

Toolbox

KVL: Voltage drops around a loop sum to 0

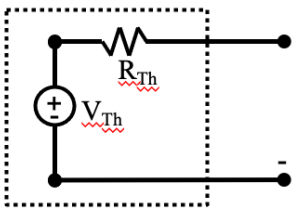
KCL: All currents coming out of a node sum to 0

$$V = IR \quad R = \frac{\rho L}{A} \quad R_1 \parallel R_2 = \frac{R_1 R_2}{R_1 + R_2}$$

$V_{\text{source}}(\text{off}) \rightarrow \text{short}$

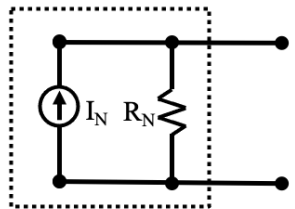
$I_{\text{source}}(\text{off}) \rightarrow \text{open}$

Thevenin Equivalent Circuit



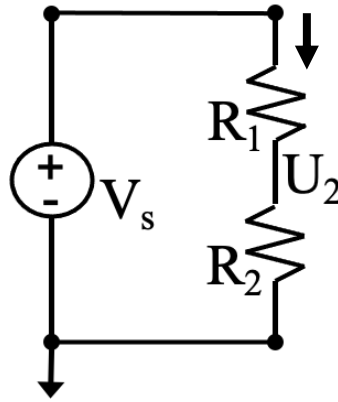
Measure V with open

Norton Equivalent Circuit



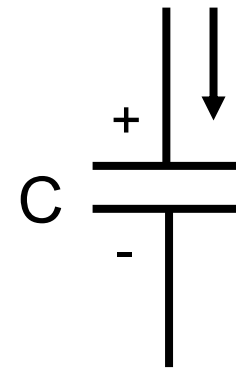
$$R_{\text{Th}} = V_{\text{Th}} / I_{\text{N}}$$

Measure I with short



$$I = \frac{V_s}{R_1 + R_2}$$

$$U_2 = \frac{V_s R_2}{R_1 + R_2}$$

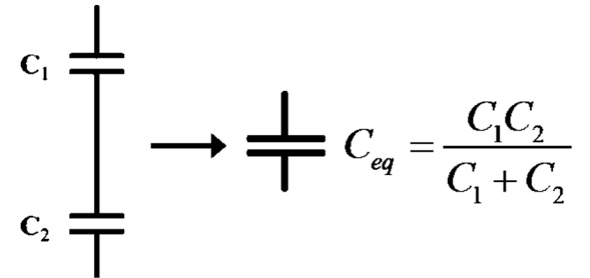


$$Q = CV$$

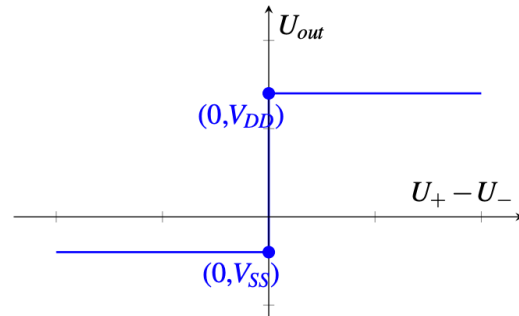
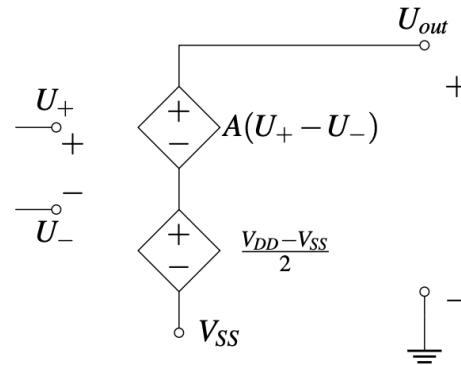
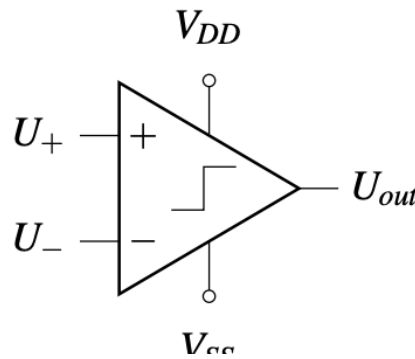
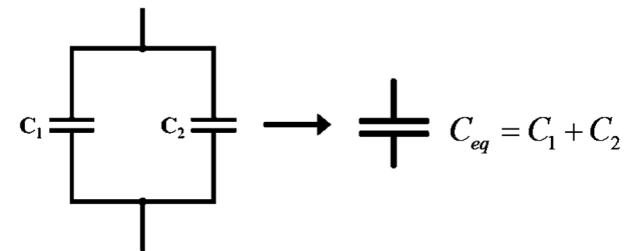
$$I = C \frac{dV}{dt}$$

$$C = \frac{\epsilon A}{d}$$

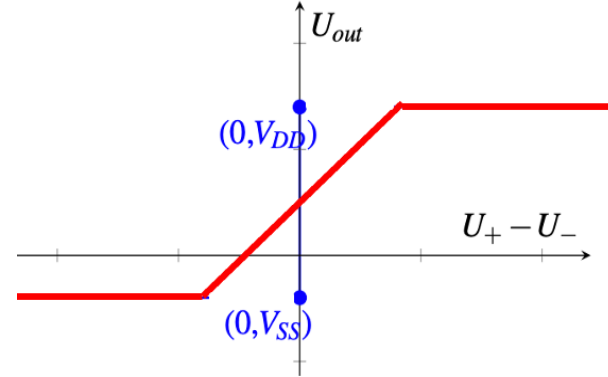
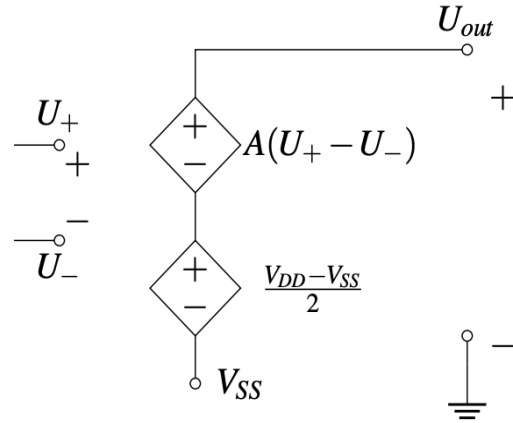
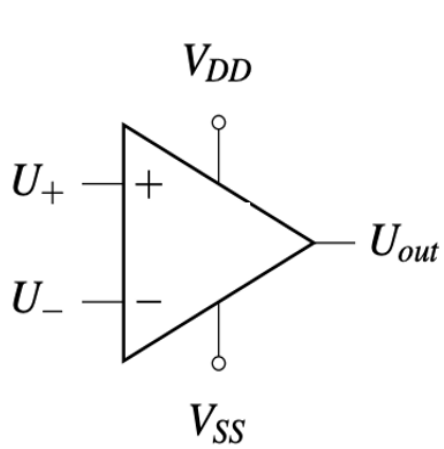
Capacitors in Series



