

# Welcome to EECS 16A!

## Designing Information Devices and Systems I

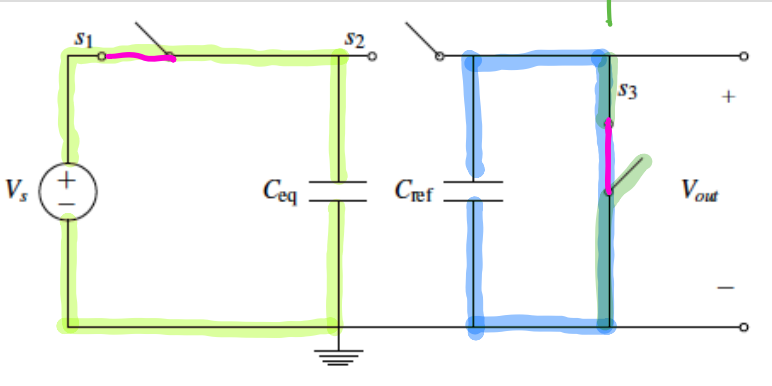
Ana Claudia Arias and Miki Lustig  
Fall 2021

Module 2  
Lecture 9

Operational Amplifier and Negative Feedback  
(Note 18)



# Measuring Capacitance Models – Attempt #3 – known initial condition



Use  $S_3$  to discharge  $C_{ref}$  so we know  $C_{ref} = 0$

Phase 1:  $S_3$  closed,  $S_1$  closed,  $S_2$  open

$C_{ref}$  discharges  $V_{out} \rightarrow 0$

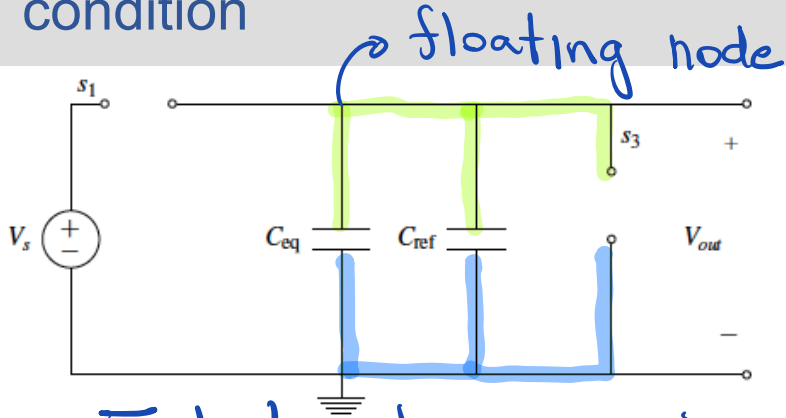
$$q = C_{ref} \cdot V_{out} = 0 \quad \checkmark$$

$C_{eq}$  charges

$$q = C_{eq} \cdot V_s$$

Phase 2:  $S_1$  open,  
 $S_2$  closed,  $S_3$  open  
 $C_{eq}$  - charged

# Measuring Capacitance Models – Attempt #3 – known initial condition



Voltage across  $C_{eq}$ :  $V_{out}$   
Voltage across  $C_{ref}$ :  $V_{out}$   
charge in  $C_{eq}$ :  $q_1 = C_{eq} \cdot V_{out}$   
charge in  $C_{ref}$ :  $q_2 = C_{ref} \cdot V_{out}$

Total charge is conserved!

$$q(\text{phase 1}) = q(\text{phase 2})$$

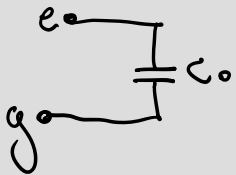
$$C_{eq} \cdot V_s = C_{eq} V_{out} + C_{ref} \cdot V_{out}$$

$$V_{out} = \frac{C_{eq} V_s}{C_{eq} + C_{ref}}$$

$\Rightarrow$   $V_{out}$  changes when  $C_{eq}$  changes!!!

