

EECS16A DIS5C

Interesting new circuit \rightarrow Timer circuit / oscillator
 Use op amps to produce a square wave

① More analysis of op amp circuits (identify topologies)

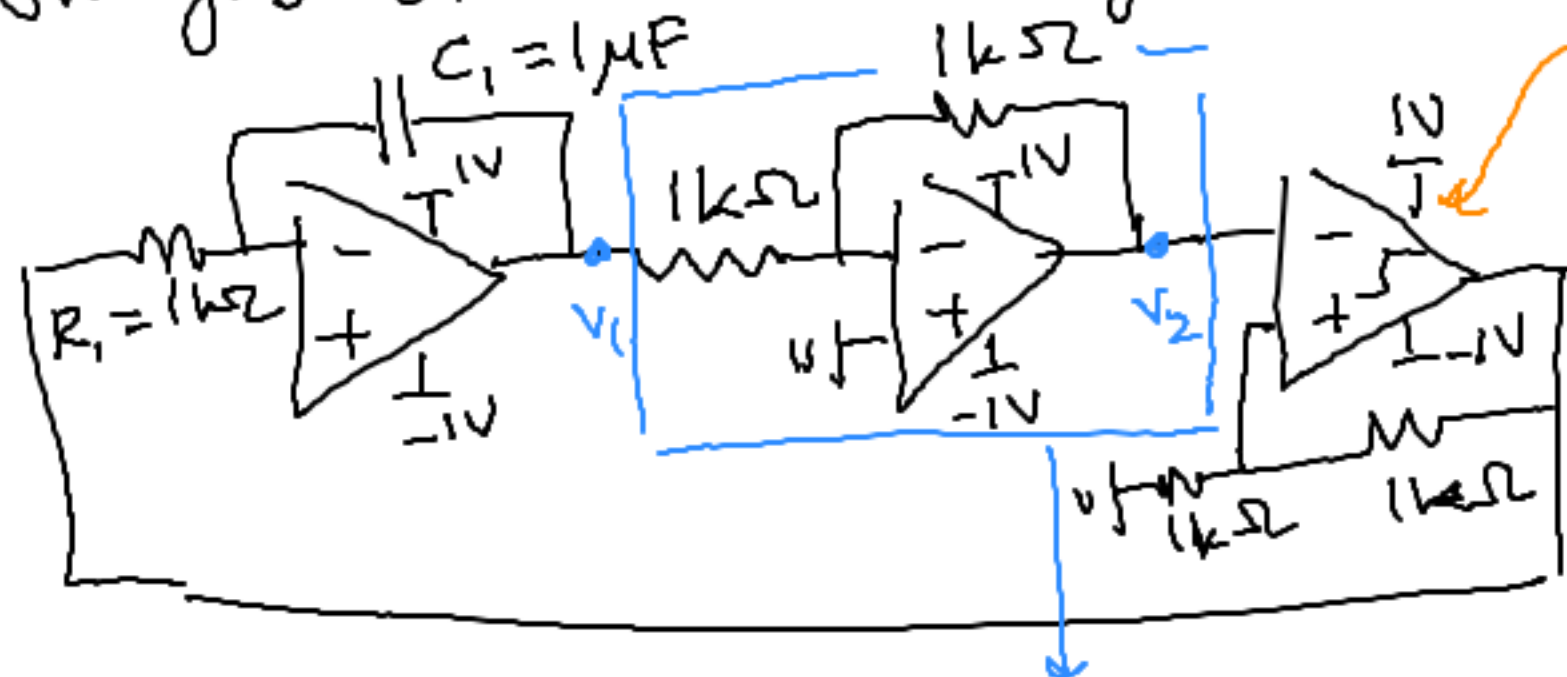
② Two new topologies

$\left\{ \begin{array}{l} \rightarrow \text{Integrator} \\ \rightarrow \text{Schmitt trigger} \end{array} \right.$

