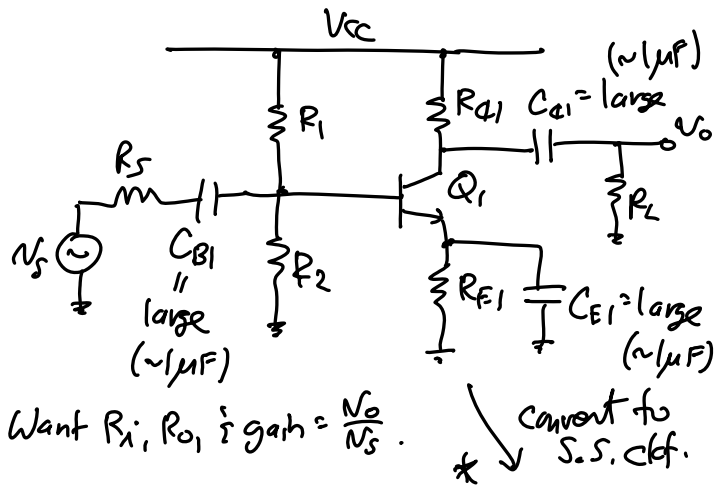


**Lecture 4: Inspection Analysis**

- Announcements:
- Inspection formula sheet handed out in class
  - ↳ It's also online
- Some issues with HW#1
  - ↳ Problem 1: junction area =  $1e-5 \text{ cm}^2$
  - ↳ Problem 4: some missing info for the MOS transistor
  - ↳ A fix will be posted
- 
- Lecture Topics:
  - ↳ Procedure for Small Signal Analysis
  - ↳ Inspection Formulas
  - ↳ 1-Tx Amplifier Examples
- 

Procedure for Small-Signal Analysis (a quick run down)

Ex. Discrete Common Emitter Ckt.



Procedure:

- ① Find the DC operating pt. → get  $w_{taser}$  & currents at all nodes & all branches, respectively
- ② Determine the small-signal (s.s.) parameters for devices in the signal path (e.g.,  $g_m, r_{\pi}, \dots$ )
- ③ Convert the full ckt. to the S.S. ckt.
  - ⇒ zero out the dc sources