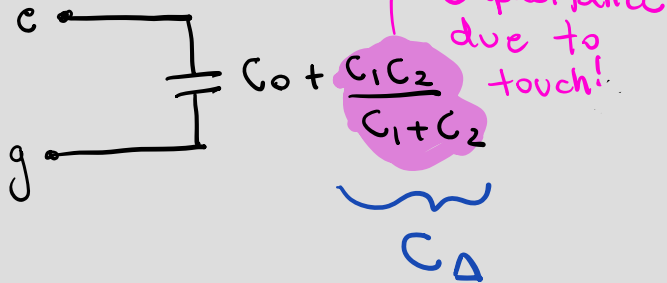
# Effect of touch on total capacitance

when no touch:



$$\Rightarrow V_{OUT} = \frac{C_0}{C_0 + C_{ref}} \cdot V_S$$

with touch:

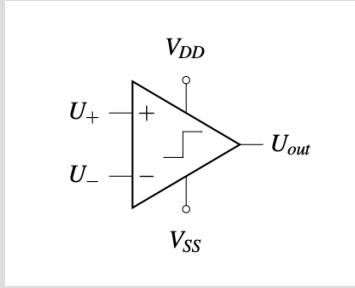


$$\Rightarrow V_{OUT} = \frac{(C_0 + C_\Delta)}{C_0 + C_\Delta + C_{ref}} \cdot V_S$$





How can we go from voltage measurement to binary  
answer: touch or no touch?



- We need to choose a Voltage that we call : Threshold Voltage ( $V_{th}$ )

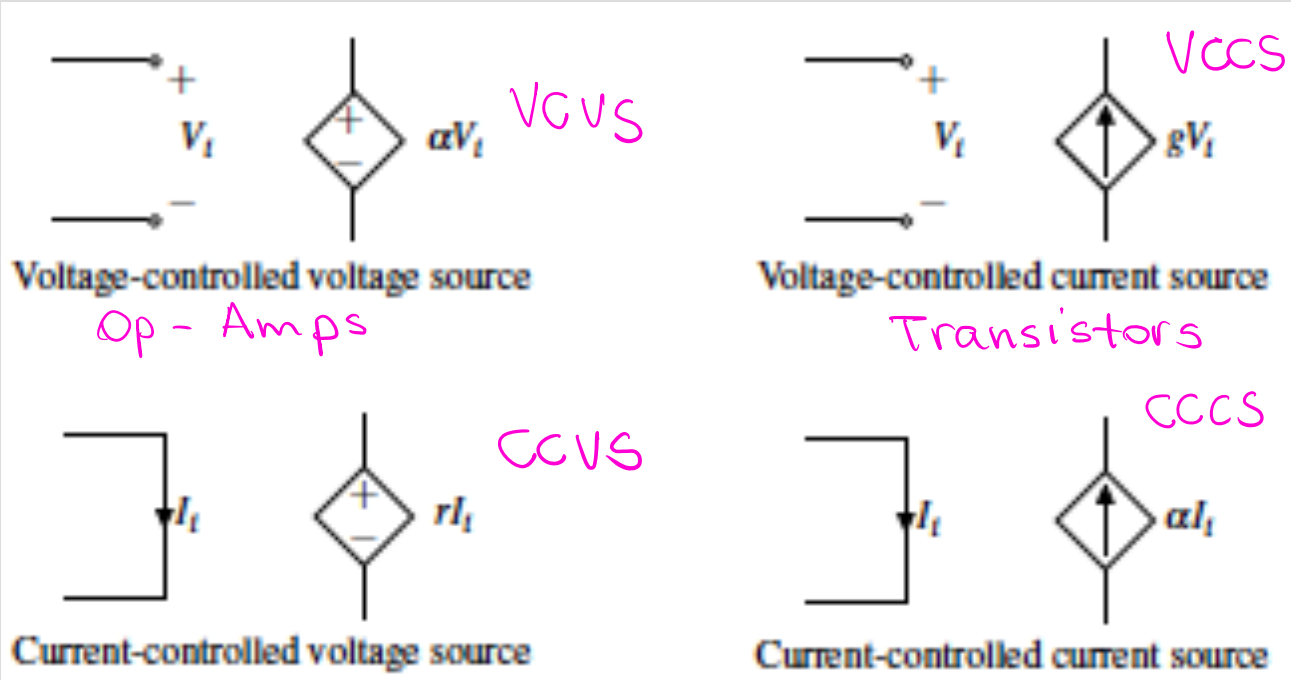
- Above  $V_{th}$   $\therefore$  1 (touch)

- Below  $V_{th}$   $\therefore$  0 (no-touch)