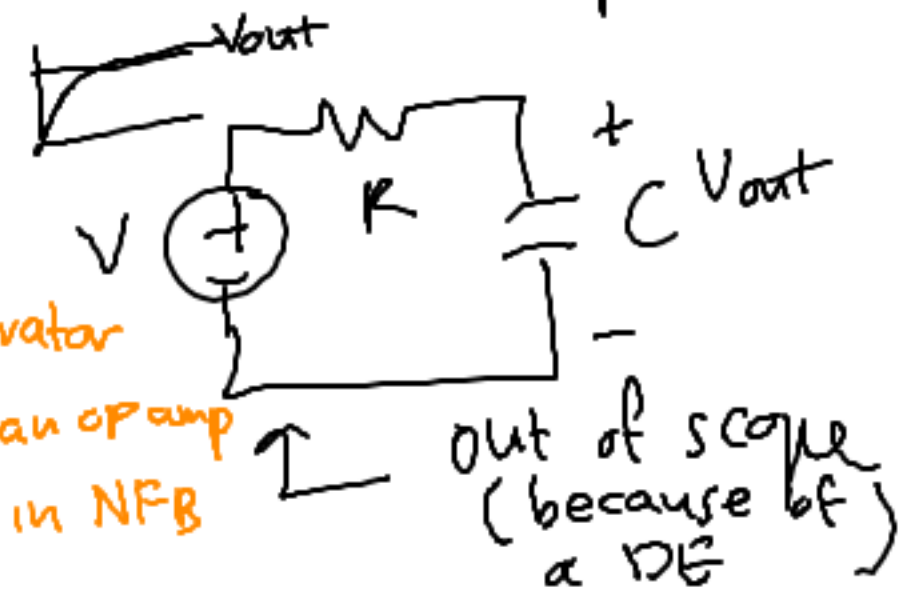
- integrate voltages

- make a better, noise resistant comparator

Today: Analysis of the following circuit



comparator
 • not an op amp
 • not in NFB



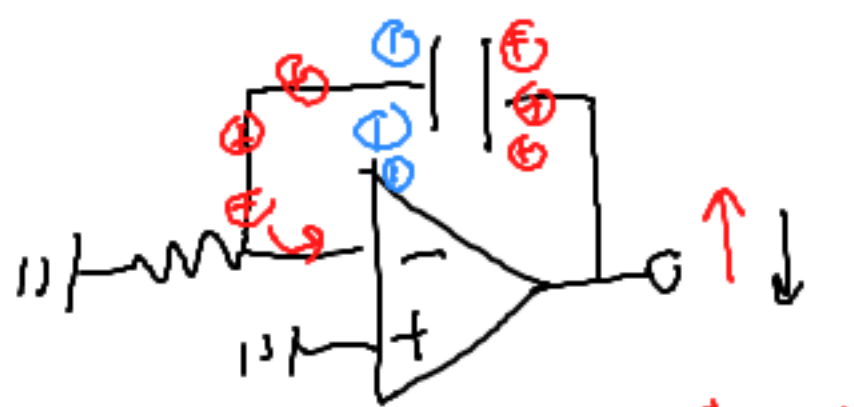
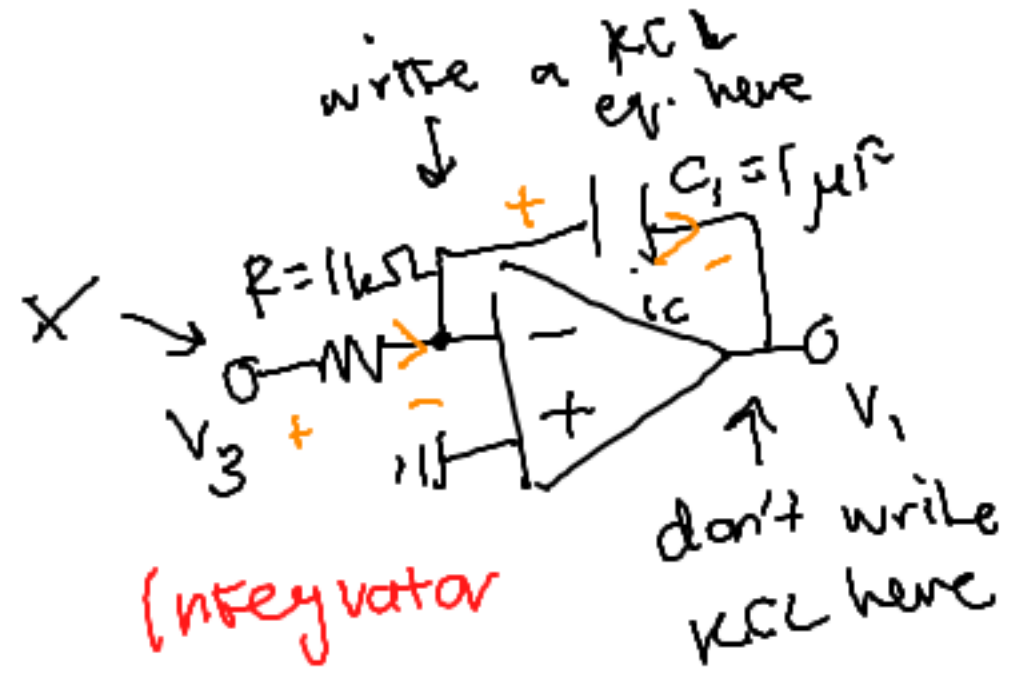
out of scope
 (because of a DE)