Capacitors in Parallel



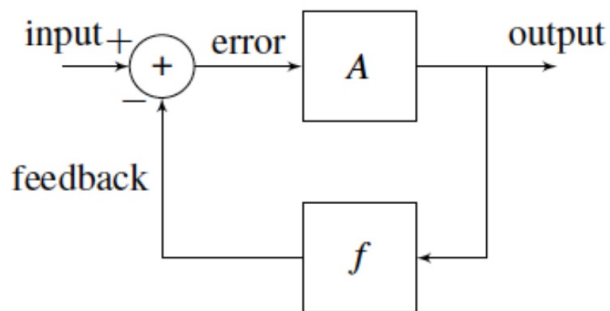
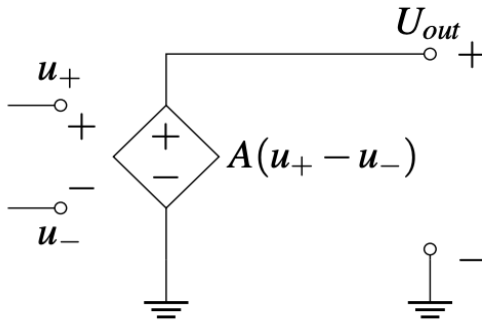
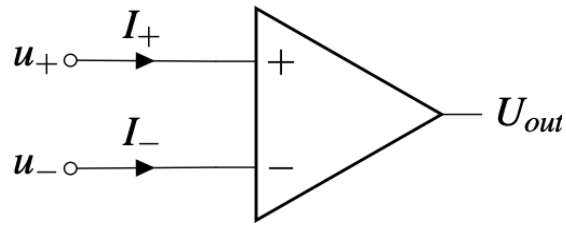
Recap: Op Amps



Golden Rules

#1: $I_+ = I_- = 0$

#2: $u_+ = u_-$
Only in negative feedback and $A = \infty$



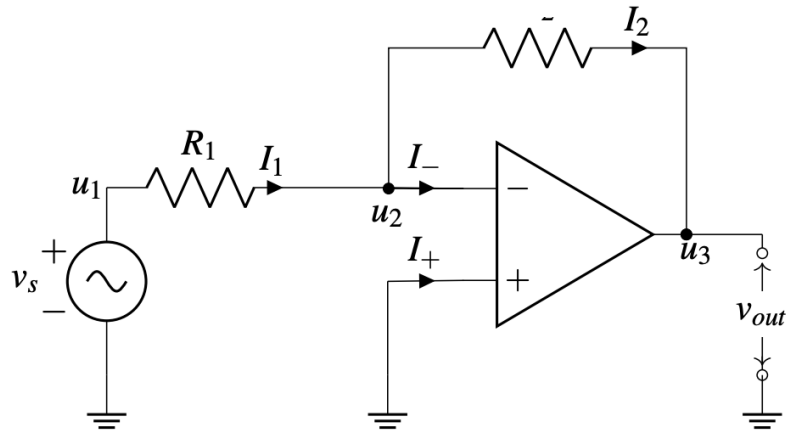
$$\frac{S_{out}}{S_{in}} = \frac{A}{1 + Af}$$

Common Prefixes used with SI Units			
Prefix	Symbol	Meaning	Order of Magnitude
<i>giga-</i>	G	1 000 000 000	10^9
<i>mega-</i>	M	1 000 000	10^6
<i>kilo-</i>	k	1 000	10^3
<i>hecto-</i>	h	100	10^2
<i>deka-</i>	da	10	10^1
	base unit	1	10^0
<i>deci-</i>	d	0.1	10^{-1}
<i>centi-</i>	c	0.01	10^{-2}
<i>milli-</i>	m	0.001	10^{-3}
<i>micro-</i>	μ	0.000 001	10^{-6}
<i>nano-</i>	n	0.000 000 001	10^{-9}