DC voltage source → short

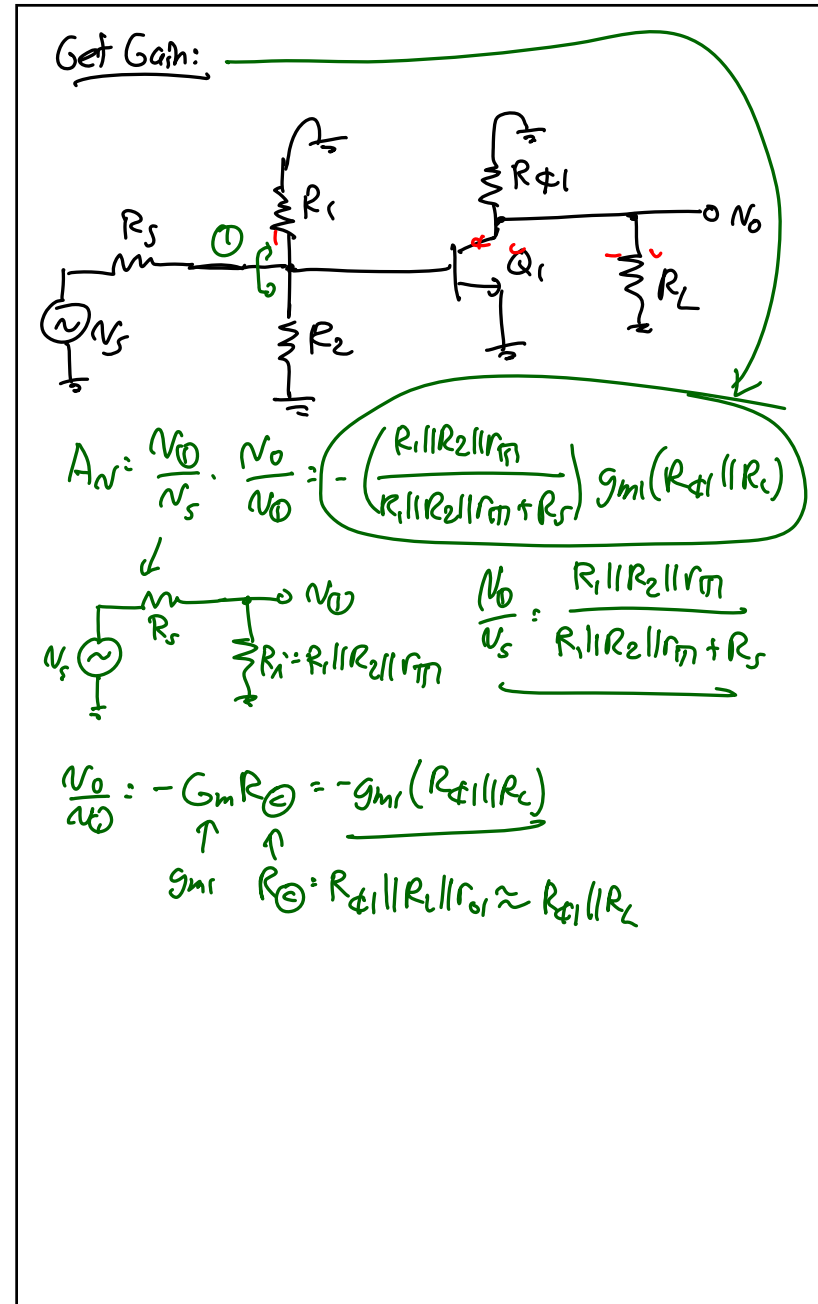
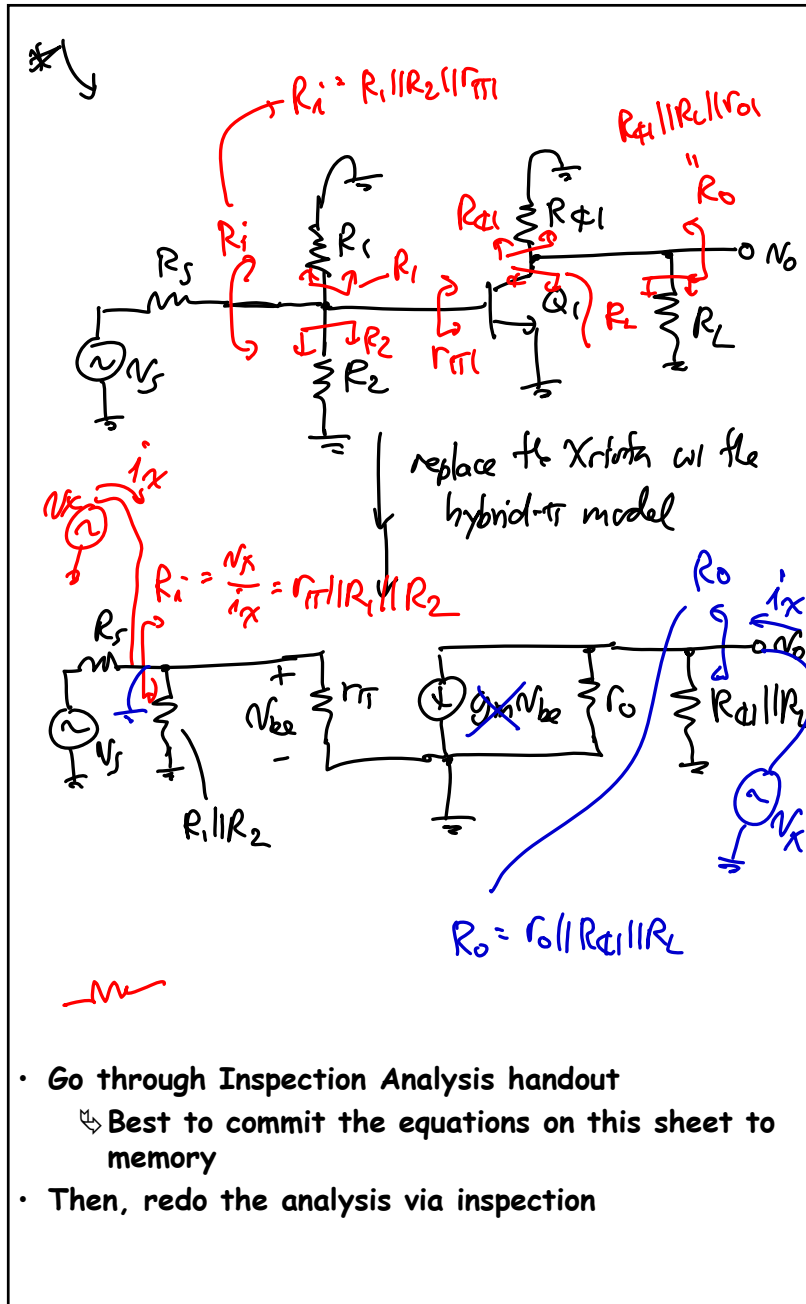
DC current source → open

⇒ short out large capacitors

model (hybrid- $\pi$ )

- ④a If needed, replace the Xifier w/ its s.s. ckt.
  - ⇒ this should NOT be needed often
  - ⇒ when is it needed? → generally, in cases where there is feedback!

- ④b Analyze by inspection based on prior S.S. analysis experience!
  - ↓ this should be 99% of the time.
  - ↳ don't draw the hybrid- $\pi$  model!



Ex. Common-Collector:

$R_o = \frac{1}{g_m} || R_E$

$R_i = r_{\pi} + (\beta+1)R_E$

$\frac{V_o}{V_i} = \frac{R_E}{r_e + R_E} = \frac{(\beta+1)R_E}{r_{\pi} + (\beta+1)R_E}$

$\frac{1}{g_m} \rightarrow \frac{\beta}{g_m} = r_{\pi}$

Ex. Common-Base:

$R_i = \frac{1}{g_m}$

$R_o = r_o || R_C \approx R_C$

$\frac{V_o}{V_i} = g_m(r_o || R_C) \approx g_m R_C$

Inspection Analysis of a Multi-Transistor Ckt.

Assume  $Q_1$  &  $Q_2$  identical.

Want  $R_i, R_o, g_m$ .

$I_{C1} = I_{C2} = \frac{I_{EE}}{2} \rightarrow r_{\pi 1} = r_{\pi 2} = r_{\pi}$

$r_{o1} = r_{o2} = r_o$

$g_{m1} = g_{m2} = g_m$

S.S. Ckt.  $\downarrow$

$R_i = r_{\pi} + (\beta+1)(?) = r_{\pi} + (\beta+1)(\frac{1}{g_m} || R_{EE})$

$(f_m I_{C1} mA) 25 \Omega$

$$\begin{aligned} & \ast \curvearrowright \\ & R_{\lambda} = r_{\pi} + \underbrace{(b\beta) \frac{1}{g_m}}_{r_{\pi}} \Rightarrow R_{\lambda} = 2r_{\pi} \end{aligned}$$