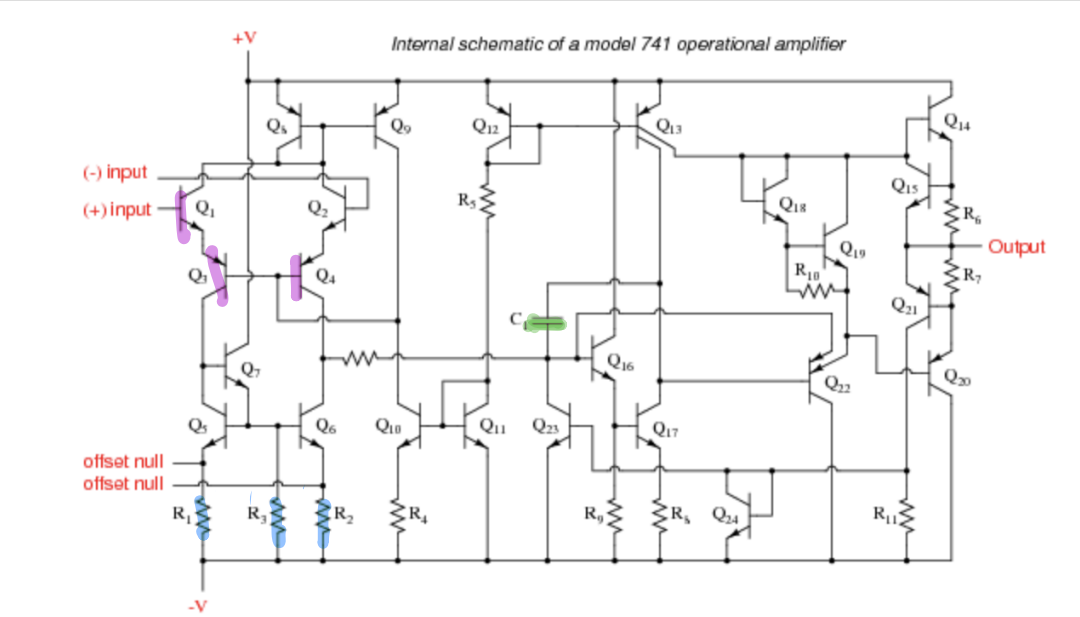
We need to compare Voltages to determine if 1 or 0

# How can we go from voltage measurement to binary answer: touch or no touch?

- New tools are needed – new circuit elements



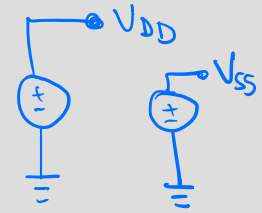
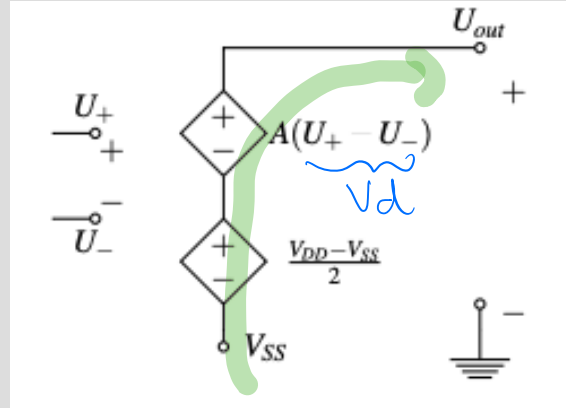
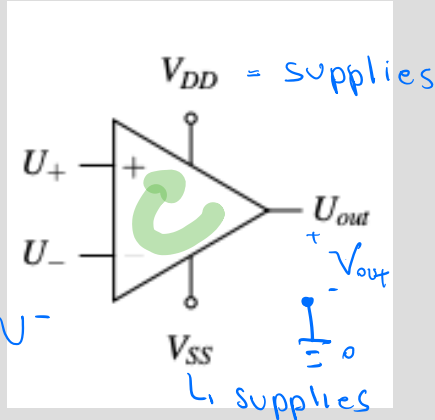
# An example of an Op-amp circuit diagram



*Schematic diagram of a model 741 op-amp.*

# Operational Amplifier

An op-amp (operational amplifier) is a device that transforms a small voltage difference into a very large voltage difference.