Recap: Summary of Useful Configurations

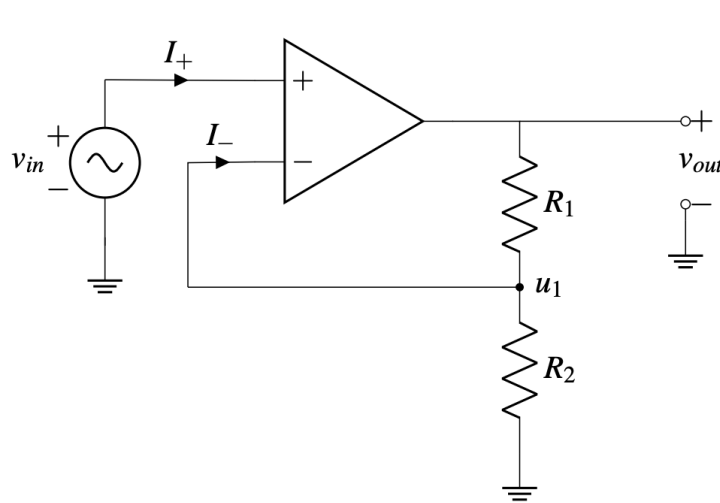
Inverting Amplifier

$$v_{out} = -\frac{R_2}{R_1} \cdot v_{in}$$



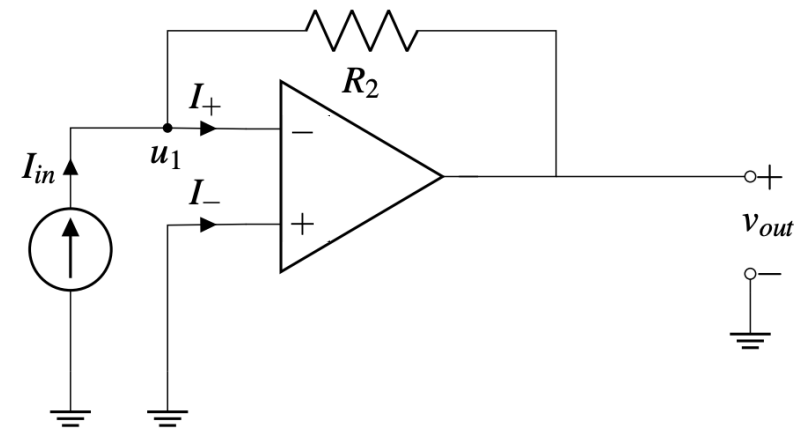
Non-inverting Amplifier

$$v_{out} = \left(1 + \frac{R_1}{R_2}\right) \cdot v_{in}$$

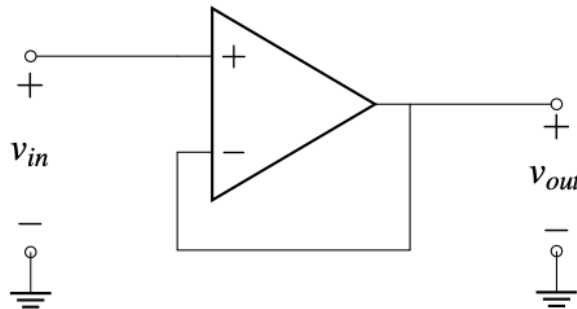


Trans-resistance Amplifier

$$v_{out} = -R_2 \cdot I_{in}$$



Unity Gain Buffer



$$v_{in} = v_{out}$$



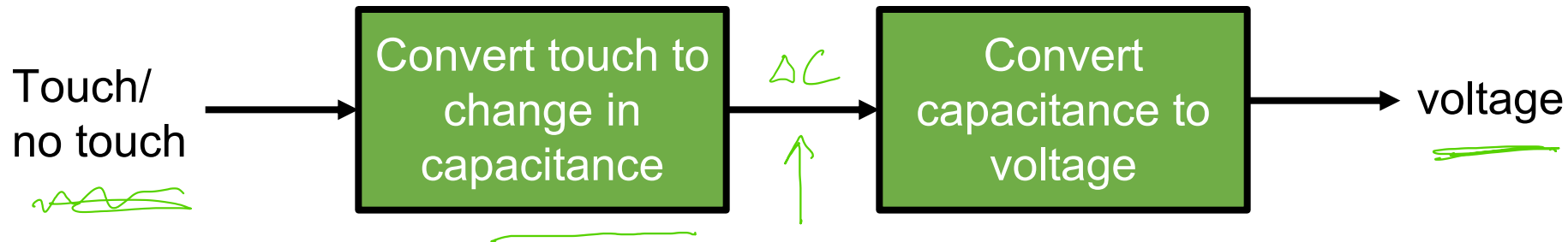
Today: Design!

Step 1: Specification

- Concretely restate the goals of the design
- Cut through all the words and pull out the important features

Step 2: Strategy

- Describe your strategy in the form of a block diagram
- Start by thinking about what you can measure vs. what you want to know



Step 3: Implementation

- Design the circuits and systems described in your strategy
- Choose the best circuit topology for the given constraints (e.g. inputs and outputs)

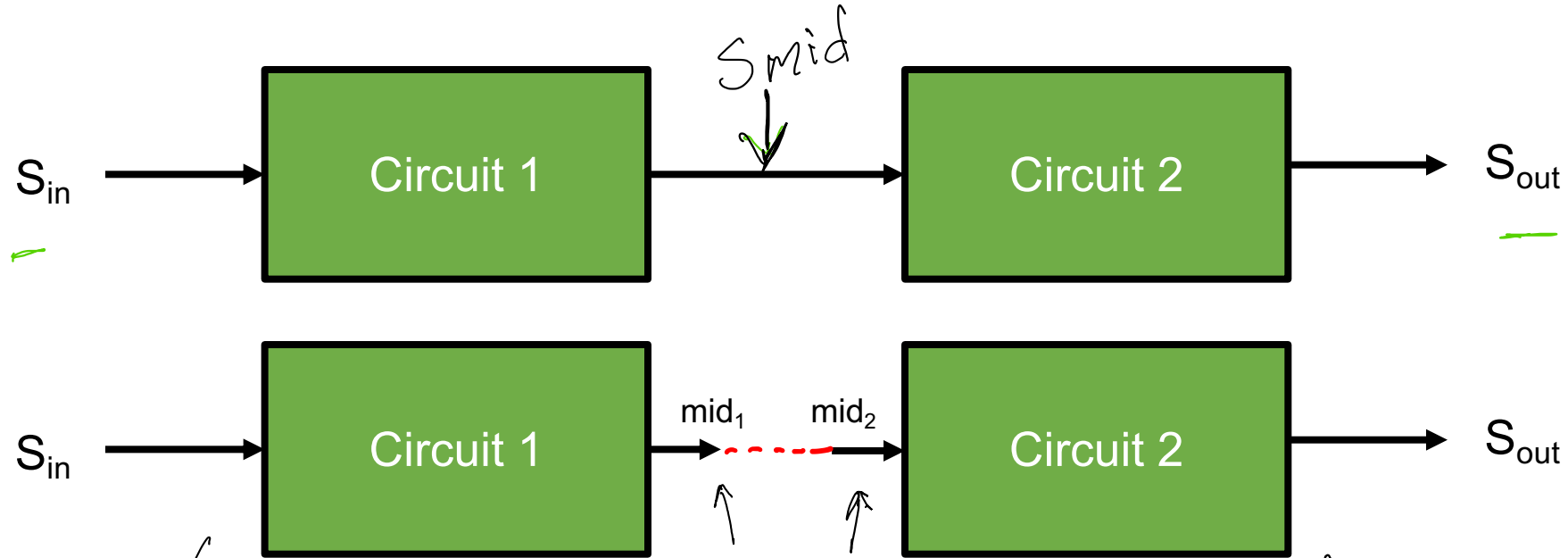
Today: Design!

Step 4: Verification

- Check that your design from Step 3 does what you specified in Step 1
- This extremely important step is the easiest to forget or not do thoroughly
- Check block-to-block connections
- Does one block loading another block and cause it to behave differently than expected?
- Are there any contradictions (e.g. forgot to connect power supplies, shorted a component, etc.)

Cascading Blocks

We want to connect two blocks without changing their functionality:

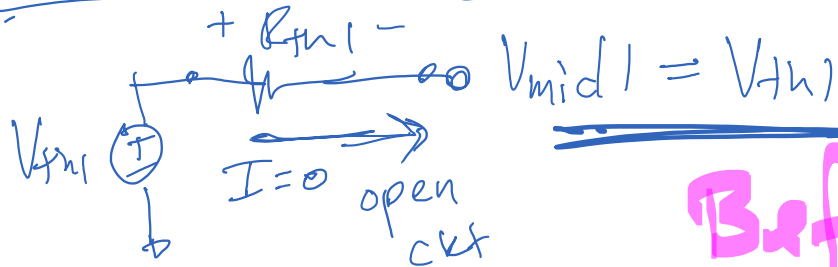
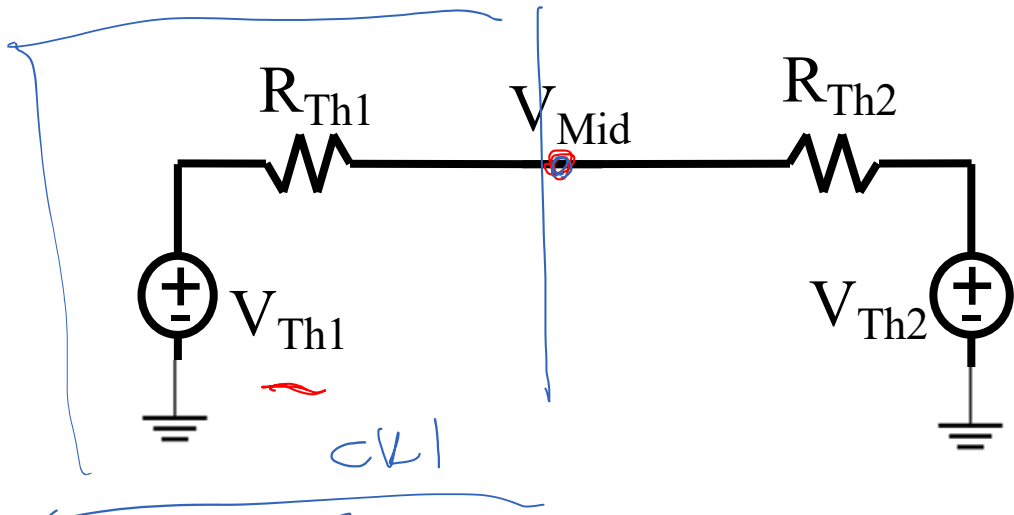