\leftarrow this circuit is analyzable with the techniques you know

Any recognizable blocks?

inverting amp

$$v_2 = -v_1$$



Error: put = instead of +

$$\int_{v_1(0)}^{v_1(t)} dv_1 = \int_0^t -\frac{1}{RC} v_3 dt$$

$$v_1(t) - v_1(0) = -\frac{1}{RC} \int_0^t v_3(t) dt$$

$$v_1(t) = v_1(0) \pm -\frac{1}{RC} \int_0^t v_3(t) dt$$

$v_3 \sim I$ $\frac{V}{t}$ but $= \frac{I}{C}$

GR#2 if NFB $\rightarrow u^+ = u^-$

$u^- = 0V$

KCL @ u^-

$$\frac{v_3 - 0V}{R} = i_c = C \frac{d}{dt} v_c$$

$$= C \frac{d}{dt} (0 - v_1)$$

$$\frac{v_3}{R} = -C \frac{dv_1}{dt}$$

$$\frac{dv_1}{dt} = -\frac{1}{RC} v_3$$

$$v_1(t) = -\frac{1}{RC} \int_0^t v_3(t) dt + v_1(0)$$

$u^- \uparrow$ $V_{out} = A(u^+ - u^-)$

\Rightarrow positive change on u^-

This op amp circuit calculates an integral! Integrator op amp

v_3 is constant for this problem

v_1 is linear with time

$$v_1 = \frac{-v_3 t}{RC}$$

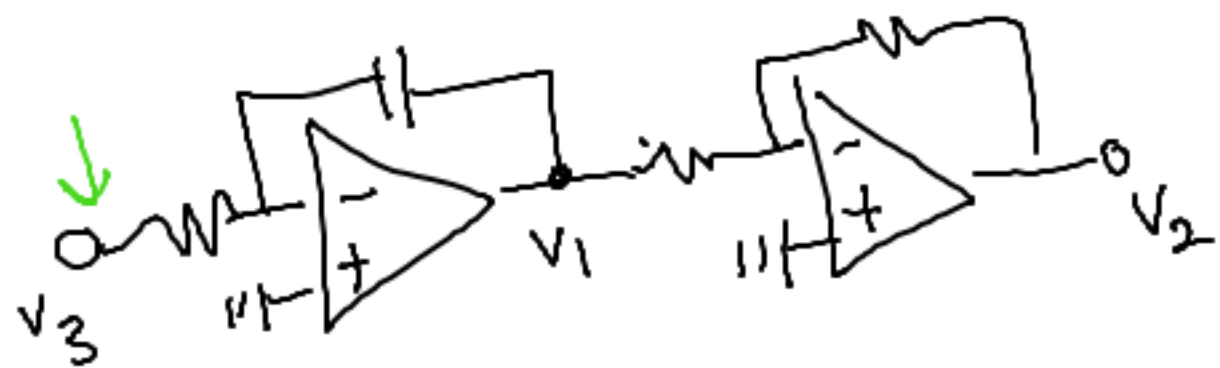
$[V] = \frac{[V][\Omega][F]}{[A][s]} = \frac{[V]}{[s]}$

$Q = CV$

$\frac{Q}{V} = C$

$= \text{seconds}$

reflection of initial charge that might be on C



$$V_1 = -\frac{V_3}{RC}t + V_1(0)$$

(assuming V_3 is constant)

