

Lecture 17: Diffusion I

- Announcements:
- Need volunteers for Cal Day (April 17):
 - ↳ Alumni & prospective students visit Cal
 - ↳ If interested, sign up with your lab TA
- Midterm Exam: coming Thursday, March 18
 - ↳ It'll be during lecture *hw#6 due 10p.m.*
 - ↳ Review Session Time: Tu 6-8 p.m., in 293 Cory
 - ↳ TA's will be running the review session

• Lecture Topics:

- ↳ Diffusion
 - Basic Process for Selective Doping
 - Diffusion Modeling
 - Predeposition Modeling
 - Drive-in Modeling
 - Successive Diffusions
 - Diffusion Coefficient
 - Junction Depth
 - Sheet Resistance
 - Irvin's Curves

• Last Time:

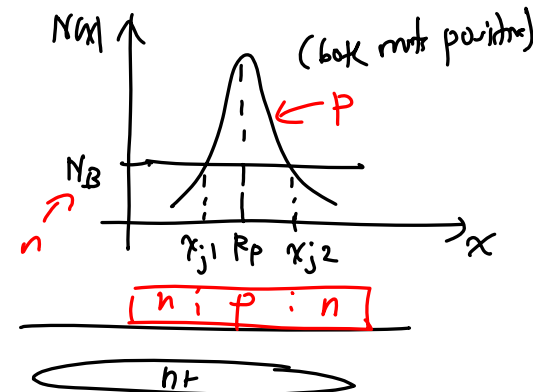
Junction Depth

⇒ defined as the depth @ which the implanted dose = N_B (the background conc.)

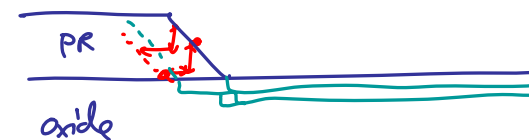
$$N_p \exp\left[-\frac{(x_j - R_p)^2}{2\Delta R_p^2}\right] = N_B$$

$$\Rightarrow x_j = R_p \pm \Delta R_p \sqrt{2 \ln\left(\frac{N_p}{N_B}\right)}$$

both roots may be meaningful for deep implantations:



Problem 2 (a)



Diffusion

⇒ movement of dopants within the Si @ high temperatures

Aside: Si_3N_4 dopant (nt) MEMS cantilever beam V_F I Si_3N_4 polySi polySi Substrate (Si) Si_3N_4

Three mechanisms: (in Si)

Substitutional impurity atom (1) Silicon atom Vacancy (2) raise T

(a)

Substitutional Diffusion:

① $E_A = \text{activation energy}$ ②

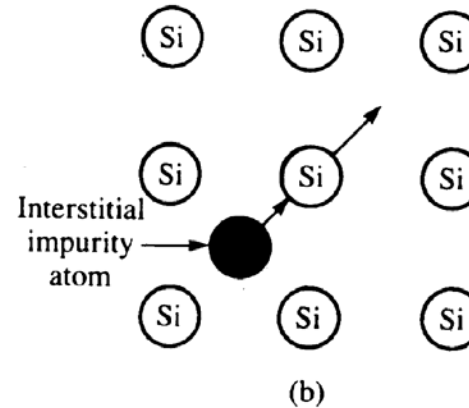
⇒ raise T → impurity moves along vacancies in the lattice

⇒ it substitutes for a Si-atom in the lattice

Interstitially Diffusion:

⇒ impurity atom replaces a Si atom in the lattice

⇒ Si displaced to an interstitial site



Interstitial Diffusion

Interstitial impurity atom

⇒ impurity atoms jump from one interstitial site to another

⇒ do not replace Si atoms in the lattice
∴ get rapid diffusion

↳ hard to control
↳ impurity not in lattice during transport, but often eventually ends up in the lattice in the end.

vacancy preservation

Diffusion in poly Si

very fast diffusion along grain boundaries

Result: overall faster diffusion in poly Si versus Si → max. 10X

Basic Process for Selective Doping

- Introduce the dopants (introduce a fixed dose Q of dopants)
 - (i) ion implantation
 - (ii) predeposition
- Drive-in dopants to the desired depth
 - high temp. $> 900^\circ\text{C}$ in N_2 or N_2/O_2