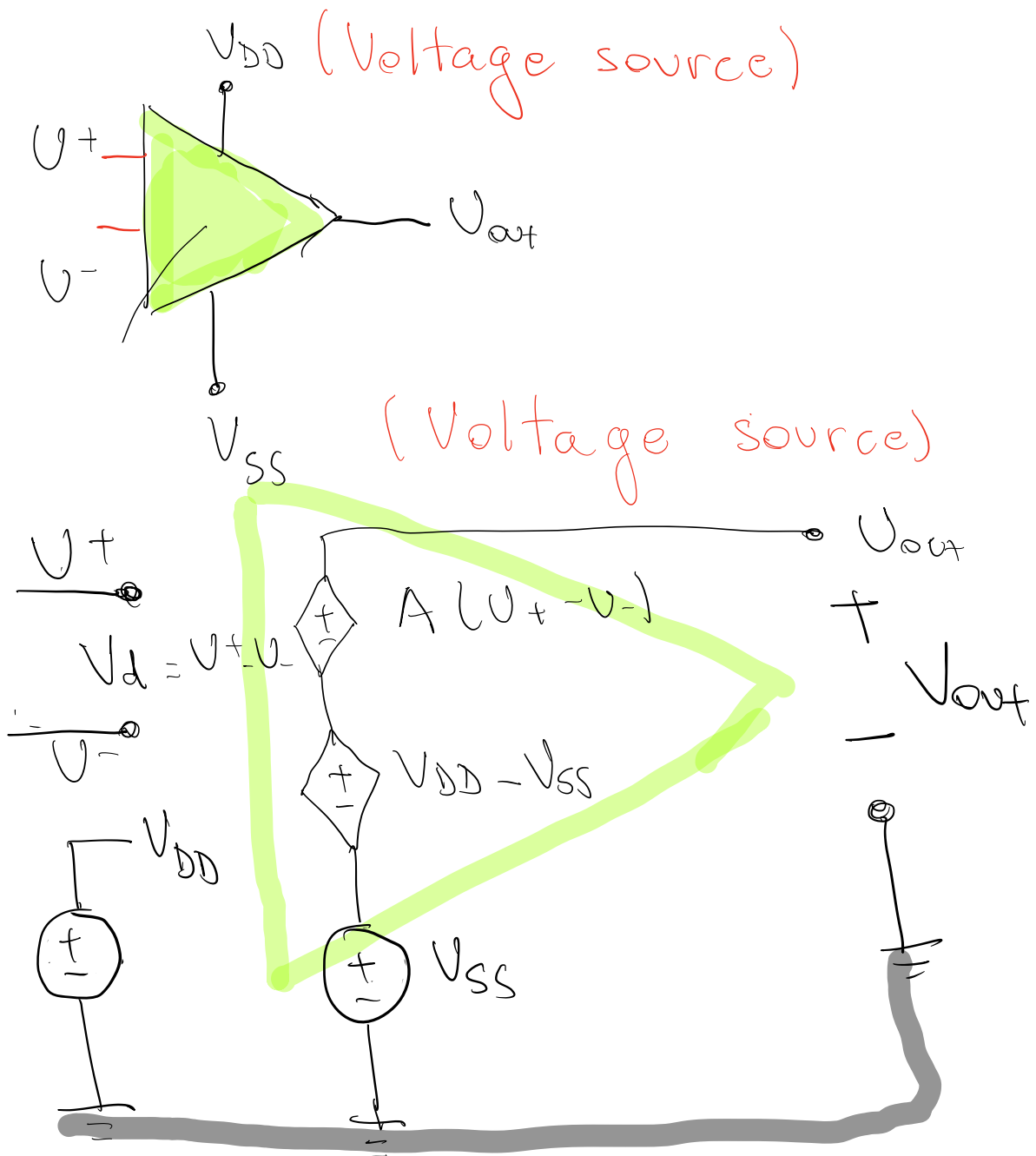


An op-amp has two input terminals marked (+) and (-) with potentials  $U_+$  and  $U_-$ , two power supply terminals called  $V_{DD}$  and  $V_{SS}$ , and one output terminal with potential  $U_{out}$ .