Each circuit has a Thevenin equivalent:



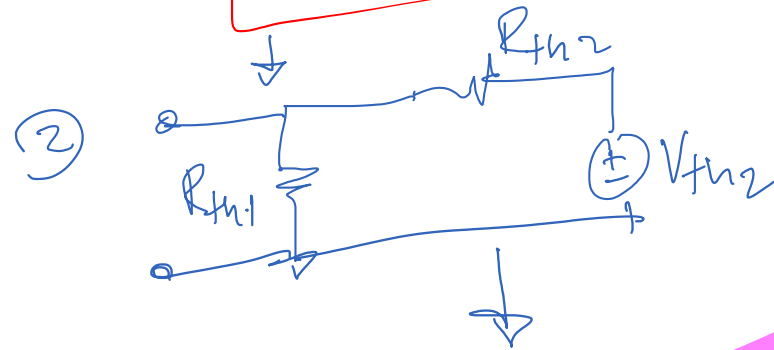
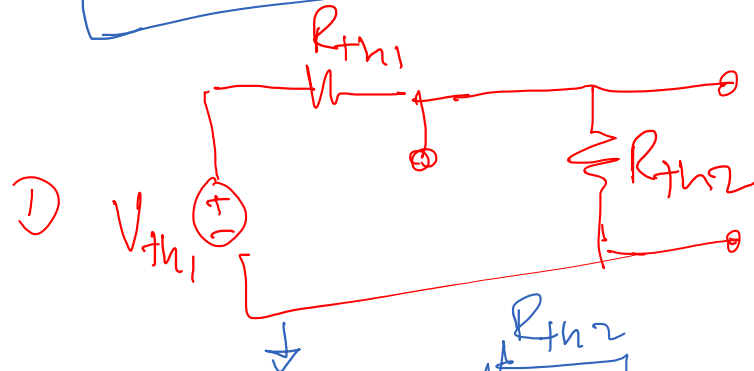
Cascading Blocks

After connection:



Before

$$V_{mid} = V_{Th1} \frac{R_2}{R_1 + R_2} + V_{Th2} \frac{R_1}{R_1 + R_2}$$



after

same?

Ideal Isolation:

- From the perspective of Circuit 1: $R_{th2} \rightarrow$ Open Circuit $R_{th2} = \infty$
- From the perspective of Circuit 2: $R_{th1} \rightarrow$ 0 Ohms (just the voltage source)

* like an op amp!

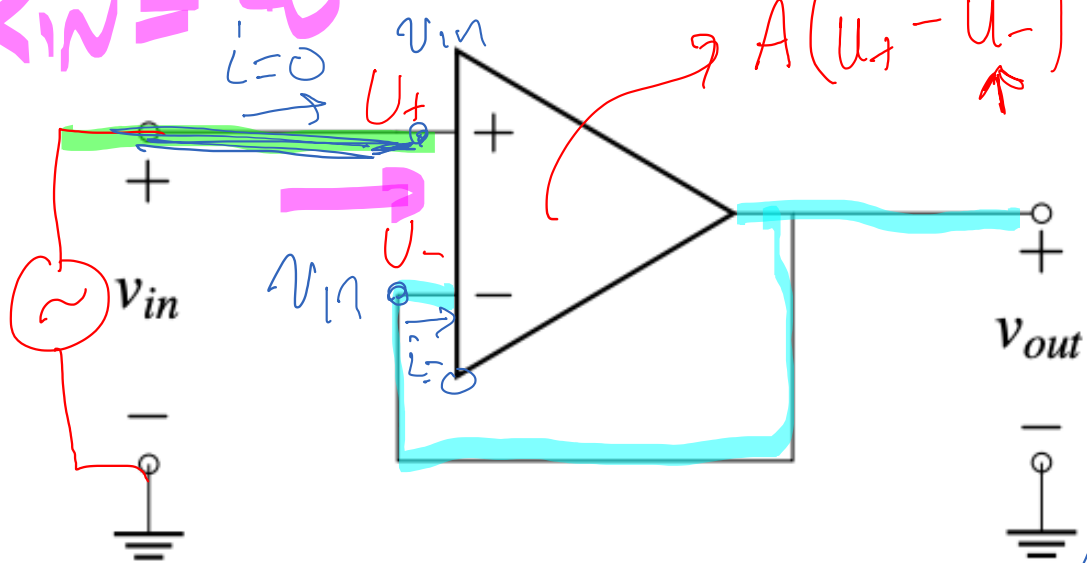
$$V_{mid} = V_{Th1}$$

$V_{Th1} \parallel V_{mid}$

Unity Gain Buffer

Ideal Isolation

$R_{in} = \infty$



$A(u_+ - u_-) = v_{out}$

* #1: $I_+ = I_- = 0$

* #2: $\overline{u_+} = \overline{u_-}$
Only in negative feedback and $A = \infty$

- ① turn of ind. source
 - ② disturb the output
- ✓ negative FB

$v_{out} = f(v_{in})$

$A_v = \frac{v_{out}}{v_{in}}$

$u_+ = v_{in}$

$u_- = v_{in} \quad u_- = v_{out}$

$u_- = v_{out} = v_{in}$

* $\therefore A_v = \frac{v_{out}}{v_{in}} = 1$

$v_{out} = A_v \cdot v_{in}$

* $R_{in} = \infty$ or Open circuit * $R_{out} = 0 \Omega$ or short ckt

Unity Gain Buffer

→ tradeoffs

(UGB)