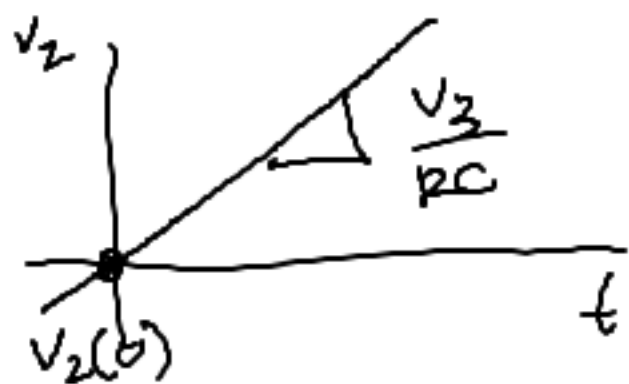
$$V_2 = -V_1$$

$$V_2 = \frac{V_3}{RC}t - V_1(0)$$

$$V_2 = \frac{V_3}{RC}t + V_2(0)$$

$$V_2(0) = \frac{V_3}{RC} \cdot 0 - V_1(0)$$

$$V_2(0) = -V_1(0)$$



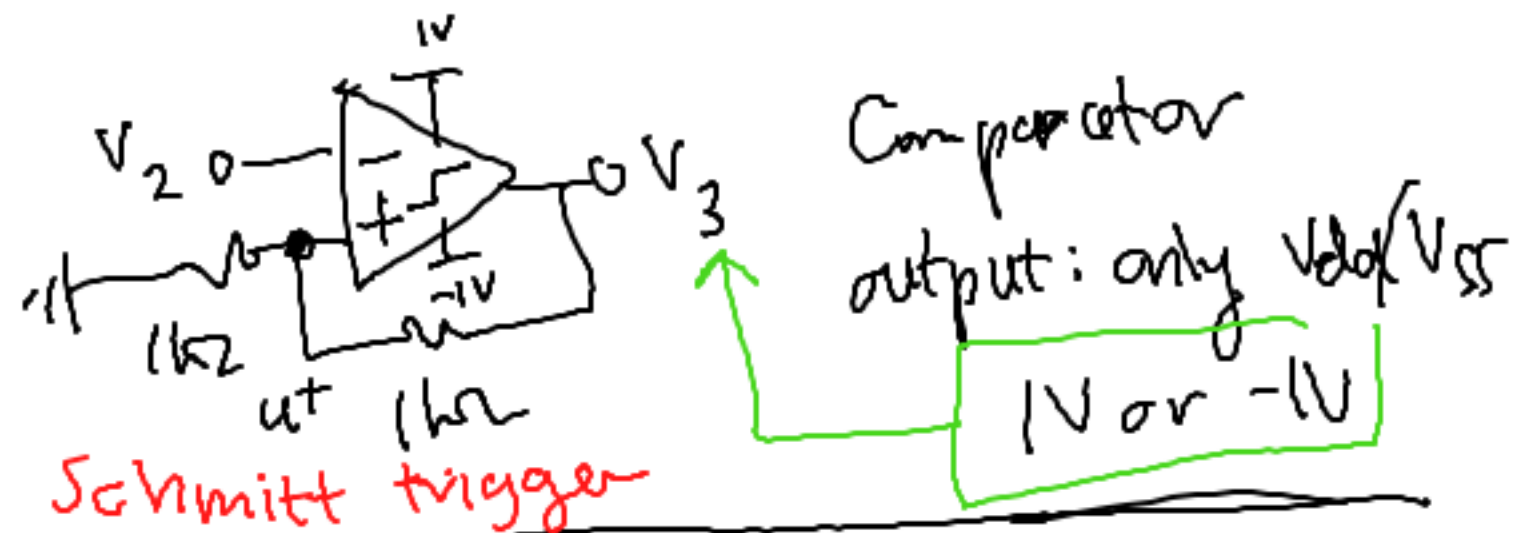
$$R = 1k\Omega$$

$$C = 1\mu F$$

$$RC = 1\text{msec}$$

$$\Omega \cdot F = \text{sec}$$

every one ms, increase V_2 by V_3 volts



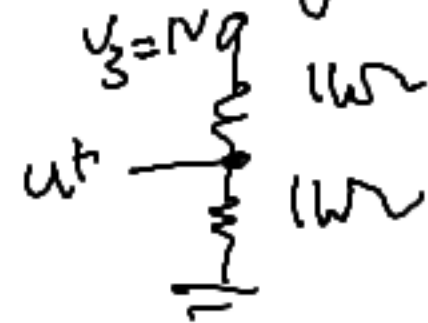
Schmitt trigger

Comparator
output: only V_{dd}/V_{ss}

(if $V_3 = 1V$ what is u^+ ?)