$$V_{out} = V_{SS} + \frac{V_{DD} - V_{SS}}{2} + A \cdot V_d$$

when

$$V_{SS} \leq \frac{V_{DD} - V_{SS}}{2} + A V_d \leq V_{DD}$$

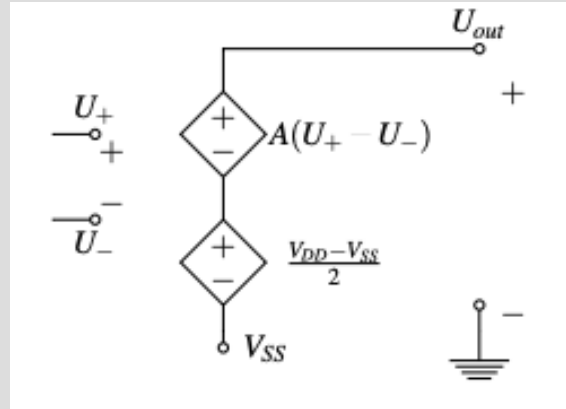
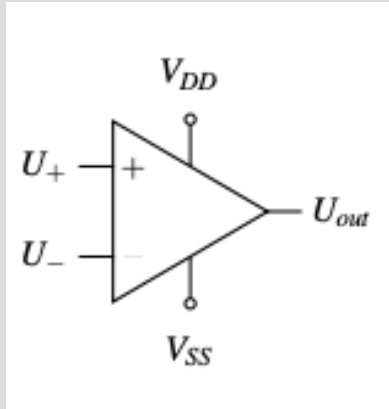


All connected to  
 the same node : 0  
 GROUND. ⊥

# Operational Amplifier

An op-amp (operational amplifier) is a device that transforms a small voltage difference into a very large voltage difference.

$$\frac{V_{DD} - V_{SS}}{2} + A V_d \quad V^*$$



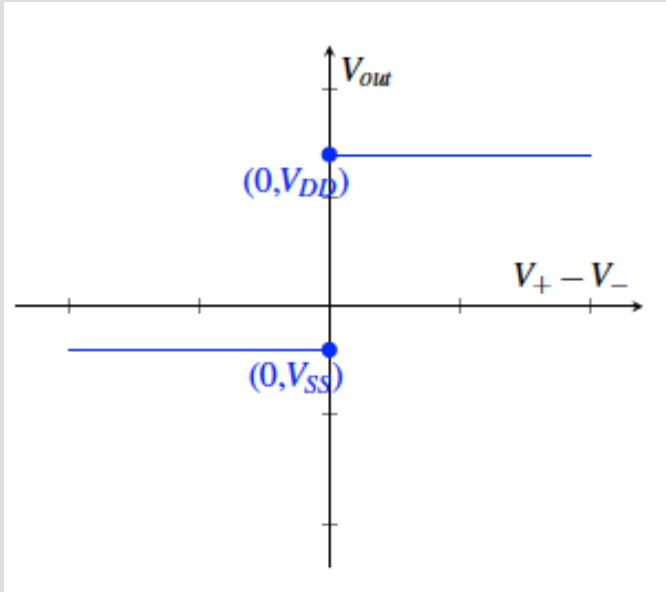
An op-amp has two input terminals marked (+) and (-) with potentials  $U_+$  and  $U_-$ , two power supply terminals called  $V_{DD}$  and  $V_{SS}$ , and one output terminal with potential  $U_{out}$ .

$$V_{out} = V_{DD} \quad \text{if} \quad V^* > V_{DD}$$

$$V_{out} = V_{SS} \quad \text{if} \quad V^* < V_{SS}$$

Can be used to compare Voltage

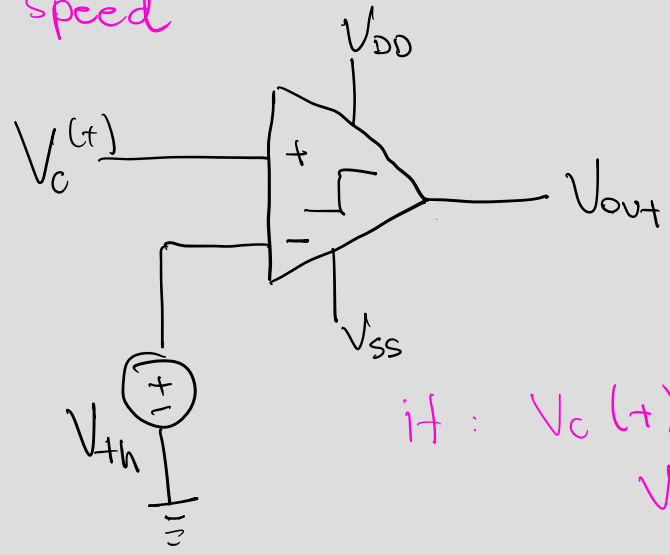
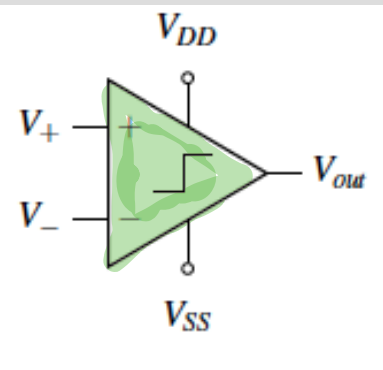
# Comparator – optimized for binary output



$V_{DD}$  can be much  
higher than  $V_{SS}$   
∴  
it amplifies the  
signal.