Predeposition-

- ⇒ furnace-tube system using solid, liquid, or gaseous deposit sources
- ⇒ used to introduce a controlled amount of deposit

for prep, control is not as good as I/I

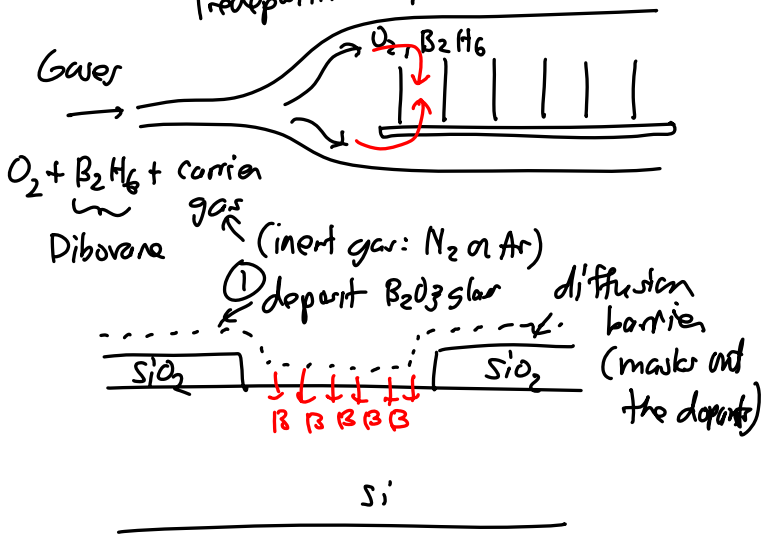
Predep: dose (Q) range: $10^{13} - 10^{16} \pm 20\%$

for ref: w/ ion implantation: $10^{11} - 10^{16} \pm 1\%$

larger range & more accurate

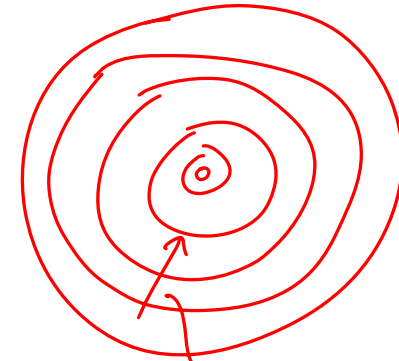
Example: Boron predeposition

Predeposition Temp: 800-1100°C

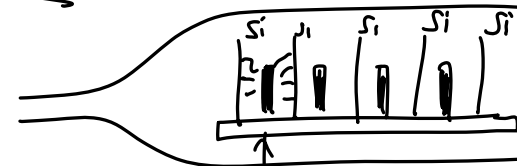


② B diffuses from $B_2O_3 \rightarrow Si$

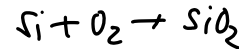
⇒ difficult to control dose



For better uniformity, use solid source:



Reactions:



⇒ 2% uniformity

General Comment on Predeposition:

- ① High doses only: $Q = 10^{13} - 10^{16} \text{ cm}^{-2}$ but both (I/I is $10^{11} - 10^{16}$) for
- ② Dose not well-controlled for gaseous source: $\pm 20\%$

③ Uniformity not so good:

±10% w/ gas source; ±2% for solid source

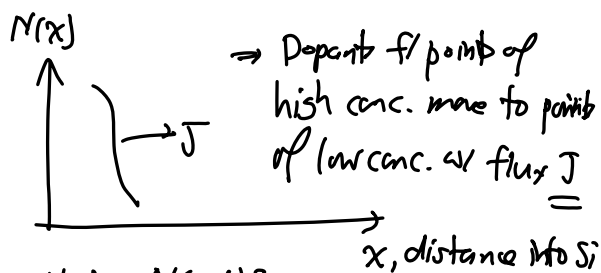
④ Max. conc. possible limited by solid solubility
(limit is $\sim 10^{20}$ cm^{-3} , but depends on temp.)

↳ look up in chart

(no limit for $\pm 11 \rightarrow$ just force it in!)

↳ for these reasons, ± 11 preferred

Modeling



Question: What's $N(x,t)$?

↑ fun of time & temperature

Fick's Law of Diffusion - (First Law)

$$J(x,t) = -D \frac{\partial N(x,t)}{\partial x} \quad (1)$$

↑ flux [$\#/\text{cm}^2 \cdot \text{s}$] ↑ Diffusion Coefficient

Continuity Equation for Particle Flux -

$$\text{General Form: } \frac{\partial N(x,t)}{\partial t} = -\nabla \cdot \vec{J}$$

↑ rate of increase of conc. w/ time

↑ negative of the divergence of the particle flux

⇒ we're interested in the one-dimensional form:

$$\frac{\partial N(x,t)}{\partial t} = -\frac{\partial J}{\partial x} \quad (2)$$

($\frac{\partial}{\partial x}$ (1) and substitute (2) in (1))

$$\frac{\partial N(x,t)}{\partial t} = D \frac{\partial^2 N(x,t)}{\partial x^2} \quad \left[\text{Fick's 2}^{\text{nd}} \text{ Law of Diffusion in 1-D} \right]$$

Solutions: → dependant upon boundary conditions
↳ use variable separation or Laplace Xform techniques