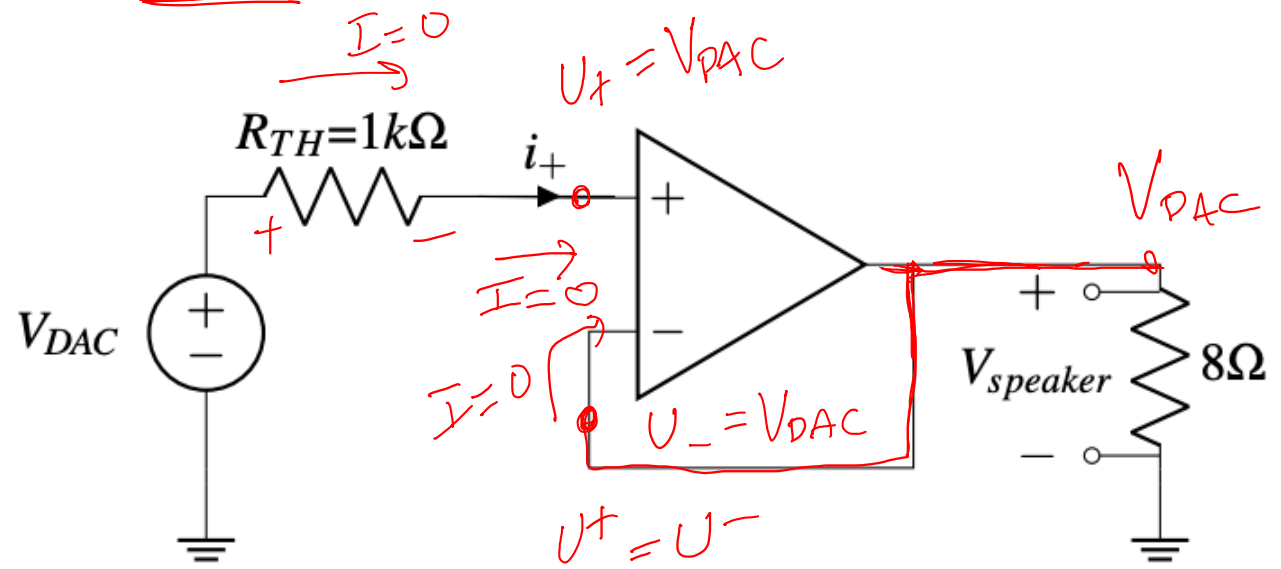
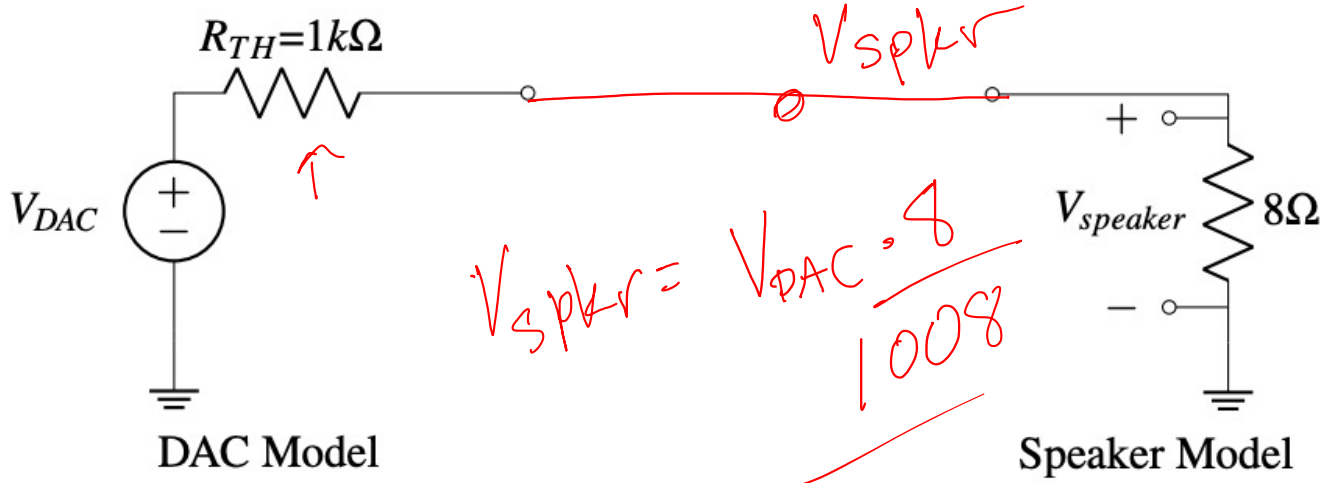
+ ideal isolation

+ no change in gain

- power

- area/volume

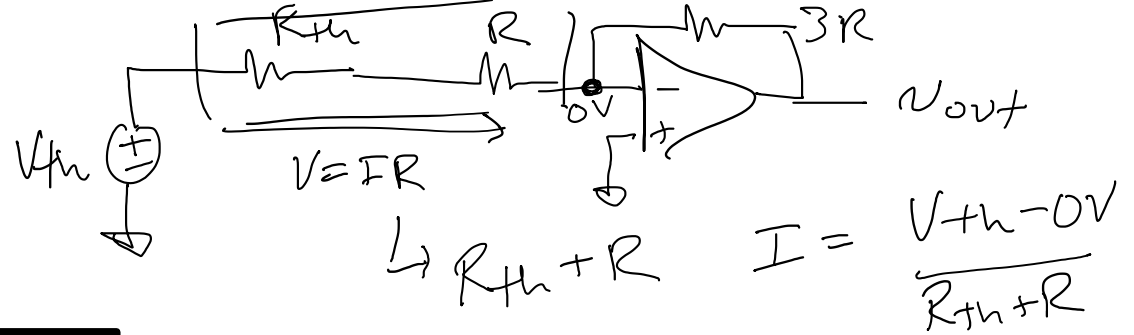
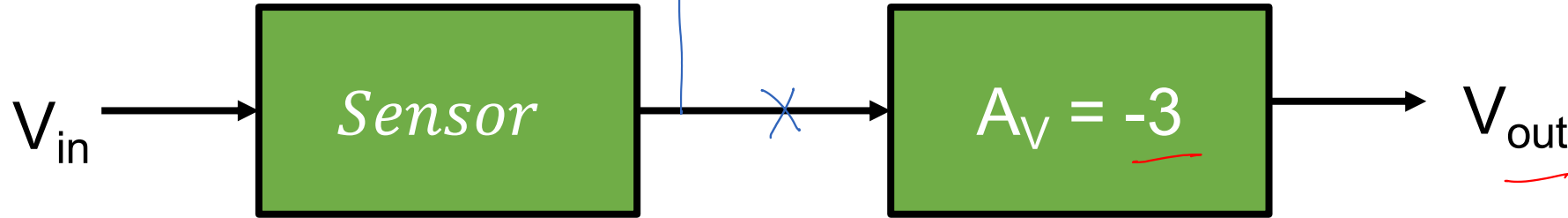
- complexity



