47,000 or 52,000 instead.