# Comparator – optimized for binary output

Also optimized for speed

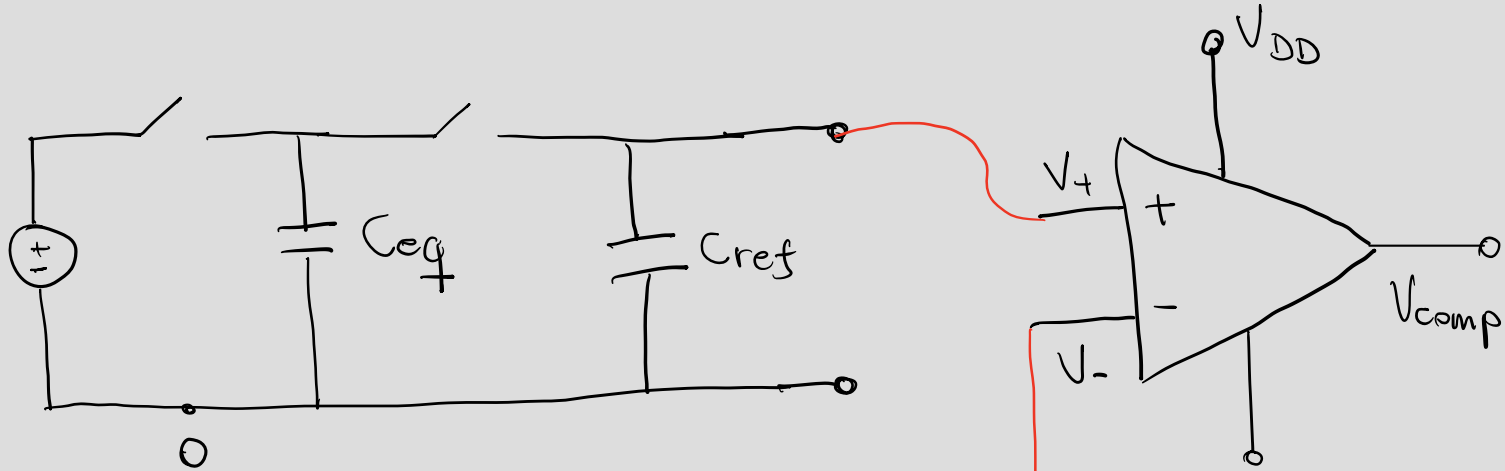


if :  $V_c(t) > V_{th}$   
 $V_{out} = V_{DD}$

if :  $V_c(t) \leq V_{th}$   
 $V_{out} = V_{SS}$



# Back to our Capacitive Touchscreen



$C_{eq} \Rightarrow C_0 + C_A$  - touch  
 $C_0$  - no touch

$V_{DD}$  touch  
no touch  $V_{SS}$

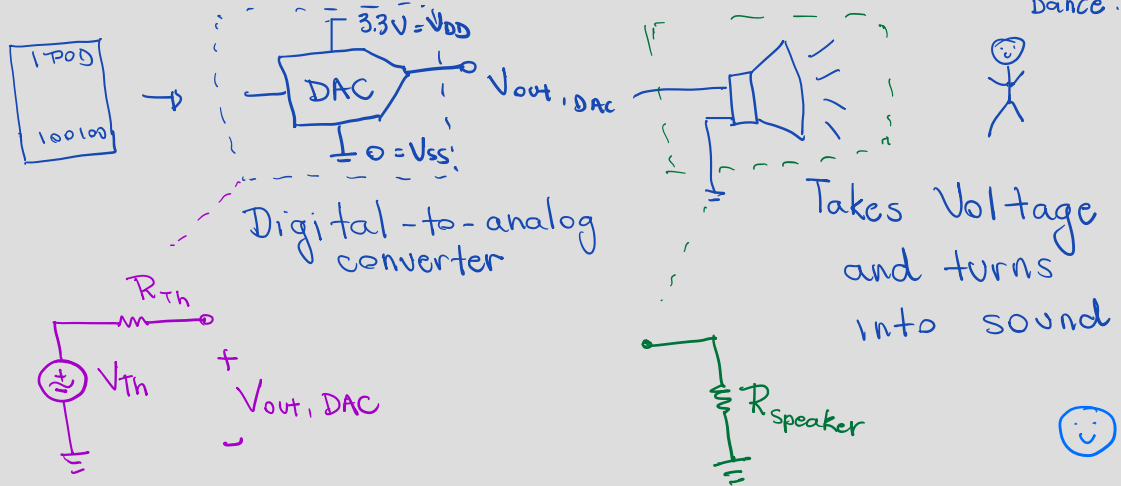
$V_{+threshold}$

Should be half way between  $V_{touch}$  and  $V_{notouch}$

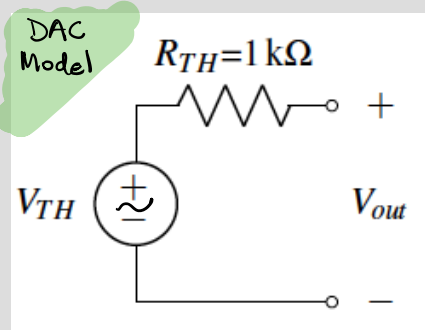
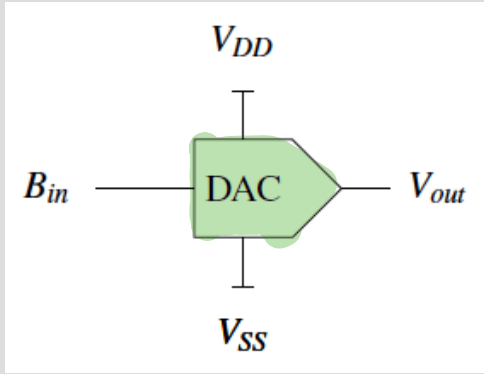
# New Design – Let's play music

\* Want to play music LOUD

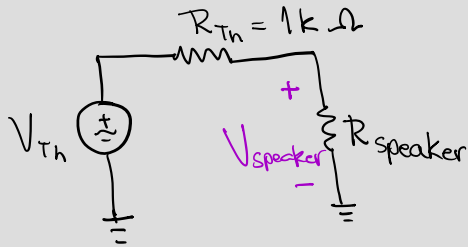
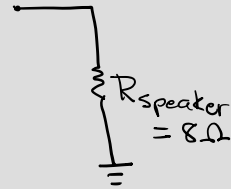
↳ Music is stored as digital signal  
Digital → Analog



# Digital to Analog Converter - DAC



Speaker



Voltage Divider

$$V_{speaker} = \frac{R_{speaker}}{R_{TH} + R_{speaker}} \cdot V_{TH}$$

*Handwritten annotations:  $8\Omega$  above  $R_{speaker}$ ,  $1000\Omega$  below  $R_{TH}$ , and  $8\Omega$  above  $R_{speaker}$  in the denominator.*

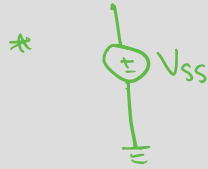
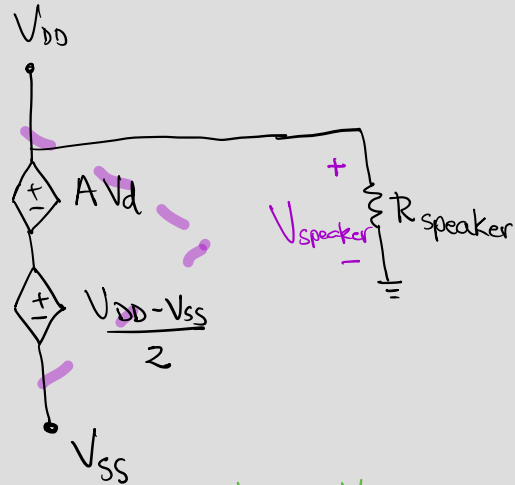
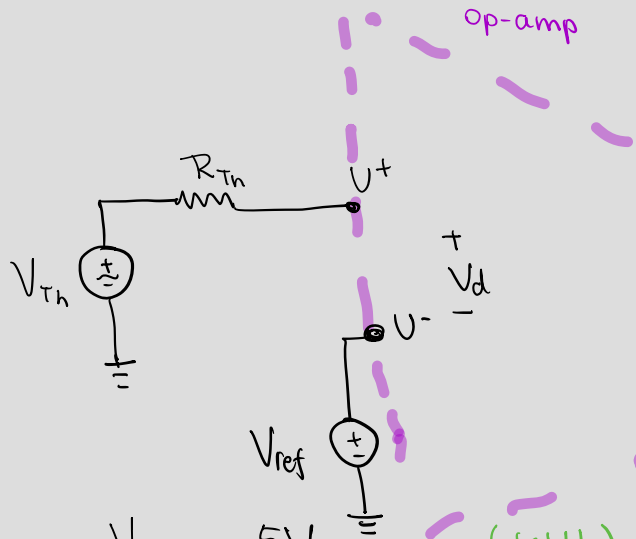
$$V_{speaker} = \frac{V_{th}}{126}$$

Not loud!  
Too quiet!

Need to isolate DAC.



# Digital to Analog Converter - DAC



$$V_{DD} = -V_{SS} = 5V$$

10V output

(Input)

(KVL)

$$V_d = U^+ - U^- = V_{Th} - V_{ref}$$

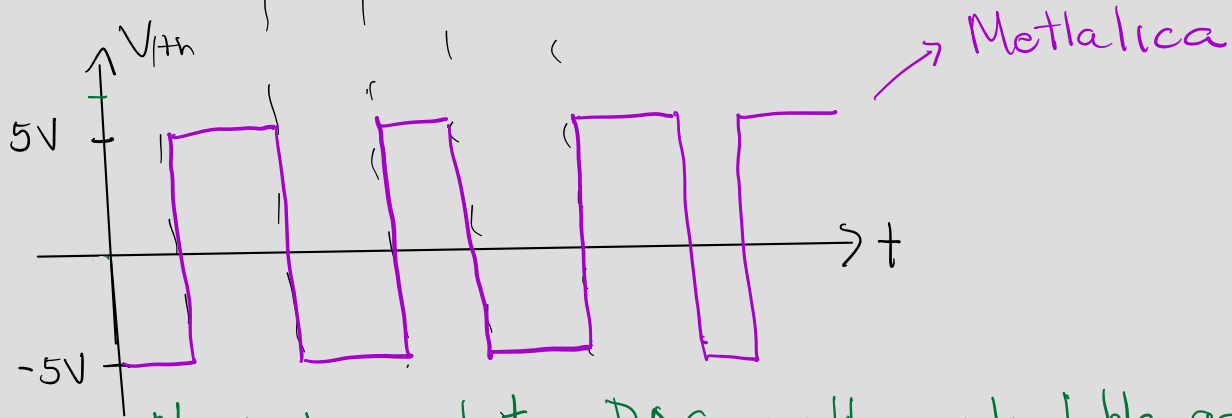
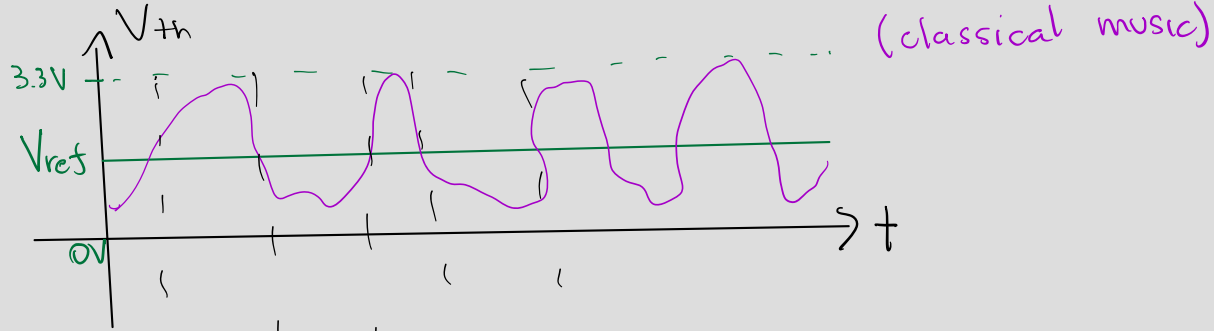
$$V_{speaker} = V_{SS} + \frac{V_{DD} - V_{SS}}{2} + A_{Vd} = A_{Vd}$$

$$\frac{V_{DD} + V_{SS}}{2} = 0$$

when:

$$V_{SS} < A_{Vd} < V_{DD}$$

# Digital to Analog Converter - DAC



Need to isolate DAC with controllable gain!  
e.g.  $3x$