$V_{speaker} = V_{DAC}$ *

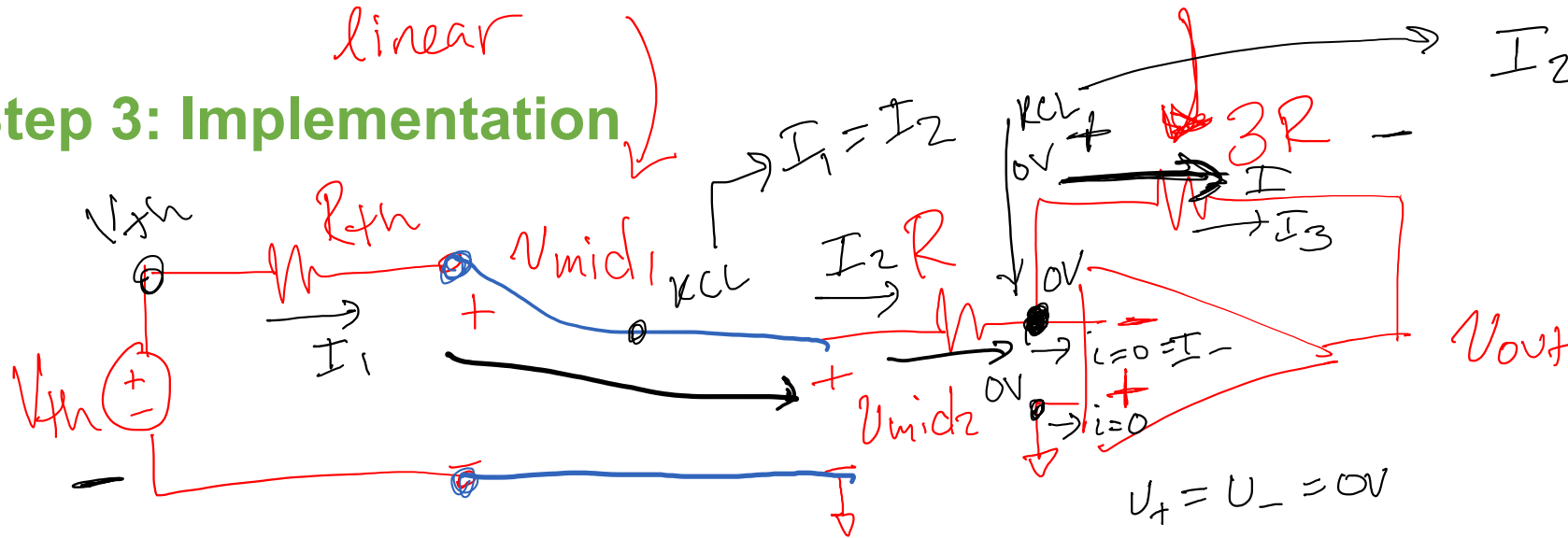
Design Example 1

Step 2: Strategy



$$\frac{0 - V_{out}}{3R} = I$$

Step 3: Implementation



$$I_2 = I_3 + I$$

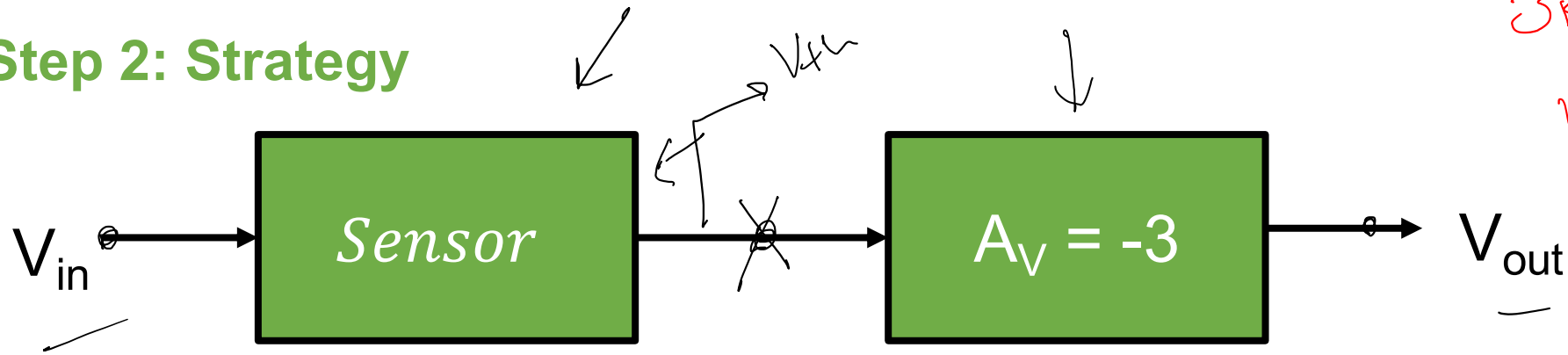
$$\text{Gain} = -3$$

$$I = I_1 = I_2 = I_3$$

Step 4: Verification

Design Example 1

Step 2: Strategy

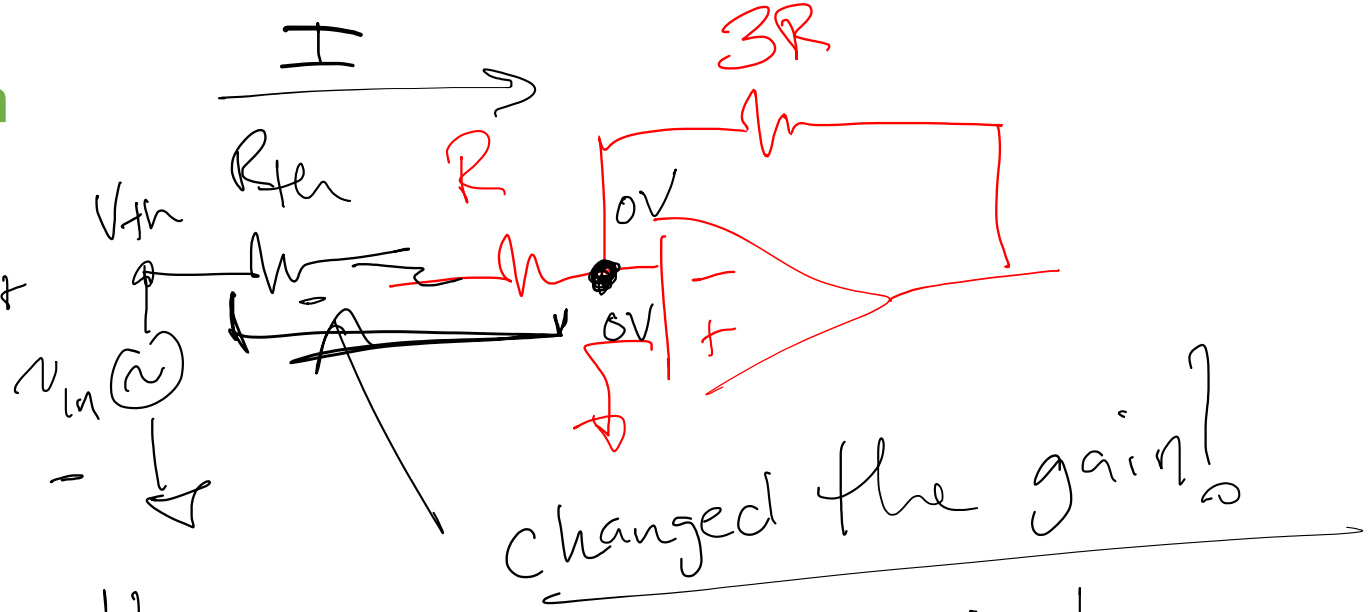
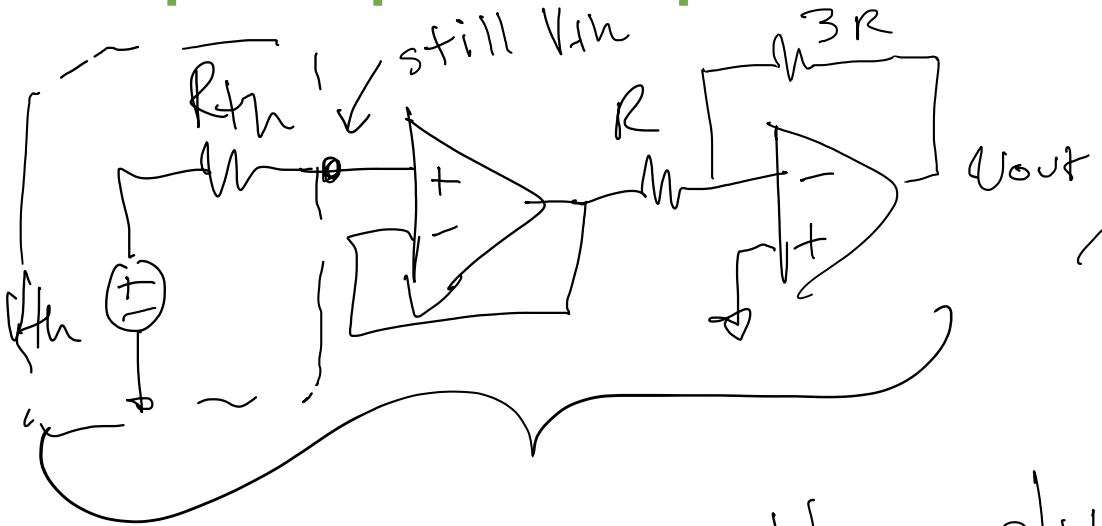


$$-\frac{V_{out}}{3R} = \frac{V_{th}}{R_{th} + R}$$

$$\frac{V_{out}}{V_{th}} = \frac{-3R}{R_{th} + R}$$

wanted 3!

Step 3: Improved Implementation



changed the gain!

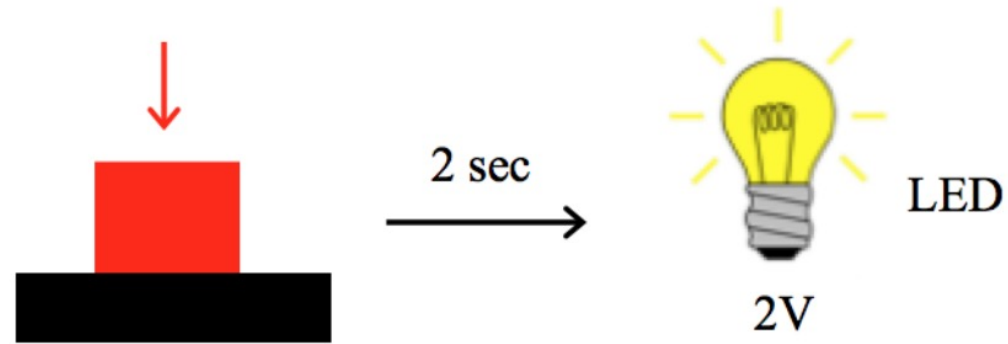
problem!!

Step 4: Verification

problem solved!

Design Example 2

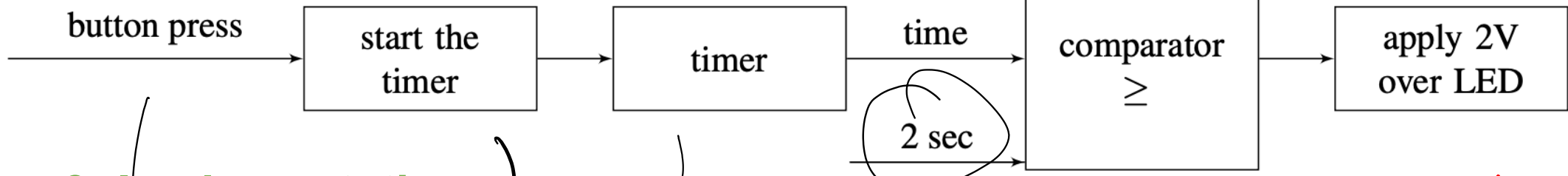
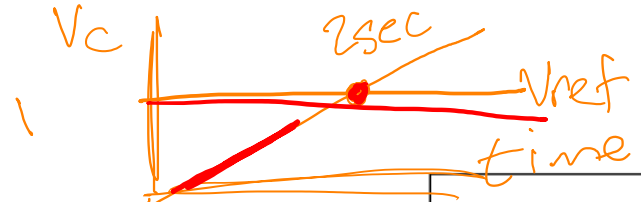
Your boss comes to you and asks you to build a countdown timer that will turn on an LED 2 seconds after a button is pressed. She tells you that the LED turns on when 2V is applied across it.



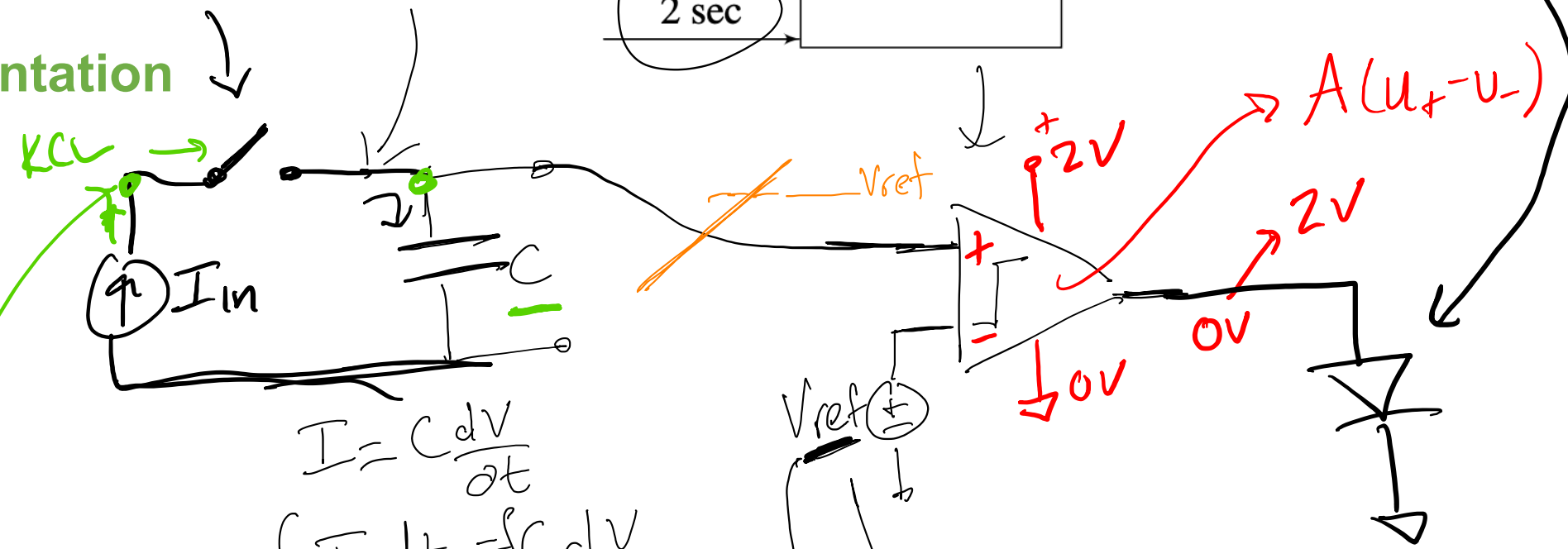
Step 1: Specification: Press button, measure 2 seconds, and then apply 2V across an LED.

Step 2: Strategy

Design Example 2



Step 3: Implementation



verification

$I_{in} = 0$
contradiction!

$$I = C \frac{dV}{dt}$$

$$\int I dt = \int C dV$$

$$I \Delta T = C \Delta V$$

$$\Delta V = \frac{I \Delta T}{C}$$

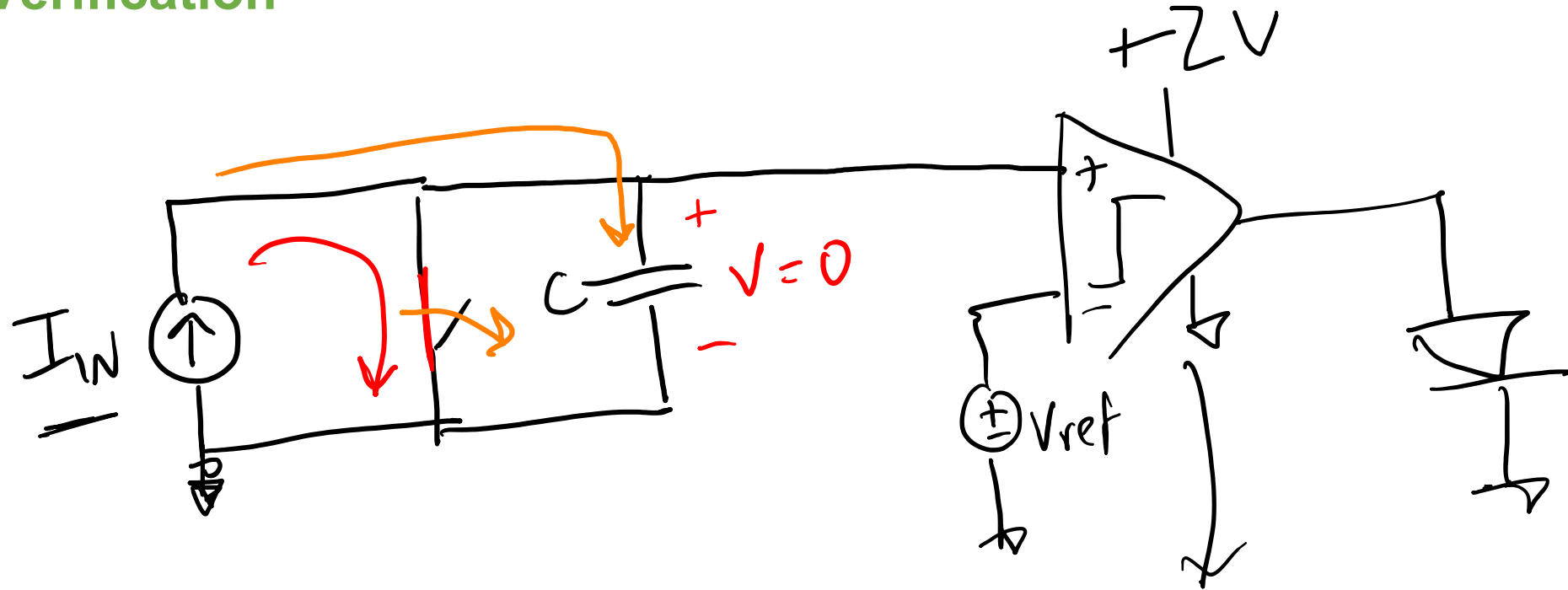
$$I = \frac{C \Delta V}{\Delta T}$$

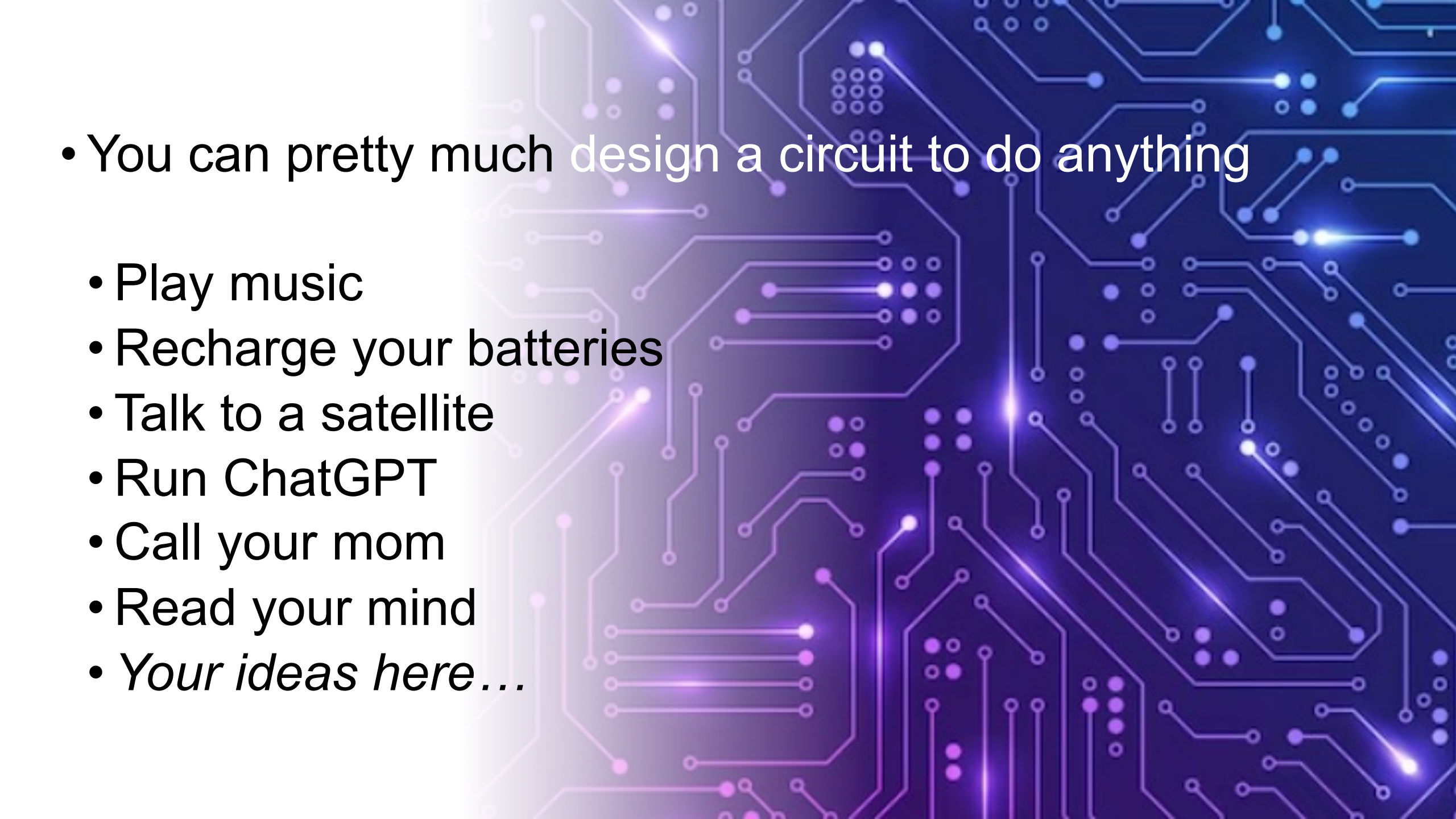
$$I = \frac{2 \text{ sec}}{C}$$

$A(u_+ - u_-)$

Design Example 2

Step 4: Verification



- 
- You can pretty much design a circuit to do anything
 - Play music
 - Recharge your batteries
 - Talk to a satellite
 - Run ChatGPT
 - Call your mom
 - Read your mind
 - *Your ideas here...*

The
End

Just kidding. Like circuits? EECS16A → EECS16B → EE105 → EE140 & EECS151 → EE194