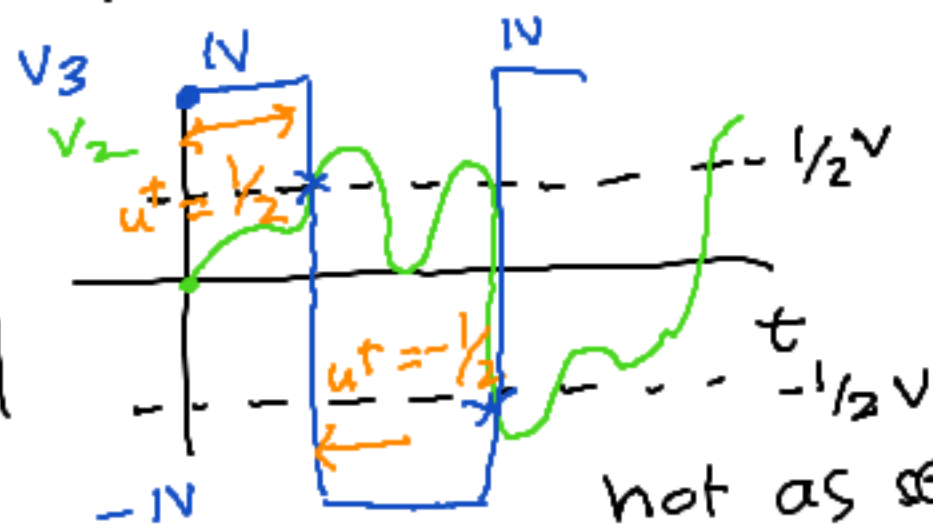
A: $u^+ = \frac{1}{2}V$ Why? : Voltage divider

