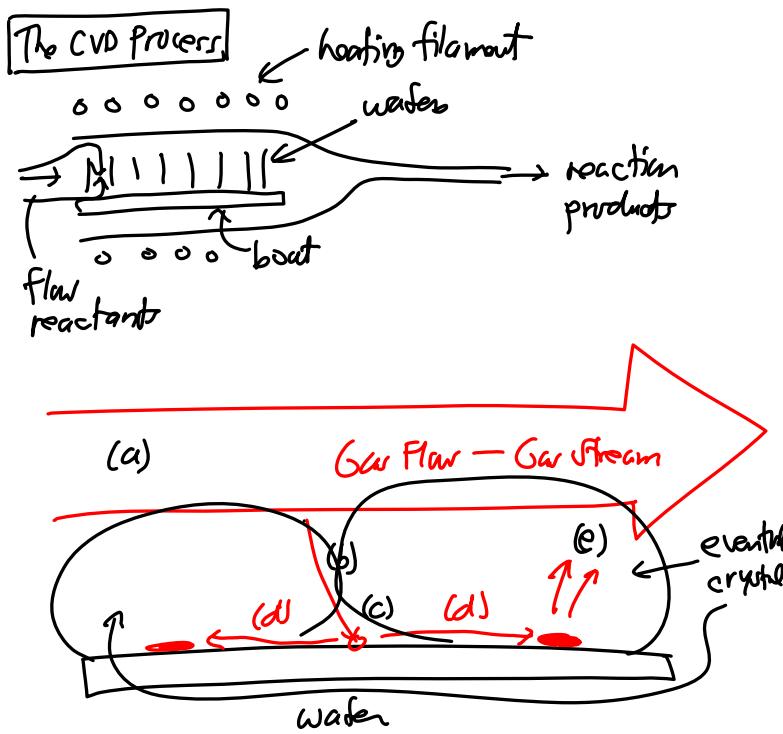


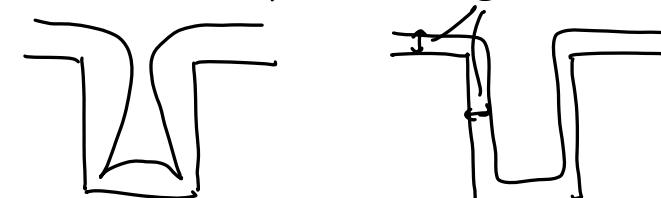
## Lecture 12c: Film Deposition II

Lecture 12: Film Deposition II

- Lecture Topics:
  - ↳ Film Deposition
    - Evaporation
    - Sputtering
    - Chemical Vapor Deposition
    - CVD Reactions
    - Epitaxial Growth
    - Atomic Layer Deposition (ALD)
  - ↳ Metal Electroplating
- Last Time:

Step-by-Step:

- Reactant gases (+ inert diluting gases) are introduced into the reaction chamber.
- Gas reactor moves to the substrate.
- Reactants adsorb onto the substrate.
- Atoms migrate and react chemically to form films
  - ↳ this determines to a large extent whether a film is conformal (i.e., better step coverage)



Not Conformal

- ↳ low T
- ↳ not enough atom migration

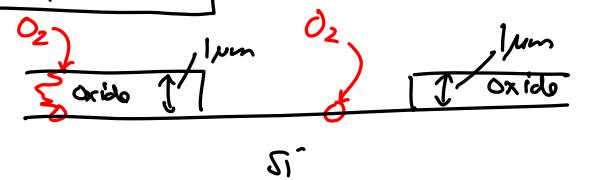
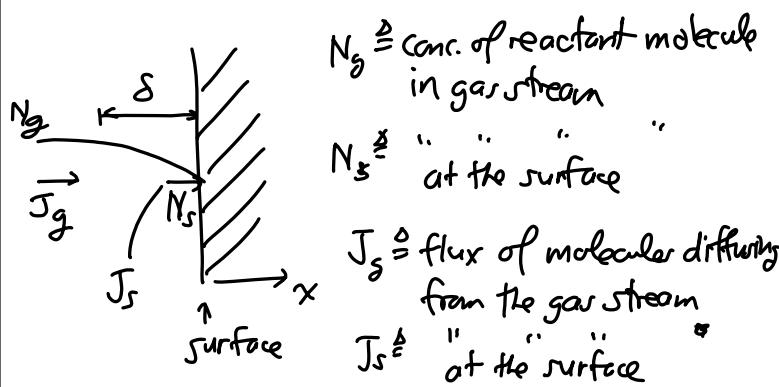
Conformal

- ↳ high T
- ↳ plenty of atom migration

- Reaction by-products desorbed and removed from the reaction chamber

↳ Energy drives all of this

- ↳ supplied by several methods: thermal (heat), photons, electrons (plasma)

Lecture 12c: Film Deposition IILast HW ProblemSimplified ModellingGoverning Equations:

$$J_s = k_s N_s \quad [k_s \triangleq \text{surface reaction rate const.}]$$

$$J_g = \left( \frac{D_g}{\delta} \right) (N_g - N_s) = h_g (N_g - N_s)$$

↑  
vap. phase mass transfer coefficient

effective diffusion const. for the gas molecule

$$[J_s = J_g = \bar{J}], [N_s = \frac{J_s}{k_s}]$$

otherwise, reactants will build up somewhere

$$\bar{J} = h_g \left( N_g - \frac{\bar{J}}{k_s} \right) = h_g N_g - \frac{h_g \bar{J}}{k_s}$$

$$\bar{J} \left( 1 + \frac{h_g}{k_s} \right) = h_g N_g \rightarrow \bar{J} = \frac{k_s h_g}{k_s + h_g} N_g$$

$$\boxed{\bar{J} = (k_s / h_g) N_g}$$

growth rate =  $\frac{\text{flux}}{\# \text{molecules incorporated}/\text{unit volume}}$

$$= \frac{\bar{J}}{N} = \boxed{(k_s / h_g) \frac{N_g}{N} = \text{growth rate}}$$

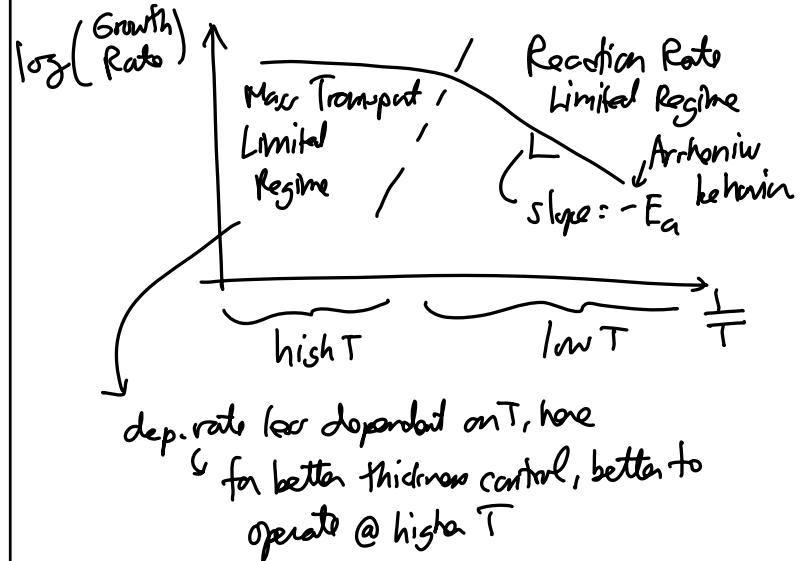
Case:  $k_s \gg h_g \rightarrow$  surface reaction }  $\gg \{ \begin{matrix} \text{mass Xfer} \\ \text{rate} \end{matrix} \}$

$$\text{growth rate} = h_g \frac{N_g}{N} \quad (\text{mass transfer limited})$$

Case:  $h_g \gg k_s \rightarrow$  mass Xfer }  $\gg \{ \begin{matrix} \text{surface} \\ \text{reaction} \\ \text{rate} \end{matrix} \}$

$$\text{growth rate} = k_s \frac{N_g}{N}$$

surface reaction limited  
 $\sim R_o e^{-E_a/kT}$   
 (Arrhenius character)

Temperature Dependence of Growth Rate

- Go through slides 16-28 from Lecture Module 3