$$u^+ = \frac{1k\Omega}{1k\Omega + 1k\Omega} \cdot 1V = \frac{1}{2}V$$



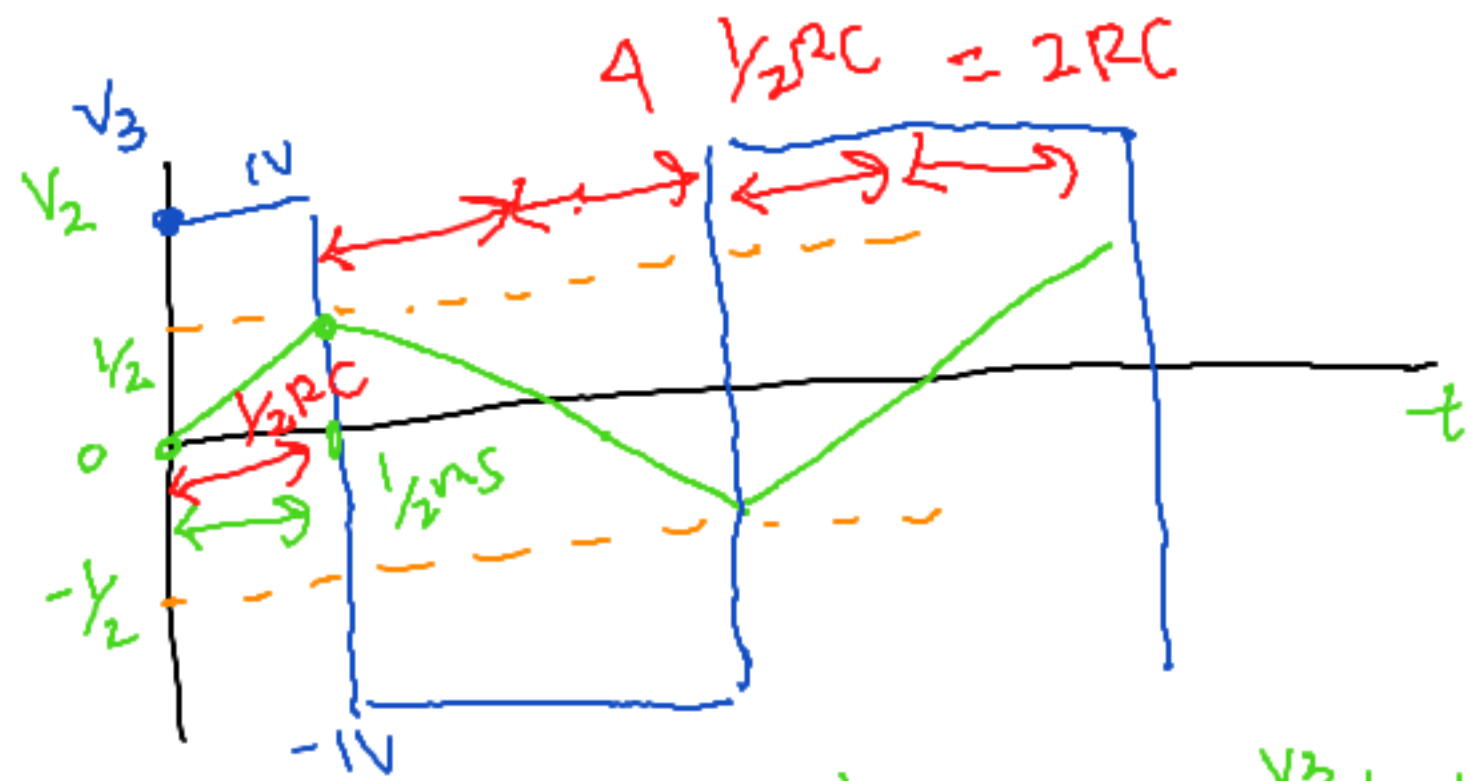
if $V_3 = -1V$ what is u^+ ? $u^+ = -\frac{1}{2}V$

How does V_2 affect V_3 ?



we only switch output when we exceed $V_2 / -V_2$

not as sensitive as a comp.



Conclusion: can get a square wave
 ↓
 a triangle wave
 (~~sawtooth~~)

$V_2(0) = 0V$
 $V_3(0) = 1V$

$V_2(t) = \frac{V_3}{RC} t + \frac{V_2(0)}{1}$
 $= \frac{1V}{1ms} t + 0$

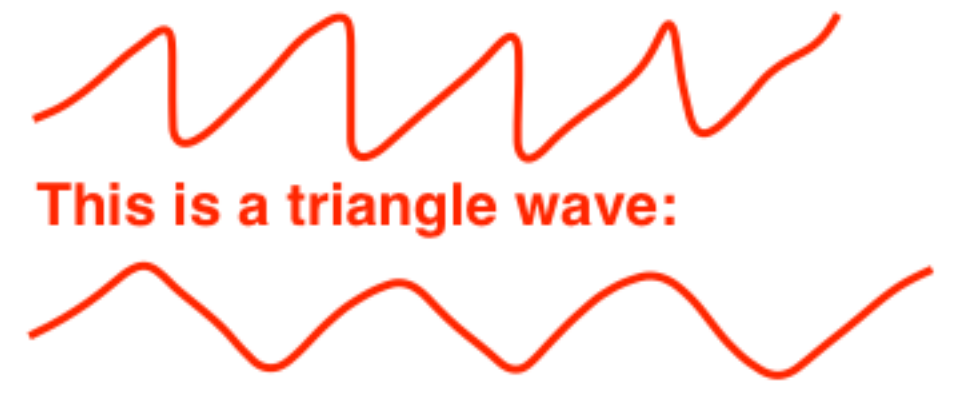
$V_2(t) = \frac{1}{2}V$
 $t = ?$

$\frac{1}{2}V = \frac{1V}{1ms} t \Rightarrow t = \frac{1}{2}ms$

$V_2(t) = \frac{V_3}{RC} t + \frac{1}{2}V$
 time from $\frac{1}{2}ms$
 $V_2(t) = \frac{-1V}{1ms} t + \frac{1}{2}V$

Period of the waves
 is determined by RC

Error correction: sawtooth is:



This is a triangle wave: